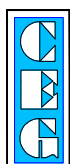


GOVERNMENT OF ORISSA

WORKS DEPARTMENT

ORISSA STATE ROAD PROJECT

FINAL DETAILED ENGINEERING REPORT FOR PHASE-I ROADS DESIGN REPORT OF BRIDGES (BHAWANIPATNA TO KHARIAR)



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INTRODUCTION

INTRODUCTION

This report presents the design of bridges for Bhawanipatna to Khariar on SH-16. The total width of carriageway is 12.0 m with clear carriageway width of 11.0 m and crash barrier of 0.5 m on each side in minor bridges does not lie in village vicinity. Footpath of 1.5 m shall be provided on both sides for major bridges and minor bridges lies in the village vicinity. The bridge having 7.5 m width in good condition has been retained without any widening as per the discussion and decision with PIU.

There are total 21 Nos of existing bridges in this stretch. The existing and new proposal has been summarized on the next page.

From Ch. 27/600 to 29/400, there are total 6 nos. of bridges on Tel River. 3 Nos. of bridges are towards Bhawanipatna side w.r.t. Main Tel River bridge and 2 bridges are towards Khariar side.

As per the drawing received from Executive Engineer Bhawanipatna, HFL observed on 3rd July 2006 was around 1.5 m above bridge deck w.r.t. bridge at Ch. 27/850. The level difference between main bridge on Tel and the above bridge is about 6 m within a distance of around 125 m. As per highway alignment, it is not possible to keep the bridge at the same level. Due to submergence, difficulty in highway alignment, Detailed hydrology report, Review committee meeting and Inspection of Bhawanipatna-Khariar Road followed by Inspection note vide letter no. PIU(WB) 25/2006, it is decided to dismantle the existing bridge at Ch. 27/800 and at Ch. 27/850 and construction of new bridge of around 175 m clear vent way. It is proposed to construct 8 spans of 32.2 m PSC Girder and substructure resting on Pile foundations as per geotechnical and hydrology report. As per the discussion with PIU, raising of other minor bridges at Ch. 27/600, 28/900 and 29/400 has been suggested provided the parameter like SBC and reinforcement mentioned in working drawings based on detailed calculations are met.

Main Tel bridge has been kept as it is as per detailed inspection and performance of the bridge. For bridge at Ch. 29/400 besides raising, 2 additional spans of 9.2 m on both sides has been added. Initially 2 spans of 32.2 m was proposed for the above bridge.

Detailed analysis of existing bridges to be raised has been made on the basis of modern day loading and dimension detail drawing No. D-III/25/1-78-79 provided by PIU.

In final DPR, rehabilitation measures of bridge at Ch. 69/300 has been proposed as per the review committee inspection note vide letter no. PIU(WB) 25/2006, however as the NDT results are not satisfactory, it is suggested to do core cutting of slab during execution to know the residual strength of concrete.

Slab type superstructure of 10.0 m and RCC girder of 12.0 m, 14.0 m and 21.0 m has been taken from the MOST standard drawings.

Box type structure has also been taken from the MOST – standard drawings.

Substructure of the bridges has been designed as per the program based on latest IRC codes on standard excel sheet-moving live load using standard software STAAD-PRO.

Following live loads has been considered for 12.0 m overall width.

1. Single lane of Class 70-R wheeled+ Class A
2. Single lane of class 70-R Tracked + class A
3. Class-A, 3 lane

The structural drawing has been prepared in AUTOCAD.

Following changes has been done in Final DPR.

- ❖ Tel bridge and its approaches designs has been revised as per the actual HFL as per detailed hydrology report and waterway as per the Inspection note vide letter no. PIU(WB) 25/2006 and letter no. PIU (WB)/36/05/part/7227/22/2/07.
- ❖ Bridge at Ch. 69/300 reconstruction case in draft DPR has been revised to Rehabilitation case as per the Inspection note vide letter no. PIU(WB) 25/2006.

- ❖ Discrepancy in Soil report has been taken care as per the comments received on 30.12.06 and compliance on dated 17-01-07.
- ❖ Bed protection and length of apron has been incorporated as per discussion.
- ❖ Seismic analysis as per letter no. PIU(WB)43/2006/11973/dated 20th march 2007, has been done in our sample calculation for bridge at Ch. 29/500 in Berhampur-Rayagada road and are not critical for seismic zone II and as per our experience in this regard, hence in other designs it is ignored.
- ❖ Coherence in list of culverts in the drawing, report and scheduled of culverts has been maintained with proper design chainages as per letter no. PIU (WB)/36/05/part/7227/22/2/07.

Code of Reference

- 1. IRC : 21 - 2000**
- 2. IRC : 6 - 2004**
- 3. IRC : 78 - 2000**
- 4. IRC : 89 - 1997**
- 5. IRC : 89 - 1997 (Part II)**
- 6. SP : 13 – 2004**
- 7. Specifications for Road and Bridge works (MOST Book)**
- 8. MOST standard plans Culverts with or without Cushion**

Sl.No.	Location/Chainage	Existing Span Arrangement	Existing Carriage way width	Type of Bridge	Recommended for	Proposed Spand Arrangement	Type of foundation	Type of Substructure	Type of Superstructure	Remarks
1	3/050	3 x 8.8	7.7	High Level	Repair/Rahabilitation	-	Open foundation	PCC wall type	RCC Solid Slab	Good Repair/ Rehabilitation required
2	4/450	4 x 9.9	6.7	Submersible	Repair/Rahabilitation	-	Open foundation	PCC wall type	RCC Solid Slab	Good Repair/ Rehabilitation required
3	8/600	1 x 7.3	7.2	Submersible	Reconsturction	1 x 8.0 RCC Box	Raft Foundation	RCC cell box		New bridge, existing submersible
4	10/500	1 x 7.4	7.2	Submersible	Reconsturction	1 x 8.0 RCC Box	Raft Foundation	RCC cell box		New bridge, existing submersible
5	13/750	2 x 7.2	7.3	Submersible	Reconsturction	1 x 14.6 RCC T - Beam Girder	Open foundation	RCC wall type	RCC T - Beam Girder	New bridge, existing in poor condition
6	17/120	1 x 7.55	3.1	Submersible	Reconsturction	1 x 8.0 RCC Box	Raft Foundation	RCC cell box		New bridge, existing in poor condition
7	21/000	(3 x 0.6) + (7 x 1.2)	6.7	Hume pipe Vented cause way	Reconsturction	1 x 12.6 RCC T - Beam Girder	Open foundation	RCC wall type	RCC T - Beam Girder	New bridge, existing causeway
8	27/600	7 x 9.2	6.85	Submersible	Repair/Rahabilitation	-	Open foundation	RCC Pier, RCC Pier Type Abutment	RCC Solid Slab	Good Repair/ Rehabilitation required
9	27/800	10 x 1.2	6.6	Hume pipe Vented cause way	Reconsturction	8 x 32.2 PSC Girder	Pile foundation	RCC wall type	PSC Girder	New bridge, existing submersible
10	27/850	9 x 9.2	7.2	Submersible	Reconsturction					
11	28/400	(2 x 9.9) + (1 x 24.37) + (1 x 34.9) + (10 x 40.85)	6.85	High Level	Nothing to do	-	Well Foundation	RCC Pier, RCC Pier Type Abutment	Balanced Cantilever Box Girder	Good Nothing to do
12	28/900	4 x 9.2	7	Submersible	Repair/Rahabilitation	-	Open foundation	RCC pier, Rcc pier type abutment	RCC Solid Slab	Good Repair/ Rehabilitation required
13	29/400	2 x 9.2	7.1	Submersible	Repair/Rahabilitation	(2 x 9.2) + (2 x 9.2) Additional Spans on each sides	Pile foundation	RCC wall type	PSC Girder	Good Repair/ Rehabilitation required
14	45/700	1 x 6.2	10.4	High Level	Reconsturction	1 x 8.0 RCC Box	Raft Foundation	RCC cell box		New bridge existing in poor condition
15	54/600	3 x 8.5	7.5	Submersible	Realigned	3 x 10.8 m RCC Solid Slab	Open foundation	RCC wall type	RCC Solid Slab	New bridge, existing in realignment

Sl.No.	Location/Chainage	Existing Span Arrangement	Existing Carriage way width	Type of Bridge	Recommended for	Proposed Spand Arrangement	Type of foundation	Type of Substructure	Type of Superstructure	Remarks
16	58/900	3 x 6.8	8	Submersible	Realigned	1 x 21.6 RCC T - Beam Girder	Open foundation	RCC wall type	RCC T - Beam Girder	New bridge, existing in realignment
17	59/100	(7 x 32.7) + (1 x 7.6)	7.2	High Level	Repair/Rahabilitation	-	Well Foundation	RCC wall type	PSC Girder	Good Repair/ Rehabilitation required
18	59/400	5 x 4.0	7.8	High Level	Repair/Rahabilitation	-	Raft Foundation	RCC cell box		Good Repair/ Rehabilitation required
19	63/650	1 x 6.6	9	High Level	Reconsturction	1 x 8.0 RCC Box	Raft Foundation	RCC cell box		New bridge existing in poor condition
20	66/500	1 x 6.4	8.8	High Level	Reconsturction	1 x 8.0 RCC Box	Raft Foundation	RCC cell box		New bridge existing in poor condition
21	69/300	1 x 7.2	8.5	High Level	Repair/Rahabilitation	-	Open foundation	RR Stone Masonry wall type	RCC Solid Slab	Repair/ Rehabilitation required

BRIDGE AT CH:13+750

DESIGN OF SUBSTRUCTURE

DESIGN DATA

Formation Level	=	235.100 m
Ground Level	=	229.452 m
Lowest Water Level	=	225.824 m
Highest Flood Level	=	232.670 m
Founding Level	=	225.824 m
Thickness of bearing & pedestal	=	0.300 m
Width of abutment	=	12.000 m
Bouyancy factor	=	1.0
Safe Bearing Capacity	=	86.530 t/sqm
Dry density of earth	=	1.800 t/cum
Submerged density of earth	=	1.0 t/cum
Saturated density of earth	=	2.000 t/cum
Coefficient of base friction	=	0.7
Span (c/c of exp. joint)	=	14.600 m
Overall Width of deck slab	=	12.000 m
Width of carriageway	=	11.000 m
Width of crash barrier	=	0.500 m
Depth of Superstructure	=	1.400 m
Thickness of wearing coat	=	0.056 m
Unit wt of concrete	=	2.400 t/m ³
no. of elastomeric bearing	=	4
size of elastomer brgs. (500 x 250 x 50 mm)	=	
Grade of Concrete	-	M 25 25
Grade of Reinforcement	-	415 (HYSD)
Live Load	-	One Lane of 70R Wheeled + Class A
	-	3 lanes of Class A
Permissible Compressive stress in Concrete	-	850 t/m ²
Permissible Tensile stress in Steel	-	20400 t/m ²
Modular ratio, m	-	10
factor, k	-	0.294
Lever arm factor, j	-	0.902
Moment of Resistance	-	113 t/m ²
Thickness of returnwall	-	0.5 m

COEFFICIENT OF ACTIVE EARTH PRESSURE

AS PER COULOMB'S THEORY, COEFFICIENT OF ACTIVE EARTH PRESSURE IS

$$K_a = \frac{\sin^2(\alpha + \phi)}{\sin^2 \alpha \cdot \sin(\alpha - \delta)} \left[1 + \sqrt{\frac{\sin(\alpha + \phi) \cdot \sin(\phi - \iota)}{\sin(\alpha - \delta) \cdot \sin(\phi + \iota)}} \right]^2$$

WHERE

 ϕ = ANGLE OF INTERNAL FRICTION OF EARTH α = ANGLE OF INCLINATION OF BACK OF WALL δ = ANGLE OF INTERNAL FRICTION BETWEEN WALL & EARTH ι = ANGLE OF INCLINATION OF BACKFILL

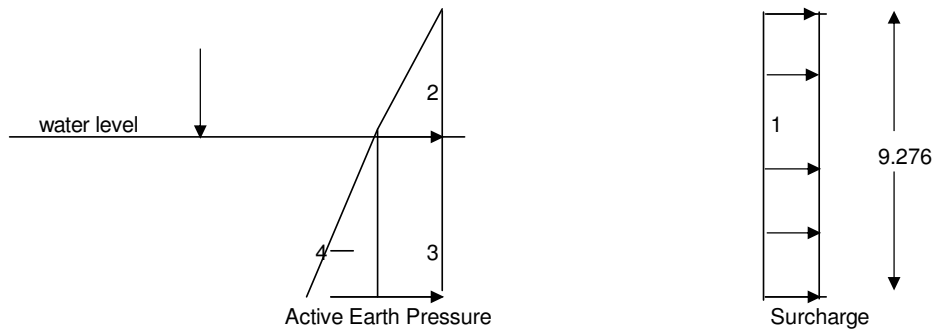
HERE	ϕ =	30 °	=	0.524 Radian
	α =	90 °	=	1.571 Radian
	δ =	20 °	=	0.349 Radian
	ι =	0 °	=	0 Radian

$$K_a = 0.2973$$

Therefore, Horizontal coefficient of Active earth pressure = $K_a \cos \phi = K_{ha} = 0.2794$

HEIGHT OF ABUTMENT

Total height of abutment = Formation Level - Founding Level = 9.276 m
 For DESIGN purpose, the height of abutment is considered as, say, = **9.280 m**

CALCULATION OF ACTIVE EARTH PRESSURE**DRY. condition****a) Service Condition**

Element No.	Component	Area factor	Height (m)	Pressure (t/m ²)	Force (t)	C.G. from base (m)	Moment (tm)
1	LL Surcharge	1.0	1.200	0.67	74.64	4.638	346.17
2	Dry Earth	0.5	9.276	4.66	259.62	3.896	1011.48
3		1.0	0.000	4.66	0.00	0.000	0.00
4	SubmgEarth	0.5	0.000	0.00	0.00	0.000	0.00
TOTAL					334.26		1357.64

b) Span Dislodge Condition

Net force = 334.26 - 74.64 = **259.62 t**
 Net moment = 1357.64 - 346.17 = **1011.48 tm**

H.F.L. condition**a) Service Condition**

Element no.	Component	Area factor	Height (m)	Pressure (t/m ²)	Force (t)	C.G. from base (m)	Moment (tm)
1	LL Surcharge	1.0	1.200	0.67	74.64	4.638	346.17
2	Dry Earth	0.5	2.430	1.36	19.80	7.867	155.73
3		1.0	6.846	1.36	111.55	3.423	381.82
4	SubmgEarth	0.5	6.846	1.91	78.56	2.282	179.28
TOTAL					284.54		1063.01

b) Span Dislodge Condition

Net force = 284.54 - 74.64 = **209.91 t**
 Net moment = 1063.01 - 346.17 = **716.84 tm**

Forces & moments due to Abutment (Concrete) components**DRY Case :**

Element No.	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m ³)	Weight (t)	C.G.from toe (m)	Moment about toe
1	Toe Slab	1.0	2.000	12.00	0.500	2.40	28.80	1.000	28.80
2		0.5	2.000	12.00	0.700	2.40	20.16	1.333	26.88
3	Heel Slab	1.0	3.400	12.00	0.500	2.40	48.96	4.900	239.90
4		0.5	3.400	12.00	0.700	2.40	34.27	4.333	148.51
5	Stem Wall	1.0	1.200	12.00	7.220	2.40	249.52	2.600	648.76
6		0.5	0.000	12.00	7.220	2.40	0.00	2.000	0.00
7	stem rect	1.0	1.200	12.00	1.200	2.40	41.47	2.600	107.83
10	Cap	1.0	1.200	12.00	0.300	2.40	10.37	2.600	26.96
11	Dirt Wall	1.0	0.300	12.00	1.406	2.40	12.15	3.050	37.05
8	Retutnwall	0.5	3.400	1.00	0.700	2.40	2.86	5.467	15.61
8a		1.0	3.400	1.00	8.776	2.40	71.61	4.900	350.90
TOTAL							520.17		1631.20

H.F.L. Case :

Element No.	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m³)	Weight (t)	C.G.from toe (m)	Moment ,@ Toe
1	Toe Slab	1.0	2.000	12.00	0.500	1.40	16.80	1.000	16.80
2		0.5	2.000	12.00	0.700	1.40	11.76	1.333	15.68
3	Heel Slab	1.0	3.400	12.00	0.500	1.40	28.56	4.900	139.94
4		0.5	3.400	12.00	0.700	1.40	19.99	4.333	86.63
5	Stem Wall	1.0	1.200	12.00	5.646	1.40	113.82	2.600	295.94
6		0.5	0.000	12.00	5.646	1.40	0.00	2.000	0.00
5	Stem Wall	1.0	1.200	12.00	0.374	2.40	12.93	2.600	33.61
6		0.5	0.000	12.00	0.374	2.40	0.00	2.000	0.00
7	stem rect	1.0	1.200	12.00	1.200	1.40	24.19	2.600	62.90
10	Cap	1.0	1.200	12.00	0.30	2.40	10.37	2.600	26.96
11	Dirt Wall	1.0	0.300	12.00	1.41	2.40	12.15	3.050	37.05
8	Returnwall	0.5	3.400	1.00	0.70	1.40	1.67	5.467	9.11
8c		1.0	3.400	1.00	5.65	1.40	26.87	4.900	131.69
8d		1.0	3.400	1.00	2.43	2.40	19.83	4.900	97.16
TOTAL							298.94		953.47

Forces & moments due to Earth and LL surcharge**DRY Case :** Self weight of Earth

Element No	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m³)	Weight (t)	C.G.from toe (m)	Moment @ Toe
8	DRY EARTH	0.5	3.400	11.00	0.700	1.8	23.56	5.467	128.81
8a		1.0	3.400	11.00	8.076	1.800	543.68	4.900	2664.01
TOTAL							567.24		2792.82

H.F.L Case :

Element No	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m ³)	Weight (t)	C.G.from toe (m)	Moment @ Toe
8	SATURATED SOIL	0.5	3.400	11.000	0.7	1.000	13.09	5.467	71.56
8c		1.0	3.400	11.000	5.646	1.000	211.16	4.9	1034.69
8d	DRY	1.0	3.400	11.000	2.43	1.800	163.59	4.900	801.58
TOTAL							387.84		1907.82

L.L.SURCHARGE

Element No	Component	Area Factor	Length	Width	Height	Density	Weight	C.G.from toe	Moment @ Toe
12	DRY EARTH	0.00	3.400	11.00	1.20	1.80	0.00	4.900	0.00

SUMMARY OF FORCES AND MOMENTS:

LOAD CASE	Case. L.W.L.		Case. H.F.L.	
	Service Cond.	Span dislodged	Service Cond.	Span dislodged
Vertical load from superstructure including LL	211.04	0.00	211.04	0.00
Vertical load from substructure (b)	1087.41	1087.41	686.78	686.78
Total Vertical Load V = (a) + (b)	1298.45	1087.41	897.81	686.78
Total Horizontal Force H =	350.26	259.62	300.54	209.91
Moment @ toe due to (a)	548.69	0.00	548.69	0.00
Moment @ toe due to (b)	4424.02	4424.02	2861.29	2861.29
Total Moment @ toe (M)	4972.72	4424.02	3409.98	2861.29
Dist. of C.G. of V from toe Z = M/V	3.830	4.07	3.80	4.17
eccentricity (e = Z - b/2)	0.530	0.768	0.498	0.866
Relieving Moment @ c/l base (M1)	687.85	835.57	447.20	594.93
overturning moment due to				
Horz. braking force	130.72	0.00	130.72	0.00
Earth Pressure	1357.64	1011.48	1063.01	716.84
Total overturning Moment (M2)	1488.36	1011.48	1193.73	716.84
Net moment (M2-M1) = M_L	800.52	175.91	746.53	121.91
Factor of Safety				
Against overturning (M / M2)	3.34	4.37	2.86	3.99
Against sliding ($\mu \times V / H$)	2.595	2.932	2.091	2.290

Safe against overturning

Safe against sliding

I.R.C 78-2000:cl

706.3.4

$$\text{Area of base (A)} = 6.600 \times 12.00 = 79.20 \text{ m}^2$$

$$Z_L = 87.12 \text{ m}^3$$

$$Z_T = 158.40 \text{ m}^3$$

CHECK FOR BASE PRESSURE:

Base Pressure	LWL CASE		HFL CASE	
	Service Cond.	Span dislodged	Service Cond.	Span dislodged
P/A	16.39	13.73	11.34	8.67
M_L/Z_L	9.19	2.02	8.57	1.40
M_T/Z_T	1.04	0.00	1.04	0.00
(A) $(P/A + M_L/Z_L + M_T/Z_T)$	26.62	15.75	20.95	10.07
(B) $(P/A + M_L/Z_L - M_T/Z_T)$	24.54	15.75	18.86	10.07
(C) $(P/A - M_L/Z_L + M_T/Z_T)$	8.25	11.71	3.81	7.27
(D) $(P/A - M_L/Z_L - M_T/Z_T)$	6.165	11.71	1.73	7.27

STEM WALL

(C) ← (A)

Earth Face ← Other Face

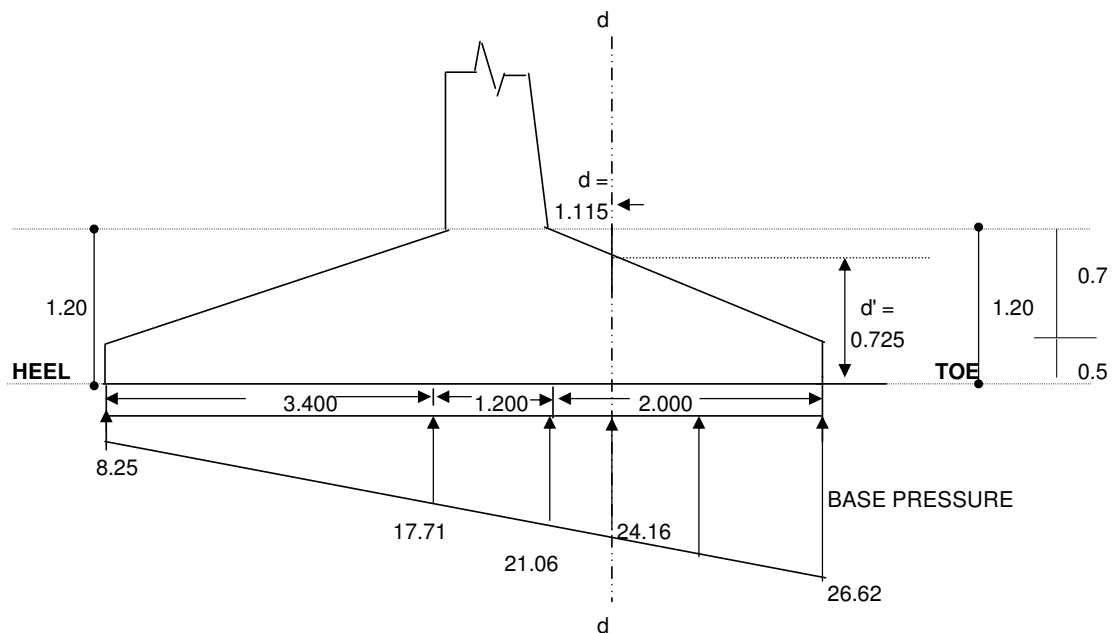
HEEL ← TOE

(D) ← (B)

BASE SLAB

$$\begin{aligned} \text{Max. Base Pressure} &= 26.62 \text{ t/m}^2 < 86.53 \text{ Hence O.K.} \\ \text{Min. Base Pressure} &= 1.73 \text{ t/m}^2 > 0 \text{ Hence O.K.} \end{aligned}$$

DESIGN OF TOE SLAB



BENDING MOMENT AT FACE OF STEM

Loadings	Element	Area fact.	force	L.A.	Moment
Downward Loads	1	1.0	2.400	1.000	2.400
	2	0.5	1.680	0.667	1.120
Upward Base pressure	Rect.	1.0	-42.111	1.000	-42.111
	Trian.	0.5	-5.569	1.333	-7.425
TOTAL			-43.600		-46.016

Bending Moment at face of stem 46.016 tm/m

Effective depth required 0.639 m

Effective depth provided at face of stem 1.115 m

Area of Reinforcement required 2243 mm²

Minimum steel required 1673 mm² I.R.C 78-2000 Clause:707.2.7

Distribution steel 669 mm²/m

mainsteel 2243 mm² 12 ϕ , @ 150 C/C
753.9822

Hence provide , 25 ϕ , @ 175 C/C
0 ϕ , @ 175 C/C

There is no tension below foundation, hence foundation will not have negative moment at top. However in reference to clause 707.2.8 of IRC: 78-2000, the requirement of reinforcement at top is follows.

Minimum steel reinforcement as per above clause 250 mm²/m
provide 12 ϕ , @ 150 C/C
753.9822

Check for Shear**SHEAR FORCE AT "d" FROM FACE OF STEM**

Loadings	Element	Area fact.	force	L.A.	Moment
Downward loads	1	1.0	1.062	0.443	0.470
	2	0.5	0.743	0.295	0.219
Upward base pressure	Rect.	1.0	-21.382	0.443	-9.461
	Trian.	0.5	-1.090	0.590	-0.643
TOTAL			-20.667		-9.416

Effective depth (d') at distance d 0.725 m

Shear force at critical section 20.7 t

Bending Moment at critical section 9.42 tm

$\tan \beta = 0.36$

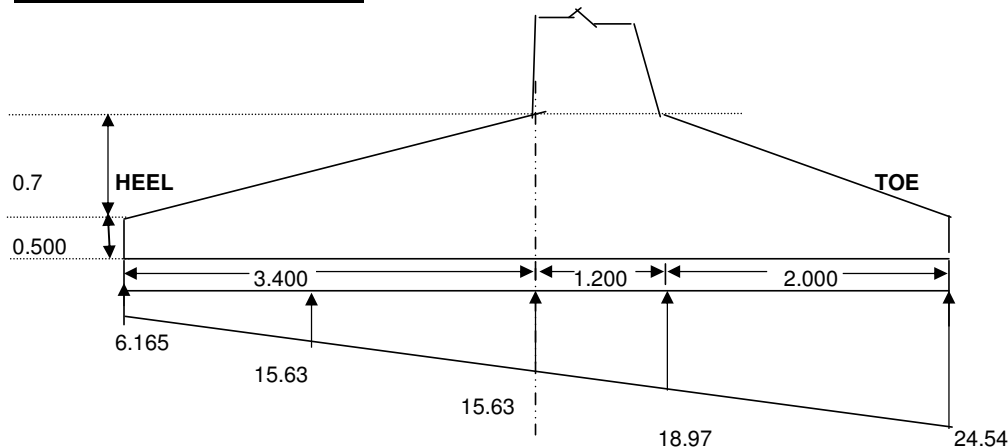
Net shear force $S-M*\tan\beta/d'$ 15.96 t

Hence, Shear stress 22.02 t/m²

% of reinforcement 0.39

Permissible shear stress 27.92 t/m² Hence O.K.

DESIGN OF HEEL SLAB



BENDING MOMENT AND SHEAR FORCE AT FACE OF STEM

Loadings	Element	Area fact.	force	L.A.	moment
Downward Loads.	3	1	4.080	1.700	6.936
	4	0.5	2.856	1.133	3.237
	8	0.5	4.284	2.267	9.710
	8a	1	49.425	1.700	84.023
		0.5	4.284	2.267	4.855
Upward base pressure	1	6.206	1.700	10.550	
	Rect.	1	-20.960	1.700	-35.631
	Trian.	0.5	-16.094	1.133	-18.240
TOTAL			34.081		65.439

Bending Moment at face of stem 65.439 tm

Effective depth required 0.762 m

Effective depth provided at face of stem 1.115 m

Area of Reinforcement required 3191.65 mm²

Minimum steel 1672.50 mm² I.R.C 78-2000 Clause:707.2.7

Distribution steel 669.00 mm²/m

mainsteel 3191.65 mm²

Hence provide , 25 ϕ , @ 150 C/C 12 ϕ , @ 150 C/C 753.9822

0 ϕ , @ 150 C/C

There is no tension below foundation, hence foundation will not have negative moment at top. However in reference to clause 707.2.8 of IRC: 78-2000, the requirement of reinforcement at top is follows.

Minimum steel reinforcement as per above clause 250 mm²/m

provide 12 ϕ , @ 150 C/C 753.9822

Check for Shear

(Critical section at face of stem)

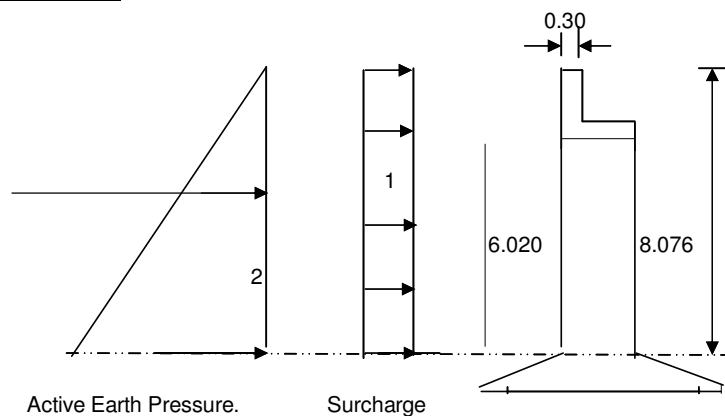
Shear force at face of stem 34.08 t

 $\tan \beta$ 0.206

Bending moment at face of stem 65.439 tm

Net shear force $S - M \cdot \tan \beta / d$ 22.00 tHence, Shear stress 19.73 t/m²

% of reinforcement 0.29

Permissible shear stress 24.63 t/m² **Hence O.K.****DESIGN OF STEM WALL****SUMMARY OF FORCES AND MOMENTS IN ABUTMENT SHAFT**

R.L. OF SECTION = 227.024 m

DRY Condition**a) Service Condition**

Element No.	Area factor	Height of E.P. diagram	Earth Pressure	Force	L.A.	Moment tm
1	1	7.726	0.603	55.9	3.863	216.13
2	0.5	7.726	3.885	180.1	3.245	584.44
HORIZONTAL FORCE				16.00	6.620	105.92
TOTAL				252.06		906.488

Total Vertical Load = Stem + dirt wall + cap + Load from superstructure
 = 208.051 + 12.15 + 10.37 + 211.04
 = 441.604 t
 Longitudinal Moment = 906.488 t-m
 Transverse Moment = 164.933 t-m

b) Span Dislodged Condition

Total Vertical Load	=	Stem + dirt wall + cap + Load from superstructure					
	=	208.051	+	12.15	+	10.37	+ 0.00
	=	230.567	t				
Longitudinal Moment	=	800.568	t-m				
Transverse Moment	=	0.000	t-m				

H.F.L. Condition**a) Service Condition**

Element no.	Component	Area factor	Height (m)	Pressure (t/m ²)	Force (t)	C.G. from base (m)	Moment (tm)
1	LL Surcharge	1.0	1.200	0.603	55.95	3.863	216.13
2	Dry Earth	0.5	2.024	1.13	13.73	6.321	86.81
3		1.0	5.646	1.13	76.62	2.823	216.31
4	SubmgEarth	0.5	5.646	1.58	53.44	1.882	100.57
TOTAL					199.74		619.815

Total Vertical Load	=	Stem + dirt wall + cap + Load from superstructure					
	=	126.749	+	12.15	+	10.37	+ 211.04
	=	360.301	t				
Longitudinal Moment	=	725.735	t-m				
Transverse Moment	=	164.933	t-m				

b) Span Dislodged Condition

Total Vertical Load	=	Stem + dirt wall + cap + Load from superstructure					
	=	126.749	+	12.15	+	10.37	+ 0.00
	=	149.265	t				
Longitudinal Moment	=	619.815	t-m				
Transverse Moment	=	0.000	t-m				

Cross Sectional area 1.2 m²

For horizontal reinforcement area of steel required for the stem at the section/metre = 173.9186 mm²

Providing 12 ,@ 650.29 c/c say, 150 C/C as horizontal reinforcement

Movement of Deck:

$$\begin{aligned} \text{Total Length of Bridge} &= 14.6 \text{ m} \\ &= 0.0005 \times 7300 = 3.65 \text{ mm} \end{aligned}$$

Longitudinal Force :

$$\text{Size of bearing} = 500 \times 250 \times 50 \text{ mm}$$

$$\text{Strain in bearing} = \frac{3.650}{50} = 0.073$$

$$\text{Shear modulus} = 1.0 \text{ Mpa}$$

$$\begin{aligned} \text{Shear force per Bearing} &= 0.073 \times 1.0 \times 500 \times 250 = 9125 \text{ N} \\ &= 0.930 \text{ t} \end{aligned}$$

$$\begin{aligned} \text{Total shear force for 4 bearings (with 5 \% increase)} \\ &= 0.930 \times 4 \times 1.05 = 3.907 \text{ t} \end{aligned}$$

Refer IRC : 6 clause 214.5.1.5;

10 \% increase for variation in movement of span

$$\text{Total shear force} = 1.1 \times 3.907 = 4.297 \text{ t}$$

As per clause 214.2 of IRC:6, horizontal braking force F_h , for each span is:

$$\text{For Class A Single lane} : F_h = [0.2 \times 50] = 10.000 \text{ t}$$

$$\text{For class 70R wheeled} : F_h = [0.2 \times 100] = 20.000 \text{ t}$$

$$\text{For class A 3 lane} \quad F_h = 0.2 \times 50 + 0.05 \times 50 = 12.5 \text{ t}$$

$$\begin{aligned} \text{For class 70R wheeled +class A 1 lane} \\ F_h = 0.2 \times 100 + 0.05 \times 50 = 22.5 \text{ t} \end{aligned}$$

For class A 3 lane

$$\text{Longitudinal horizontal force} = \frac{12.500}{2} + 4.297 = 10.55 \text{ t Say, } 11.0 \text{ t}$$

For class 70R wheeled +class A 1 lane

$$\text{Longitudinal horizontal force} = \frac{22.500}{2} + 4.297 = 15.5 \text{ t Say, } 16.0 \text{ t}$$

Span dislodged condition

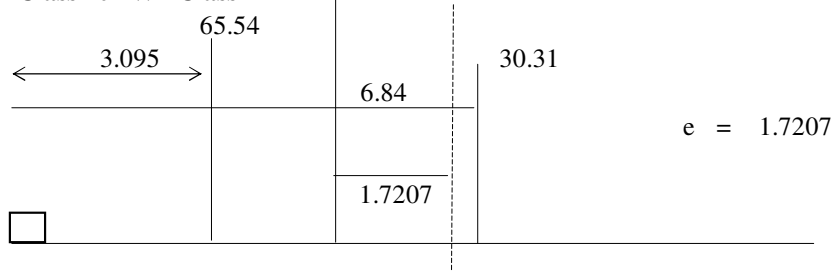
$$\text{Longitudinal horizontal force} = \frac{0.000}{2} + 4.297 = 4.297 \text{ t Say, } 5.0 \text{ t}$$

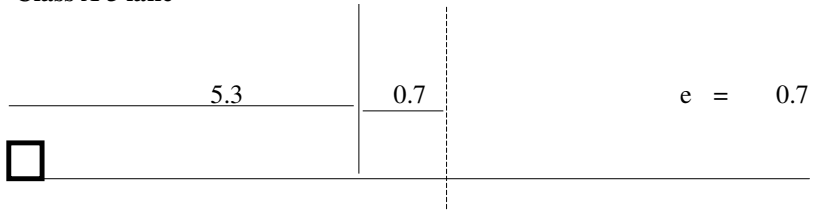
Summary of Longitudinal Forces :

Load Case	Longitudinal horizontal force (t)
Class A 3 lane	11.00
70R+class A 1lane	16.00
Span dislodged condition	0.00

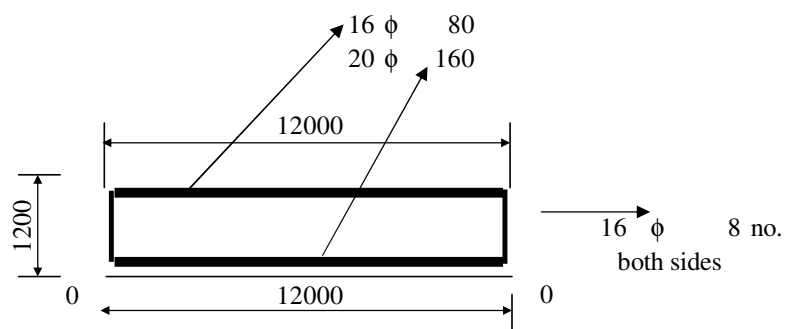
Transverse eccentricity

Class 70RW+ Class A



Class A 3 lane**Summary of Dead load & Live loads from Superstructure. (STAAD Pro)**

	P	M _L	M _T
Dead Load Reaction:			
	90.73	t	
SIDL			
	24.46	t	
L.L			
70R + Class A	95.85	t	164.93
Class A 3 Lane	90.93	t	63.65
	211.04		164.93



PLAN : ABUTMENT SHAFT

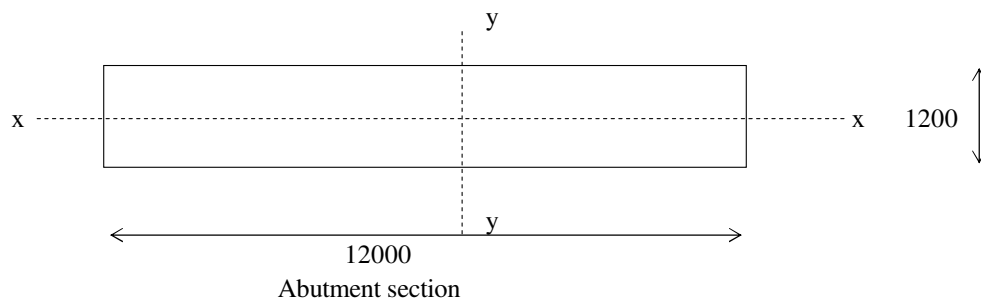
$$\% \text{ Reinforcement provided} = 69567.428 \text{ mm}^2$$

Summary of Loads at Abutment Shaft bottom :

1 DRY condition	P	M _L	M _T
With L.L	0.00	0.00	0.00

Check for Cracked/Un-cracked Section

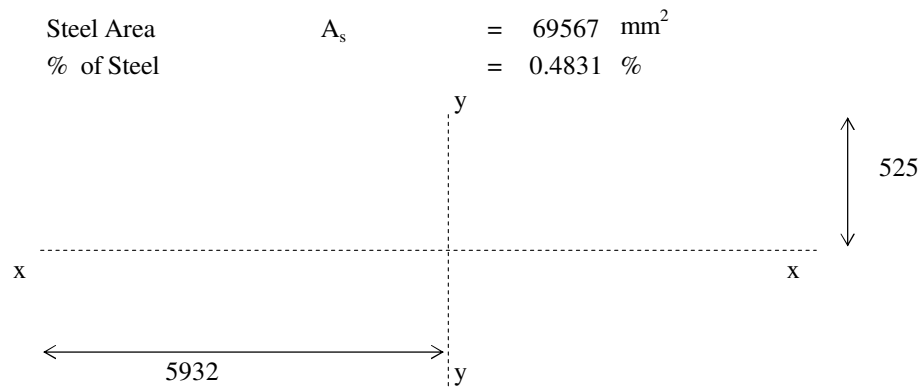
Length of section	=	12000	mm
Width of section	=	1200	mm
Gross Area of section	A _g	=	14400000 mm ²
Gross M.O.I of section	I _{gxx}	=	1.728E+12 mm ⁴
Gross M.O.I of section	I _{gyy}	=	1.728E+14 mm ⁴



Transformed sectional properties of section:

Adopting

Modular ratio	m	=	10
Cover			70
			68
Dia of Bars		=	20
No of bars in tension face (longer)		=	160
No of bars in compression face		=	80
No of bars in shorter direction		=	8
Total bars in section		=	256



$$\begin{aligned}
 A_{sx} &= 50265 \text{ mm}^2 \\
 A_{sy} &= 1608.5 \text{ mm}^2 \\
 \text{Area of concrete } A_c = A_g - A_s &= 14330433 \text{ mm}^2 \\
 \text{C.G of Steel placed on longer face} &= 530 \text{ mm} \\
 \text{C.G of Steel placed on shorter face} &= 5932 \text{ mm} \\
 \text{Transformed Area of Section } A_{tfm} &= 15026107 \text{ mm}^2 \\
 \text{Transformed M.I}_{txx} = I_{gxx} + 2 \left[m - 1 \right] A_s a x^2 &= 1.98215\text{E}+12 \text{ mm}^4 \\
 Z_{xx} = \frac{M.I_{txx}}{d/2} &= 3.304\text{E}+09 \text{ mm}^3 \\
 \text{Transformed M.I}_{tyy} = I_{gyy} + 2 \left[m - 1 \right] A_s a y^2 &= 1.73819\text{E}+14 \text{ mm}^4 \\
 Z_{yy} = \frac{M.I_{tyy}}{d/2} &= 2.897\text{E}+10 \text{ mm}^3
 \end{aligned}$$

Permissible stresses

$$\begin{aligned}
 \text{Minimum Gross Moment of inertia } I_{min} &= 1.728\text{E}+12 \text{ mm}^4 \\
 \text{Area of section} &= 14400000 \text{ mm}^2 \\
 r &= 346.41016 \text{ mm} \\
 \text{Effective length of Abutment shaft} & \quad (\text{IRC:21-2000 cl: 306.2.1})
 \end{aligned}$$

$$\begin{aligned}
 \text{Abutment shaft height } L &= 9.426 \text{ m} \\
 \text{Effective length } L_{eff} &= 11.311 \text{ m} \\
 \text{Slenderness ratio} &= 32.653 < 50 \\
 \text{Type of member} &= 1
 \end{aligned}$$

$$\begin{aligned}
 \text{Stress reduction coefficient} & \quad (\text{IRC:21-2000 cl: 306.4.2,3}) \\
 \beta &= 1
 \end{aligned}$$

1 Short Column
2 Long Column

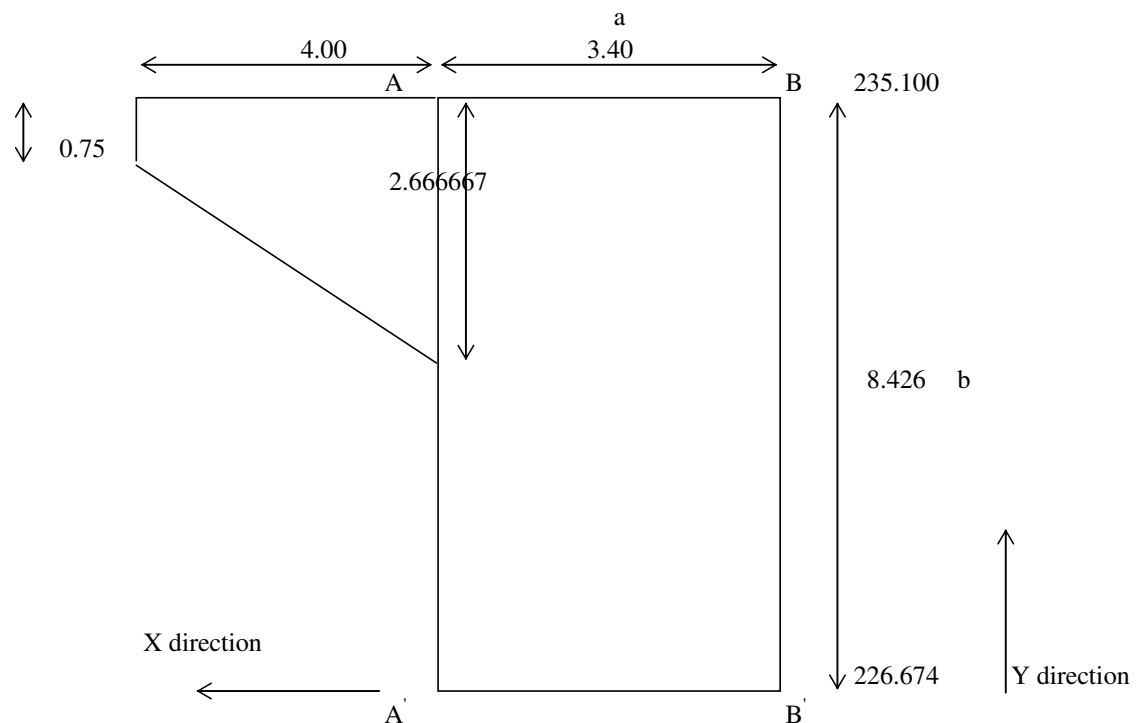
Permissible stresses : concrete

$$\begin{aligned}
 \sigma_{cbc} &= 8.3333 \text{ N/mm}^2 \\
 \sigma_{co} &= 6.25 \text{ N/mm}^2 \\
 \text{Tensile stress} &= 0.61 \text{ N/mm}^2
 \end{aligned}$$

Permissible stresses : Steel

$$\sigma_{st} = 200 \text{ N/mm}^2$$

S.No	Item	DRY Case
Loads and Moments		With L.L
1	P	441.60 t
2	M _L	906.49 t-m
3	M _T	164.93 t-m
Actual(calculated) Stresses		
4	$\sigma_{co,cal} = P/A_{tfm}$	0.293890878
5	$\sigma_{cbc,cal} = M_L/Z_{xx}$	2.743949739
6	$\sigma_{cbc,cal} = M_T/Z_{yy}$	0.056932836
7	$\sigma_{cbc,cal} = 5 + 6$	2.800882575
Permissible Stresses		
8	σ_{cbc}	8.3333333
9	σ_{co}	6.25
Check for Minimum steel area mm²		
10	Conc.Area Required for directstress	
	(1)/(9)	706565.72
11	0.8% of area required	5652.5257
12	0.3% of A _g	43200
13	Governing steel mm ²	43200
14	Provided Steel area mm ²	69567.428
Check for safety of section		
$\frac{\sigma_{co,cal}}{\sigma_{co}} + \frac{\sigma_{cbc,cal}}{\sigma_{cbc}}$		0.3831284 < 1
Check for Cracked /Uncracked section		
$\sigma_{co,cal} - \sigma_{cbc,cal}$		-2.506992
Permissible Basic tensile stress in concrete		-0.61
Section to be designed as		Cracked



Width of Solid return wall (a)	=	3.40
Width of Cantilever return wall	=	4.00
Avg Height of Solid return wall (b)	=	8.426
Height of Cantilever return at Tip	=	0.75
Height of Cantilever return at Root	=	2.666667
Thickness of Solid Return at farther end	=	0.5
Thickness of Solid Return at Root	=	0.5
Thickness of Solid Return at bottom	=	0.5
Thickness of Solid Return at top	=	0.5
Thickness of Cantilever return	=	0.5
Unit wt of Soil	=	1.8 t/m^3
Grade of concrete	=	M 30
σ_{cbc}	=	1020 t/m^2
m	=	10
σ_{st}	=	20400 t/m^2
k	=	0.333333
j	=	0.888889
R	=	151.1111 t/m^2

Case (1) For uniformly distributed load over entire plate

a/b	=	0.4035129	For a/b	=	0.375	β_1	=	0.353	β_2	=	0.398
			For a/b	=	0.5	β_1	=	0.631	β_2	=	0.632
a/b	=	0.4035129	β_1	=	0.416413						
			β_2	=	0.451376						

Live Load Surcharge:

$$q = 0.2794 \times 1.8 \times 1.2 = 0.603504 \text{ t/m}^2$$

$$\sigma_{bmax} = \frac{\beta_1 \times q \times b^2}{t^2}$$

$$\sigma_{amax} = \frac{\beta_2 \times q \times b^2}{t^2}$$

$$\sigma_{bmax} = \frac{0.4164128 \times 0.603504 \times 71.00}{0.25} = 71.36859 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3 = 0.041667 \text{ m}^3$$

Hence Moment /m width along Y direction

$$M_Y \text{ /m width} = 71.368586 \times 0.041667 = 2.973691 \text{ t-m/m}$$

$$\sigma_{amax} = \frac{0.4513762 \times 0.603504 \times 71.00}{0.25} = 77.36094 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3 = 0.041667 \text{ m}^3$$

Hence Moment /m width along X direction

$$M_X \text{ /m width} = 77.360938 \times 0.041667 = 3.223372 \text{ t-m/m}$$

Case (2) For Triangular loading due to earth pressure

$$\begin{array}{llll} a/b = 0.4035129 & \text{For } a/b = 0.375 & \beta_1 = 0.212 & \beta_2 = 0.148 \\ & \text{For } a/b = 0.5 & \beta_1 = 0.328 & \beta_2 = 0.200 \end{array}$$

$$\begin{array}{ll} a/b = 0.4035129 & \beta_1 = 0.23846 \\ & \beta_2 = 0.159861 \end{array}$$

Earth pressure:

$$q = 0.2794 \times 1.8 \times 8.426 = 4.237604 \text{ t/m}^2$$

$$\sigma_{bmax} = \frac{\beta_1 \times q \times b^2}{t^2}$$

$$\sigma_{amax} = \frac{\beta_2 \times q \times b^2}{t^2}$$

$$\sigma_{bmax} = \frac{0.23846 \times 4.237604 \times 71.00}{0.25} = 286.9715 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3 = 0.041667 \text{ m}^3$$

Hence Moment /m width along Y direction

$$M_Y / \text{m width} = 286.97153 \times 0.041667 = \mathbf{11.95715 \text{ t-m/m}}$$

$$\sigma_{\text{amax}} = \frac{0.1598614 \times 4.237604 \times 71.00}{0.25} = 192.3831 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3$$

$$= 0.041667 \text{ m}^3$$

Hence Moment /m width along X direction

$$M_X / \text{m width} = 192.38306 \times 0.041667 = \mathbf{8.015961 \text{ t-m/m}}$$

Total Moment in Solid Return /m height = **11.23933 t-m/m**
Along X-direction

Total Moment in Solid Return /m width = **14.93084 t-m/m**
Along Y-direction

Moment due to Cantilever Return:

Moment due to earth pressure at face A - A'

$$M = 0.2794 \times 1.2 \times 1.8 \times 0.75 \times 4.00 \times 2.00$$

$$+ 0.5 \times 0.2794 \times 1.8 \times 0.5625 \times 4.00 \times 2.00$$

$$+ 0.5 \times 0.2794 \times 1.8 \times 0.444444 \times X^2 \times dx \times \left[4.00 - X \right]$$

$$+ 0.2794 \times 1.8 \times 1.95 \times 0.666667 \times X \times dx \times \left[4.00 - X \right]$$

$$= 3.621024 + 1.13157 + 0.11176 \times 21.33333 + 0.653796 \times 10.6667$$

$$= \mathbf{14.11063 \text{ t-m}}$$

Design of cantilever Return:

Assuming 50 mm cover and 12 mm dia bars.

Effective depth available = $500 - 50 - 20 - 6 = 424 \text{ mm}$

$$M = R \times b \times d^2$$

$$= 151.1111 \times 2.666667 \times 0.179776 = 72.4431 \text{ t-m}$$

$$A_{st} = \frac{14.11063 \times 10^6}{20400 \times 0.888889 \times 0.424} = 1835.28 \text{ mm}^2$$

$$A_{st}/\text{m} = 688.231 \text{ mm}^2/\text{m}$$

Provide 12 mm dia @ 150 mm c/c providing 753.9822 mm² on earth face.

Provide 12 mm dia @ 180 mm c/c providing 628.3185 mm² on other face.

Along Horizontal direction.

Design of Solid Return:**Moment due to Cantilever Return:***Moment due to Earth pressure at face B-B'*

$$\begin{aligned}
 M &= 0.2794 \times 1.2 \times 1.8 \times 0.75 \times 4.00 \times 5.40 \\
 &+ 0.5 \times 0.2794 \times 1.8 \times 0.5625 \times 4.00 \times 5.40 \\
 &+ 0.5 \times 0.2794 \times 1.8 \times 0.444444 \times X^2 \times dx \times \left[7.40 - X \right] \\
 &+ 0.2794 \times 1.8 \times 1.95 \times 0.666667 \times X \times dx \times \left[7.40 - X \right] \\
 \\
 &= 9.776765 + 3.055239 + 0.11176 \times 93.86667 + 0.653796 \times 37.8667 \\
 \\
 &= \mathbf{48.07962 \text{ t-m}}
 \end{aligned}$$

$$\text{Moment in Solid Return /m height} = 11.23933 + \frac{48.07962}{8.426} = 16.9454 \text{ t-m/m}$$

$$\text{Moment in Solid Return /m width} = 14.9308 \text{ t-m/m}$$

Design of face B-B'

$$\text{Moment in Solid Return /m height} = \mathbf{16.9454 \text{ t-m/m}}$$

$$\begin{aligned} \text{Assuming } 50 \text{ mm cover and } 20 \text{ mm dia bars.} \\ \text{Effective depth available} &= 500 - 50 - 20 - 10 = 420 \text{ mm} \end{aligned}$$

$$\begin{aligned}
 M &= R \times b \times d^2 \\
 &= 151.1111 \times 1 \times 0.1764 = 26.656 \text{ t-m}
 \end{aligned}$$

$$A_{st} = \frac{16.94544 \times 10^6}{20400 \times 0.888889 \times 0.42} = 2224.98 \text{ mm}^2$$

$$A_{st}/m = 2224.98 \text{ mm}^2/m$$

Provide 20 mm dia @ 150 mm c/c providing 2094.395 mm² on earth face.

Provide 12 mm dia @ 150 mm c/c providing 753.9822 mm² on other face.

Along Horizontal direction.**Design of face A'-B'**

$$\text{Moment in Solid Return /m width} = \mathbf{14.9308 \text{ t-m/m}}$$

$$\begin{aligned} \text{Assuming } 50 \text{ mm cover and } 20 \text{ mm dia bars.} \\ \text{Effective depth available} &= 500 - 50 - 0 - 10 = 440 \text{ mm} \end{aligned}$$

$$\begin{aligned}
 M &= R \times b \times d^2 \\
 &= 151.1111 \times 1 \times 0.1936 = 29.2551 \text{ t-m}
 \end{aligned}$$

$$A_{st} = \frac{14.93084 \times 10^6}{20400 \times 0.888889 \times 0.44} = 1871.35 \text{ mm}^2$$

$$A_{st}/m = 1871.35 \text{ mm}^2/m$$

Provide 20 mm dia @ 160 mm c/c providing 1963.495 mm² on earth face.

Provide 12 mm dia @ 160 mm c/c providing 706.8583 mm² on other face.

Along Vertical direction.

1. DESIGN FOR FORCES IN LONGITUDINAL DIRECTION

Active earth pressure	K_a	=	0.279384
FOR NORMAL CASE, FA		=	1.0
unit wt of soil	γ	=	1.8
	δ	=	20
clear span between return wall		=	11.000 m
width of return wall		=	0.5
Avg. cover to reinforcement. (FOR 2-3 LAYERS)		=	0.150 m
H (From formation level)	=	8.076 m	

DESIGN FOR BENDING MOMENT

S.NO.	UNITS	1
H (FROM TOP)	m	8.076
WIDTH OF RETURN AT THIS LEVEL	m	3.400
FORCE DUE TO EARTH PRESSURE	t	92.464
MOMENT DUE TO EARTH PRESSURE	tm	313.631
FORCE DUE TO L.L. SURCHARGE	t	27.478
MOMENT DUE TO L.L. SURCHARGE	tm	110.957
TOTAL MOMENT	tm	424.588
DESIGN MOMENT	tm	424.588
REQUIRED EFFECTIVE DEPTH	m	2.650
EFF. DEPTH AVAILABLE	m	3.250
AREA OF STEEL REQUIRED	cm ²	72.036
DIAMETER OF BAR PROVIDED	mm	32
TOTAL NO. OF BARS	no.	12
AREA OF STEEL PROVIDED	cm ²	96.51
		O.K.
		34.0

CHECK FOR SHEAR STRESS

SHEAR FORCE	t	124.942
SHEAR STRESS	t/m ²	76.888
$A_{st}/bd \times 100$	%	0.443
PERMISSIBLE SHEAR STRESS	MPa	0.29
PERMISSIBLE SHEAR STRESS	t/m ²	29.77
A_{sv}/sv	cm ² /m	7.107
k_1	...	0.5
k_2	...	1.0
PERMISSIBLE SHEAR STRESS	t/m ²	

Design of Abutment Cap:

As the cap is fully supported on the abutment. Minimum thickness of the cap required as per cl: 710.8.2 of IRC:78-2000 is 200 mm.

$$\begin{aligned}
 \text{However the thickness of abutment cap is} &= 300 \text{ mm} \\
 \text{Assuming a cap thickness of} &= 300 \text{ mm} \\
 \text{Volume of Abutment cap} &= 0.3 \times 1.20 \times 12 \\
 &= 4.32 \text{ m}^3 \\
 \text{Quantity of steel} &= 1 \% \text{ of volume} \\
 &= \frac{1}{100} \times 4.32 \\
 &= 0.0432 \text{ m}^3 \\
 \text{Quantity of steel to be provided at top} &= 0.0216 \text{ m}^3 \\
 \text{Quantity of steel to be provided at bottom} &= 0.0216 \text{ m}^3
 \end{aligned}$$

Top & bottom face:

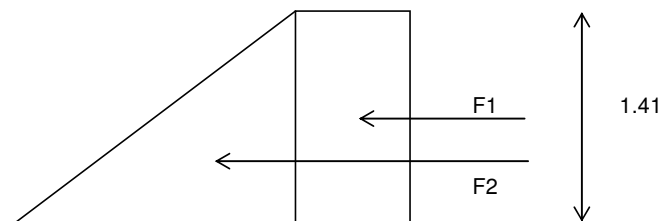
$$\begin{aligned}
 \text{Quantity of steel to be provided in Longitudinal dir} &= 0.0108 \text{ m}^3 \\
 \text{Assuming a clear cover of} &= 50 \text{ mm} \\
 \text{Length of bar } 12.00 - 0.100 &= 11.9 \text{ m} \\
 \text{Area of steel required in Longitudinal direction} &= \frac{0.0108}{11.9} = 907.563 \text{ mm}^2 \\
 \text{Provide } 9 \text{ nos of bars } 12 \text{ mm dia at top \& bottom face.} &= 1017.88 \text{ mm}^2
 \end{aligned}$$

Transverse steel:

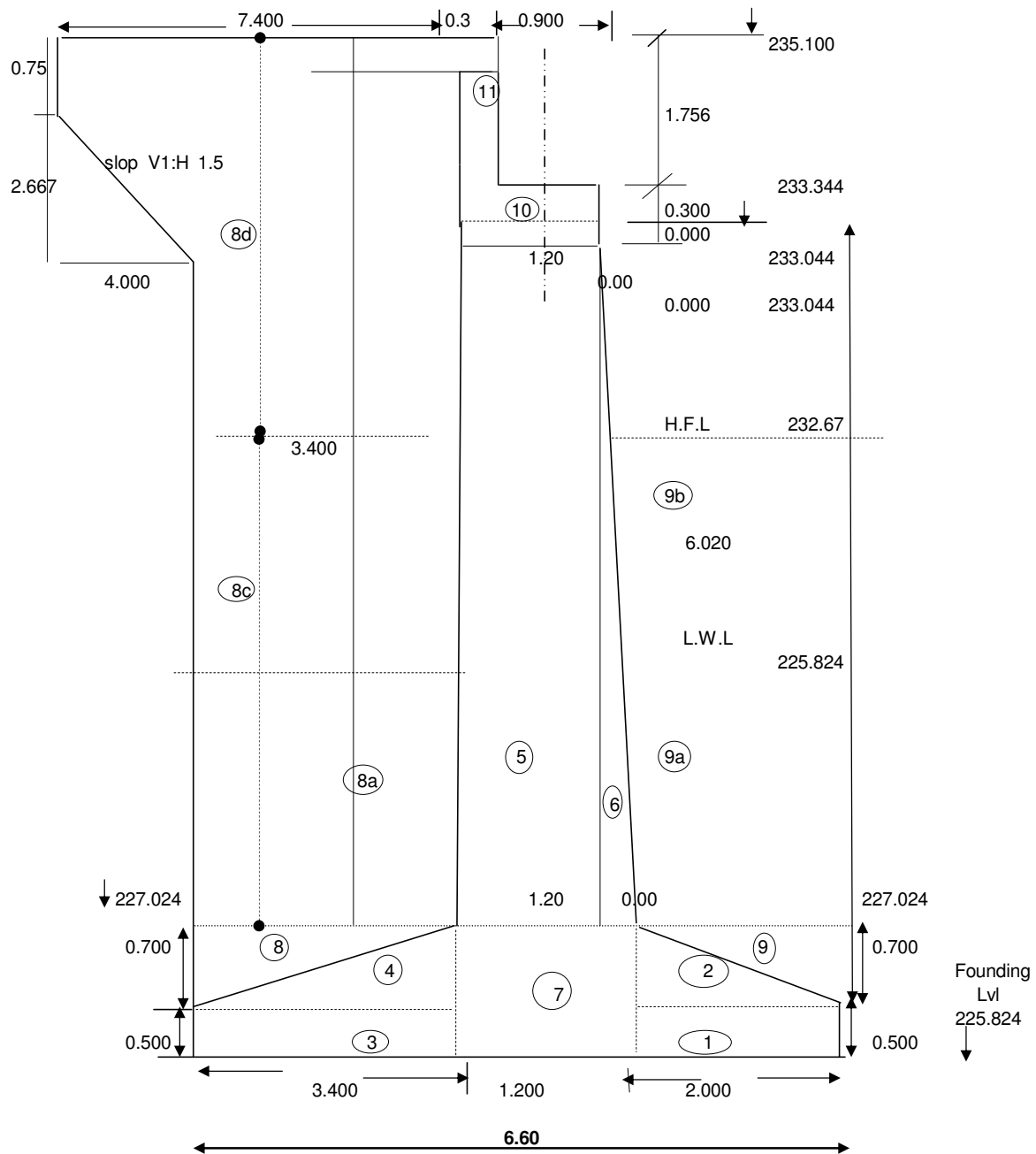
$$\begin{aligned}
 \text{Quantity of steel to be provided in Longitudinal dir} &= 0.0108 \text{ m}^3 \\
 \text{Assuming a clear cover of} &= 50 \text{ mm} \\
 \text{Assuming a dia of bar} &= 12 \text{ mm} \\
 \text{Length of bar } 1.20 - 0.100 &= 1.1 \text{ m} \\
 \text{Volume of each stirrup} &= 0.00012 \text{ m}^3 \\
 \text{no of stirrups required for m/length} &= 8 \text{ nos} \\
 \text{Required Spacing} &= \frac{1000}{8} \\
 &= 125 \text{ mm} \\
 \text{Provide } 12 \text{ mm dia bar } 125 \text{ mm c/c stirrups through in length of abutment cap.} &= 904.779 \text{ mm}^2
 \end{aligned}$$

Design of Dirt wall:

Dirt wall designed as a vertical cantilever.



Intensity for rectangular portion	=	0.2794	x	2.00	x	1.2	=	0.6706	t/m ²
F1	=	0.67056	x	12.00	x	1.41	=	11.31369	t
Intensity for triangular portion	=	0.2794	x	2.00	x	1.41	=	0.7857	t/m ²
F2	=	0.785673	x	12.00	x	1.41	=	6.627936	t
M1	=	11.31369	x	0.70			=	7.953523	t-m
M2	=	6.627936	x	0.59052			=	3.913929	t-m
M1+ M2	=						=	11.86745	t-m
Total moment at base of dirt wall /m length	=						=	0.988954	t-m/m
Thickness of dirtwall	=						=	0.3	m
Assuming a clear cover on either face	=						=	50	mm
Vertical steel on earth face:									
dia of steel bar	=						=	12	mm
Available effective depth	=	300	-	50	-	6	=	244	mm
effective depth req	=						=	$\frac{0.988954}{1.51 \times 1000}$	80.92815 mm
Ast req	=						=	$\frac{0.988954}{200 \times 0.889 \times 244}$	227.9579 mm ² /m
Minimum steel	=						=	$\frac{0.12}{100} \times 300 \times 1000$	360 mm ² /m
Provide 12 mm dia bar		200	mm c/c as vertical steel at earth face.						565.4867 mm ² /m
Distribution steel on earth face:									
dia of steel bar	=						=	12	mm
Available effective depth	=	300	-	50	-	12	=	238	mm
0.3M	=						=	0.296686	t-m/m
Ast req	=						=	$\frac{0.296686}{200 \times 0.889 \times 238}$	70.11142 mm ² /m
Minimum steel as per IRC:21-200 cl:305.10	=						=	250	mm ² /m
Governing steel at earth face	=						=	250	mm ² /m
Provide 10 mm dia bar		200	mm c/c as vertical steel at earth face.						392.6991 mm ² /m
Vertical steel on earth face									
As per IRC:21-200 cl:305.10 All faces provide minimum steel of	=						=	250	mm ² /m
Provide 10 mm dia bar 200 mm c/c as vertical steel at earth face.									392.6991 mm ² /m
Distribution steel:									
As per IRC:21-200 cl:305.10 All faces provide minimum steel of	=						=	250	mm ² /m
Provide 10 mm dia bar 200 mm c/c as vertical steel at earth face.									392.6991 mm ² /m



Wind Force Calculation

Span c/c of Abutment 14.60 m

Section details

Deck level at abutment		235.100 m
Wearing coat + Girder depth + Bearing thickness + Pedestal ht.		1.552 m
Abutment cap level		233.548 m
Foundation level adopted		225.900 m
Foundation top level		227.100
Average bed level		229.420 m
Height of dirt wall		1.552 m
Thickness of abutment cap		0.300 m
Ht. of abutment from foundation base to top of cap	233.548-225.900	7.648 m
Thickness of foundation slab at junction		1.200 m
Thickness of foundation slab at edge		0.500 m
Net ht. of abutment from top of fnd. slab to bottom of cap	7.648-1.200-0.300	6.148 m
Ht. of back fill from bottom of foundation	235.10-225.90	9.20 m
Surcharge height as per IRC:78-2000, clause 710.4.4		1.20 m
Thickness of dirt wall (as per clause 710.6.4 of IRC:78-2000)		0.300 m
Width of abutment cap	0.430+0.320+0.300	1.200 m
Height of return wall above top of foundation slab	235.100-225.900-1.200	8.000 m

Wind Forces

On live load

Intensity of wind force on moving live load	300 kg/m
Exposed length of live load	14.60 m
Horizontal wind force	43.8 kN
Height of action of this force above deck	1.5 m
Height of action of this force from top of foundation	9.500 m
Height of action of this force from bottom of foundation	10.700 m

On deck

Girder depth + crash barrier	2.45 m
Exposed area of deck per span	17.89 m ²
Average height above foundation top	9.325 m
Wind pressure at this height	88.00 kg/m ²
Wind force on deck per span	15.74 kN

Total on superstructure

Wind force on loaded superstructure		29.77 kN
Min. force on loaded superstructure @	450 kg/m	32.85 kN
Hence applicable wind force on loaded superstructure		32.85 kN
Height of combined c.g. of the forces above foundation top		9.454 m
Height of combined c.g. of the forces at foundation bottom		10.654 m
Level of action of this force		236.554 m
Wind force on unloaded superstructure		15.74 kN
Min. force on unloaded superstructure @	240 kg/m ²	42.92 kN
Hence applicable wind force on unloaded superstructure		42.92 kN
Height of c.g. of the forces above foundation top		9.32 m
Height of c.g. of the forces at foundation bottom		10.53 m
Level of action of this force		236.43 m

On substructure

Exposed area of abutment & cap			4.95 m ²
Average height above top of foundation			5.584 m
Wind pressure at this height			71.00 kg/m ²
Wind force on substructure			3.52 kN
Average height from bottom of foundation			5.584 m
Average height from bottom of abutment shaft			4.384
Moment at the bottom of foundation	Total	Transverse	Longitudinal
Loaded condition	369.61	369.61	0.00 kN.m
Unloaded condition	471.41	471.41	0.00 kN.m
Transverse moment due to wind forces are say 47 t-m.			
Moment at the bottom of abutment shaft bottom			
Loaded condition	325.97	325.97	
Unloaded condition	415.69	415.69	
Transverse moment due to wind forces are say 42 t-m.			

INPUT FILE: 70r.STD

```

3. STAAD PLANE
4. INPUT WIDTH 72
5. UNIT METER MTON
6. PAGE LENGTH 1000
7. UNIT METER MTON
8. JOINT COORDINATES
9. 1 0.00 0 0;2 0.3 0 0;3 14.3 0 0;4 14.6 0 0
10. MEMBER INCIDENCES
11. 1 1 2 3
12. MEMBER PROPERTY CANADIAN
13. 1 TO 3 PRI YD 1.0 ZD 1.0
14. CONSTANT
15. E CONCRETE ALL
16. DENSITY CONCRETE ALL
17. POISSON CONCRETE ALL
18. SUPPORT
19. 2 3 PINNED
20. DEFINE MOVING LOAD
21. TYPE 1 LOAD 8.0 2*12 4*17.0 DIS 3.96 1.52 2.13 1.37 3.05 1.37
22. LOAD GENERATION 175
23. TYPE 1 -13.4 0. 0. XINC .2
24. PERFORM ANALYSIS
25. LOAD LIST 74
26. PRINT SUPPORT REACTION
    SUPPORT REACTION

```

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = PLANE

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	74	0.00	34.46	0.00	0.00	0.00	0.00
3	74	0.00	65.54	0.00	0.00	0.00	0.00
27.	FINISH						

```

INPUT FILE: CLASS A.STD
  3. STAAD PLANE
  4. INPUT WIDTH 72
  5. UNIT METER MTON
  6. PAGE LENGTH 1000
  7. UNIT METER MTON
  8. JOINT COORDINATES
  9. 1 0.00 0 0;2 0.3 0 0;3 14.3 0 0;4 14.6 0 0
10. MEMBER INCIDENCES
11. 1 1 2 3
12. MEMBER PROPERTY CANADIAN
13. 1 TO 3 PRI YD 1.0 ZD 1.0
14. CONSTANT
15. E CONCRETE ALL
16. DENSITY CONCRETE ALL
17. POISSON CONCRETE ALL
18. SUPPORT
19. 2 3 PINNED
20. DEFINE MOVING LOAD
21. TYPE 1 LOAD 2*2.7 2*11.4 4*6.8 DIS 1.1 3.2 1.2 4.3 3 3 3
22. LOAD GENERATION 202
23. TYPE 1 -18.8 0. 0. XINC .2
24. PERFORM ANALYSIS
25. LOAD LIST 74
26. PRINT SUPPORT REACTION
    SUPPORT REACTION

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SUPPORT REACTIONS -UNIT MTON METE    STRUCTURE TYPE = PLANE
-----

```

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	74	0.00	30.31	0.00	0.00	0.00	0.00
3	74	0.00	19.69	0.00	0.00	0.00	0.00

```

***** END OF LATEST ANALYSIS RESULT *****

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27. FINISH

```

Abutment SHAFT ..DRY NORMAL

Depth of Section = 1.200 m
Width of Section = 12.000 m

160 along width-compression face- no of bar: 80 tension face- no of bar:
20 Dia (mm) 16
10.5 Cover (cm) 7.50

8 along depth-compression face- no of bar: 8 tension face- no of bar:
16 Dia (mm) 16
7.5 Cover (cm) 7.50

Modular Ratio : Compression = 10.0
Modular Ratio : Tension = 10.0
Allowable Concrete Stress = 85.00 Kg/cm²
Allowable Steel Stress = 2040.00 Kg/cm²

Axial Load = 441.604 T
Mxx = 906.488 Tm
Myy = 164.933 Tm

Intercept of Neutral axis : X axis : = 192.893 m
: y axis : = .330 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 57.84 Kg/cm²
Stress in Steel due to Loads = 1374.71 Kg/cm²
Percentage of Steel = .48 %

Abutment SHAFT ..DRY SPAN DISLODGED

Depth of Section = 1.200 m
Width of Section = 12.000 m

Modular Ratio : Compression = 10.0
Modular Ratio : Tension = 10.0
Allowable Concrete Stress = 85.00 Kg/cm²
Allowable Steel Stress = 2040.00 Kg/cm²

Axial Load = 230.567 T
Mxx = 800.568 Tm
Myy = .000 Tm

Intercept of Neutral axis : X axis : = ***** m
: y axis : = .294 m

Steel Stress Governs Design

Stress in Concrete due to Loads = 49.21 Kg/cm²
 Stress in Steel due to Loads = 1341.50 Kg/cm²
 Percentage of Steel = .48 %

Abutment SHAFT ..HFL NORMAL

Depth of Section = 1.200 m
 Width of Section = 12.000 m
 Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 85.00 Kg/cm²
 Allowable Steel Stress = 2040.00 Kg/cm²
 Axial Load = 360.301 T
 Mxx = 725.735 Tm
 Myy = 164.933 Tm

Intercept of Neutral axis : X axis : = 156.141 m
 : y axis : = .334 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 46.67 Kg/cm²
 Stress in Steel due to Loads = 1098.35 Kg/cm²
 Percentage of Steel = .48 %

Abutment SHAFT ..HFL SPAN DISLODGED

Depth of Section = 1.200 m
 Width of Section = 12.000 m
 Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 85.00 Kg/cm²
 Allowable Steel Stress = 2040.00 Kg/cm²
 Axial Load = 149.265 T
 Mxx = 619.815 Tm
 Myy = .000 Tm

Intercept of Neutral axis : X axis : = ***** m
 : y axis : = .288 m

Steel Stress Governs Design

Stress in Concrete due to Loads = 37.99 Kg/cm²
 Stress in Steel due to Loads = 1064.81 Kg/cm²
 Percentage of Steel = .48 %

DESIGN OF SUPERSTRUCTURE

For Design of Superstructure of RCC Girder 14.0 m span refer MOST STANDARD Drawing titled “STANDARD PLANS FOR HIGHWAY BRIDGES (R.C.C T-beam and Slab Superstructure)” Drg. No. SD/250 to SD/256.

BRIDGE AT CH:21+000

DESIGN OF SUBSTRUCTURE

DESIGN DATA

Formation Level	=	221.200 m
Ground Level	=	217.178 m
Lowest Water Level	=	210.678 m
Highest Flood Level	=	218.807 m
Founding Level	=	210.678 m
Thickness of bearing & pedestal	=	0.300 m
Width of abutment	=	12.000 m
Bouyancy factor	=	1.0
Safe Bearing Capacity	=	45.300 t/sqm
Dry density of earth	=	1.800 t/cum
Submerged density of earth	=	1.0 t/cum
Saturated density of earth	=	2.000 t/cum
Coefficient of base friction	=	0.5
Span (c/c of exp. joint)	=	12.600 m
Overall Width of deck slab	=	12.000 m
Width of carriageway	=	11.000 m
Width of crash barrier	=	0.500 m
Depth of Superstructure	=	1.200 m
Thickness of wearing coat	=	0.056 m
Unit wt of concrete	=	2.400 t/m ³
no. of elastomeric bearing	=	4
size of elastomer brgs.(500 x 250 x 50 mm)	=	
Grade of Concrete	-	M 25 25
Grade of Reinforcement	-	415 (HYSD)
Live Load	-	One Lane of 70R Wheeled + Class A
	-	3 lanes of Class A
Permissible Compressive stress in Concrete	-	850 t/m ²
Permissible Tensile stress in Steel	-	20400 t/m ²
Modular ratio, m	-	10
factor, k	-	0.294
Lever arm factor, j	-	0.902
Moment of Resistance	-	113 t/m ²
Thickness of returnwall	-	0.5 m

COEFFICIENT OF ACTIVE EARTH PRESSURE

AS PER COULOMB'S THEORY, COEFFICIENT OF ACTIVE EARTH PRESSURE IS

$$K_a = \frac{\sin^2(\alpha + \phi)}{\sin^2 \alpha \cdot \sin(\alpha - \delta)} \left[1 + \sqrt{\frac{\sin(\alpha + \phi) \cdot \sin(\phi - \iota)}{\sin(\alpha - \delta) \cdot \sin(\phi + \iota)}} \right]^2$$

WHERE

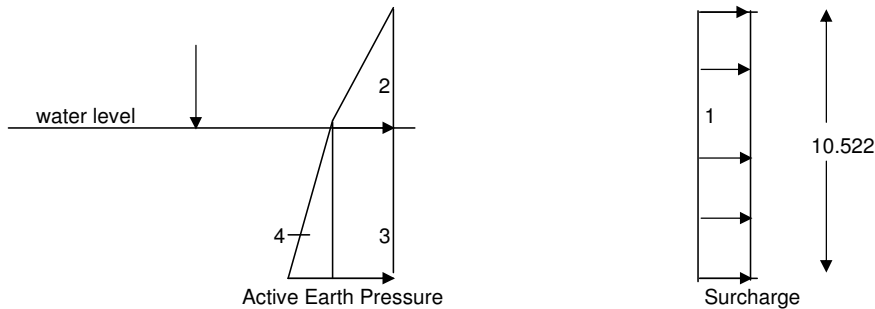
 ϕ = ANGLE OF INTERNAL FRICTION OF EARTH α = ANGLE OF INCLINATION OF BACK OF WALL δ = ANGLE OF INTERNAL FRICTION BETWEEN WALL & EARTH ι = ANGLE OF INCLINATION OF BACKFILL

HERE	ϕ =	30 °	=	0.524 Radian
	α =	90 °	=	1.571 Radian
	δ =	20 °	=	0.349 Radian
	ι =	0 °	=	0 Radian
			K_a =	0.2973

Therefore, Horizontal coefficient of Active earth pressure = $K_a \cos \phi = K_{ha} = 0.2794$

HEIGHT OF ABUTMENT

Total height of abutment = Formation Level - Founding Level = 10.522 m
 For DESIGN purpose, the height of abutment is considered as, say, = **10.520 m**

CALCULATION OF ACTIVE EARTH PRESSURE**DRY. condition****a) Service Condition**

Element No.	Component	Area factor	Height (m)	Pressure (t/m ²)	Force (t)	C.G. from base (m)	Moment (tm)
1	LL Surcharge	1.0	1.200	0.67	84.66	5.261	445.41
2	Dry Earth	0.5	10.522	5.29	334.06	4.419	1476.28
3		1.0	0.000	5.29	0.00	0.000	0.00
4	SubmgEarth	0.5	0.000	0.00	0.00	0.000	0.00
TOTAL					418.72		1921.69

b) Span Dislodge Condition

Net force = 418.72 - 84.66 = **334.06 t**
 Net moment = 1921.69 - 445.41 = **1476.28 tm**

H.F.L. condition**a) Service Condition**

Element no.	Component	Area factor	Height (m)	Pressure (t/m ²)	Force (t)	C.G. from base (m)	Moment (tm)
1	LL Surcharge	1.0	1.200	0.67	84.66	5.261	445.41
2	Dry Earth	0.5	2.393	1.34	19.20	9.134	175.36
3		1.0	8.129	1.34	130.43	4.065	530.15
4	SubmgEarth	0.5	8.129	2.27	110.77	2.710	300.15
TOTAL					345.07		1451.07

b) Span Dislodge Condition

Net force = 345.07 - 84.66 = **260.40 t**
 Net moment = 1451.07 - 445.41 = **1005.66 tm**

Forces & moments due to Abutment (Concrete) components**DRY Case :**

Element No.	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m³)	Weight (t)	C.G.from toe (m)	Moment about toe
1	Toe Slab	1.0	2.300	12.00	0.500	2.40	33.12	1.150	38.09
2		0.5	2.300	12.00	0.700	2.40	23.18	1.533	35.55
3	Heel Slab	1.0	3.600	12.00	0.500	2.40	51.84	5.300	274.75
4		0.5	3.600	12.00	0.700	2.40	36.29	4.700	170.55
5	Stem Wall	1.0	1.200	12.00	8.666	2.40	299.50	3.100	928.44
6		0.5	0.200	12.00	8.666	2.40	24.96	2.433	60.73
7	stem rect	1.0	1.400	12.00	1.200	2.40	48.38	3.000	145.15
10	Cap	1.0	1.200	12.00	0.300	2.40	10.37	3.100	32.14
11	Dirt Wall	1.0	0.300	12.00	1.206	2.40	10.42	3.550	36.99
8	Retutnwall	0.5	3.600	1.00	0.700	2.40	3.02	6.100	18.45
8a		1.0	3.600	1.00	10.022	2.40	86.59	5.500	476.25
TOTAL							627.67		2217.09

H.F.L. Case :

Element No.	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m³)	Weight (t)	C.G.from toe (m)	Moment ,@ Toe
1	Toe Slab	1.0	2.300	12.00	0.500	1.40	19.32	1.150	22.22
2		0.5	2.300	12.00	0.700	1.40	13.52	1.533	20.74
3	Heel Slab	1.0	3.600	12.00	0.500	1.40	30.24	5.300	160.27
4		0.5	3.600	12.00	0.700	1.40	21.17	4.700	99.49
5	Stem Wall	1.0	1.200	12.00	6.929	1.40	139.69	3.100	433.03
6		0.5	0.200	12.00	6.929	1.40	11.64	2.433	28.33
5	Stem Wall	1.0	1.200	12.00	0.537	2.40	18.56	3.100	57.53
6		0.5	0.200	12.00	0.537	2.40	1.55	2.433	3.76
7	stem rect	1.0	1.400	12.00	1.400	1.40	32.93	3.000	98.78
10	Cap	1.0	1.200	12.00	0.30	2.40	10.37	3.100	32.14
11	Dirt Wall	1.0	0.300	12.00	1.21	2.40	10.42	3.550	36.99
8	Returnwall	0.5	3.600	1.00	0.70	1.40	1.76	6.100	10.76
8c		1.0	3.600	1.00	6.93	1.40	34.92	5.500	192.07
8d		1.0	3.600	1.00	2.39	2.40	20.68	5.500	113.72
TOTAL							366.76		1309.84

Forces & moments due to Earth and LL surcharge**DRY Case : Self weight of Earth**

Element No	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m³)	Weight (t)	C.G.from toe (m)	Moment @ Toe
8	DRY EARTH	0.5	3.600	11.00	0.700	1.8	24.95	6.100	152.18
8a		1.0	3.600	11.00	9.322	1.800	664.47	5.500	3654.60
TOTAL							689.42		3806.78

H.F.L Case :

Element No	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m ³)	Weight (t)	C.G.from toe (m)	Moment @ Toe
8	SATURATED SOIL	0.5	3.600	11.000	0.7	1.000	13.86	6.100	84.55
8c		1.0	3.600	11.000	6.929	1.000	274.39	5.5	1509.14
8d	DRY	1.0	3.600	11.000	2.393	1.800	170.57	5.500	938.15
TOTAL							458.82		2531.83

L.L.SURCHARGE

Element No	Component	Area Factor	Length	Width	Height	Density	Weight	C.G.from toe	Moment @ Toe
12	DRY EARTH	0.00	3.600	11.00	1.20	1.80	0.00	5.500	0.00

SUMMARY OF FORCES AND MOMENTS:

LOAD CASE	Case. L.W.L.		Case. H.F.L.		
	Service Cond.	Span dislodged	Service Cond.	Span dislodged	
Vertical load from superstructure including LL	181.78	0.00	181.78	0.00	
Vertical load from substructure (b)	1317.09	1317.09	825.59	825.59	
Total Vertical Load V = (a) + (b)	1498.87	1317.09	1007.36	825.59	
Total Horizontal Force H =	429.72	334.06	356.07	260.40	
Moment @ toe due to (a)	563.50	0.00	563.50	0.00	
Moment @ toe due to (b)	6023.87	6023.87	3841.67	3841.67	
Total Moment @ toe (M)	6587.37	6023.87	4405.17	3841.67	
Dist. of C.G. of V from toe Z = M/V	4.395	4.57	4.37	4.65	
eccentricity (e = Z - b/2)	0.745	0.924	0.723	1.003	
Relieving Moment @ c/l base (M1)	1116.50	1216.48	728.31	828.28	
overturning moment due to					
Horz. braking force	105.78	0.00	105.78	0.00	
Earth Pressure	1921.69	1476.28	1451.07	1005.66	
Total overturning Moment (M2)	2027.47	1476.28	1556.85	1005.66	
Net moment (M2-M1) = M _L	910.96	259.80	828.54	177.38	
Factor of Safety					
Against overturning (M / M2)	3.25	4.08	2.83	3.82	Safe against overturning
Against sliding ($\mu \times V / H$)	1.744	1.971	1.41	1.585	Not safe

I.R.C 78-2000:cl

706.3.4

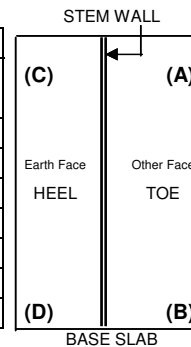
$$\text{Area of base (A)} = 7.300 \times 12.00 = 85.20 \text{ m}^2$$

$$Z_L = 106.58 \text{ m}^3$$

$$Z_T = 175.20 \text{ m}^3$$

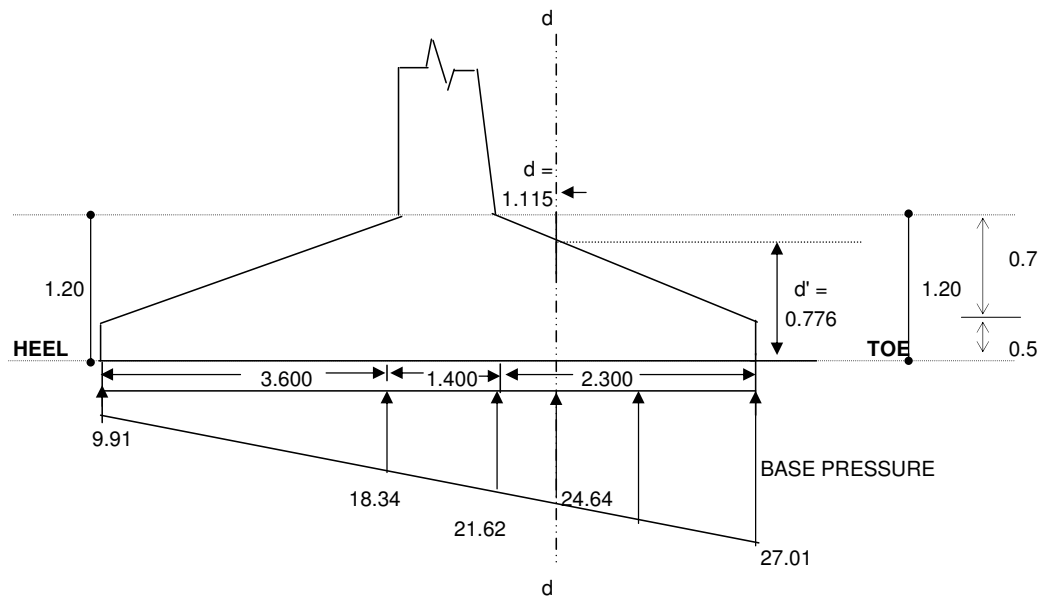
CHECK FOR BASE PRESSURE:

Base Pressure	LWL CASE		HFL CASE	
	Service Cond.	Span dislodged	Service Cond.	Span dislodged
P/A	17.59	15.46	11.82	9.69
M_L/Z_L	8.55	2.44	7.77	1.66
M_T/Z_T	0.87	0.00	0.87	0.00
(A) $(P/A + M_L/Z_L + M_T/Z_T)$	27.01	17.90	20.47	11.35
(B) $(P/A + M_L/Z_L - M_T/Z_T)$	25.27	17.90	18.73	11.35
(C) $(P/A - M_L/Z_L + M_T/Z_T)$	9.91	13.02	4.92	8.03
(D) $(P/A - M_L/Z_L - M_T/Z_T)$	8.177	13.02	3.18	8.03



$$\begin{aligned} \text{Max. Base Pressure} &= 27.01 \text{ t/m}^2 < 45.30 \text{ Hence O.K.} \\ \text{Min. Base Pressure} &= 3.18 \text{ t/m}^2 > 0 \text{ Hence O.K.} \end{aligned}$$

DESIGN OF TOE SLAB



BENDING MOMENT AT FACE OF STEM

Loadings	Element	Area fact.	force	L.A.	Moment
Downward Loads	1	1.0	2.760	1.150	3.174
	2	0.5	1.932	0.767	1.481
Upward Base pressure	Rect.	1.0	-49.729	1.150	-57.189
	Trian.	0.5	-6.194	1.533	-9.497
TOTAL			-51.231		-62.031

Bending Moment at face of stem 62.031 tm/m

Effective depth required 0.742 m

Effective depth provided at face of stem 1.115 m

Area of Reinforcement required 3024 mm²

Minimum steel required 1673 mm² I.R.C 78-2000 Clause:707.2.7

Distribution steel 669 mm²/m

mainsteel 3024 mm² 12 ϕ , @ 150 C/C
753.9822

Hence provide , 25 ϕ , @ 150 C/C
0 ϕ , @ 150 C/C

There is no tension below foundation, hence foundation will not have negative moment at top. However in reference to clause 707.2.8 of IRC: 78-2000, the requirement of reinforcement at top is follows.

Minimum steel reinforcement as per above clause 250 mm²/m
provide 12 ϕ , @ 150 C/C
753.9822

Check for Shear**SHEAR FORCE AT "d" FROM FACE OF STEM**

Loadings	Element	Area fact.	force	L.A.	Moment
Downward loads	1	1.0	1.422	0.593	0.843
	2	0.5	0.995	0.395	0.393
Upward base pressure	Rect.	1.0	-29.193	0.593	-17.297
	Trian.	0.5	-1.405	0.790	-1.110
TOTAL			-28.181		-17.171

Effective depth (d') at distance d 0.776 m

Shear force at critical section 28.2 t

Bending Moment at critical section 17.17 tm

$\tan \beta = 0.34$

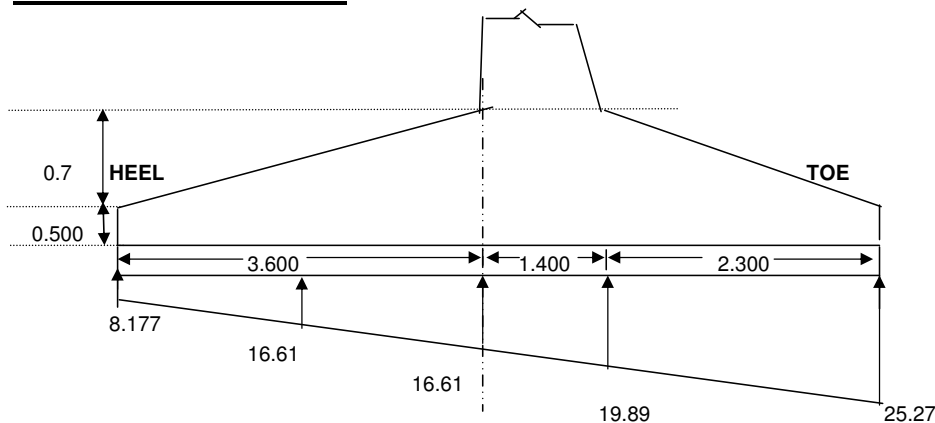
Net shear force $S-M*\tan\beta/d'$ 20.72 t

Hence, Shear stress 26.71 t/m²

% of reinforcement 0.42

Permissible shear stress 29.05 t/m² Hence O.K.

DESIGN OF HEEL SLAB



BENDING MOMENT AND SHEAR FORCE AT FACE OF STEM

Loadings	Element	Area fact.	force	L.A.	moment
Downward Loads.	3	1	4.320	1.800	7.776
	4	0.5	3.024	1.200	3.629
	8	0.5	4.536	2.400	10.886
	8a	1	60.407	1.800	108.732
		0.5	4.536	2.400	5.443
Upward base pressure	Rect.	1	-29.438	1.800	-52.989
	Trian.	0.5	-15.174	1.200	-18.209
TOTAL			39.678		78.710

Bending Moment at face of stem **78.710 tm**

Effective depth required 0.836 m

Effective depth provided at face of stem 1.115 m

Area of Reinforcement required 3838.91 mm²

Minimum steel 1672.50 mm² I.R.C 78-2000 Clause:707.2.7

Distribution steel 669.00 mm²/m

mainsteel 3838.91 mm²

Hence provide , 25 ϕ , @ 125 C/C 12 ϕ , @ 150 C/C 753.9822

0 ϕ , @ 125 C/C

There is no tension below foundation, hence foundation will not have negative moment at top. However in reference to clause 707.2.8 of IRC: 78-2000, the requirement of reinforcement at top is follows.

Minimum steel reinforcement as per above clause 250 mm²/m

provide 12 ϕ , @ 150 C/C 753.9822

Check for Shear

(Critical section at face of stem)

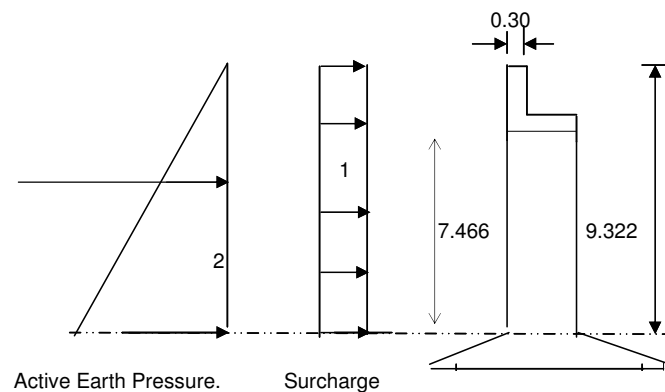
Shear force at face of stem 39.68 t

 $\tan \beta = 0.194$

Bending moment at face of stem 78.710 tm

Net shear force $S - M \cdot \tan \beta / d$ 25.95 tHence, Shear stress 23.27 t/m²

% of reinforcement 0.34

Permissible shear stress 26.52 t/m² **Hence O.K.****DESIGN OF STEM WALL****SUMMARY OF FORCES AND MOMENTS IN ABUTMENT SHAFT**

R.L. OF SECTION = 211.878 m

DRY Condition**a) Service Condition**

Element No.	Area factor	Height of E.P. diagram	Earth Pressure	Force	L.A.	Moment tm
1	1	8.972	0.603	65.0	4.486	291.46
2	0.5	8.972	4.512	242.9	3.768	915.25
HORIZONTAL FORCE				11.00	8.066	88.73
TOTAL				318.86		1295.44

Total Vertical Load = Stem + dirt wall + cap + Load from superstructure
 = 301.029 + 10.42 + 10.37 + 181.78
 = 503.592 t
 Longitudinal Moment = 1295.444 t-m
 Transverse Moment = 152.042 t-m

b) Span Dislodged case

Total Vertical Load	=	Stem + dirt wall + cap + Load from superstructure	
	=	301.029 + 10.42 + 10.37 +	0.00
	=	321.817 t	
Longitudinal Moment	=	1206.718 t-m	
Transverse Moment	=	0.000 t-m	

H.F.L. Condition**a) Service Condition**

Element no.	Component	Area factor	Height (m)	Pressure (t/m ²)	Force (t)	C.G. from base (m)	Moment (tm)
1	LL Surcharge	1.0	1.200	0.603	64.97	4.486	291.46
2	Dry Earth	0.5	1.987	1.11	13.24	7.591	100.48
3		1.0	6.929	1.11	92.32	3.465	319.83
4	SubmgEarth	0.5	6.929	1.94	80.48	2.310	185.88
TOTAL					251.01		897.66

Total Vertical Load	=	Stem + dirt wall + cap + Load from superstructure	
	=	169.888 + 10.42 + 10.37 +	181.78
	=	372.451 t	
Longitudinal Moment	=	986.389 t-m	
Transverse Moment	=	152.042 t-m	

b) Span Dislodged case

Total Vertical Load	=	Stem + dirt wall + cap + Load from superstructure	
	=	169.888 + 10.42 + 10.37 +	0.00
	=	190.676 t	
Longitudinal Moment	=	897.663 t-m	
Transverse Moment	=	0.000 t-m	

Cross Sectional area 1.3 m²

For horizontal reinforcement area of steel required for the stem at the section/metre = 215.3876 mm²

Providing 12 ,@ 525.09 c/c say, 150 C/C as horizontal reinforcement

Movement of Deck:

$$\begin{aligned} \text{Total Length of Bridge} &= 12.6 \text{ m} \\ &= 0.0005 \times 6300 = 3.15 \text{ mm} \end{aligned}$$

Longitudinal Force :

$$\text{Size of bearing} = 500 \times 250 \times 50 \text{ mm}$$

$$\text{Strain in bearing} = \frac{3.150}{50} = 0.063$$

$$\text{Shear modulus} = 1.0 \text{ Mpa}$$

$$\begin{aligned} \text{Shear force per Bearing} &= 0.063 \times 1.0 \times 500 \times 250 = 7875 \text{ N} \\ &= 0.803 \text{ t} \end{aligned}$$

$$\begin{aligned} \text{Total shear force for 4 bearings (with 5 \% increase)} \\ &= 0.803 \times 4 \times 1.05 = 3.372 \text{ t} \end{aligned}$$

Refer IRC : 6 clause 214.5.1.5;

10 % increase for variation in movement of span

$$\text{Total shear force} = 1.1 \times 3.372 = 3.709 \text{ t}$$

As per clause 214.2 of IRC:6, horizontal braking force F_h , for each span is:

$$\text{For Class A Single lane} : F_h = [0.2 \times 28.3] = 5.666 \text{ t}$$

$$\text{For class 70R wheeled} : F_h = [0.2 \times 60.5] = 12.106 \text{ t}$$

$$\text{For class A 3 lane} \quad F_h = 0.2 \times 28.3 + 0.05 \times 28.3 = 7.0825 \text{ t}$$

$$\begin{aligned} \text{For class 70R wheeled +class A 1 lane} \\ F_h = 0.2 \times 60.5 + 0.05 \times 28.3 = 13.523 \text{ t} \end{aligned}$$

For class A 3 lane

$$\text{Longitudinal horizontal force} = \frac{7.083}{2} + 3.709 = 7.25 \text{ t Say, } 8.0 \text{ t}$$

For class 70R wheeled +class A 1 lane

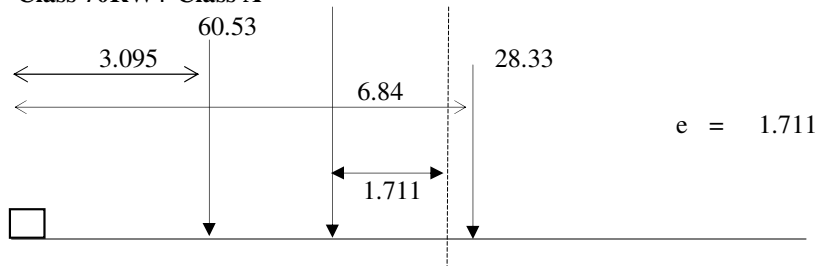
$$\text{Longitudinal horizontal force} = \frac{13.523}{2} + 3.709 = 10.5 \text{ t Say, } 11.0 \text{ t}$$

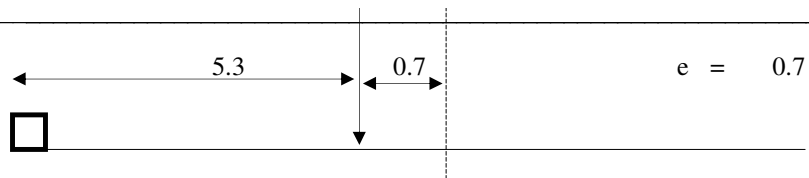
Span dislodged condition

$$\text{Longitudinal horizontal force} = \frac{0.000}{2} + 3.709 = 3.709 \text{ t Say, } 4.0 \text{ t}$$

Summary of Longitudinal Forces :

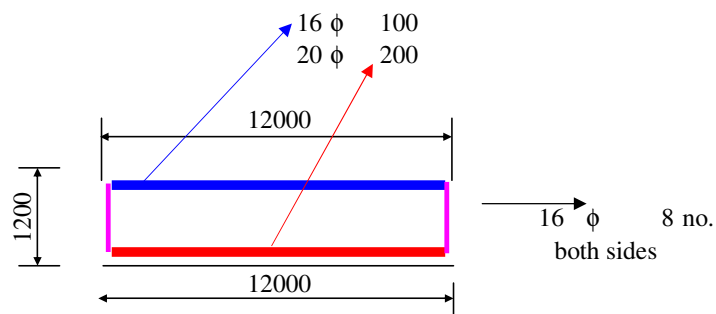
Load Case	Longitudinal horizontal force (t)
Class A 3 lane	8.00
70R+class A 1lane	11.00
Span dislodged condition	0.00

Transverse eccentricity**Class 70RW+ Class A****Class A 3 lane**



Summary of Dead load & Live loads from Superstructure. (STAAD Pro)

	P		M _L	M _T
Dead Load Reaction:				
	71.81	t		
SIDL	21.10	t		
L.L Max Reaction Case				
70R + Class A	88.86	t		152.04
Class A 3 Lane	84.99	t		59.49
	181.78			152.04



PLAN : ABUTMENT SHAFT

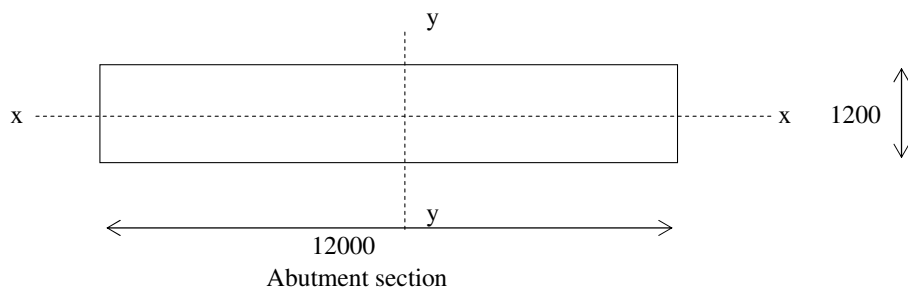
$$\% \text{ Reinforcement provided} = 86155.037 \text{ mm}^2$$

Summary of Loads at Abutment Shaft bottom :

1 DRY condition	P	M _L	M _T
With L.L	503.59	1295.44	152.04

Check for Cracked/Uncracked Section

Length of section	=	12000	mm
Width of section	=	1200	mm
Gross Area of section	A _g	=	14400000 mm ²
Gross M.O.I of section	I _{gxx}	=	1.728E+12 mm ⁴
Gross M.O.I of section	I _{gyy}	=	1.728E+14 mm ⁴

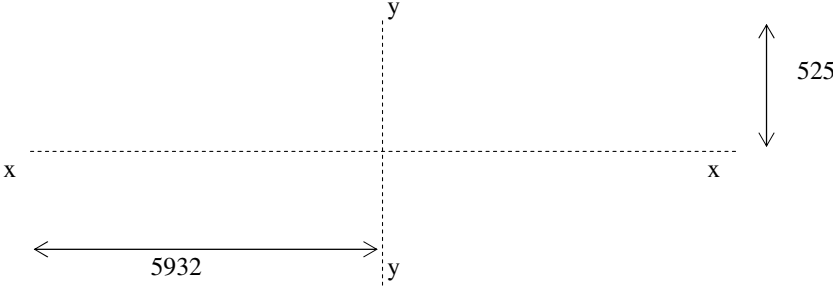


Transformed sectional properties of section:

Adopting

Modular ratio	m	=	10
Cover			70
			68
Dia of Bars		=	20
No of bars in tension face (longer)		=	200
No of bars in compression face		=	100
No of bars in shorter direction		=	8
Total bars in section		=	316

Steel Area $A_s = 86155 \text{ mm}^2$
 % of Steel $= 0.5983 \%$



Area of concrete $A_c = A_g - A_s = 14313845 \text{ mm}^2$
 C.G of Steel placed on longer face $= 530 \text{ mm}$
 C.G of Steel placed on shorter face $= 5932 \text{ mm}$
 Transformed Area of Section $A_{tfm} = 15175395 \text{ mm}^2$
 Transformed M.I_{txx} $= I_{gxx} + 2 \left[m - 1 \right] A_s a x^2 = 2.04569E+12 \text{ mm}^4$
 $Z_{xx} = \frac{M.I_{txx}}{d/2} = 3.409E+09 \text{ mm}$
 Transformed M.I_{tyy} $= I_{gyy} + 2 \left[m - 1 \right] A_s a y^2 = 1.73819E+14 \text{ mm}^4$
 $Z_{yy} = \frac{M.I_{tyy}}{d/2} = 2.897E+10 \text{ mm}^3$

Permissible stresses

Minimum Gross Moment of inertia $I_{min} = 1.728E+12 \text{ mm}^4$
 Area of section $= 14400000 \text{ mm}^2$
 $r = 346.41016 \text{ mm}$

Effective length of Abutment shaft (IRC:21-2000 cl: 306.2.1)

Abutment shaft height $L = 9.426 \text{ m}$
 Effective length $L_{eff} = 11.311 \text{ m}$
 Slenderness ratio $= 32.653 < 50$
 Type of member $= 1$

Stress reduction coefficient (IRC:21-2000 cl: 306.4.2,3)

$\beta = 1$

Permissible stresses : concrete

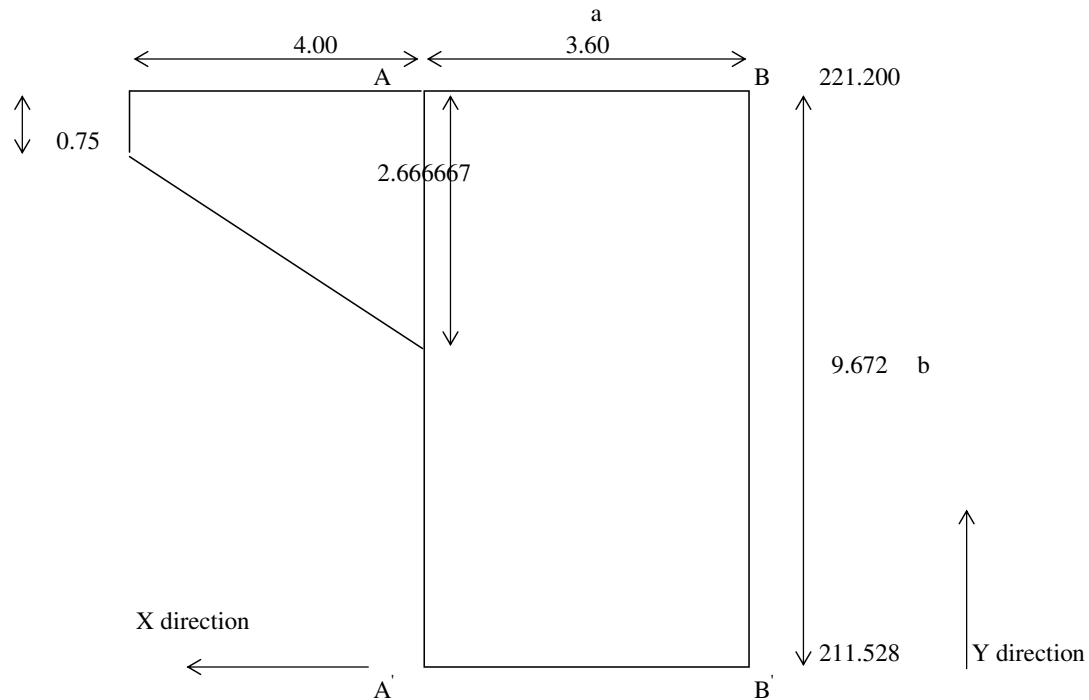
$\sigma_{cbc} = 8.3333 \text{ N/mm}^2$
 $\sigma_{co} = 6.25 \text{ N/mm}^2$
 Tensile stress $= 0.61 \text{ N/mm}^2$

Permissible stresses : Steel

$\sigma_{st} = 200 \text{ N/mm}^2$

1 Short Column
 2 Long Column

S.No	Item	DRY Case
	Loads and Moments	With L.L
1	P	503.59 t
2	M _L	1295.44 t-m
3	M _T	152.042 t-m
<i>Actual(calculated) Stresses</i>		
4	$\sigma_{co,cal}$ P/A _{tfm}	0.331847713
5	$\sigma_{cbc,cal}$ M _L /Z _{xx}	3.799531164
6	$\sigma_{cbc,cal}$ M _T /Z _{yy}	0.052483082
7	$\sigma_{cbc,cal} = 5 + 6$	3.852014246
<i>Permissible Stresses</i>		
8	σ_{cbc}	8.3333333
9	σ_{co}	6.25
<i>Check for Minimum steel area mm²</i>		
10	Conc.Area Required for directstress	
	(1)/(9)	805747.24
11	0.8% of area required	6445.9779
12	0.3% of A _g	43200
13	Governing steel mm ²	43200
14	Provided Steel area mm ²	86155.037
<i>Check for safety of section</i>		
	$\frac{\sigma_{co,cal}}{\sigma_{co}} + \frac{\sigma_{cbc,cal}}{\sigma_{cbc}}$	0.5153373 < 1
<i>Check for Cracked /Uncracked section</i>		
	$\sigma_{co,cal} - \sigma_{cbc,cal}$	-3.520167
	Permissible Basic tensile stress in concrete	-0.61
	Section to be designed as	Cracked



Width of Solid return wall (a)	=	3.60
Width of Cantilever return wall	=	4.00
Avg Height of Solid return wall (b)	=	9.672
Height of Cantilever return at Tip	=	0.75
Height of Cantilever return at Root	=	2.666667
Thickness of Solid Return at farther end	=	0.5
Thickness of Solid Return at Root	=	0.5
Thickness of Solid Return at bottom	=	0.5
Thickness of Solid Return at top	=	0.5
Thickness of Cantilever return	=	0.5
Unit wt of Soil	=	1.8 t/m ³
Grade of concrete	=	M 30
σ_{cbc}	=	1020 t/m ²
m	=	10
σ_{st}	=	20400 t/m ²
k	=	0.333333
j	=	0.888889
R	=	151.1111 t/m ²

Case (1) For uniformly distributed load over entire plate

a/b	=	0.3722084	For a/b	=	0.25	β_1	=	0.182	β_2	=	0.188
			For a/b	=	0.375	β_1	=	0.353	β_2	=	0.398
a/b	=	0.3722084	β_1	=	0.349181						
			β_2	=	0.39331						

Live Load Surcharge:

$$q = 0.2794 \times 1.8 \times 1.2 = 0.603504 \text{ t/m}^2$$

$$\sigma_{bmax} = \frac{\beta_1 \times q \times b^2}{t^2}$$

$$\sigma_{amax} = \frac{\beta_2 \times q \times b^2}{t^2}$$

$$\sigma_{bmax} = \frac{0.3491811 \times 0.603504 \times 93.55}{0.25} = 78.85396 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3 = 0.041667 \text{ m}^3$$

Hence Moment /m width along Y direction

$$M_Y \text{ /m width} = 78.853959 \times 0.041667 = 3.285582 \text{ t-m/m}$$

$$\sigma_{amax} = \frac{0.3933102 \times 0.603504 \times 93.55}{0.25} = 88.81941 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3 = 0.041667 \text{ m}^3$$

Hence Moment /m width along X direction

$$M_X \text{ /m width} = 88.819413 \times 0.041667 = 3.700809 \text{ t-m/m}$$

Case (2) For Triangular loading due to earth pressure

$$\begin{aligned} a/b &= 0.3722084 & \text{For } a/b &= 0.25 & \beta_1 &= 0.133 & \beta_2 &= 0.09 \\ & & \text{For } a/b &= 0.375 & \beta_1 &= 0.212 & \beta_2 &= 0.148 \end{aligned}$$

$$\begin{aligned} a/b &= 0.3722084 & \beta_1 &= 0.210236 \\ & & \beta_2 &= 0.146705 \end{aligned}$$

Earth pressure:

$$q = 0.2794 \times 1.8 \times 9.672 = 4.864242 \text{ t/m}^2$$

$$\sigma_{bmax} = \frac{\beta_1 \times q \times b^2}{t^2}$$

$$\sigma_{amax} = \frac{\beta_2 \times q \times b^2}{t^2}$$

$$\sigma_{bmax} = \frac{0.2102357 \times 4.864242 \times 93.55}{0.25} = 382.6611 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3 = 0.041667 \text{ m}^3$$

Hence Moment /m width along Y direction

$$M_Y /m \text{ width} = 382.66108 \times 0.041667 = 15.94421 \text{ t-m/m}$$

$$\sigma_{amax} = \frac{0.1467047 \times 4.864242 \times 93.55}{0.25} = 267.0249 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3$$

$$= 0.041667 \text{ m}^3$$

Hence Moment /m width along X direction

$$M_X /m \text{ width} = 267.02494 \times 0.041667 = 11.12604 \text{ t-m/m}$$

$$\text{Total Moment in Solid Return /m height} = 14.82685 \text{ t-m/m}$$

Along X-direction

$$\text{Total Moment in Solid Return /m width} = 19.22979 \text{ t-m/m}$$

Along Y-direction

Moment due to Cantilever Return:

Moment due to earth pressure at face A - A'

$$M = 0.2794 \times 1.2 \times 1.8 \times 0.75 \times 4.00 \times 2.00$$

$$+ 0.5 \times 0.2794 \times 1.8 \times 0.5625 \times 4.00 \times 2.00$$

$$+ 0.5 \times 0.2794 \times 1.8 \times 0.444444 \times X^2 \times dx \times \left[4.00 - X \right]$$

$$+ 0.2794 \times 1.8 \times 1.95 \times 0.666667 \times X \times dx \times \left[4.00 - X \right]$$

$$= 3.621024 + 1.13157 + 0.11176 \times 21.33333 + 0.653796 \times 10.66667$$

$$= 14.11063 \text{ t-m}$$

Design of cantilever Return:

Assuming 50 mm cover and 12 mm dia bars.

$$\text{Effective depth available} = 500 - 50 - 20 - 6 = 424 \text{ mm}$$

$$M = R \times b \times d^2$$

$$= 151.1111 \times 2.666667 \times 0.179776 = 72.44307 \text{ t-m}$$

$$A_{st} = \frac{14.11063 \times 10^6}{20400 \times 0.888889 \times 0.424} = 1835.283 \text{ mm}^2$$

$$A_{st}/m = 688.231 \text{ mm}^2/m$$

Provide 12 mm dia @ 150 mm c/c providing 753.9822 mm² on earth face.

Provide 12 mm dia @ 180 mm c/c providing 628.3185 mm² on other face.

Along Horizontal direction.

Design of Solid Return:**Moment due to Cantilever Return:***Moment due to Earth pressure at face B-B'*

$$\begin{aligned}
 M &= 0.2794 \times 1.2 \times 1.8 \times 0.75 \times 4.00 \times 5.60 \\
 &+ 0.5 \times 0.2794 \times 1.8 \times 0.5625 \times 4.00 \times 5.60 \\
 &+ 0.5 \times 0.2794 \times 1.8 \times 0.444444 \times X^2 \times dx \times \left[\begin{matrix} 7.60 & - & X \\ 7.60 & - & X \end{matrix} \right] \\
 &+ 0.2794 \times 1.8 \times 1.95 \times 0.666667 \times X \times dx \times \left[\begin{matrix} 7.60 & - & X \\ 7.60 & - & X \end{matrix} \right] \\
 \\
 &= 10.13887 + 3.168396 + 0.11176 \times 98.13333 + 0.653796 \times 39.46667 \\
 \\
 &= \mathbf{50.07779 \text{ t-m}}
 \end{aligned}$$

$$\text{Moment in Solid Return /m height} = 14.82685 + \frac{50.07779}{9.672} = 20.00445 \text{ t-m/m}$$

$$\text{Moment in Solid Return /m width} = 19.22979 \text{ t-m/m}$$

Design of face B-B'

$$\text{Moment in Solid Return /m height} = \mathbf{20.00445 \text{ t-m/m}}$$

Assuming 50 mm cover and 25 mm dia bars.

$$\text{Effective depth available} = 500 - 50 - 20 - 13 = 418 \text{ mm}$$

$$\begin{aligned}
 M &= R \times b \times d^2 \\
 &= 151.1111 \times 1 \times 0.174306 = 26.33961 \text{ t-m}
 \end{aligned}$$

$$A_{st} = \frac{20.00445 \times 10^6}{20400 \times 0.888889 \times 0.4175} = 2642.363 \text{ mm}^2$$

$$A_{st}/m = 2642.363 \text{ mm}^2/m$$

Provide 25 mm dia @ 150 mm c/c providing 3272.492 mm² on earth face.Provide 16 mm dia @ 150 mm c/c providing 1340.413 mm² on other face.**Along Horizontal direction.****Design of face A'-B'**

$$\text{Moment in Solid Return /m width} = \mathbf{19.22979 \text{ t-m/m}}$$

Assuming 50 mm cover and 25 mm dia bars.

$$\text{Effective depth available} = 500 - 50 - 0 - 13 = 438 \text{ mm}$$

$$\begin{aligned}
 M &= R \times b \times d^2 \\
 &= 151.1111 \times 1 \times 0.191406 = 28.92361 \text{ t-m}
 \end{aligned}$$

$$A_{st} = \frac{19.22979 \times 10^6}{20400 \times 0.888889 \times 0.4375} = 2423.924 \text{ mm}^2$$

$$A_{st}/m = 2423.924 \text{ mm}^2/m$$

Provide 25 mm dia @ 160 mm c/c providing 3067.962 mm² on earth face.Provide 16 mm dia @ 160 mm c/c providing 1256.637 mm² on other face.**Along Vertical direction.**

1. DESIGN FOR FORCES IN LONGITUDINAL DIRECTION

Active earth pressure	K_a	=	0.279384
FOR NORMAL CASE, FA		=	1.0
unit wt of soil	γ	=	1.8
	δ	=	20
clear span between return wall		=	11.000 m
width of return wall		=	0.5
Avg. cover to reinforcement. (FOR 2-3 LAYERS)		=	0.150 m
H (From formation level)	=	9.322 m	

DESIGN FOR BENDING MOMENT

S.NO.	UNITS	1
H (FROM TOP)	m	9.322
WIDTH OF RETURN AT THIS LEVEL	m	3.600
FORCE DUE TO EARTH PRESSURE	t	123.197
MOMENT DUE TO EARTH PRESSURE	tm	482.344
FORCE DUE TO L.L. SURCHARGE	t	31.718
MOMENT DUE TO L.L. SURCHARGE	tm	147.836
TOTAL MOMENT	tm	630.180
DESIGN MOMENT	tm	630.180
REQUIRED EFFECTIVE DEPTH	m	3.229
EFF. DEPTH AVAILABLE	m	3.450
AREA OF STEEL REQUIRED	cm ²	100.720
DIAMETER OF BAR PROVIDED	mm	32
TOTAL NO. OF BARS	no.	16
AREA OF STEEL PROVIDED	cm ²	128.68
		O.K.
		27.8

CHECK FOR SHEAR STRESS

SHEAR FORCE	t	159.914
SHEAR STRESS	t/m ²	92.704
$A_{st}/bd \times 100$	%	0.584
PERMISSIBLE SHEAR STRESS	MPa	0.33
PERMISSIBLE SHEAR STRESS	t/m ²	33.67
A_{sv}/sv	cm ² /m	8.387

Design of Abutment Cap:

As the cap is fully supported on the abutment. Minimum thickness of the cap required as per cl: 710.8.2 of IRC:78-2000 is 200 mm.

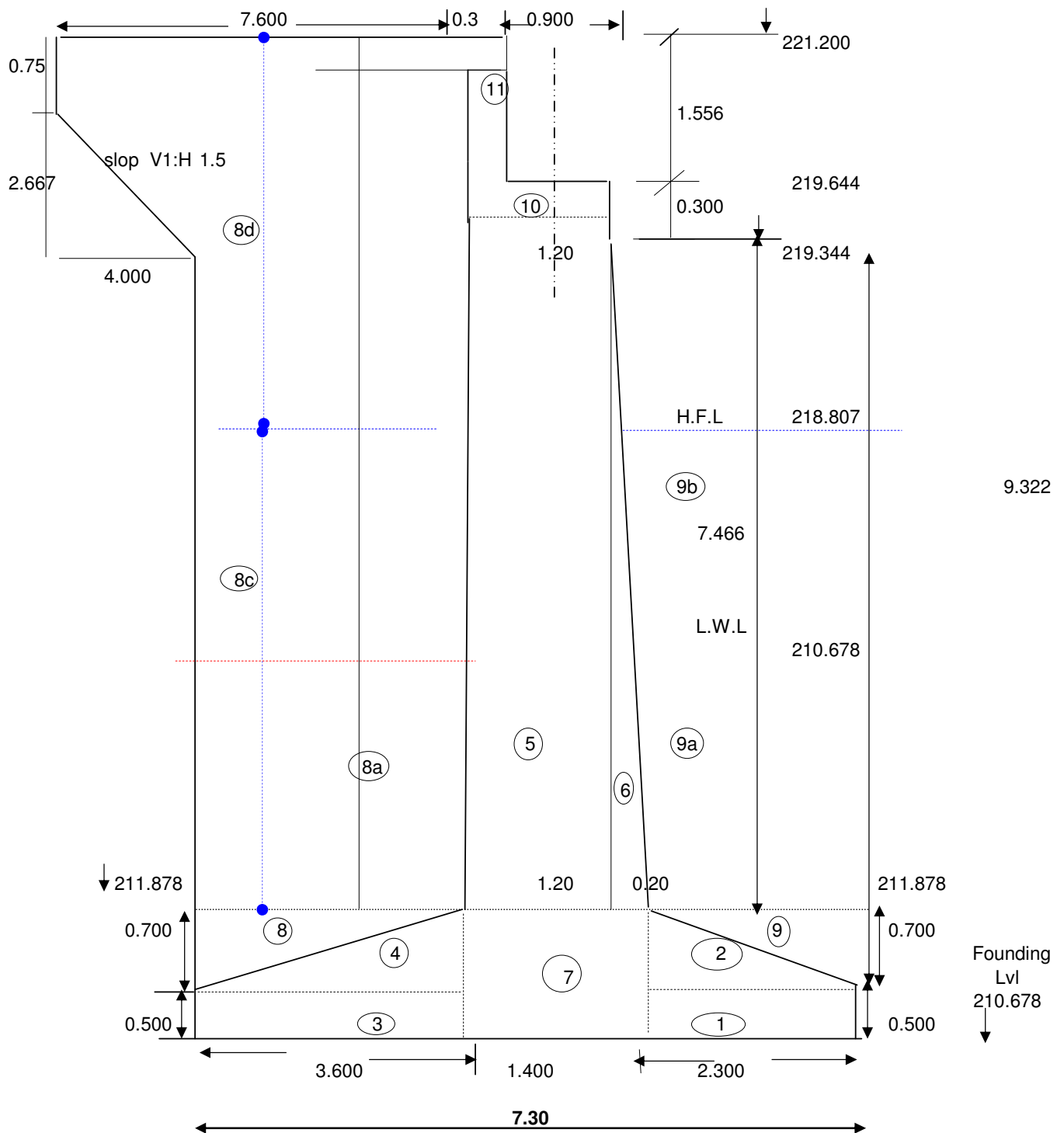
$$\begin{aligned}
 \text{However the thickness of abutment cap is} &= 300 \text{ mm} \\
 \text{Assuming a cap thickness of} &= 300 \text{ mm} \\
 \text{Volume of Abutment cap} &= 0.3 \times 1.20 \times 12 \\
 &= 4.32 \text{ m}^3 \\
 \text{Quantity of steel} &= 1 \% \text{ of volume} \\
 &= \frac{1}{100} \times 4.32 \\
 &= 0.0432 \text{ m}^3 \\
 \text{Quantity of steel to be provided at top} &= 0.0216 \text{ m}^3 \\
 \text{Quantity of steel to be provided at bottom} &= 0.0216 \text{ m}^3
 \end{aligned}$$

Top & bottom face:

$$\begin{aligned}
 \text{Quantity of steel to be provided in Longitudinal di} &= 0.0108 \text{ m}^3 \\
 \text{Assuming a clear cover of} &= 50 \text{ mm} \\
 \text{Length of bar } 12.00 - 0.100 &= 11.9 \text{ m} \\
 \text{Area of steel required in Longitudinal direction} &= \frac{0.0108}{11.9} = 907.563 \text{ mm}^2 \\
 \text{Provide } 9 \text{ nos of bars } 12 \text{ mm dia at top \& bottom face.} &= 1017.88 \text{ mm}^2
 \end{aligned}$$

Transverse steel:

$$\begin{aligned}
 \text{Quantity of steel to be provided in Longitudinal di} &= 0.0108 \text{ m}^3 \\
 \text{Assuming a clear cover of} &= 50 \text{ mm} \\
 \text{Assuming a dia of bar} &= 12 \text{ mm} \\
 \text{Length of bar } 1.20 - 0.100 &= 1.1 \text{ m} \\
 \text{Volume of each stirrup} &= 0.00012 \text{ m}^3 \\
 \text{no of stirrups required for m/length} &= 8 \text{ nos} \\
 \text{Required Spacing} &= \frac{1000}{8} \\
 &= 125 \text{ mm} \\
 \text{Provide } 12 \text{ mm dia bar } 125 \text{ mm c/c stirrups through in length of abutment cap.} &= 904.779 \text{ mm}^2
 \end{aligned}$$



```

INPUT FILE: 70r.STD
  3. STAAD PLANE
  4. INPUT WIDTH 72
  5. UNIT METER MTON
  6. PAGE LENGTH 1000
  7. UNIT METER MTON
  8. JOINT COORDINATES
  9. 1 0.00 0 0;2 0.3 0 0;3 14.3 0 0;4 14.6 0 0
10. MEMBER INCIDENCES
11. 1 1 2 3
12. MEMBER PROPERTY CANADIAN
13. 1 TO 3 PRI YD 1.0 ZD 1.0
14. CONSTANT
15. E CONCRETE ALL
16. DENSITY CONCRETE ALL
17. POISSON CONCRETE ALL
18. SUPPORT
19. 2 3 PINNED
20. DEFINE MOVING LOAD
21. TYPE 1 LOAD 8.0 2*12 4*17.0 DIS 3.96 1.52 2.13 1.37 3.05 1.37
22. LOAD GENERATION 175
23. TYPE 1 -13.4 0. 0. XINC .2
24. PERFORM ANALYSIS
25. LOAD LIST 74
26. PRINT SUPPORT REACTION
    SUPPORT REACTION

```

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = PLANE

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	74	0.00	34.46	0.00	0.00	0.00	0.00
3	74	0.00	65.54	0.00	0.00	0.00	0.00
27.	FINISH						


```

INPUT FILE: CLASS A.STD
  3. STAAD PLANE
  4. INPUT WIDTH 72
  5. UNIT METER MTON
  6. PAGE LENGTH 1000
  7. UNIT METER MTON
  8. JOINT COORDINATES
  9. 1 0.00 0 0;2 0.3 0 0;3 14.3 0 0;4 14.6 0 0
10. MEMBER INCIDENCES
11. 1 1 2 3
12. MEMBER PROPERTY CANADIAN
13. 1 TO 3 PRI YD 1.0 ZD 1.0
14. CONSTANT
15. E CONCRETE ALL
16. DENSITY CONCRETE ALL
17. POISSON CONCRETE ALL
18. SUPPORT
19. 2 3 PINNED
20. DEFINE MOVING LOAD
21. TYPE 1 LOAD 2*2.7 2*11.4 4*6.8 DIS 1.1 3.2 1.2 4.3 3 3 3
22. LOAD GENERATION 202
23. TYPE 1 -18.8 0. 0. XINC .2
24. PERFORM ANALYSIS
25. LOAD LIST 74
26. PRINT SUPPORT REACTION
    SUPPORT REACTION

```

```

SUPPORT REACTIONS -UNIT MTON METE    STRUCTURE TYPE = PLANE
-----

```

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	74	0.00	30.31	0.00	0.00	0.00	0.00
3	74	0.00	19.69	0.00	0.00	0.00	0.00

```

***** END OF LATEST ANALYSIS RESULT *****

```

```

27. FINISH

```

Stress in Concrete due to Loads = 51.94 Kg/cm²
Stress in Steel due to Loads = 1358.48 Kg/cm²
Percentage of Steel = .51 %

Abutment SHAFT ..HFL NORMAL

Depth of Section = 1.400 m
 Width of Section = 12.000 m

 Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 85.00 Kg/cm²
 Allowable Steel Stress = 2040.00 Kg/cm²

 Axial Load = 372.451 T
 Mxx = 986.389 Tm
 Myy = 152.042 Tm

Intercept of Neutral axis : X axis : = 189.496 m
 : y axis : = .391 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 44.09 Kg/cm²
 Stress in Steel due to Loads = 1046.55 Kg/cm²
 Percentage of Steel = .51 %

Abutment SHAFT ..HFL SPAN DISLODGED

Depth of Section = 1.400 m
 Width of Section = 12.000 m

 Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 85.00 Kg/cm²
 Allowable Steel Stress = 2040.00 Kg/cm²

 Axial Load = 190.676 T
 Mxx = 897.663 Tm
 Myy = .000 Tm

Intercept of Neutral axis : X axis : = ***** m
 : y axis : = .349 m

Steel Stress Governs Design

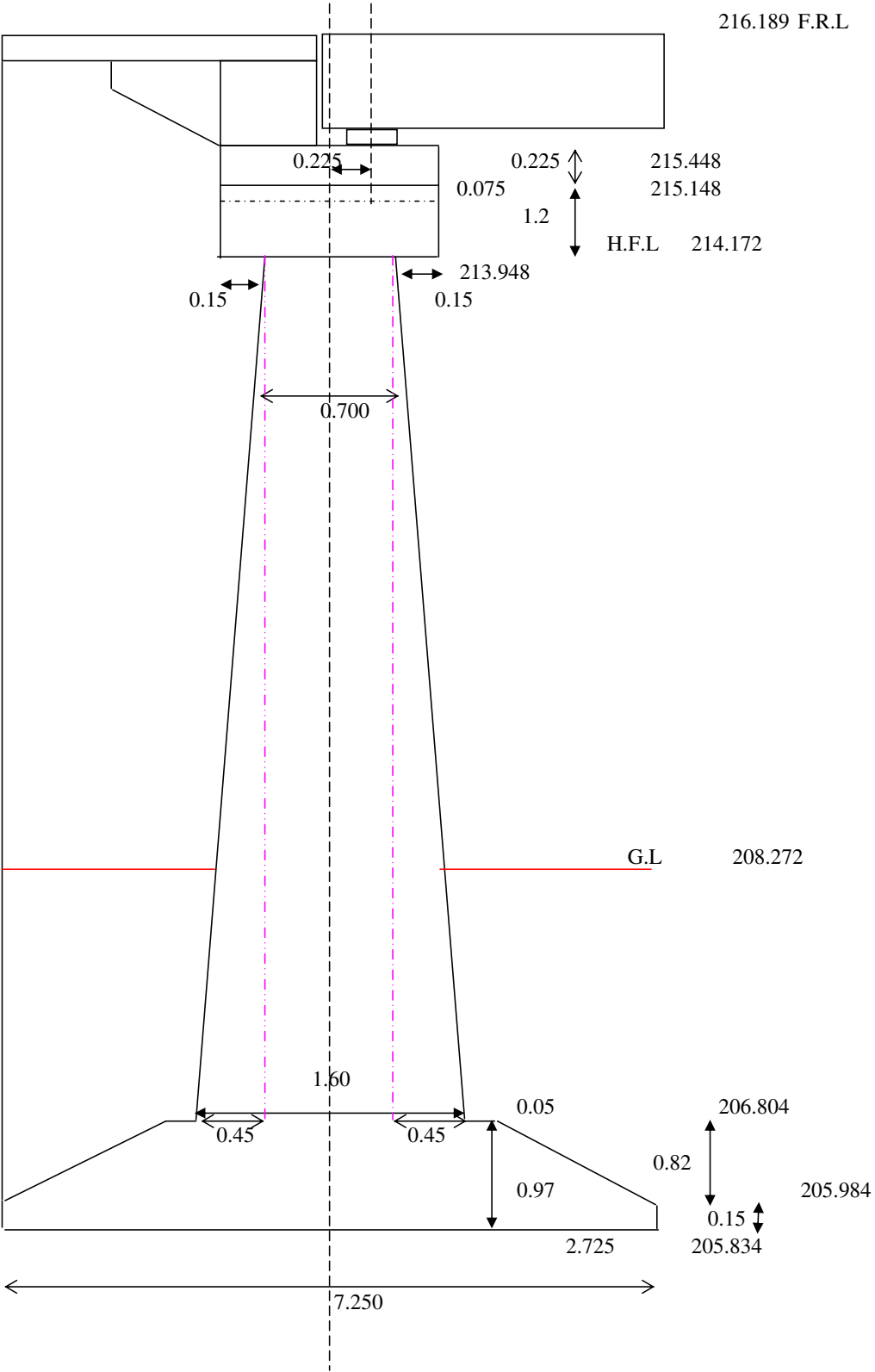
Stress in Concrete due to Loads = 38.47 Kg/cm²
 Stress in Steel due to Loads = 1044.81 Kg/cm²
 Percentage of Steel = .51 %

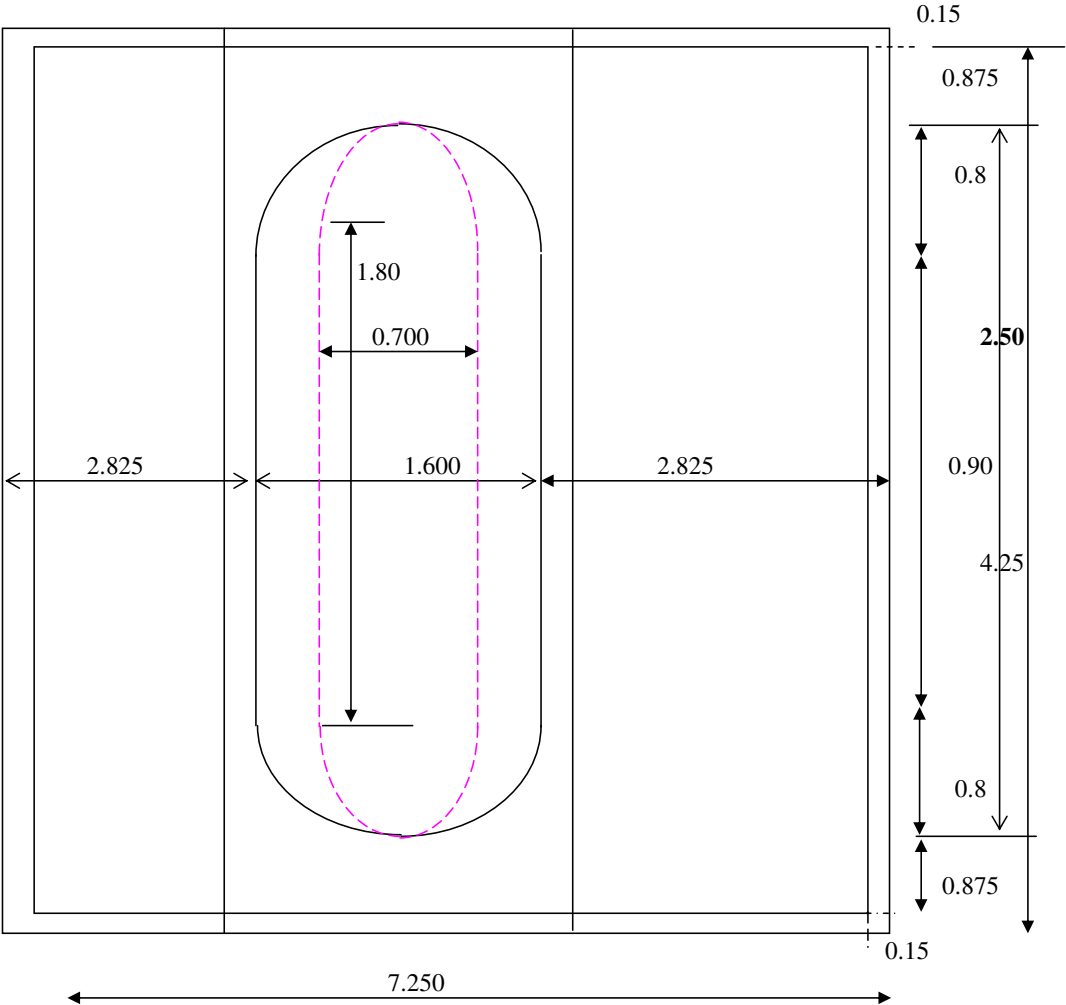
DESIGN OF SUPERSTRUCTURE

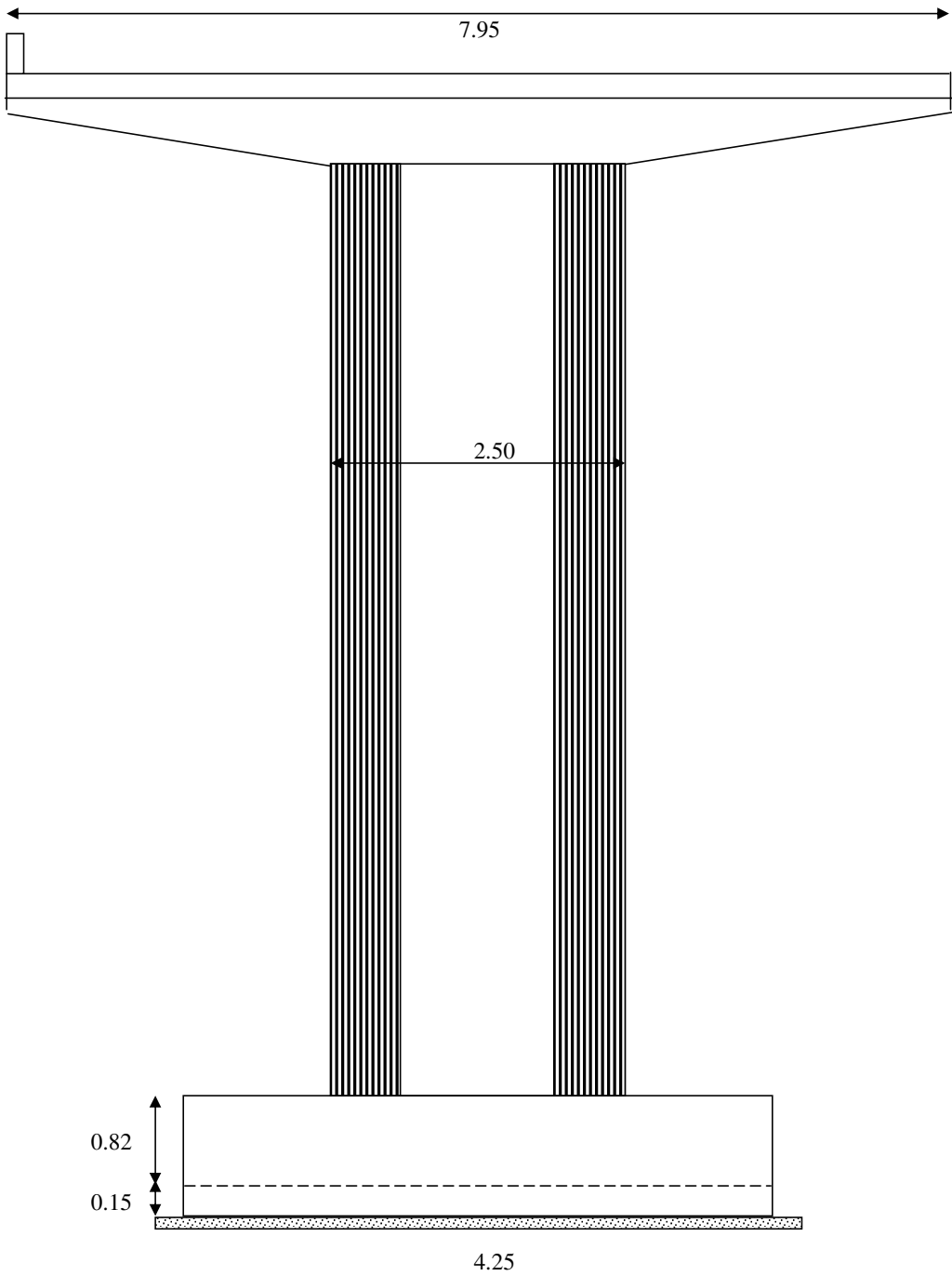
For Design of Superstructure of RCC Girder 12.0 m span refer MOST STANDARD Drawing titled “STANDARD PLANS FOR HIGHWAY BRIDGES (R.C.C T-beam and Slab Superstructure)” Drg. No. SD/260 to SD/266.

BRIDGE AT CH:27+600 & 28+900

STABILITY CHECK & DESIGN OF SUBSTRUCTURE(ABUTMENT PIER)







Design Data :

For design purposes, following parameters have been considered.

Grade of concrete	= M - 20
Abutment Cap	= M - 25
Grade of reinforcement steel	= Fe - 415
Centre to Centre distance of A / Expansion joints	= 9.200 m
Centre to Centre distance of Bearing	= 8.800 m
Depth of superstructure	= 660 mm
Thickness of wearing coat	= 56.00 mm
Formation level along C of carriage way	= 216.189 m
Soffit level	= 215.448
Pedestal top level	= 215.473
Height of bearing and Pedestal	= 0.025 m
L.W.L./Bed level	= 208.272 m
H.F.L	= 214.172 m
M.S.L	= 205.452 m
Founding Level	= 205.834 m
Abutment cap top level	= 215.448 m
Live Load (a) Class A two Lane	
(b) Class 70R wheeled	
Bearing neoprene but during raising Tar paper bearing may be kept.	
Seismic zone	= II

The following codes are used for the design of substructure:

- 1 IRC : 6 - 2000
- 2 IRC : 21 - 2000
- 3 IRC : 78 - 2000

Longitudinal translation due to creep, shrinkage & temperature = 0.0005
 Horizontal movement = $0.0005 \times 4.60 \times 1000 = 2.300 \text{ mm}$

Longitudinal Force :

Size of bearing = $400 \times 250 \times 50 \text{ mm}$

Strain in bearing = $\frac{2.300}{50} = 0.046$

Shear modulus = 1.0 Mpa

Shear force per Bearing = $0.046 \times 1.0 \times 400 \times 250 = 4600 \text{ N}$
 $= 0.469 \text{ t}$

Total shear force for 4 bearings (with 5 % increase)
 $= 0.469 \times 4 \times 1.05 = 1.969 \text{ t}$

Refer IRC : 6 clause 214.5.1.5;

10 % increase for variation in movement of span

Total shear force = $1.1 \times 1.969 = 2.166 \text{ t}$

As per clause 214.2 of IRC:6, horizontal braking force F_h , for each span is:

For Class A 2 lane : $F_h = 0.2 \times 49.5 = 9.896 \text{ t}$

For class 70R wheeled : $F_h = 0.2 \times 47.72 = 9.544 \text{ t}$

Summary of Longitudinal Forces :

Load Case	Longitudinal horizontal force (t)
Class A 2 lane	7.11
70R	6.94
Span dislodged condition	0.00

Dry Condition with L.L									
a) Vertical load and their moments about C/L of Foundation base.									
I									
1 D.L Reaction	P		e _L		M _L		e _T		M _T
a Left span	58.00		0.225		13.05		0		0
2 S.I.D.L									
a Left span	13.20		0.225		2.97		0		0
	71.2				16.02				0
4 L.L									
a Left span 70R Wheeled Class A 2 Lane									
	47.72		0.225		10.737		1.1		52.492
	49.48		0.225		11.133		0.625		30.925
	118.92				26.757				52.492

II Substructure	V		ρ	P		e_L	M_L		e_T		M_T
1 Pedestal											
a Left span	0.0096		2.4	0.0231		0.225	0.0052		0		0
2 Abut cap R	2.385		2.4	5.724		0	0		0		0
Abut cap Tr	5.37		2.4	12.888		0	0		0		0
3 Abut shaft											
up to G.L	14.461		2.4	34.706		0	0		0		0
below G.L	3.7401		2.4	8.9762		0	0		0		0
4 Footing	20.043		2.4	48.103		0	0		0		0
5 Earth above footing	51.338		1.80	92.408		0	0		0		0
6											
7 Earth wt on heel side	83.277		1.8	149.898		-2.213	-331.73				
				202.83			-332				0

<i>b) Horizontal Forces and Moments with respect to Base</i>											
1 Longitudinal Forces at bearing level											
	H_L	H_T		e_L	M_L		e_T		M_T		
	6.94	0		9.639	66.879		9.614		0		
2 Earth pressure					369.35						
	6.94	0			436.22				0		

Summary

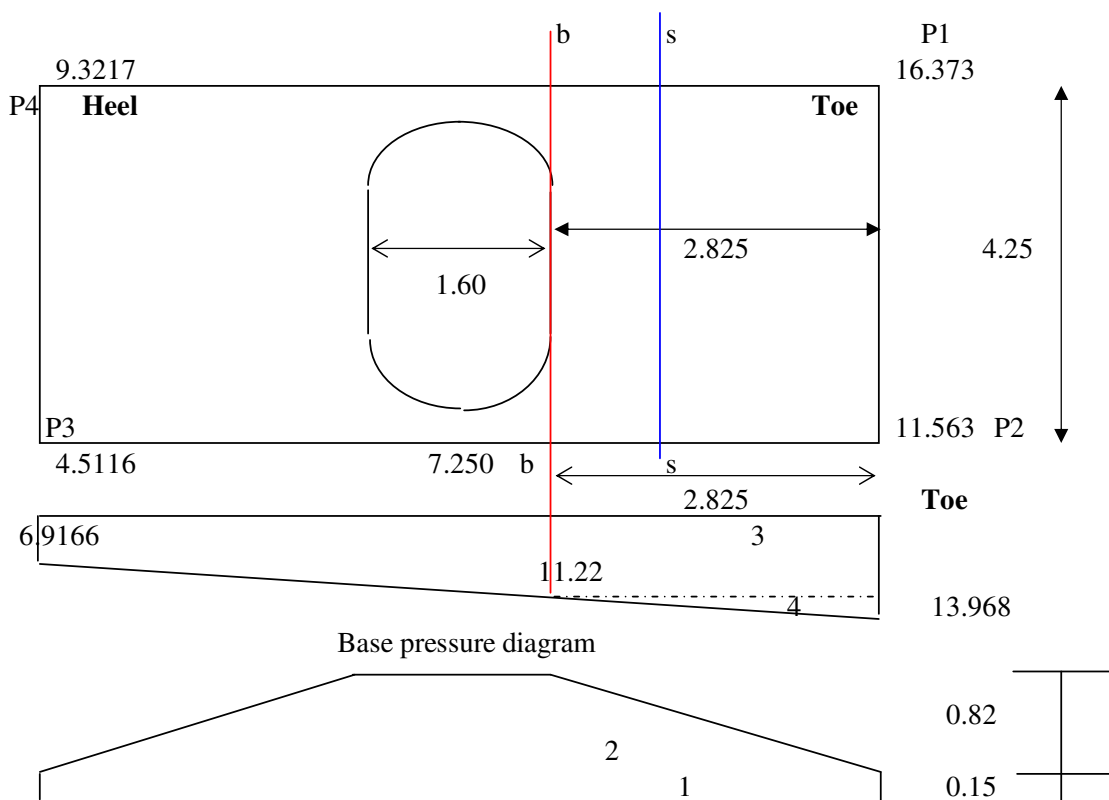
$$\begin{aligned}
 \mathbf{P} &= 321.75 \text{ t} \\
 \mathbf{M}_L &= 131 \text{ t-m} \\
 \mathbf{M}_T &= 52.492 \text{ t-m}
 \end{aligned}$$

A	=	30.813
Z _L	=	37.232
Z _T	=	21.826

Check for Maximum Allowable Base Pressure:

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{321.75}{30.813} + \frac{131.26}{37.232} + \frac{52.492}{21.826} = 16.373 \text{ t/m}^2
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{321.75}{30.813} - \frac{131.26}{37.232} - \frac{52.492}{21.826} = 4.5116 \text{ t/m}^2
 \end{aligned}$$

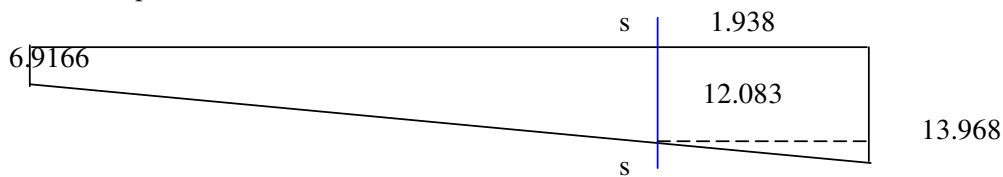
**Design of Toe slab**

Loadings	Element		Area factor	Force	L.A	Moment
Downward loads	1		1	1.017	1.4125	1.4365
	2		0.5	2.7798	0.9417	2.6176
Upward base pressure						
	3		1	-11.22	1.4125	-15.849
	4		0.5	-3.8808	0.9417	-3.6544

Net bending moment at face of stem	=	15.449 t-m/m
Effective depth required	=	0.4453 m
Effective depth Provided at face of stem	=	0.885 m
Area of reinforcement required	=	933.49 mm ²
Minimum steel req	=	1327.5 mm ²
Provide 16 ϕ 140 mm c/c	=	1436.2 mm ²

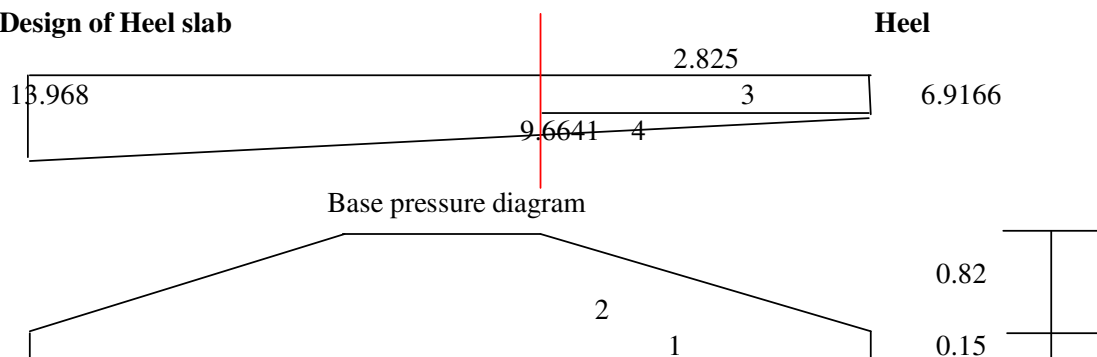
Shear

Effective depth d of footing	=	0.887 m
Total depth of section at distance d from Abutment	=	0.7125 m
Effective depth at distance d from face of Abutment	=	0.6215 m

width $b = 4.25$

Loadings	Element	Area factor	Force	L.A	Moment
Downward loads	1	1	0.6977	0.969	0.6761
	2	0.5	1.907	0.646	1.2319
Upward base pressure					
	3	1	-12.083	0.969	-11.708
	4	0.5	-1.8264	0.646	-1.1798
			11.30		10.98

Effective depth at a distance of d eff	=	0.6215 m
Shear at critical section	=	11.30 t
Bending moment at critical section	=	10.98 t-m
$\tan(\beta) = 0.423$		
Net shear force	=	3.83 t
Shear stress	=	6.1617 t/m ²
% of reinforcement	=	0.2311
Permissible shear stress	=	26.279 t/m ²
NO SHEAR REINFORCEMENT REQ		

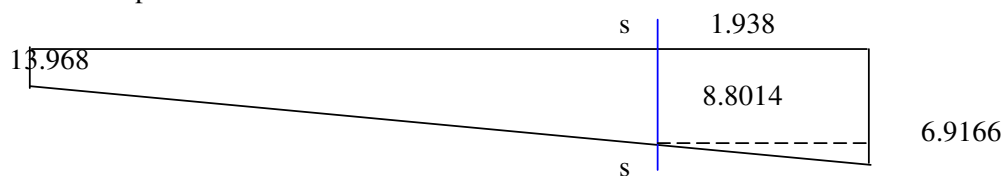
Design of Heel slab

Loadings	Element		Area factor		Force	L.A	Moment
Downward loads	1		1		1.017	1.4125	1.4365
	2		0.5		2.7798	0.9417	2.6176
	earth				51.892	1.4125	73.298
Upward base pressure							
	3		1		-6.9166	1.4125	-9.7697
	4		0.5		-3.8808	0.9417	-3.6544

Net bending moment at face of stem	=	63.928	t-m/m
Effective depth required	=	0.9058	m
Effective depth Provided at face of stem	=	0.9175	m
Area of reinforcement required	=	3726	mm ²
Minimum steel req	=	1376.3	mm ²
Provide 25 ϕ 125 mm c/c	=	3927	mm ²

Shear

Effective depth d of footing	=	0.8825	m
Total depth of section at distance d from Abutment	=	0.7138	m
Effective depth at distance d from face of Abutment	=	0.6138	m

width $b = 4.25$

Loadings	Element		Area factor		Force	L.A	Moment
Downward loads	1		1		0.6977	0.969	0.6761
	2		0.5		1.907	0.646	1.2319
	earth				35.599	0.969	34.496
Upward base pressure							
	3		1		-6.9166	0.969	-6.7022
	4		0.5		-1.8264	0.646	-1.1798
					29.46		28.52

Effective depth at a distance of d eff	=	0.6138	m
Shear at critical section	=	29.46	t
Bending moment at critical section	=	28.52	t-m
$\tan(\beta) = 0.423$			
Net shear force	=	9.80	t
Shear stress	=	15.967	t/m ²
% of reinforcement	=	0.6397	
Permissible shear stress	=	31.411	t/m ²
NO SHEAR REINFORCEMENT REQ			

Dry Condition with L.L									
<i>a) Vertical load and their moments about Abutment Shaft bottom</i>									
II Substructure	V	ρ	P	e_L	M_L	e_T		M_T	
1 Pedestal									
a Left span	0.0096	2.4	0.0231	0.225	0.0052	0		0	
2 Abut cap R	1.7888	2.4	4.293	0	0	0		0	
Abut cap Tr	5.37	2.4	12.888	0	0	0		0	
3 Abutment shaft									
up to G.L	14.461	2.4	34.706	0	0	0		0	
below G.L	3.7401	2.4	8.9762	0	0	0		0	
4 Earth pressure					280				
			60.886		280			0	

<i>b) Horizontal Forces and Moments with respect to Abutment Shaft bottom</i>									
1 Longitudinal Forces at bearing level									
	H_L	H_T	e_L	M_L	e_T	M_T			
	6.94	0	8.669	60.149	8.644	0			
	6.94	0		60.149		0			

Summary for design of Abutment

$$\begin{aligned}
 \mathbf{P} &= 179.81 \text{ t} \\
 \mathbf{M_L} &= 367.35 \text{ t-m} \\
 \mathbf{M_T} &= 52.492 \text{ t-m}
 \end{aligned}$$

H.F.L Condition with L.L									
a) Vertical load and their moments about C/L of Foundation base.									
I									
1 D.L Reaction	P		e _L		M _L		e _T		M _T
a Left span	58.000		0.225		13.050		0.000		0.000
2 S.I.D.L									
a Left span	13.200		0.225		2.970		0.000		0.000
	71.200				16.020				0.000
3 L.L									
a Left span									
70R Wheeled	47.720		0.225		10.737		1.100		52.492
Class A 2 Lane	49.480		0.225		11.133		0.625		30.925
118.920			26.757				52.492		

II Substructure		V	ρ	P	e_L	M_L	e_T	M_T
1 Pedestal								
a Left span		0.010	2.400	0.023	0.225	0.005	0.000	0.000
2 Abut cap R		2.385	2.400	5.724	0.000	0.000	0.000	0.000
Abut cap Tr		5.370	2.400	12.888	0.000	0.000	0.000	0.000
3 Abut shaft up to H.F.L		0.000	2.400	0.000	0.000	0.000	0.000	0.000
below H.F.L		18.201	1.400	25.481	0.000	0.000	0.000	0.000
4 Footing		20.043	1.400	28.060	0.000	0.000	0.000	0.000
5 Earth above footing		51.338	1.000	51.338	0.000	0.000	0.000	0.000
6 Earth Pressure						230.383		
7 Earth wt on heel side		83.277	1.000	83.277	-2.213	-184.29		
				123.515		46.096		0.000

<i>b) Horizontal Forces and Moments with respect to Base</i>						
1 Longitudinal Forces at bearing level						
	H_L	H_T	e_L	M_L	e_T	M_T
	6.938	0.000	9.639	66.879	9.614	0.000
	6.938	0.000		66.879		0.000

Summary

$$\begin{aligned}
 P &= 242.435 \text{ t} \\
 M_L &= 139.732 \text{ t-m} \\
 M_T &= 52.492 \text{ t-m}
 \end{aligned}$$

Check for Maximum Allowable Base Pressure:

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{242.435}{30.813} + \frac{139.732}{37.232} + \frac{52.492}{21.826} = 14.026 \text{ t/m}^2
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{242.435}{30.813} - \frac{139.732}{37.232} - \frac{52.492}{21.826} = 1.710 \text{ t/m}^2
 \end{aligned}$$

H.F.L Condition with L.L*a) Vertical load and their moments about Abutment Shaft bottom*

II Substructure	V	ρ	P	e _L	M _L	e _T	M _T
1 Pedestal							
a Left span	0.010	2.400	0.023	0.225	0.005	0.000	0.000
2 Abut cap R	1.789	2.400	4.293	0.000	0.000	0.000	0.000
Abut cap Tr	5.370	2.400	12.888	0.000	0.000	0.000	0.000
3 Abut shaft up to H.F.L	0.000	2.400	0.000	0.000	0.000	0.000	0.000
below H.F.L	18.201	1.400	25.481	0.000	0.000	0.000	0.000
			42.685		0.005		0.000

*b) Horizontal Forces and Moments with respect to Abutment Shaft bottom**1 Longitudinal Forces at bearing level*

	H _L	H _T	e _L	M _L	e _T	M _T
	6.938	0.000	8.669	60.149	8.644	0.000
Earth pressure				179.197		
	6.938	0.000		239.346		0.000

Summary for design of Abutment shaft

P	=	161.605	t
M_L	=	266.108	t-m
M_T	=	52.492	t-m

Summary of Loads at Abutment Shaft bottom :

1 DRY condition	P		M_L		M_T
With L.L	179.81		367.35		52.49
2 H.F.L					
With L.L	161.61		266.11		52.49

Dimensions of Substructure & Foundation**1 Pedestal**

Length	=	0.7	
Width	=	0.55	Volume = 0.00963
Height	=	0.025	

2 Pier cap**a Top uniform portion**

Width	=	1.00	
Depth	=	0.225	Volume = 1.78875 m ³
Length	=	7.95	

b Top uniform portion

Width	=	1.00	
Depth	=	0.075	Volume = 0.59625 m ³
Length	=	7.95	

c Bottom trapezoidal portion

Width	=	1.00	
Depth	=	1.2	Volume = 5.37 m ³
Length	=	7.95	
Area at level 215.148 m	=	7.95 x 1	= 7.95 m ²
Area at level 213.948 m	=	1 x 1	= 1 m ²
			= 7.755 m ³

H.F.L

Pier cap	=	1.78875 m ³	
	=	0.59625 m ³	
	=	5.37 m ³	

3 Abutment shaft

Area at abutment shaft bottom	=	3.45062 m ²	
Area at abutment shaft top	=	1.64485 m ²	
Average area	=	2.54773 m ²	
Height of Abutment shaft	=	7.14	
Height above Ground level	=	5.676 m	Volume = 14.4609
Height below Ground level	=	1.468 m	Volume = 3.74007
			= 18.201 m ³

Height above H.F.L	=	0.000 m	Volume = 0
Height below H.F.L	=	7.14 m	Volume = 18.201
			= 18.201 m ³

4 Pedestal at footing top

Width	=	1.6	
Length	=	2.50	Volume = 0 m ³
Height	=	0	

5 Footing

at foundation level

Width	=	7.250	m
Length	=	4.25	m
Thickness at Root	=	0.97	m
Thickness at Tip	=	0.15	m

$$= 20.043 \text{ m}^3$$

Volume of Overburdden earth below ground level

$$\text{Total volume } 7.250 \times 4.250 \times 2.438 = 75.1209 \text{ m}^3$$

$$\text{Net volume below Ground level} = 51.3378 \text{ m}^3$$

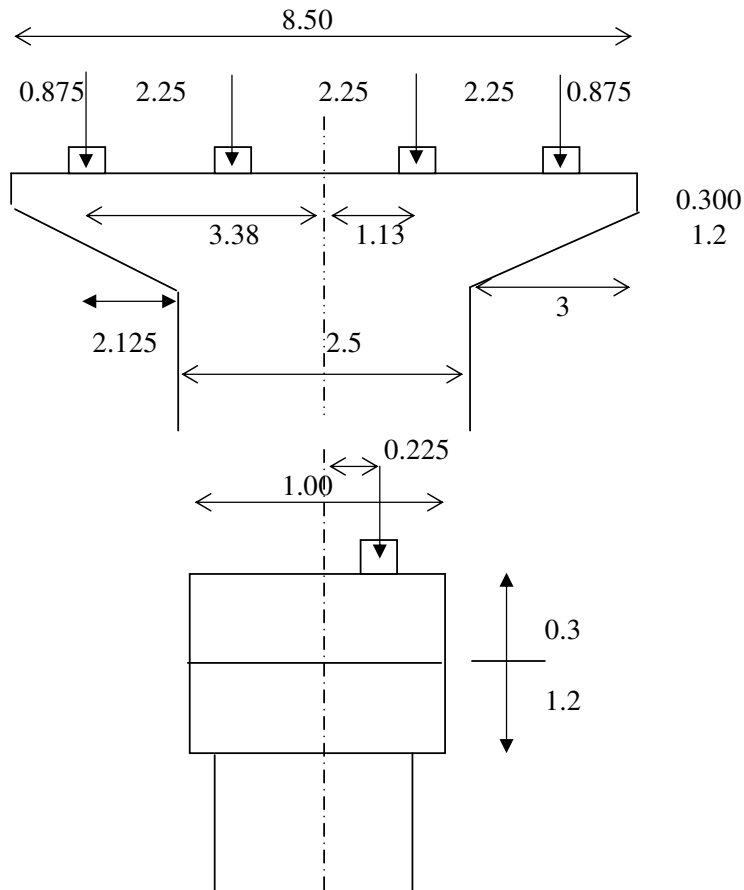
$$\text{Wt of earth on Heel side above ground level} = 83.2769 \text{ t}$$

Sectional Properties of Footing

$$A = 7.250 \times 4.250 = 30.813 \text{ m}^2$$

$$Z_L = 4.250 \times 8.76042 = 37.232 \text{ m}^3$$

$$Z_T = 7.250 \times 3.01042 = 21.826 \text{ m}^3$$

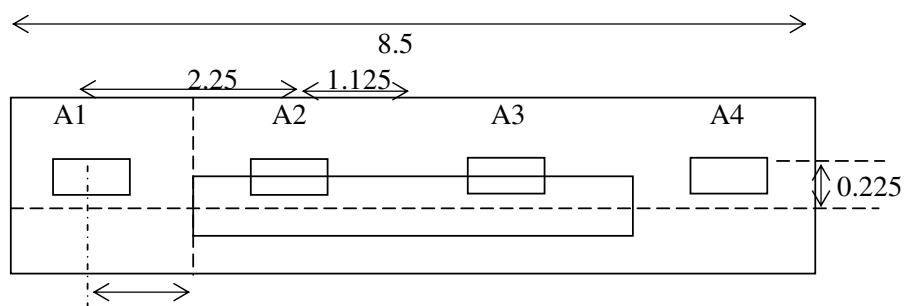
DESIGN OF ABUTMENT CAP:

For Outer bearing $a = 2.125$
 $D = 1.50$

Available effective depth
 using 25 mm dia of bars $d = 1.5 - 0.05 - 0.025$
 $= 1.425 \text{ m}$

$$\frac{a}{d} = \frac{2.125}{1.425} = 1.4912 > 1$$

= **Pier cap designed as Cantilever**



Bearings A1 & A4 are effective.

A1		
DL	14.5	
SIDL	3.3	
LL		
70RW	11.93	

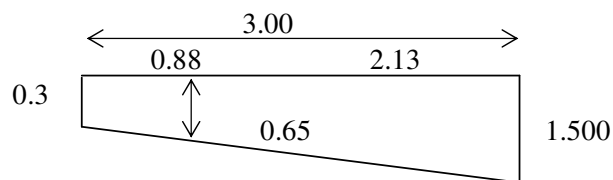
$$\text{due to Transverse moment} \quad A1 = 47.72 \times 1.16 = 55.355$$

$$A1 = \frac{55.355 \times 3.38}{25.31} = 7.3807 \text{ t}$$

Summary of loads from superstructure:

Loads on Outer bearings

A1	
DL	14.5
SIDL	3.3
LL	7.3807
	11.93
37.111	



Selfweight of piercap upto section through outerbearing:

$$= \frac{0.3 + 1.50}{2.00} \times 3.00 \times 1 \times 2.4 = 6.48 \text{ t}$$

$$\text{Distance of c.g from section} = 1.1667 \text{ m}$$

Calculation of Cantilevermoment at bearing section

Moment at the face due to load from outerbearing

$$= 37.11 \times 2.13 = 78.860223 \text{ t-m}$$

$$\text{Due to selfweight of Abutment cap} = 6.48 \times 1.1667 = 7.56 \text{ t-m}$$

$$\text{Total moment at the face of support} = \mathbf{86.42 \text{ t-m}}$$

Torsion at outerbearing section:

$$= 37.111$$

$$\text{Eccentricity} = 0.225$$

$$\text{Moment} = 8.3499 \text{ t-m}$$

Longitudinal Reinforcement:

$$\begin{aligned}
 M &= 86.42 &= 86.42 \text{ t-m} \\
 \text{For, } M - 25 &\text{ \& Fe - 415} \\
 \sigma_{cbc} &= 8.33 \text{ N/mm}^2 \\
 m &= 10 \\
 \sigma_{st} &= 200 \text{ N/mm}^2 \\
 K &= 0.294 \\
 j &= 0.902 \\
 R &= 1.105 \\
 \text{Effective depth required} &= \frac{86.42 \times 10^7}{1.105 \times 1000} \\
 &= 884.22 < 1425 \text{ O.K} \\
 A_{st} \text{ required} &= \frac{86.42}{200 \times 0.902 \times 1425} \\
 &= 3361.8851 \text{ mm}^2
 \end{aligned}$$

Provide 6 nos 20 mm dia bars in 2 layers 3769.9 mm²

This reinforcement will provided in full length of Abutment cap.

Check for Shear:

At bearing section

$$\begin{aligned}
 \text{Available Effective depth at root} &= 1425 \text{ mm} \\
 \text{Downward Load from Superstructure} &= 37.111 \\
 &= 37.111 \text{ t} \\
 \text{Downward Load due to self wt of Abutment cap} &= 6.48 \text{ t} \\
 \text{Total downward Load} &= 43.591 \text{ t}
 \end{aligned}$$

$$\begin{aligned}
 \text{After shear correction, S.F} &= V - \frac{M \tan \beta}{d} \\
 &= 43.591 - \frac{86.42 \times 0.4}{1.425} \\
 &= 19.332385 \text{ t}
 \end{aligned}$$

$$\begin{aligned}
 \text{Equivalent shear IRC:21-2000,cl:304.2.3.1} \\
 b &= \frac{1 + 1}{2} = 1 \text{ m} \\
 V_e &= V + 1.6 \times \frac{T}{b} = 32.692 \text{ t}
 \end{aligned}$$

$$\text{Shear stress} = \frac{32.692 \times 10000}{1000 \times 1425} = 0.2294 \text{ N/mm}^2$$

$$\begin{aligned}
 \text{Area of tension reinforcement} &= 0.2646 \% \\
 \tau_c &= 0.2671 \text{ N/mm}^2
 \end{aligned}$$

Provide minimum shear

EARTH PRESSURE CALCULATION

Formation level	=	216.189 m
Founding level	=	205.834 m
Low Water Level	=	208.272 m
Highest flood level	=	214.172 m

CALCULATION OF ACTIVE EARTH PRESSURE

From Coulomb's theory of active earth pressure

$$K_a = \frac{\sin^2(\alpha + \phi)}{\sin^2 \alpha \cdot \sin(\alpha - \delta) \left[1 + \sqrt{\frac{\sin(\phi + \delta) \cdot \sin(\phi - i)}{\sin(\alpha - \delta) \cdot \sin(\alpha + i)}} \right]^2}$$

Here Angle of internal friction,	ϕ	=	30°
Angle of friction between soil and concrete,	δ	=	20°
Surcharge angle	i	=	0°
Angle of wall face with horizontal	α	=	90°
Bulk density of earth	γ	=	1.8 t/m ³
Submerged density of earth	γ_{sub}	=	1.0 t/m ³
Width of abutment		=	2.50 m

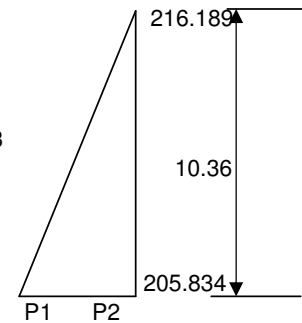
$$K_a = \frac{\sin^2 2.09}{\sin^2 1.57 \times \sin 1.22 \times \left[\sqrt{1 + \frac{\sin 0.87 \times \sin 0.52}{\sin 1.22 \times \sin 1.57}} \right]^2}$$

* (value of angles in radian)

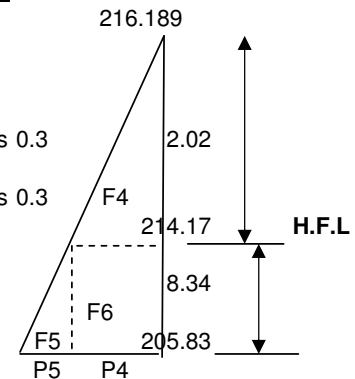
$$= \frac{0.750}{2.523} = 0.2973$$

CALCULATION OF EARTH PRESSURE IN DRY CONDITION

$$\begin{aligned} P1 &= 0.2973 \times 1.8 \times 10.36 = 5.5 \text{ t/m}^2 \\ P2 &= 0.2973 \times 1.0 \times 0.00 = 0 \text{ t/m}^2 \\ F1 &= 0.5 \times 5.542 \times 10.36 \times 2.5 \times \cos 0.3 \\ &= 67.404 \text{ t say } 68 \text{ t} \\ M &= 67.404 \times 0.42 \times 10.36 \\ &= 293 \text{ t-m} \end{aligned}$$

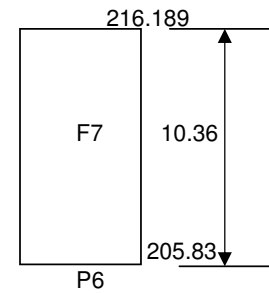
**CALCULATION OF EARTH PRESSURE IN FULL SUPPLY LEVEL CONDITION**

$$\begin{aligned} P4 &= 0.2973 \times 1.8 \times 2.02 = 1.1 \text{ t/m}^2 \\ P5 &= 0.2973 \times 1.0 \times 8.34 = 2.5 \text{ t/m}^2 \\ F4 &= 0.5 \times 1.079 \times 2.02 \times 2.5 \times \cos 0.3 = 2.5574 \text{ t} \\ F5 &= 0.5 \times 2.479 \times 8.34 \times 2.5 \times \cos 0.3 = 24.28 \text{ t} \\ F6 &= 1.08 \times 8.34 \times 2.5 \times \cos 0.3 = 21.14 \text{ t} \\ \text{Total force, } F &= 2.5574 + 24.28 + 21.14 = 48 \text{ t} \\ M &= 2.5574 \times (0.42 \times 2.02 + 8.34) + 24.28 \times 0.33 \times 8.34 + 21.1 \times \frac{8.34}{2} \\ &= 178 \text{ t-m} \end{aligned}$$



CALCULATION OF LIVE LOAD SURCHARGE**Dry**

$$\begin{aligned}
 P6 &= 0.2973 \times 1.2 \times 1.8 = 0.64 \text{ t/m}^2 \\
 F7 &= 0.64 \times 10.36 \times 3 \times \cos 0.3 \\
 &= 16 \text{ t} \\
 M &= 16 \times \frac{9.75}{2} = 76 \text{ t-m}
 \end{aligned}$$

**H.F.L**

$$\begin{aligned}
 P6 &= 0.2973 \times 1.2 \times 1.0 = 0.36 \text{ t/m}^2 \\
 F7 &= 0.6422 \times 2.02 \times 3 \times \cos 0.3 = 3.043011 \text{ t} \\
 &= 0.3568 \times 8.34 \times 3 \times \cos 0.3 = 6.988548 \text{ t} \\
 &= 10.03156 \\
 M &= 3.043 + 6.988548147 \times 5.1775 = 51.9384 \text{ tm}
 \end{aligned}$$

EARTH PRESSURE CALCULATION

Formation level	=	216.189 m
Abutment shaft bottom level	=	206.804 m
Low Water Level	=	208.272 m
Highest flood level	=	214.172 m

CALCULATION OF ACTIVE EARTH PRESSURE

From Coulomb's theory of active earth pressure

$$K_a = \frac{\sin^2(\alpha + \phi)}{\sin^2 \alpha \cdot \sin(\alpha - \delta) \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - i)}{\sin(\alpha - \delta) \cdot \sin(\alpha + i)} \right]^2}$$

Here Angle of internal friction,

Angle of friction between soil and concrete,

Surcharge angle

Angle of wall face with horizontal

Bulk density of earth

Submerged density of earth

Width of abutment

ϕ	=	30°
δ	=	20°
i	=	0°
α	=	90°
γ	=	1.8 t/m ³
γ_{sub}	=	1.0 t/m ³
	=	2.50 m

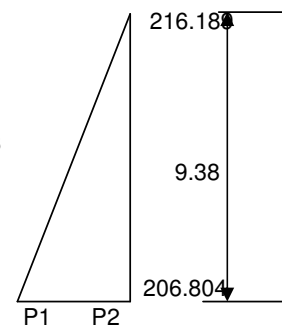
$$K_a = \frac{\sin^2 2.09}{\sin^2 1.57 \times \sin 1.22 \times \left[1 + \frac{\sin 0.87 \times \sin 0.52}{\sin 1.22 \times \sin 1.57} \right]^2}$$

* (value of angles in radian)

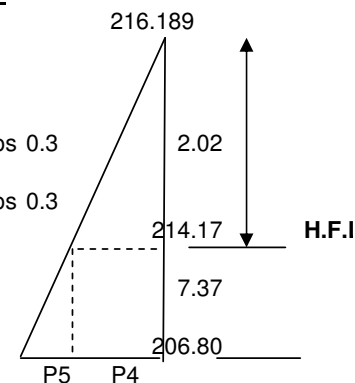
$$= \frac{0.750}{2.523} = 0.2973$$

CALCULATION OF EARTH PRESSURE IN DRY CONDITION

P1=	0.2973	x	1.8	x	9.38	=	5.02 t/m ²
P2=	0.2973	x	1.0	x	0.00	=	0 t/m ²
F1=	0.5	x	5.023	x	9.38	x	2.5 x cos 0.3
=	55.367 t		say	56 t			
M =	55.367	x	0.42	x	9.38		
=	218 t-m						

**CALCULATION OF EARTH PRESSURE IN FULL SUPPLY LEVEL CONDITION**

P4=	0.2973	x	1.8	x	2.02	=	1.08 t/m ²		
P5=	0.2973	x	1.0	x	7.37	=	2.19 t/m ²		
F4=	0.5	x	1.079	x	2.02	x	2.5	x	cos 0.3
=	2.5574 t								
F5=	0.5	x	2.191	x	7.37	x	3	x	cos 0.3
=	18.96 t								
F6=	1.08	x	7.37	x	2.5	x	cos 0.3		
=	18.68 t								
Total force, F =	2.5574	+		18.96	+	18.68			
=	40	t							
M =	2.5574	x	(	0.42	x	2.02	+	7.37)	P
+ 18.96	x	0.33	x	7.37	+	18.7	x	<u>7.37</u>	
=	136 t-m								

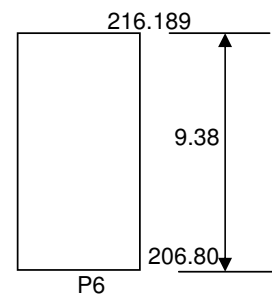


CALCULATION OF LIVE LOAD SURCHARGE**Dry**

$$\begin{aligned}
 P_6 &= 0.2973 \times 1.2 \times 1.8 = 0.64 \text{ t/m}^2 \\
 F_7 &= 0.64 \times 9.38 \times 3 \times \cos 0.3 \\
 &= 14 \text{ t} \\
 M &= 14 \times \frac{8.78}{2} = 62 \text{ t-m}
 \end{aligned}$$

H.F.L

$$\begin{aligned}
 P_6 &= 0.2973 \times 1.2 \times 1.0 = 0.36 \text{ t/m}^2 \\
 F_7 &= 0.6422 \times 2.02 \times 3 \times \cos 0.3 = 3.043011 \text{ t} \\
 &= 0.3568 \times 7.37 \times 3 \times \cos 0.3 = 6.175536 \text{ t} \\
 &= 9.218547 \\
 M &= 3.043 + 6.175536429 \times 4.6925 = 43.25803 \text{ tm}
 \end{aligned}$$



INPUT FILE: 9.2 M SPAN DL.STD

```
1. STAAD FLOOR
2. START JOB INFORMATION
3. ENGINEER DATE 09-JUN-06
4. END JOB INFORMATION
5. INPUT WIDTH 79
6. UNIT METER MTON
7. JOINT COORDINATES
8. 1 0.0 0.0 0.0;2 0.02 0.0 0.0;3 0.4 0.0 0.0 10 8.4 0.0 0.0;11 8.8 0.0 0.0
9. 12 9.18 0.0 0.0;139.22 0.0 0.0;14 9.6 0.00.0 22 18 0.00.0;2318.380.0 0.0
10. 24 18.4 0.0 0.0
11. REPEAT ALL 1 0.0 0.0 1.0
12. REPEAT 3 0.0 0.0 2.0
13. REPEAT 1 0.0 0.0 1.0
14. MEMBER INCIDENCES
15. 1 1 2 23 1 1
16. REPEAT 5 23 24
17. 139 1 25 143 1 24
18. REPEAT 23 5 1
19. CONSTANTS
20. E 2.7386E+006
21. POISSON 0.15
22. DENSITY 2.4 MEMB 1 TO 138
23. DENSITY 0.0001 MEMB 139 TO 258
24. MEMBER PROPERTY INDIAN
25. 2 TO 11 13 TO 22 117 TO 126 128 TO 137 PRIS AX 0.330 IX 0.024 IZ 0.012
26. 25 TO 34 36 TO 45 94 TO 103 105 TO 114 PRIS AX 0.990 IX 0.072 IZ 0.036
27. 48 TO 57 59 TO 68 71 TO 80 82 TO 91 PRIS AX 1.320 IX 0.096 IZ 0.048
28. 1 12 23 24 35 46 47 58 69 70 81 92 93 104 115 -
29. 116 127 138 PRIS AX 0.0001 IX 0.0002 IZ 0.0001
30. 139 TO 258 PRIS AX 0.0001 IX 0.0002 IZ 0.0001
31. SUPPORTS
32. 27 51 75 99 ENFORCED BUT FX FZ MX MY MZ
33. 38 62 86 110 ENFORCED BUT FX FZ MX MY MZ
34. 35 59 83 107 PINNED
35. 46 70 94 118 PINNED
36. MEMBER RELEASE
37. 1 24 47 93 116 END MZ
38. 23 46 92 115 138 START MZ
39. 12 35 58 81 104 127 START MZ
40. 12 35 58 81 104 127 END MZ

41. LOAD 1 SELFWEIGHT
42. SELF Y -1
43. PERFORM ANALYSIS
44. PRINT SUPPORT REACTION LIST 27 51 75 99 38 62 86 110 35 59 83 107 46 70
94 118
```

□ SUPPORT REACTION LIST 27 □

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = FLOOR

JOINT LOAD FORCE-X FORCE-Y FORCE-Z MOM-X MOM-Y MOM Z

□

27	1	0.00	16.77	0.00	0.00	0.00	0.00
51	1	0.00	12.24	0.00	0.00	0.00	0.00
75	1	0.00	12.24	0.00	0.00	0.00	0.00
99	1	0.00	16.77	0.00	0.00	0.00	0.00
38	1	0.00	16.42	0.00	0.00	0.00	0.00
62	1	0.00	12.60	0.00	0.00	0.00	0.00
86	1	0.00	12.60	0.00	0.00	0.00	0.00
110	1	0.00	16.42	0.00	0.00	0.00	0.00
35	1	0.00	16.58	0.00	0.00	0.00	0.00
59	1	0.00	12.44	0.00	0.00	0.00	0.00
83	1	0.00	12.44	0.00	0.00	0.00	0.00
107	1	0.00	16.58	0.00	0.00	0.00	0.00
46	1	0.00	16.86	0.00	0.00	0.00	0.00
70	1	0.00	12.16	0.00	0.00	0.00	0.00
94	1	0.00	12.16	0.00	0.00	0.00	0.00
118	1	0.00	16.86	0.00	0.00	0.00	0.00

***** END OF LATEST ANALYSIS RESULT *****

45. FINISH

INPUT FILE: 9.2 M SPAN SIDL.STD

```
1. STAAD FLOOR
2. START JOB INFORMATION
3. ENGINEER DATE 09-JUN-06
4. END JOB INFORMATION
5. INPUT WIDTH 79
6. UNIT METER MTON
7. JOINT COORDINATES
8. 1 0.0 0.0 0.0;2 0.02 0.0 0.0;3 0.4 0.0 0.0 10 8.4 0.0 0.0;11 8.8 0.0 0.0
9. 12 9.18 0.0 0.0;13 9.22 0.0 0.0;14 9.6 0.0 0.0 22180.00.0;2318.380.0 0.0
10. 24 18.4 0.0 0.0
11. REPEAT ALL 1 0.0 0.0 1.0
12. REPEAT 3 0.0 0.0 2.0
13. REPEAT 1 0.0 0.0 1.0
14. MEMBER INCIDENCES
15. 1 1 2 23 1 1
16. REPEAT 5 23 24
17. 139 1 25 143 1 24
18. REPEAT 23 5 1
19. CONSTANTS
20. E 2.7386E+006
21. POISSON 0.15
22. DENSITY 2.4 MEMB 1 TO 138
23. DENSITY 0.0001 MEMB 139 TO 258
24. MEMBER PROPERTY INDIAN
25. 2 TO 11 13 TO 22 117 TO 126 128 TO 137 PRIS AX 0.330 IX 0.024 IZ 0.012
26. 25 TO 34 36 TO 45 94 TO 103 105 TO 114 PRIS AX 0.990 IX 0.072 IZ 0.036
27. 48 TO 57 59 TO 68 71 TO 80 82 TO 91 PRIS AX 1.320 IX 0.096 IZ 0.048
28. 1 12 23 24 35 46 47 58 69 70 81 92 93 104 115 -
29. 116 127 138 PRIS AX 0.0001 IX 0.0002 IZ 0.0001
30. 139 TO 258 PRIS AX 0.0001 IX 0.0002 IZ 0.0001
31. SUPPORTS
32. 27 51 75 99 ENFORCED BUT FX FZ MX MY MZ
33. 38 62 86 110 ENFORCED BUT FX FZ MX MY MZ
34. 35 59 83 107 PINNED
35. 46 70 94 118 PINNED
36. MEMBER RELEASE
37. 1 24 47 93 116 END MZ
38. 23 46 92 115 138 START MZ
39. 12 35 58 81 104 127 START MZ
40. 12 35 58 81 104 127 END MZ
41. LOAD 1 SIDL
42. *** CRASH BARRIER
43. MEMBER LOAD
44. 25 TO 45 UNI GY -1.0
45. 94 TO 114 UNI GY -1.0
46. 25 TO 45 UMOM GX -1.0
47. 94 TO 114 UMOM GX 1.0
48. LOAD 2 WEARINGCOAT
49. MEMBER LOAD
50. 25 TO 114 UNI GY -0.2464
51. PERFORM ANALYSIS
```

□

52. PRINT SUPPORT REACTION LIST 27 51 75 99 38 62 86 110 35 59 83 107 46 70
94 118

□ SUPPORT REACTION LIST 27 □

STAAD FLOOR

-- PAGE NO. 3

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = FLOOR

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
27	1	0.00	7.42	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
51	1	0.00	-2.84	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
75	1	0.00	-2.84	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
99	1	0.00	7.42	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
38	1	0.00	6.97	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
62	1	0.00	-2.37	0.00	0.00	0.00	0.00
	2	0.00	1.14	0.00	0.00	0.00	0.00
86	1	0.00	-2.37	0.00	0.00	0.00	0.00
	2	0.00	1.14	0.00	0.00	0.00	0.00
110	1	0.00	6.97	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
35	1	0.00	7.19	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
59	1	0.00	-2.59	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
83	1	0.00	-2.59	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
107	1	0.00	7.19	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
46	1	0.00	7.52	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
70	1	0.00	-2.94	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
94	1	0.00	-2.94	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
118	1	0.00	7.52	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00

***** END OF LATEST ANALYSIS RESULT *****

53. FINISH

INPUT FILE: 70RW.STD

```

1. STAAD SPACE
2. INPUT WIDTH 72
3. UNIT METER MTON
4. PAGE LENGTH 1000
5. UNIT METER MTON
6. JOINT COORDINATES
7. 1 0.0 0 0;2 0.4 0 0;3 8.8 0 0;4 9.2 0 0
8. MEMBER INCIDENCES
9. 1 1 2 3
10. MEMBER PROPERTY CANADIAN
11. 1 TO 3 PRI YD 1.0 ZD 1.0
12. CONSTANT
13. E CONCRETE ALL
14. DENSITY CONCRETE ALL
15. POISSON CONCRETE ALL
16. SUPPORT
17. 2 3      PINNED
18. DEFINE MOVING LOAD
19. TYPE 1 LOAD 8.0 2*12 4*17.0  DIS 3.96 1.52 2.13 1.37 3.05 1.37
20. LOAD GENERATION 175
21. TYPE 1 -13.4 0. 0. XINC .2
22. PERFORM ANALYSIS
23. LOAD LIST 30
24. PRINT SUPPORT REACTION
    SUPPORT REACTION

```

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = SPACE

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
□							
	2 30	0.00	47.72	0.00	0.00	0.00	0.00
	3 30	0.00	20.28	0.00	0.00	0.00	0.00

***** END OF LATEST ANALYSIS RESULT *****

25. FINISH

INPUT FILE: CLASS A.STD

```

1. STAAD SPACE
2. INPUT WIDTH 72
3. UNIT METER MTON
4. PAGE LENGTH 1000
5. UNIT METER MTON
6. JOINT COORDINATES
7. 1 0.0 0 0;2 0.4 0 0;3 8.8 0 0;4 9.2 0 0
8. MEMBER INCIDENCES
9. 1 1 2 3
10. MEMBER PROPERTY CANADIAN
11. 1 TO 3 PRI YD 1.0 ZD 1.0
12. CONSTANT
13. E CONCRETE ALL
14. DENSITY CONCRETE ALL
15. POISSON CONCRETE ALL
16. SUPPORT
17. 2 3      PINNED
18. DEFINE MOVING LOAD
19. TYPE 1 LOAD 2*2.7 2*11.4 4*6.8  DIS 1.1 3.2 1.2 4.3 3 3 3
20. LOAD GENERATION 100
21. TYPE 1 -18.8 0. 0. XINC .2
22. PERFORM ANALYSIS
23. LOAD LIST 74
24. PRINT SUPPORT REACTION
    SUPPORT REACTION

```

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = SPACE

```

-----
JOINT  LOAD    FORCE-X    FORCE-Y    FORCE-Z    MOM-X    MOM-Y    MOM Z

```

2	74	0.00	24.74	0.00	0.00	0.00	0.00
3	74	0.00	11.66	0.00	0.00	0.00	0.00

***** END OF LATEST ANALYSIS RESULT *****

25. FINISH

STABILITY CHECK & DESIGN OF SUBSTRUCTURE (PIER)

Design Data :

For design purposes, following parameters have been considered.

Grade of concrete		= M - 20
	Pier Cap	= M - 25
Grade of reinforcement steel		= Fe - 415
Centre to Centre distance between Expansion joints		= 9.200 m
Centre to Centre distance of Bearing		= 8.800 m
Depth of superstructure		= 660 mm
Thickness of wearing coat		= 56.00 mm
Formation level along $\bar{C}$ of carriage way		= 216.189 m
Soffit level		= 215.423
Pedestal top level		= 215.473
Height of bearing and Pedestal		= 0.050 m
L.W.L./Bed level		= 208.272 m
H.F.L		= 214.172 m
M.S.L		= 205.452 m
Founding Level		= 205.834 m
Pier cap top level		= 215.423 m
Live Load	(a) Class A two Lane	
	(b) Class 70R wheeled	
Bearing	: neoprene but during raising Tar paper bearing may be kept.	
Seismic zone		= II

The following codes are used for the design of substructure:

- 1 IRC : 6 - 2000
- 2 IRC : 21 - 2000
- 3 IRC : 78 - 2000

Longitudinal translation due to creep, shrinkage & temperature = 0.0005

Horizontal movement = $0.0005 \times 4.60 \times 1000 = 2.300 \text{ mm}$

Longitudinal Force :

Size of bearing = $400 \times 250 \times 50 \text{ mm}$

Strain in bearing = $\frac{2.300}{50} = 0.046$

Shear modulus = 1.0 Mpa

Shear force per Bearing = $0.046 \times 1.0 \times 400 \times 250 = 4600 \text{ N}$
 $= 0.469 \text{ t}$

Total shear force for 4 bearings (with 5 % increase)

$= 0.469 \times 4 \times 1.05 = 1.969 \text{ t}$

Refer IRC : 6 clause 214.5.1.5;

10 % increase for variation in movement of span

Total shear force = $1.1 \times 1.969 = 2.166 \text{ t}$

As per clause 214.2 of IRC:6, horizontal braking force F_h , for each span is:

For Class A 2 lane : $F_h = [0.2 \times 59.2] = 11.836 \text{ t}$

For class 70R wheeled : $F_h = [0.2 \times 66.1] = 13.210 \text{ t}$

Summary of Longitudinal Forces :

Load Case	Longitudinal horizontal force (t)
Class A 2 lane	8.08
70R	8.77
Span dislodged condition	2.17

Dry Condition with L.L							
<i>a) Vertical load and their moments about C/L of Foundation base.</i>							
I							
1 D.L Reaction	P		e_L	M_L		e_T	M_T
a Left span	58.00		-0.4	-23.2		0	0
b Right span	58		0.4	23.2		0	0
2 S.I.D.L							
a Left span	13.68		-0.4	-5.472		0	0
b Right span	13.68		0.4	5.472		0	0
	143.36			0			0
4 L.L Max Reaction case							
a Left span							
70R Wheeled + Class A	36		-0.4	-14.4		1.1	39.6
Class A 3 Lane	33.6		-0.4	-13.44		0.625	21
b Right span							
70R Wheeled + Class A	30.05		0.4	12.02		1.1	33.055
Class A 3 Lane	25.58		0.4	10.232		0.625	15.9875
4 L.L Max Longitudinal Moment case							
a Left span							
70R Wheeled + Class A	0		-0.4	0		1.1	0
Class A 3 Lane	6.88		-0.4	-2.752		0.625	4.3
b Right span							
70R Wheeled + Class A	47.15		0.4	18.86		1.1	51.865
Class A 3 Lane	47.74		0.4	19.096		0.625	29.8375
Max Reaction case	209.41			1.42			72.655
Max Longitudinal Moment	190.51			18.86			51.865

II Substructure	V	p	P	e_L	M_L	e_T	M_T
1 Pedestal							
a Left span	0	2.4	0	-0.4	0	0	0
b Right span	0	2.4	0	0.4	0	0	0
2 Pier cap R	2.385	2.4	5.724	0	0	0	0
Pier cap Tr	5.37	2.4	12.888	0	0	0	0
3 Pier shaft							
up to G.L	10.76912	2.4	25.846	0	0	0	0
below G.L	2.8356842	2.4	6.8056	0	0	0	0
4 Footing	11.73375	2.4	28.161	0	0	0	0
5 Earth above footing	34.826681	2	69.653	0	0	0	0
			149.08		0		0

b) Horizontal Forces and Moments with respect to Base									
1 Longitudinal Forces at bearing level									
	H_L 8.77		H_T 0		e_L 9.639		M_L 84.547	e_T 9.589	M_T 0
	8.77		0			84.547			0

Summary

	Max Reaction	Max Longitudinal
P	= 358.49 t	339.59
M_L	= 85.967 t-m	103.41
M_T	= 72.655 t-m	51.865

A	=	20.3
Z _L	=	19.623
Z _T	=	11.842

Max reaction

Check for Maximum Allowable Base Pressure:

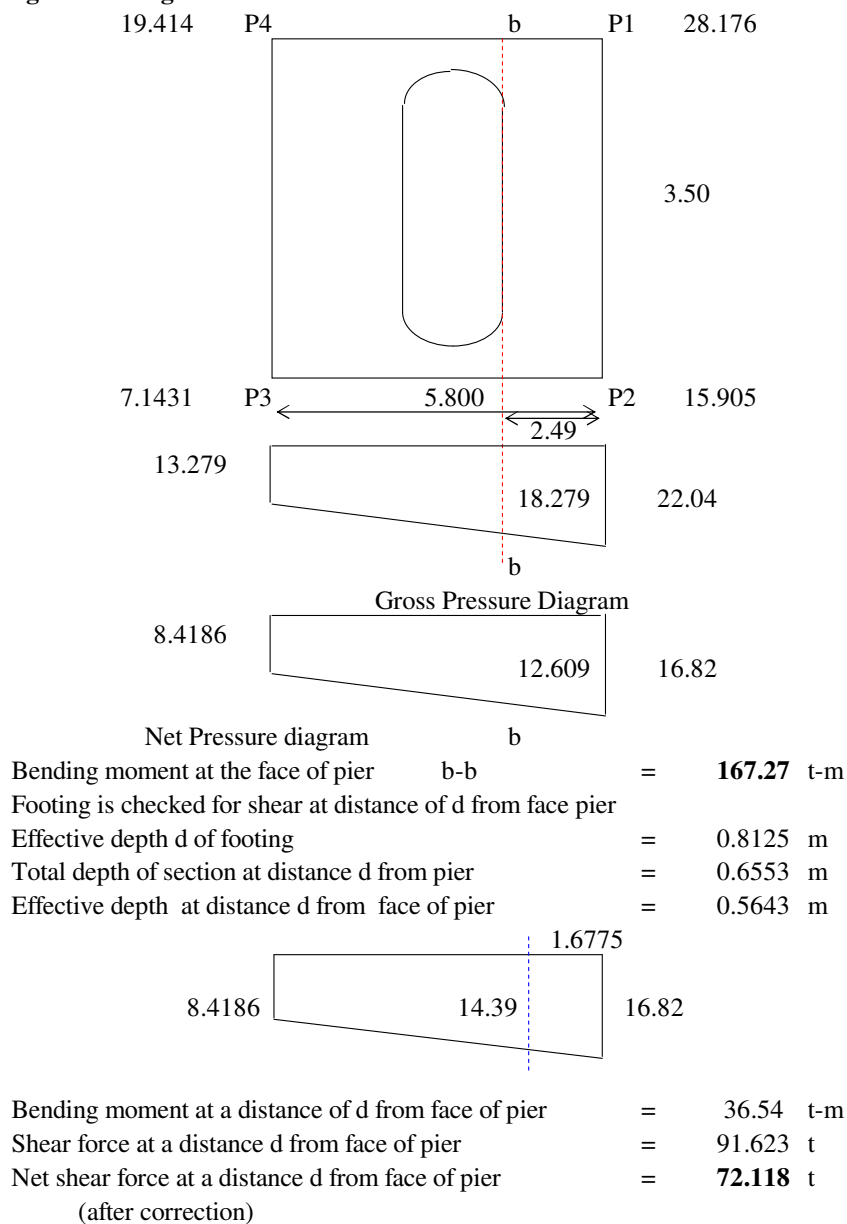
$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{358.48789}{20.3} + \frac{85.967}{19.623} + \frac{72.655}{11.842} = 28.1759 \text{ t/m}^2
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{358.48789}{20.3} - \frac{85.967}{19.623} - \frac{72.655}{11.842} = 7.1431 \text{ t/m}^2
 \end{aligned}$$

Max Long

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{339.58789}{20.3} + \frac{103.41}{19.623} + \frac{51.865}{11.842} = 26.37794 \text{ t/m}^2
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{339.58789}{20.3} - \frac{103.41}{19.623} - \frac{51.865}{11.842} = 7.078993 \text{ t/m}^2
 \end{aligned}$$

Design of Footing in Transverse direction**Design for Flexure:**

	M	=	20	Fe	=	415
Permissible compressive stress	σ_{cbc}	=	6.67	N/mm ²		
Permissible tensile stress	σ_{st}	=	200	N/mm ²		
	m	=	10			
	k	=	0.25			
	j	=	0.92			
	Q	=	0.7639			

$$\text{width } b = 3.50$$

$$\text{Effective depth required } d = 790.97 \text{ mm}$$

$$\text{Effective depth provided} = 812.5 \text{ mm}$$

$$A_{st} \text{ Required} = 3208.4 \text{ mm}^2$$

Provide 7 nos 25 dia bars /m width

Check for shear

$$\text{Shear stress at effective depth from pier} = 36.517 \text{ t/m}^2 \quad 0.358005$$

$$\% \text{ of steel provided} = 0.3565$$

$$\text{Permissible shear stress} = 25.5 \text{ t/m}^2 \quad 0.25$$

Area of shearreinforcement IRC:21-2000,cl:304.7.1.4

$$A_{sw} = \frac{V - (\tau_c \times b \times d) \times s}{\sigma_s \times d} = 403.08 \text{ mm}^2$$

Minimum Shear Reinforcement :

$$\frac{A_{sw}}{b \times s} = \frac{0.4}{0.87 \times f_y}$$

$$\frac{A_{sw}}{s} = \frac{0.4 \times b}{0.87 \times f_y} = 3.8776 \text{ mm}^2/\text{mm}$$

$$\text{Provide 2 Legged } 12 @ 200 = 1131$$

Dry Condition with L.L									
<i>a) Vertical load and their moments about Pier Shaft bottom</i>									
II Substructure	V		ρ	P		e_L	M_L		M_T
1 Pedestal									
a Left span	0		2.4	0		-0.4	0		0
b Right span	0		2.4	0		0.4	0		0
2 Pier cap R	2.385		2.4	5.724		0	0		0
Pier cap Tr	5.37		2.4	12.888		0	0		0
3 Pier shaft									
up to G.L	10.76912		2.4	25.846		0	0		0
below G.L	2.8356842		2.4	6.8056		0	0		0
				51.264			0		0

b) Horizontal Forces and Moments with respect to Pier Shaft bottom										
1 Longitudinal Forces at bearing level										
	H_L		H_T		e_L		M_L		e_T	M_T
	8.77		0		8.689		76.214		8.639	0
	8.77		0				76.214			0

<i>Summary for design of Pier</i>		Max Reaction case	Max Longitudinal moment
P	=	260.67 t	241.77
M_L	=	77.634 t-m	95.074
M_T	=	72.655 t-m	51.865

Dry Condition One.Span dislodged							
<i>a) Vertical load and their moments about C/L of Foundation base.</i>							

1 Longitudinal Forces at bearing level										
	H_L		H_T		e_L		M_L		e_T	M_T
	2.17		0		9.639		20.882		9.589	0
	2.17		0				20.882			0
<i>Summary</i>										
	P	=	292.44	t						
	M_L	=	20.882	t-m						
	M_T	=	0	t-m						

Check for Maximum Allowable Base Pressure:

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{292.43789}{20.3} + \frac{20.882}{19.623} + \frac{0}{11.842} = 15.46993 \text{ t/m}^2 \\
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{292.43789}{20.3} - \frac{20.882}{19.623} - \frac{0}{11.842} = 13.34169 \text{ t/m}^2
 \end{aligned}$$

Dry Condition One.Span dislodged										
a) Vertical load and their moments about Abutment Shaft bottom.										
1 Longitudinal Forces at bearing level										
	H_L		H_T		e_L		M_L		e_T	M_T
	2.17		0		8.689		18.824		8.639	0

<i>Summary for design of Pier</i>				
	P	=	194.62	t
	M_L	=	18.824	t-m
	M_T	=	0	t-m

H.F.L Condition with L.L							
<i>a) Vertical load and their moments about C/L of Foundation base.</i>							
I							
1.000 D.L Reaction	P		e_L	M_L		e_T	M_T
a Left span	58.000		-0.400	-23.200		0.000	0.000
b Right span	58.000		0.400	23.200		0.000	0.000
2.000 S.I.D.L							
a Left span	13.680		-0.400	-5.472		0.000	0.000
b Right span	13.680		0.400	5.472		0.000	0.000
	143.360			0.000			0.000
3.000 L.L Max Reaction case							
a Left span							
70R Wheeled	36.000		-0.400	-14.400		1.100	39.600
Class A 2 Lane	33.600		-0.400	-13.440		0.625	21.000
b Right span							
70R Wheeled	30.050		0.400	12.020		1.100	33.055
Class A 2 Lane	25.580		0.400	10.232		0.625	15.988
4.000 L.L Max Long.Moment case							
a Left span							
70R Wheeled	0.000		-0.400	0.000		1.100	0.000
Class A 2 Lane	6.880		-0.400	-2.752		0.625	4.300
b Right span							
70R Wheeled	47.150		0.400	18.860		1.100	51.865
Class A 2 Lane	47.740		0.400	19.096		0.625	29.838

Max Reaction case: 209.410 1.420 72.655
Max Long. moment case: 190.510 18.860 51.865

II	Substructure	V	ρ	P	e_L	M_L	e_T	M_T
1.000 Pedestal								
a	Left span	0.000	2.400	0.000	-0.400	0.000	0.000	0.000
b	Right span	0.000	2.400	0.000	0.400	0.000	0.000	0.000
2.000 Pier cap R		2.385	2.400	5.724	0.000	0.000	0.000	0.000
Pier cap Tr		5.370	2.400	12.888	0.000	0.000	0.000	0.000
3.000 Pier shaft up to H.F.L		0.000	2.400	0.000	0.000	0.000	0.000	0.000
below H.F.L		13.605	1.400	19.047	0.000	0.000	0.000	0.000
4.000 Footing		11.734	1.400	16.427	0.000	0.000	0.000	0.000
5.000 Earth above footing		34.827	1.000	34.827	0.000	0.000	0.000	0.000
6.000 Water current				0.000	0.000	16.274	0.000	6.612
				88.913		16.274		6.612

<i>b) Horizontal Forces and Moments with respect to Base</i>						
1.000 Longitudinal Forces at bearing level						
	H_L	H_T	e_L	M_L	e_T	M_T
	8.771	0.000	9.639	84.547	9.589	0.000
	8.771	0.000		84.547		0.000

Summary

	Max Reaction case	Max Long.moment case
P	= 298.323 t	279.423
M_L	= 102.241 t-m	119.681
M_T	= 79.267 t-m	58.477

Check for Maximum Allowable Base Pressure:

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{298.323}{20.300} + \frac{102.241}{19.623} + \frac{79.267}{11.842} = 26.600 \text{ t/m}^2
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{298.323}{20.300} - \frac{102.241}{19.623} - \frac{79.267}{11.842} = 2.792 \text{ t/m}^2
 \end{aligned}$$

Max Long

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{279.423}{20.300} + \frac{119.681}{19.623} + \frac{58.477}{11.842} = 24.802 \text{ t/m}^2
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{279.423}{20.300} - \frac{119.681}{19.623} - \frac{58.477}{11.842} = 2.727 \text{ t/m}^2
 \end{aligned}$$

H.F.L Condition with L.L

a) Vertical load and their moments about Pier Shaft bottom

II	Substructure	V	p	P	e _L	M _L	e _T	M _T
1.000	Pedestal							
a	Left span	0.000	2.400	0.000	-0.400	0.000	0.000	0.000
b	Right span	0.000	2.400	0.000	0.400	0.000	0.000	0.000
2.000	Pier cap R	2.385	2.400	5.724	0.000	0.000	0.000	0.000
	Pier cap Tr	5.370	2.400	12.888	0.000	0.000	0.000	0.000
3.000	Pier shaft up to H.F.L	0.000	1.400	0.000	0.000	0.000	0.000	0.000
	below H.F.L	13.605	1.400	19.047	0.000	0.000	0.000	0.000
4.000	Water current					6.438		16.236
				37.659		6.438		16.236

b) Horizontal Forces and Moments with respect to Pier Shaft bottom

1.000 Longitudinal Forces at bearing level											
	H_L		H_T		e_L		M_L		e_T		M_T
	8.771		0.000		8.689		76.214		8.639		0.000
	8.771		0.000				76.214				0.000

Gross Pressure Diagram

Summary for design of Pier		Max Reaction case		Max Long.moment case	
Net P	P	=	247.069 t	228.169 t	
	M_L	=	84.072 t-m	101.512 t-m	
	M_T	=	88.891 t-m	68.101 t-m	

H.F.L Condition One.Span dislodged

a) Vertical load and their moments about C/L of Foundation base.

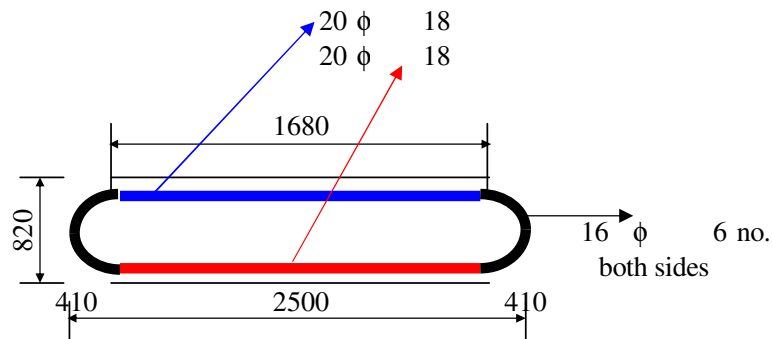
II	Substructure	V	ρ	P	e _L	M _L	e _T	M _T
1.000	Pedestal							
a	Left span	0.000	2.400	0.000	-0.400	0.000	0.000	0.000
b	Right span	0.000	2.400	0.000	0.400	0.000	0.000	0.000
2.000	Pier cap R	2.385	2.400	5.724	0.000	0.000	0.000	0.000
	Pier cap Tr	5.370	2.400	12.888	0.000	0.000	0.000	0.000
3.000	Pier shaft							
	up to H.F.L	0.000	2.400	0.000	0.000	0.000	0.000	0.000
	below H.F.L	13.605	1.400	19.047	0.000	0.000	0.000	0.000
4.000	Footing	11.734	1.400	16.427	0.000	0.000	0.000	0.000
5.000	Earth above footing	34.827	1.000	34.827	0.000	0.000	0.000	0.000
6.000	Water current			0.000	0.000	16.274	0.000	6.612
				88.913	16.274		6.612	

Summary				
	P	=	232.273 t	
	M_L	=	16.274 t-m	
	M_T	=	6.612 t-m	

Check for Maximum Allowable Base Pressure:

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{232.273}{20.300} + \frac{16.274}{19.623} + \frac{6.612}{11.842} = 12.830 \text{ t/m}^2
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{232.273}{20.300} - \frac{16.274}{19.623} - \frac{6.612}{11.842} = 10.054 \text{ t/m}^2
 \end{aligned}$$

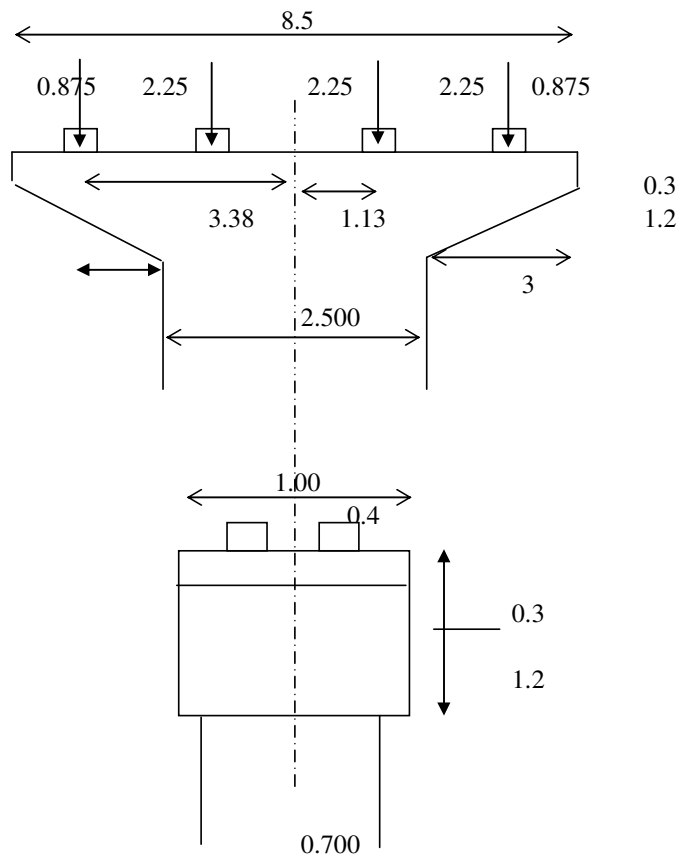


PLAN : PIER SHAFT

Reinforcement provided = 13722.477

Summary of Loads at Pier Shaft bottom :

1 DRY condition	P	M _L	M _T
With L.L	260.67	77.63	72.66
Span dislodged	194.62	18.82	0.00
2 H.F.L			
With L.L	247.07	84.07	88.89
Span dislodged	181.02	6.44	16.24



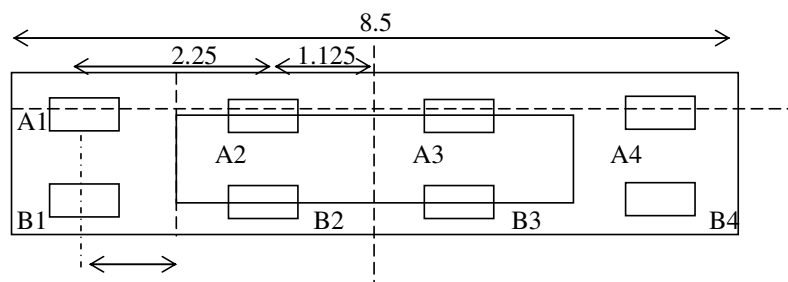
For Outer bearing $a = 2.125$
 $D = 1.5$

Available effective depth

using 25 mm dia of bars $d = 1.5 - 0.05 - 0.025$
 $= 1.425 \text{ m}$

$$\frac{a}{d} = \frac{2.125}{1.425} = 1.4912 > 1$$

= Pier cap designed as Cantilever



Loads on bearing

Bearings A1 & B1 are effective.

	A1	B1
DL	14.5	14.5
SIDL	3.3	3.3

LL

70RW 7.5125 9

due to Transverse moment A1 = 30.05 x 1.16 = 34.858

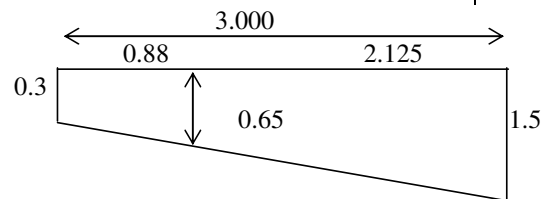
B1 = 36 x 1.16 = 41.76

$$A1 = \frac{34.858 \times 3.38}{25.31} = 4.6477 \text{ t}$$

$$B1 = \frac{41.76 \times 3.38}{25.31} = 5.568 \text{ t}$$

Summary of loads from superstructure:

Loads on Outer bearings						
			Left span		Right span	
			B1		A1	
DL			14.5		14.5	
SIDL			3.3		3.3	
LL			5.568		4.6477	
			9		7.5125	
			32.368		29.96	



Selfweight of piercap upto section through outerbearing:

$$= \frac{0.3 + 1.50}{2.00} \times 3.00 \times 1 \times 2.4 = 6.48 \text{ t}$$

$$\text{Distance of c.g from section} = 1.1667 \text{ m}$$

Calculation of Cantilevermoment at bearing section

Moment at the face due to load from outerbearing

$$= 62.328 \times 2.125 = 132.4475 \text{ t-m}$$

$$\text{Due to selfweight of pier cap} = 6.48 \times 1.1667 = 7.56 \text{ t-m}$$

$$\text{Total moment at the face of support} = 140.01 \text{ t-m}$$

Torsion at outerbearing section:

$$= 32.368 - 29.96$$

$$= 2.4078$$

$$\text{Eccentricity} = 0.4$$

$$\text{Moment} = 0.9631 \text{ t-m}$$

Longitudinal Reinforcement:

$$M = 140.01 + \quad = 140.01 \text{ t-m}$$

For, $M - 25$ & $Fe - 415$

$$\sigma_{cbc} = 8.33 \text{ N/mm}^2$$

$$m = 10$$

$$\sigma_{st} = 200 \text{ N/mm}^2$$

$$K = 0.294$$

$$j = 0.902$$

$$R = 1.105$$

$$\text{Effective depth required} = \frac{140.01 \times 10^7}{1.105 \times 1000}$$

$$= 1125.5 < 1425 \text{ O.K}$$

$$\begin{aligned} A_{st} \text{ required} &= \frac{140.01}{200 \times 0.902 \times 1425} \\ &= 5446.5159 \text{ mm}^2 \end{aligned}$$

Provide 6 nos 25 mm dia bars in 2 layers 5890.5 mm^2

This reinforcement will provided in full length of pier cap.

Check for Shear:

At bearing section

$$\text{Available Effective depth at root} = 1425 \text{ mm}$$

$$\text{Downward Load from Superstructure} = 32.368 + 29.96$$

$$= 62.328 \text{ t}$$

$$\text{Downward Load due to self wt of pier cap} = 6.48 \text{ t}$$

$$\text{Total downward Load} = 68.808 \text{ t}$$

$$\text{After shear correction, S.F} = V + \frac{M \tan \beta}{d}$$

$$= 68.808 + \frac{140.01 \times 0.4}{1.425}$$

$$= 29.507884 \text{ t}$$

Equivalent shear IRC:21-2000,cl:304.2.3.1

$$b = \frac{1 + 1}{2} = 1 \text{ m}$$

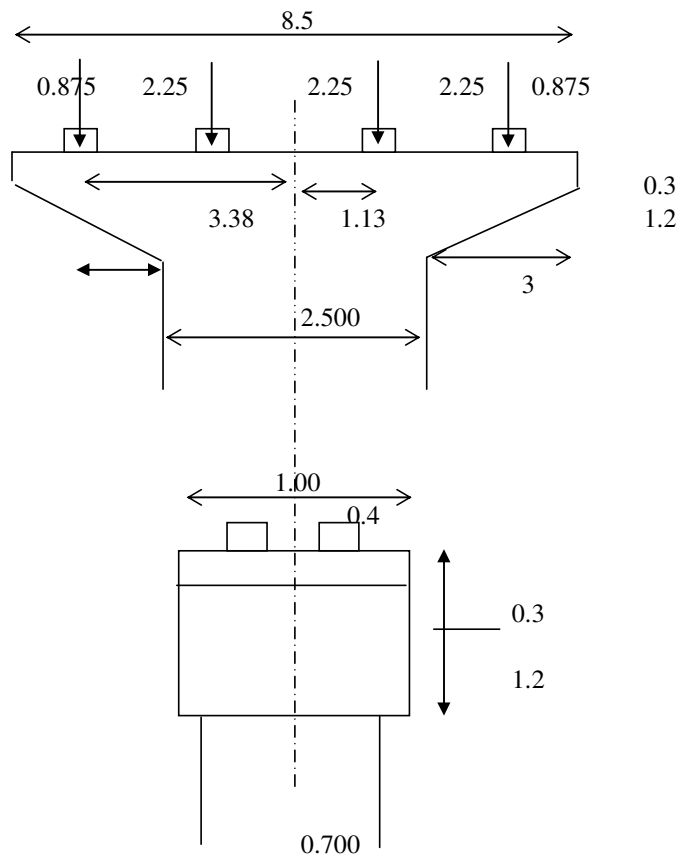
$$V = 29.508 \text{ t}$$

$$\text{Shear stress} = \frac{29.508 \times 10000}{1000 \times 1425} = 0.2071 \text{ N/mm}^2$$

$$\text{Area of tension reinforcement} = 0.4134 \%$$

$$\tau_c = 0.2873 \text{ N/mm}^2$$

Provide minimum shear



For Outer bearing

$$a = 2.125$$

$$D = 1.5$$

Available effective depth

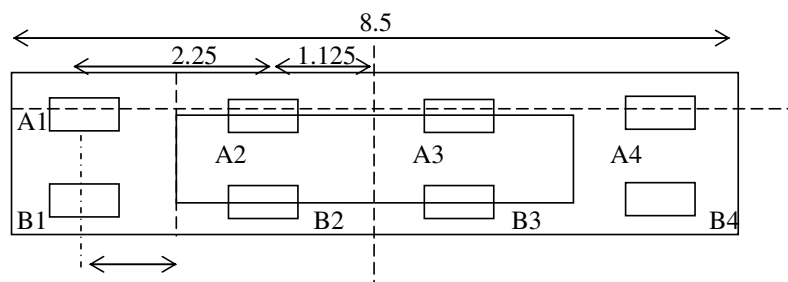
using 25 mm dia of bars

$$d = 1.5 - 0.05 - 0.025$$

$$= 1.425 \text{ m}$$

$$\frac{a}{d} = \frac{2.125}{1.425} = 1.4912 > 1$$

= Pier cap designed as Cantilever



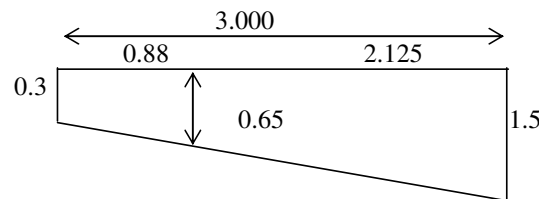
Loads on bearing

Bearings A1 & B1 are effective.

	A1	B1	
DL	14.5	14.5	
SIDL	3.3	3.3	
LL			
70RW	0	11.93	
due to Transverse moment	A1 = 0 x 1.16 = 0	B1 = 47.72 x 1.16 = 55.355	
A1	= $\frac{0 \times 3.38}{25.31}$	= 0 t	
B1	= $\frac{55.355 \times 3.38}{25.31}$	= 7.3807 t	

Summary of loads from superstructure:

Loads on Outer bearings						
			Left span		Right span	
			B1		A1	
DL			14.5		14.5	
SIDL			3.3		3.3	
LL			7.3807		0	
			11.93		0	
			37.111		17.8	



Selfweight of piercap upto section through outerbearing:

$$= \frac{0.3 + 1.50}{2.00} \times 3.00 \times 1 \times 2.4 = 6.48 \text{ t}$$

$$\text{Distance of c.g from section} = 1.1667 \text{ m}$$

Calculation of Cantilevermoment at bearing section

Moment at the face due to load from outerbearing

$$= 54.911 \times 2.125 = 116.68522 \text{ t-m}$$

$$\text{Due to selfweight of pier cap} = 6.48 \times 1.1667 = 7.56 \text{ t-m}$$

$$\text{Total moment at the face of support} = 124.25 \text{ t-m}$$

Torsion at outerbearing section:

$$= 37.111 - 17.8$$

$$= 19.311$$

$$\text{Eccentricity} = 0.4$$

$$\text{Moment} = 7.7243 \text{ t-m}$$

Longitudinal Reinforcement:

$$M_e = M + M_t$$

$$M_t = T \times \frac{1 + D/b}{1.7}$$

$$= 6.8155 \text{ t-m}$$

$$M_e = 124.25 + 6.8155 = 131.06 \text{ t-m}$$

For, M - 25 & Fe - 415

$$\sigma_{cbc} = 8.33 \text{ N/mm}^2$$

$$m = 10$$

$$\sigma_{st} = 200 \text{ N/mm}^2$$

$$K = 0.294$$

$$j = 0.902$$

$$R = 1.105$$

Effective depth required

$$= \frac{131.06 \times 10^7}{1.105 \times 1000}$$

$$= 1088.9 < 1425 \text{ O.K}$$

A_{st} required

$$= \frac{131.06}{200 \times 0.902 \times 1425}$$

$$= 5098.4736 \text{ mm}^2$$

Provide 6 nos 25 mm dia bars in 2 layers 5890.5 mm²

This reinforcement will provided in full length of pier cap.

Check for Shear:

At bearing section

Available Effective depth at root = 1425 mm

Downward Load from Superstructure = 37.111 + 17.8

$$= 54.911 \text{ t}$$

Downward Load due to self wt of pier cap = 6.48 t

Total downward Load = 61.391 t

After shear correction, S.F = $V + \frac{M \tan \beta}{d}$

$$= 61.391 + \frac{124.25 \times 0.4}{1.425}$$

$$= 26.514841 \text{ t}$$

Equivalent shear IRC:21-2000,cl:304.2.3.1

$$b = \frac{1 + 1}{2} = 1 \text{ m}$$

$$V_e = V + 1.6 \times \frac{T}{b} = 38.874 \text{ t}$$

Shear stress = $\frac{38.874 \times 10000}{1000 \times 1425} = 0.2728 \text{ N/mm}^2$

Area of tension reinforcement = 0.4134 %

$$\tau_c = 0.2873 \text{ N/mm}^2$$

INPUT FILE: 9.2 M SPAN CLASSA 2.STD

```

1. STAAD FLOOR
2. START JOB INFORMATION
3. ENGINEER DATE 09-JUN-06
4. END JOB INFORMATION
5. INPUT WIDTH 79
6. PAGE LENGTH 1000
7. UNIT METER MTON
8. JOINT COORDINATES
9. 1 0.0 0.0 0.0;2 0.02 0.0 0.0;30.4 0.0 0.0 10 8.4 0.0 0.0; 11 8.8 0.0 0.0
10. 12 9.18 0.0 0.0;13 9.22 0.0 0.0;14 9.6 0.0 0.0 22 18 0.0 0.0; 23 18.38
0.0 0.0
11. 24 18.4 0.0 0.0
12. MEMBER INCIDENCES
13. 1 1 2 23 1 1
14. CONSTANTS
15. E 2.7386E+006
16. POISSON 0.15
17. DENSITY 2.4 ALL
18. MEMBER PROPERTY INDIAN
19. 1 TO 23 PRIS YD 1 ZD 1
20. SUPPORTS
21. 3 22 FIXED BUT FX MZ
22. 11 14 PINNED
23. MEMBER RELEASE
24. 1 START FX FY MZ
25. 12 START FX FY MZ
26. 23 END FX FY MZ
27. DEFINE MOVING LOAD
28. TYPE 1 LOAD 2.7 2.7 11.4 11.4 6.8 6.8 6.8 6.8
29. DIST 1.1 3.2 1.2 4.3 3 3 3
30. **TWO LANE OF CLASS A
31. LOAD GENERATION 82
32. TYPE 1 -18.8 0 0 XINC 0.5
33. PERFORM ANALYSIS
34. **MAX REA
35. LOAD LIST 46
36. PRINT SUPPORT REACTION

```

□ SUPPORT REACTION

□

```

-----
JOINT  LOAD    FORCE-X    FORCE-Y    FORCE-Z    MOM-X    MOM-Y    MOM Z
      3   46      0.00      4.01      0.00      0.00      0.00      0.00
     22   46      0.00      8.20      0.00      0.00      0.00      0.00
     11   46      0.00     12.79      0.00      0.00      0.00      0.00
     14   46      0.00     16.80      0.00      0.00      0.00      0.00
37. ** MAX MOM
38. LOAD LIST 49
39. PRINT SUPPORT REACTION
      3   49      0.00      1.96      0.00      0.00      0.00      0.00
     22   49      0.00     12.53      0.00      0.00      0.00      0.00
     11   49      0.00      3.44      0.00      0.00      0.00      0.00
     14   49      0.00     23.87      0.00      0.00      0.00      0.00
40. FINISH

```

INPUT FILE: 9.2 M SPAN CLASSA 70R.STD

```

1. STAAD FLOOR
2. START JOB INFORMATION
3. ENGINEER DATE 09-JUN-06
4. END JOB INFORMATION
5. INPUT WIDTH 79
6. PAGE LENGTH 1000
7. UNIT METER MTON
8. JOINT COORDINATES
9. 1 0.0 0.0 0.0;2 0.02 0.0 0.0;30.4 0.0 0.0 10 8.4 0.0 0.0; 11 8.8 0.0 0.0
10. 12 9.18 0.0 0.0;13 9.22 0.0 0.0;14 9.6 0.0 0.0 22 18 0.0 0.0; 23 18.38
0.0 0.0
11. 24 18.4 0.0 0.0
12. MEMBER INCIDENCES
13. 1 1 2 23 1 1
14. CONSTANTS
15. E 2.7386E+006
16. POISSON 0.15
17. DENSITY 2.4 ALL
18. MEMBER PROPERTY INDIAN
19. 1 TO 23 PRIS YD 1 ZD 1
20. SUPPORTS
21. 3 22 FIXED BUT FX MZ
22. 11 14 PINNED
23. MEMBER RELEASE
24. 1 START FX FY MZ
25. 12 START FX FY MZ
26. 23 END FX FY MZ
27. DEFINE MOVING LOAD
28. TYPE 1 LOAD 8 12 12 17 17 17 17
29. DIST 3.96 1.52 2.13 1.37 3.05 1.37
30. ** CLASS 70 RW
31. LOAD GENERATION 82
32. TYPE 1 -13.4 0 0 XINC 0.5
33. PERFORM ANALYSIS
34. **MAX REA
35. LOAD LIST 29
36. PRINT SUPPORT REACTION

```

SUPPORT REACTION

□

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
3	29	0.00	18.95	0.00	0.00	0.00	0.00
22	29	0.00	15.00	0.00	0.00	0.00	0.00
11	29	0.00	30.05	0.00	0.00	0.00	0.00
14	29	0.00	36.00	0.00	0.00	0.00	0.00
37. ** MAX MOMENT							
38. LOAD LIST 19							
39. PRINT SUPPORT REACTION							
3	19	0.00	32.85	0.00	0.00	0.00	0.00
22	19	0.00	0.00	0.00	0.00	0.00	0.00
11	19	0.00	47.15	0.00	0.00	0.00	0.00
14	19	0.00	0.00	0.00	0.00	0.00	0.00
40. FINISH							

BRIDGE AT CH:27+800

DESIGN OF SUBSTRUCTURE (PIER)

Design Data :

For design purposes, following parameters have been considered.

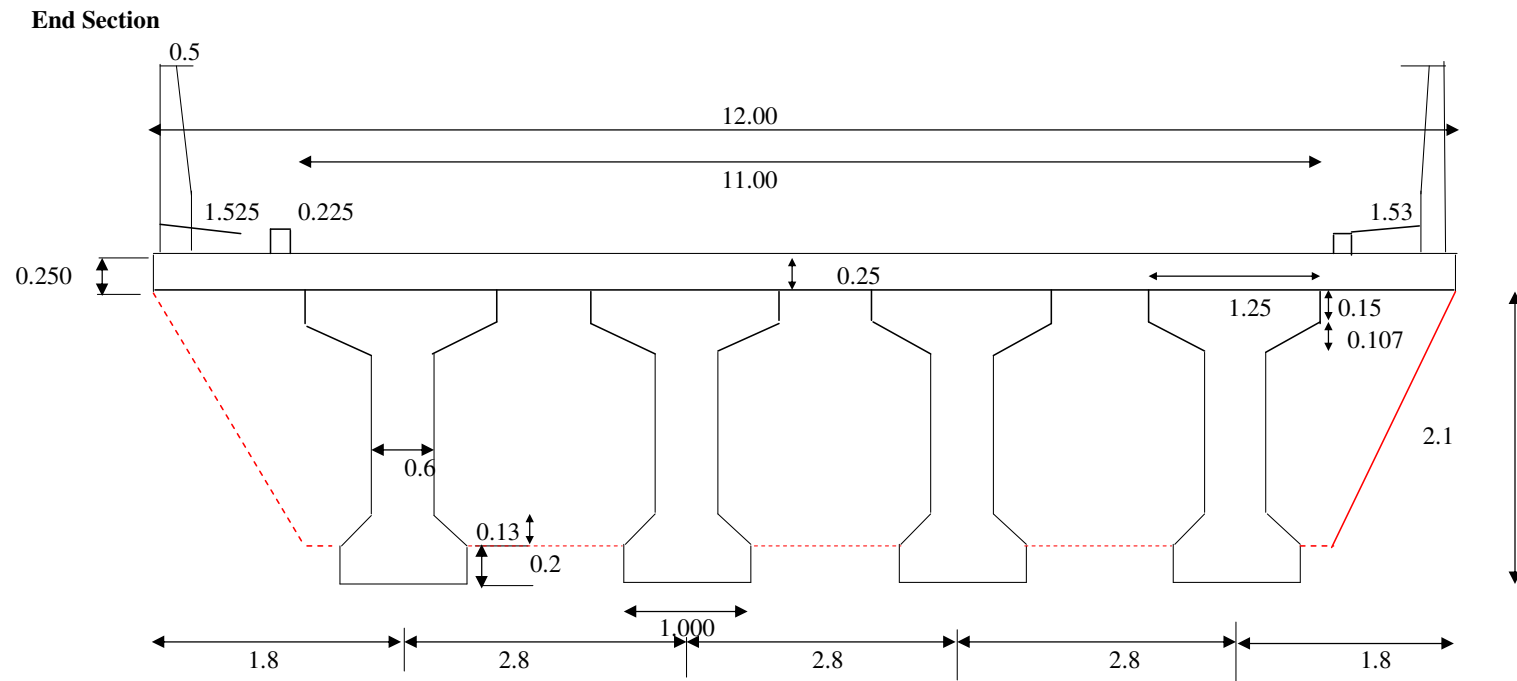
Grade of concrete	Pier & Pier Cap	= M - 35
	Pile cap & Pile	= M - 35
Grade of reinforcement steel		= Fe - 415
Centre to Centre distance of A / Expansion joints		= 32.200 m
Centre to Centre distance of Bearing		= 30.000 m
Depth of superstructure		= 2100 mm
Thickness of wearing coat		= 65.00 mm
Formation level along $\bar{C}$ of carriage way		= 218.139 m
Height of bearing and Pedestal		= 0.300 m
L.W.L./G.L		= 207.905 m
H.F.L		= 214.172 m
M.S.L		= 193.355
Pier cap top level		= 215.674 m
Pile cap top level		= 207.155 m
Depth of pile cap		= 1800 mm
Pile cap bottom level		= 205.355 m
Diameter of bored cast-in-situ piles		= 1200 mm
Length of piles above rock level		= 10.000 m
Length of piles below rock level		= 2.000 m
Total length of pile		= 12.000 m
Load carrying capacity of each pile		= 275 Tons
Live Load	(a) Class A 2 Lane	
	(b) Class 70R wheeled	
Maximum surface velocity of water	$= \sqrt{2} \times 3.000$ m/sec	= 4.24 m/sec
	Say,	4.30 m/sec

The following codes are used for the design of substructure:

- 1 IRC : 6 - 2000
- 2 IRC : 21 - 2000
- 3 IRC : 78 - 2000



1 slab	=	12×0.25	=	3	m ²
2 Top Flange	=	$4 \times [(0.15 \times 1.25) + (0.5 \times (1.25 + 0.275))] \times 0.16$	=	1.238	m ²
3 Web	=	$4 \times [(2.1 - (0.15 + 0.16) - (0.2 + 0.24)) \times 0.275]$	=	1.485	m ²
4 Bottom Bulb	=	$4 \times [(1 \times 0.2) + (0.5 \times (1 + 0.275))] \times 0.24$	=	1.412	m ²
Total	=		=	4.135	m ²



Depth of SuperStructure = 2.35

Number of Longitudinal Girders = 4

End section

$$1 \text{ slab} = 12 \times 0.25 = 3 \text{ m}^2$$
$$2 \text{ Top Flange} = 4 * [(0.15 * 1.25) + (0.5 * (1.25 + 0.6))] * 0.107 = 1.1459 \text{ m}^2$$
$$3 \text{ Web} = 4 * [(2.1 - (0.15 + 0.107) - (0.2 + 0.132)) * 0.6] = 3.6264 \text{ m}^2$$
$$4 \text{ Bottom Bulb} = 4 * [(1 * 0.2) + (0.5 * (1 + 0.6))] * 0.132 = 1.2224 \text{ m}^2$$

Total = **5.99** m²

$$\text{DL per running meter at Intermediate section} = 10.3375 \text{ t/m}$$
$$\text{DL per running meter at End section} = 14.98675 \text{ t/m}$$

Intermediate Cross Girder

Thickness of Cross Girder

Number of intermediate cross girders

Cross sectional area in elevation

DI of intermediate cross girder

End Cross Girder

Thickness of end Cross Girder

Number of intermediate cross girders

Cross sectional area in elevation

DI of intermediate cross girder

S.I.D.L

I Wearing Coat @ 1.0725 t/m

II Crash barrier @ 1.00 t/m

(provide one side enter 1,bothsides enter 2 , otherwise enter 0)

III R.C.C Post & Railing @ 0.085 t/m

(provide one side enter 1,bothsides enter 2 , otherwise enter 0)

= 0.3

= 3

= 12.2585 m²

= 27.58163 t

= 0.45

= 2

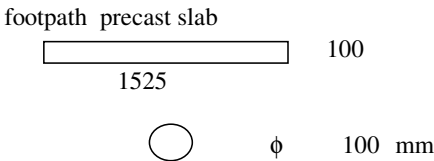
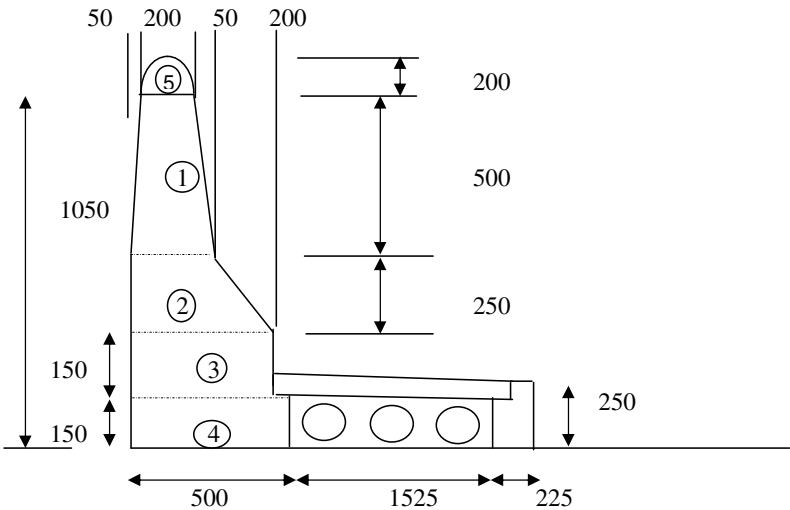
= 18.0277 m²

= 40.56233 t

= 1.0725 t/m

= 2.00 t/m

= 0 t/m



Wt due to Crashbarrier

Component	Area	Wt
1	0.100	0.24
2	0.0875	0.21
3	0.075	0.18
4	0.075	0.18
5	0.002	0.15413
		0.96 t/m

say, 1.000

Footpath precast slab

0.1525 0.38125 t/m

missllaneous utilities

0.2 t/m

Footpath kerb

0.05625 0.14063 t/m

sandfilling

0.20519 0.36934 t/m

IV Foot path precast @ 0.38125 t/m

(provide one side enter 1,bothsides enter 2 , otherwise enter 0) 2 = 0.7625 t/m

V Footpath Kerb @ 0.14063 t/m

(provide one side enter 1,bothsides enter 2 , otherwise enter 0) 2 = 0.28125 t/m

VI Missillaneous utilities @ 0.2 t/m

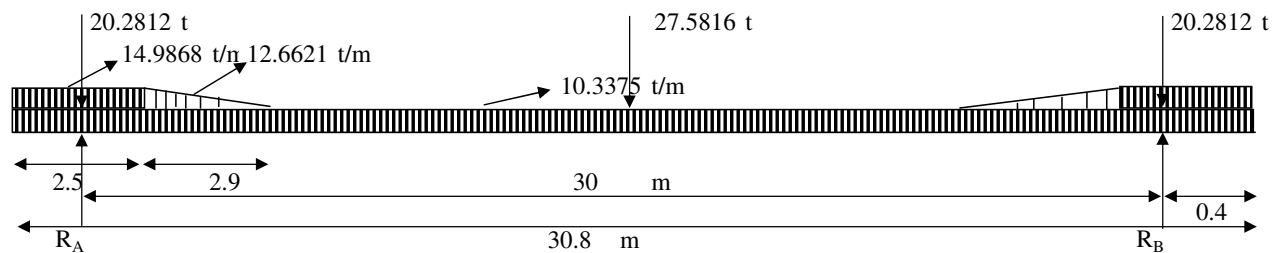
(provide one side enter 1,bothsides enter 2 , otherwise enter 0) 2 = 0.4 t/m

VII Sandfilling in footpath @ 0.36934 t/m

(provide one side enter 1,bothsides enter 2 , otherwise enter 0) 2 = 0.738677 t/m

Total = 5.25 t/m

Total S.I.D.L Reaction = 169.2086 t

**Due to girders:**

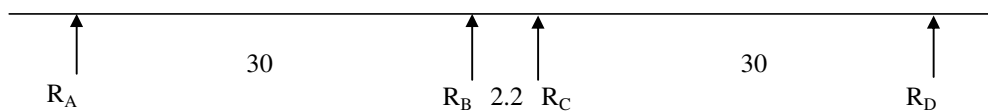
$$\text{Reaction } R_A = (10.3375 \times 0.5 \times 25.4) + (14.99 \times 2.5) + (0.5 \times 12.66 \times 2.9) + 20.28 + 13.79$$

$$= 221.1852 \text{ t}$$

$$\text{Due to SLAB} = 120.75 \text{ t}$$

$$\text{Due to SIDL} = 84.6043 \text{ t}$$

$$\text{Total DL + SIDL} = 853.079 \text{ t}$$

**Longitudinal Force :**

For Class A Single lane : $F_h = [0.2 \times 55.4] = 11.080 \text{ t}$

For class 70R wheeled : $F_h = [0.2 \times 100] = 20.000 \text{ t}$

For class A 2 lane $F_h = 0.2 \times 55.4 = 11.08 \text{ t}$

	Fixed Bearing	Free Bearing
i	$F_h - \mu(R_g + R_q)$	$\mu(R_g + R_q)$
ii	$\frac{F_h}{2} + \mu(R_g + R_q)$	$\mu(R_g + R_q)$
i	$20.0 - 0.05 \times 440.54$ $= -2.027 \text{ t}$	0.05×524.46 $= 26.223 \text{ t}$
ii	$\frac{20.0}{2} + 0.05 \times 440.54$ $= 32.027 \text{ t}$	0.05×524.46 $= 26.223 \text{ t}$

Summary of Longitudinal Forces :

Load Case	Longitudinal horizontal force (t)	Longitudinal Moment (t-m)
70R Wheeled	32.03	
Span dislodged	0.00	

Moment in Transverse Direction

Eccentricity of vertical load in transverse direction,

$$\begin{aligned}
 \text{(a) Class A Single lane} &= \frac{11.0}{2.00} - 0.40 - \left[\frac{1.80}{2} \right] = 4.2 \\
 \text{(b) Class A 2 lane} &= \frac{11.0}{2.00} - 0.40 - \left[\frac{1.80 \times 2 + 1.7}{2} \right] = 2.45 \\
 \text{(c) Class 70R Wheeled} &= \frac{11.0}{2.00} - 1.63 - \left[\frac{1.93}{2} \right] = 2.91
 \end{aligned}$$

Footpath Live load :

The effective span of girders = 32.200 m > 30.00 m

$$\text{Therefore, Intensity of footpath live load} = P = \left(P' - 260 + \frac{4800}{L} \right) \left(\frac{16.5 - W}{15} \right)$$

$$\text{Where, } P' = 400 \text{ Kg/m}^2$$

$$\begin{aligned}
 \text{Therefore,} & \left(400 - 260 + \frac{4800}{32.2} \right) \left(\frac{16.5 - 1.5}{15} \right) \\
 &= 289.07 \text{ Kg/m}^2 = 0.289 \text{ t/m}^2
 \end{aligned}$$

(a) When one side is loaded;

$$\text{Load on each span} = 0.289 \times 1.5 \times 32.200 = 13.962 \text{ t Say, } 14.0 \text{ t}$$

(b) When both sides are loaded;

$$\text{Load on each span} = 13.962 \times 2 = 27.924 \text{ t Say, } 28.0 \text{ t}$$

Eccentricity of load in transverse direction:

$$\text{(a) When one side is loaded} = 6 - \left(0.5 + \frac{1.5}{2} \right) = 4.75 \text{ m}$$

(b) When both sides loaded = Nil

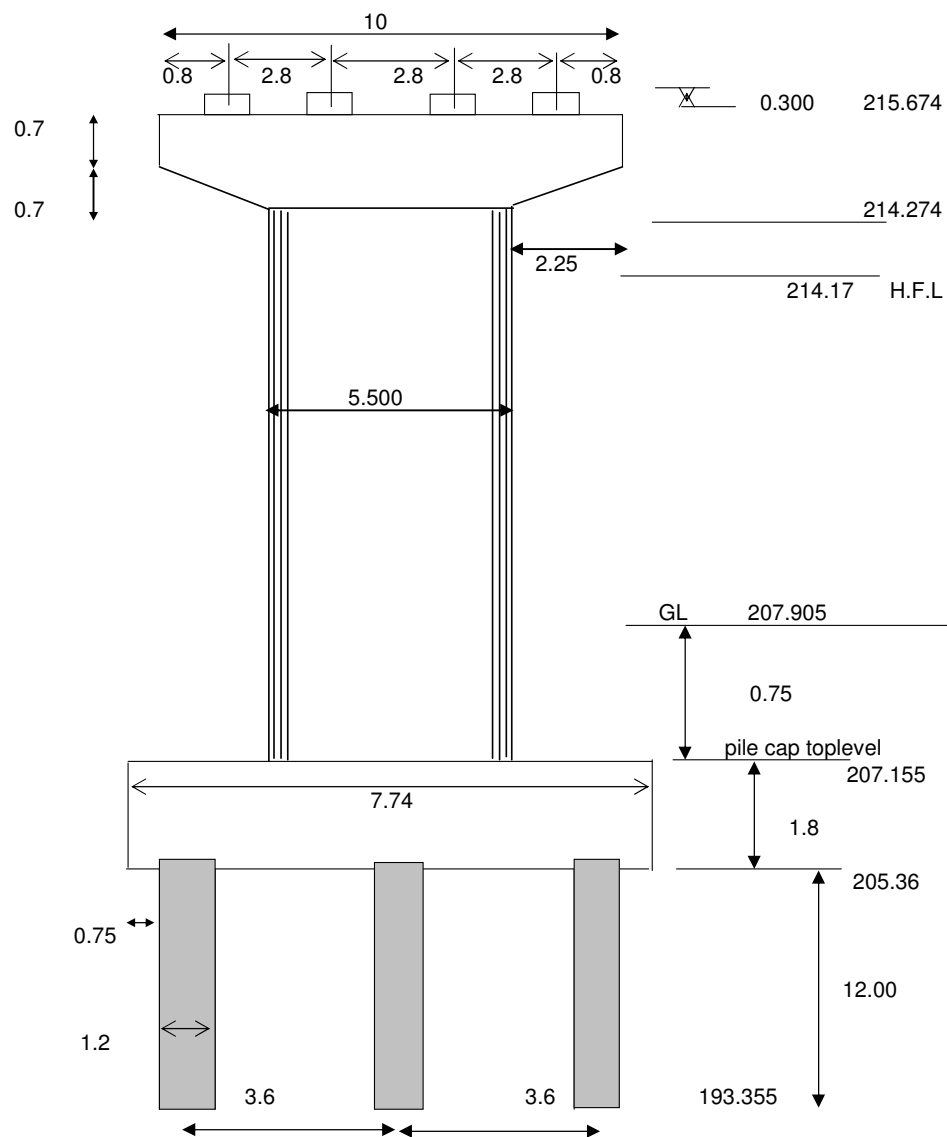
Summary of Footpath Live load :

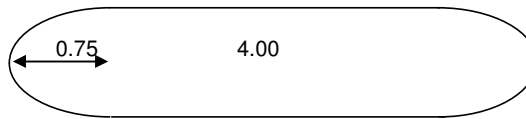
Load Case	Reaction	Longitudinal moment	Transverse moment
When one side is loaded	7.00	0.00	33.25
When both sides loaded	28.00	0.00	0.00

LOADING:	CASE	R _A (t)	R _B (t)	R _C (t)	R _D (t)	M _L	M _T	R _B + R _C
Class A 1 Lane	MAX REA	13.17	28.63	19.71	7.49	9.812	203.03	48.34
	MAX LONG	17.19	38.21	0	0	42.031	160.48	38.21
Class A 2 Lane	MAX REA	26.34	57.26	39.42	14.98	19.624	236.87	96.68
	MAX LONG	34.38	76.42	0	0	84.062	187.23	76.42
70R Wheeled	MAX REA	5.3	43.7	46.87	4.13	3.487	263.56	90.57
	MAX LONG	16.08	83.92	0	7.86	92.312	244.21	83.92

SUMMARY OF LOAD ON PIER FROM SUPERSTRUCTURE

	P	M _L	M _T
1 D.L	683.87	0	0
2 S.I.D.L	197.21	0	0
3 L.L			
Max Rea	96.68	19.624	236.87
Max Long	83.92	92.312	244.21

Wt of Substructure :

Loads from substructure**1 DRY Condition****1 Wt of Pier cap**

Rectangular

$$10 \times 0.7 \times 3.20 \times 2.4 = 53.76 \text{ t}$$

$$\text{Trapezoidal } 7.75 \times 0.7 \times 3.20 \times 2.4 = 41.664 \text{ t}$$

$$= 95.424 \text{ t}$$

2 Wt of Pier Shaft

$$4.000 \times 7.119 \times 1.5 \times 2.4 = 102.514$$

$$0.7854 \times 2.250 \times 7.12 \times 2.4 = 30.1927 \text{ t}$$

$$= 132.706 \text{ t}$$

3 Wt of Pile cap

$$56.07 \times 1.8 \times 2.4 = 242.24 \text{ t}$$

4 Weight due to Earth

$$[56.07 - 7.77] \times 1.8 \times 0.75 = 65.2144$$

2 H.F.L

Rectangular

$$10 \times 0.7 \times 3.20 \times 2.4 = 53.76 \text{ t}$$

$$\text{Trapezoidal } 7.75 \times 0.7 \times 3.20 \times 2.4 = 41.664 \text{ t}$$

$$= 95.424 \text{ t}$$

2 Wt of Pier Shaft

$$4.000 \times 1.5 \times 0.10 \times 2.4 = 1.4688 \text{ t}$$

$$4 \times 1.5 \times 7.02 \times 1.4 = 58.9428 \text{ t}$$

$$0.7854 \times 2.250 \times 0.10 \times 2.4 = 0.4326 \text{ t}$$

$$0.7854 \times 2.250 \times 7.02 \times 1.4 = 17.3601 \text{ t}$$

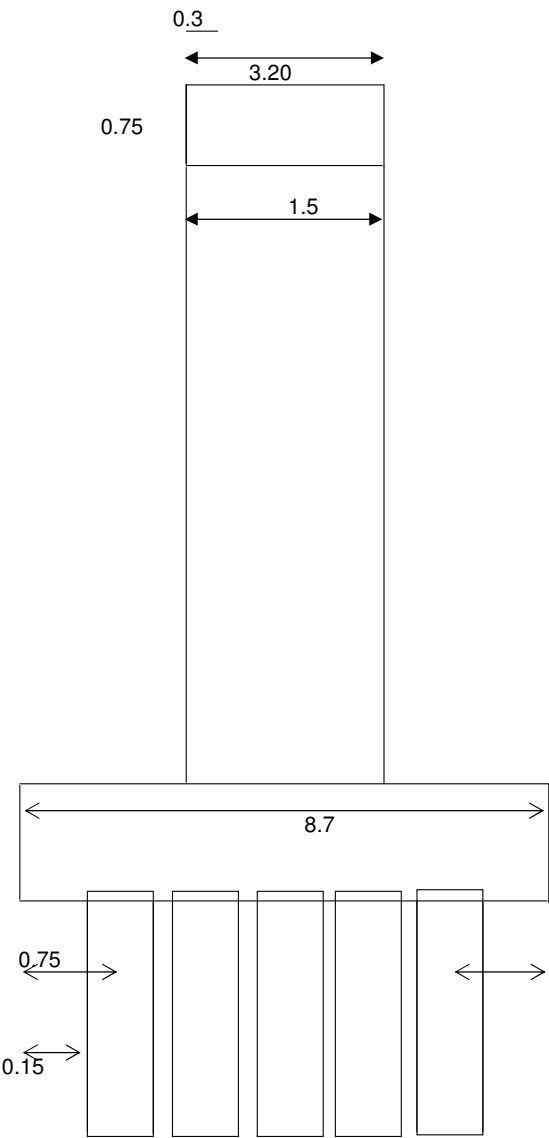
$$= 78.2043 \text{ t}$$

3 Wt of Pile cap

$$56.07 \times 1.8 \times 1.4 = 141.307 \text{ t}$$

4 Weight due to Earth

$$[56.07 - 7.77] \times 1.0 \times 0.75 = 36.2302$$



H.F.L. Case :

Formation level = 218.139 m

H.F.L. = 214.172 m

Foundation level = 193.355 m

Vertical load on pile foundation;

Vertical load from substructure & Pile cap

$$[95.424 + 78.204 + 141.31 + 36.23] = 351.165 \text{ t Say, } 352.00 \text{ t}$$

Pier cap	Pier shaft	pile cap	earth	Total load = 352.00 t
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Water current pressure;

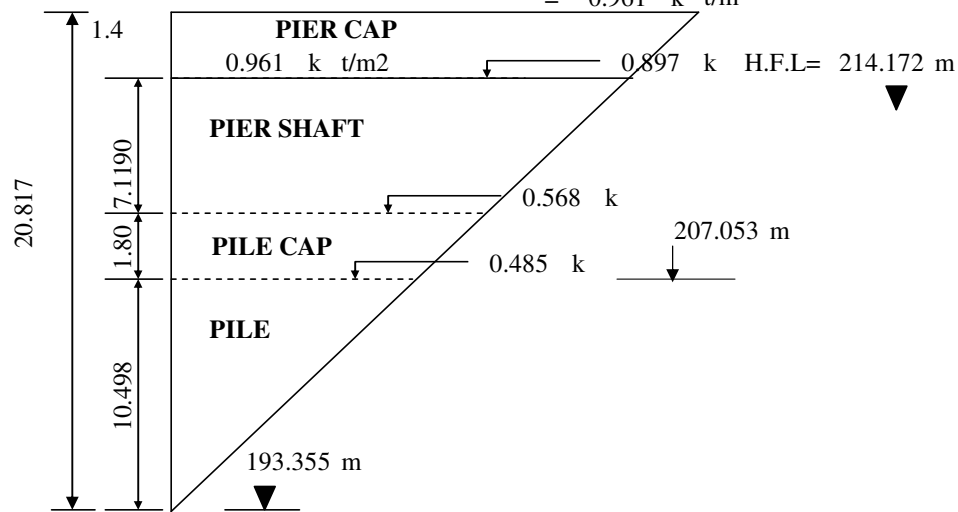
Maximum surface velocity at H.F.L. = 4.30 m/sec

So,

$$P = 52 \text{ kV}^2$$

$$= 52 \times k \times 4.30^2 = 961.48 \text{ k kg/m}^2$$

$$= 0.961 \text{ k t/m}^2$$



Transverse direction;

Pressure per metre depth

(a) Pier cap

$$0.961 \times \cos 20^\circ \times 0.00 \times 1.50 = 0 \text{ t/m depth}$$

$$0.897 \times \cos 20^\circ \times 0.00 \times 1.50 = 0 \text{ t/m depth}$$

(b) Pier shaft

$$0.897 \times \cos 20^\circ \times 0.66 \times 1.50 = 0.834 \text{ t/m depth}$$

$$0.568 \times \cos 20^\circ \times 0.66 \times 1.50 = 0.528 \text{ t/m depth}$$

(c) Pile cap

$$0.568 \times \cos 20^\circ \times 1.50 \times 8.70 = 6.966 \text{ t/m depth}$$

$$0.485 \times \cos 20^\circ \times 1.50 \times 8.70 = 5.946 \text{ t/m depth}$$

Pressure & moment at pile cap bottom;

$$\begin{aligned} & \frac{1}{2} \times \left[\begin{array}{ccc} 0 & - & 0 \end{array} \right] \times \begin{array}{c} 0 \\ 1.4 \end{array} = \begin{array}{c} 0 \\ 0.000 \end{array} \text{ t} \times \begin{array}{c} 9.619 \\ 9.852 \end{array} \text{ m} = \begin{array}{c} 0 \\ 0.00 \end{array} \text{ t-m} \\ & \frac{1}{2} \times \left[\begin{array}{ccc} 0.528 & - & 0.528 \end{array} \right] \times \begin{array}{c} 7.119 \\ 7.119 \end{array} = \begin{array}{c} 3.762 \\ 1.089 \end{array} \text{ t} \times \begin{array}{c} 5.360 \\ 6.546 \end{array} \text{ m} = \begin{array}{c} 20.16 \\ 7.13 \end{array} \text{ t-m} \\ & \frac{1}{2} \times \left[\begin{array}{ccc} 5.946 & - & 5.946 \end{array} \right] \times \begin{array}{c} 1.800 \\ 1.800 \end{array} = \begin{array}{c} 10.703 \\ 0.918 \end{array} \text{ t} \times \begin{array}{c} 0.900 \\ 1.200 \end{array} \text{ m} = \begin{array}{c} 9.63 \\ 1.10 \end{array} \text{ t-m} \\ & \text{Total load} = 16.471 \text{ t} \quad \quad \quad = 38.022 \text{ t-m} \\ & \text{Say, } 17.00 \text{ t} \quad \quad \quad \text{Say, } 39.00 \text{ t-m} \end{aligned}$$

Longitudinal direction;

Pressure per metre depth

(a) Pier cap

$$0.961 \times \sin 20^\circ \times 0.00 \times 10.00 = 0.000 \text{ t/m depth}$$

$$0.897 \times \sin 20^\circ \times 0.00 \times 10.00 = 0.000 \text{ t/m depth}$$

(a) Pier shaft

$$0.897 \times \sin 20^\circ \times 1.50 \times 5.50 = 2.531 \text{ t/m depth}$$

$$0.568 \times \sin 20^\circ \times 1.50 \times 5.50 = 1.603 \text{ t/m depth}$$

(b) Pile cap

$$0.568 \times \sin 20^\circ \times 1.50 \times 7.74 = 2.254 \text{ t/m depth}$$

$$0.485 \times \sin 20^\circ \times 1.50 \times 7.74 = 1.924 \text{ t/m depth}$$

Pressure & moment at pile cap bottom;

$$\begin{aligned} & \frac{1}{2} \times \left[\begin{array}{ccc} 0.000 & - & 0.000 \end{array} \right] \times \begin{array}{c} 1.400 \\ 1.400 \end{array} = \begin{array}{c} 0.000 \\ 0.000 \end{array} \text{ t} \times \begin{array}{c} 9.619 \\ 9.852 \end{array} \text{ m} = \begin{array}{c} 0.00 \\ 0.00 \end{array} \text{ t-m} \\ & \frac{1}{2} \times \left[\begin{array}{ccc} 1.603 & - & 1.603 \end{array} \right] \times \begin{array}{c} 7.119 \\ 7.119 \end{array} = \begin{array}{c} 11.410 \\ 3.302 \end{array} \text{ t} \times \begin{array}{c} 5.360 \\ 6.546 \end{array} \text{ m} = \begin{array}{c} 61.15 \\ 21.62 \end{array} \text{ t-m} \\ & \frac{1}{2} \times \left[\begin{array}{ccc} 1.924 & - & 1.924 \end{array} \right] \times \begin{array}{c} 1.800 \\ 1.800 \end{array} = \begin{array}{c} 3.464 \\ 0.297 \end{array} \text{ t} \times \begin{array}{c} 0.900 \\ 1.200 \end{array} \text{ m} = \begin{array}{c} 3.12 \\ 0.36 \end{array} \text{ t-m} \\ & \text{Total load} = 18.473 \text{ t} \quad \quad \quad = 86.243 \text{ t-m} \\ & \text{Say, } 19.00 \text{ t} \quad \quad \quad \text{Say, } 87.00 \text{ t-m} \end{aligned}$$

Therefore, Total vertical load = P = 352.00 t
 Longitudinal moment = M_L = 87.00 t-m
 Transverse moment = M_T = 39.00 t-m

Case-I(1) :DRY. condition with L.L:

L.W.L. = 207.905 m

Pile cap top level = 207.155 m

Pile cap bottom level = 205.355 m

Vertical load on Pile foundation;

Load from superstructure : Max Reaction case

$$\begin{array}{rcl}
 \text{S.I.D.L. + D.L.} & = & 197.21 + 683.87 = 881.08 \text{ t} \\
 + \text{ Live load} & & = 96.68 \text{ t} \\
 \hline
 & & 977.76 \text{ t Say, } 978.00 \text{ t}
 \end{array}$$

Load from superstructure : Max Long.Moment case

$$\begin{array}{rcl}
 \text{S.I.D.L. + D.L.} & = & 197.21 + 683.87 = 881.08 \text{ t} \\
 + \text{ Live load} & & = 83.92 \text{ t} \\
 \hline
 & & 965.00 \text{ t Say, } 965.00 \text{ t}
 \end{array}$$

Load from substructure & pile cap =

$$95.42 + 132.71 + 242.24 + 65.214 = 535.59 \text{ t Say, } 536.00 \text{ t}$$

Pier cap Pier shaft pile cap earth

Horizontal longitudinal force at bearing level for pier = 32.027 t

$$\text{Moment} = 32.027 \times 10.619 = 340.1$$

$$\text{Total} = 340.09 \text{ Say, } 341 \text{ t-m}$$

	P	M _L	M _T
Max Rea	1514.00	360.62	236.9
Max Long	1501.00	433.31	244.2

Case-II(1) :H.F.L. case (Live load condition) :

Water level = 214.172 m

Pile cap top level = 207.155 m

Pile cap bottom level = 205.355 m

Load from superstructure: Max Reaction case

$$\begin{array}{rcl}
 \text{S.I.D.L. + D.L.} & = & 197.21 + 683.87 = 881.08 \text{ t} \\
 \text{Live load} & & = 96.68 \text{ t} \\
 \hline
 & & 977.76 \text{ t Say, } 978.00 \text{ t}
 \end{array}$$

Load from superstructure: Max Long.Moment case

$$\begin{array}{rcl}
 \text{S.I.D.L. + D.L.} & = & 197.21 + 683.87 = 881.08 \text{ t} \\
 \text{Live load} & & = 83.92 \text{ t} \\
 \hline
 & & 965.00 \text{ t Say, } 965.00 \text{ t}
 \end{array}$$

Load from substructure & pile cap = 351.165 t Say, 352.00 t

	P	M _L	M _T
Max Rea	1330.00	447.62	275.9
Max Long	1317.00	520.31	283.2

Seismic forces do not govern for Zone II & III .Sample calculations have already been submitted.

Case-I(2) : DRY. case (Span dislodged condition) :

Vertical load on Pile foundation;

Load from superstructure : Max Reaction case

$$\begin{array}{rcl}
 \text{S.I.D.L. + D.L.} & = & 197.21 + 683.87 = 881.08 \text{ t} \\
 \text{Live load} & & = 0.00 \text{ t} \\
 & & \hline
 & & 881.08 \text{ t Say, } 882.00 \text{ t}
 \end{array}$$

Load from substructure & pile cap = 535.585 t Say, 536.00 t

Horizontal longitudinal force at bearing level for pier = 0.00 t

$$\begin{array}{rcl}
 \text{Moment} & = & 0.00 \times 10.619 = 0.000 \text{ t-m} \\
 \text{Total} & = & 0.000 \text{ Say, } 0 \text{ t-m}
 \end{array}$$

Transverse moment = 0.00 Say, 0.0 t-m

	P	M _L	M _T
Max Rea	1418.00	0.00	0.0
Max Long	1418.00	0.00	0.0

Case-II(2) : H.F.L. case (Span dislodged condition) :

Vertical load on Pile foundation;

Load from superstructure

$$\begin{array}{rcl}
 \text{S.I.D.L. + D.L.} & = & 197.21 + 683.87 = 881.08 \text{ t} \\
 \text{Live load} & & = 0.00 \text{ t} \\
 & & \hline
 & & 881.08 \text{ t Say, } 882.00 \text{ t}
 \end{array}$$

Load from substructure & pile cap = 351.165 t Say, 352.00 t

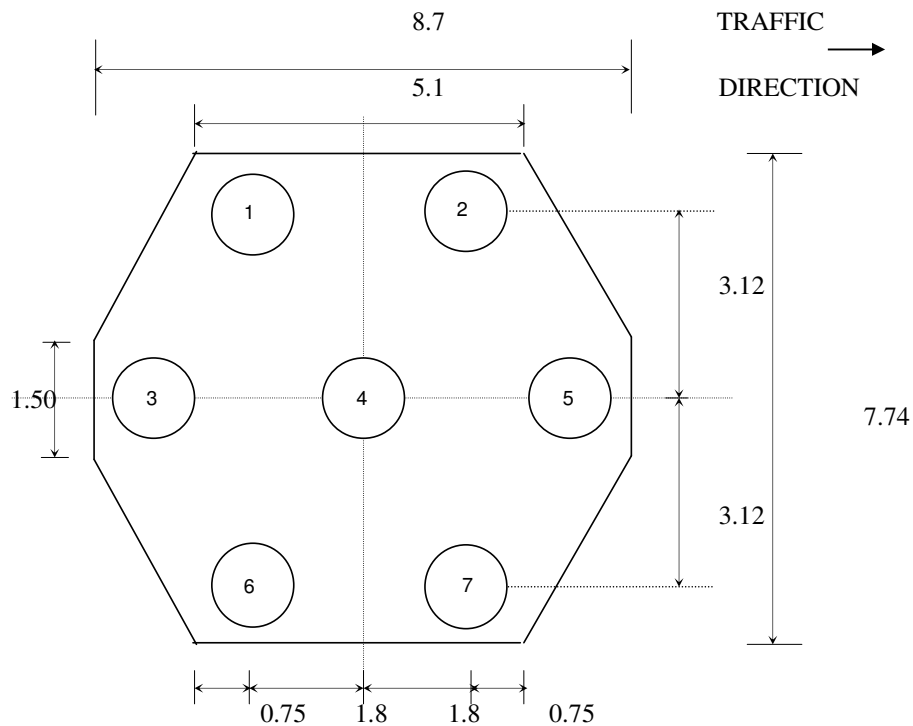
Horizontal longitudinal force at bearing level for pier = 0.00 t

$$\begin{array}{rcl}
 \text{Moment} & = & 0.00 \times 10.619 = 0.000 \text{ t-m Say, } 0
 \end{array}$$

	P	M _L	M _T
Max Rea	1234.00	87.00	39.0
Max Long	1234.00	87.00	39.0

DESIGN OF PILE LAYOUT

Diameter of pile $D = 1.20$ m
 c/c distance ratio of pile, $K = 3.00 \times 1.20 = 3.60$ m
 Projection of pile cap from the fac = 0.15 m
NO. OF PILES : 7

**PILE LAYOUT PLAN**

PILE NO	X	Z_L	Y	Z_T
1	1.800	21.60	3.118	12.47
2	1.800	21.60	3.118	12.47
3	3.600	10.80	0.000	-
4	0.000	-	0.000	-
5	3.600	10.80	0.000	-
6	1.800	21.60	3.118	12.47
7	1.800	21.60	3.118	12.47
	Σx^2	38.88	Σy^2	38.88

Where

x = Distance of pile from C.G of pile group in longitudinal direction
 $Z_L = \Sigma x^2 / x$
 y = Distance of pile from C.G of pile group in transverse direction
 $Z_T = \Sigma y^2 / y$

Pile CapArea of Pile cap = 56.07 m²

Dry Case:	P	M _L	M _T	Pile 1	Pile 2	Pile 3
Max Rea	1514.00	360.62	236.87	251.97	218.58	249.68
Max Long	1501.00	433.31	244.21	254.07	213.95	254.55
Span Dislodged	1418.00	0.00	0.00	202.57	202.57	202.57
H.F.L Case:						
Max Rea	1330.00	447.62	275.87	232.84	191.40	231.45

Max Long	1317.00	520.31	283.21	234.94	186.76	236.32
Span Dislodged	1234.00	87.00	39.00	183.44	175.39	184.34
Dry Case:	Pile 4	Pile 5	Pile 6	Pile 7		
Max Rea	216.29	182.8946	213.99	180.60		
Max Long	214.43	174.3071	214.91	174.79		
Span Dislodged	202.57	202.5714	202.57	202.57		
H.F.L Case:						
Max Rea	190.00	148.5533	188.60	147.16		
Max Long	188.14	139.9658	189.52	141.34		
Span Dislodged	176.29	168.2302	177.19	169.13		
Dry Case:	Pile 1 + Pile 2		Pile 1 + Pile 6	Pile 3		
Max Rea	470.56		715.64	249.68		
Max Long	468.02		723.53	254.55		
Span Dislodged	405.14		607.71	202.57		
H.F.L Case:						
Max Rea	424.24		570.00	231.45		
Max Long	421.71		564.43	236.32		
Span Dislodged	358.83		528.86	184.34		

Design of Pile Layout

Load Case	Total Load	Longitudinal Moment	Transverse Moment
	P	M _L	M _T
I DRY Condition			
1 With L.L			
Max Rea	1514.00	360.62	236.87
Max Long	1501.00	433.31	244.21
2 Span dislodged	1418.00	0.00	0.00
II H.F.L Condition			
1 With LL			
Max Rea	1330.00	447.62	275.87
Max Long	1317.00	520.31	283.21
2 Span dislodged	1234.00	87.00	39.00

Number of Piles **N** = 7.00

Pile Design:

Horizontal load per pile

Dry Condition

Total horizontal force

with L.L	=	32.03	=	32.03	t	
			=	4.5752822	t	per pile
span dislodged condition	=	0.00	=	0.00	t	
			=	0	t	per pile

H.F.L Condition

Longitudinal Direction

Total horizontal force

with L.L	=	32.03	+	19.00	=	51.03	t	
					=	7.29	t	per pile
span dislodged condition	=	0.00	+	19.00	=	19.00	t	
Transverse Direction					=	2.71	t	per pile

Transverse Direction

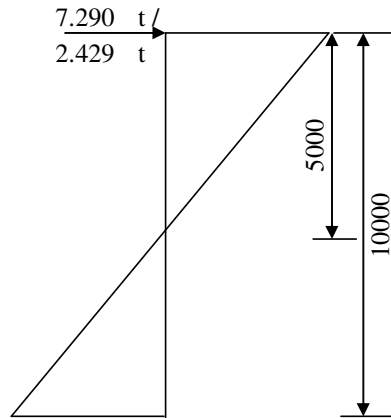
Total horizontal force

with L.L	=	17.00	=	17.00	t	
			=	2.43	t	per pile
span dislodged condition	=	17.00	=	17.00	t	
			=	2.43	t	per pile

The pile is socketed into the rock and considered as fixed at the bottom for analysis and the Effective height of pile for analysis is taken from bottom of pile cap to top of rock level.

Depth of Rock below bottom of pile cap level = 10.000 m

$$\text{Self weight of pile} = \frac{\pi \times 1.20^2 \times 10.000}{4} \times 1 \text{ nos.}$$
$$\text{Buoyant wt. @ } 1.40 \text{ t/m}^3 = 15.834 \text{ t}$$



$$M_L = 7.290 \times 5.00 = 36.448 \text{ t-m}$$

$$M_T = 2.429 \times 5.00 = 12.14 \text{ t-m}$$

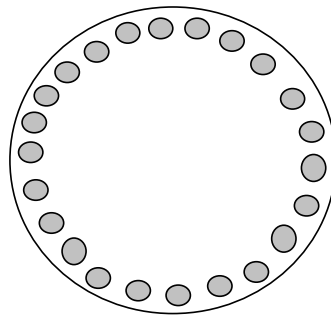
$$M_R = 38.42 \text{ t-m}$$

$$\text{Reaction on each Pile} = \frac{38.42 \times 2.0}{7.74} = 9.933$$

Load at Pile base :

Maximum load on a pile at pile cap bottom = 254.55 t

Minimum load on a pile at pile cap bottom = 139.97 t



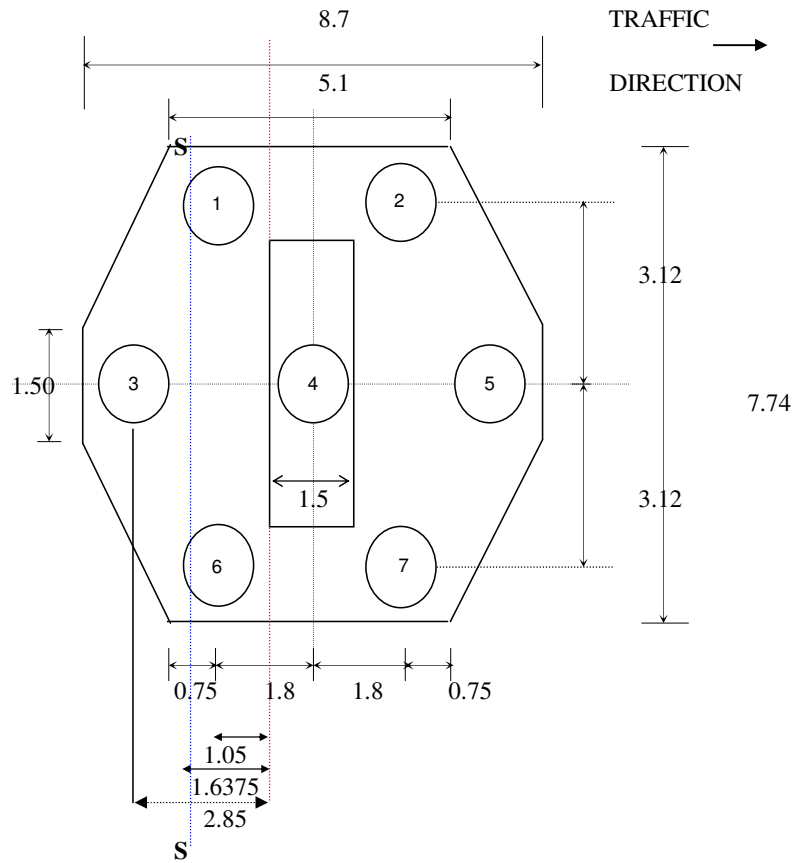
Provide 23 nos 16 ϕ

$$= 46.2 \text{ cm}^2$$

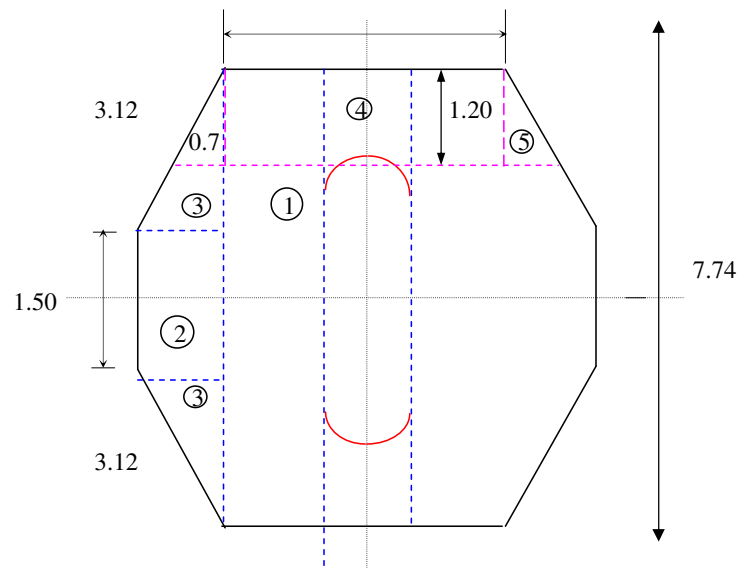
$$= 45.2 \text{ cm}^2$$

0.4%

DESIGN OF PILE SECTION		
INPUT DATA	NORMAL CASE	
	MAX. LOAD	MIN. LOAD
D=DIA OF PILE (in m)	1.200	1.200
C=COVER FROM CENTRE OF BAR (in m)	0.075	0.075
M=MODULAR RATIO (as per IRC:6)	10.000	10.000
BD=BETA ANGLE FOR DEFINING N.A. (in degree)	82.90	62.14
AS=AREA OF STEEL (in sq. Cm)	46.244	46.244
P=VERTICAL LOAD (in tonnes)	254.55	139.97
BM=BENDING MOMENT (in t-m)	38.42	38.42
SOLUTION		
RO=OUTER RADIUS=D/2	0.600	0.600
RI=RADIUS OF REINFORCEMENT RING=D/2-C	0.525	0.525
T= THICK.REINFORCEMENT RING = AS/2*3.142*RI	0.001	0.001
B=BD*PI/180	1.447	1.085
B1=COS(B)	0.124	0.467
A=ALPHA ANGLE=ACOS (RO*B1/RI)	1.429	1.007
RECOSB=RICOSA		
B2=SIN(B)^3	0.977	0.691
B3=SIN(4*B)	-0.476	-0.931
B4=SIN(2*B)	0.245	0.826
A=COS(A)	0.141	0.534
A2=SIN(2*A)	0.280	0.903
A3=SIN(A)	0.990	0.845
NUM1=(PI-B)/8+B3/32+B1*B2/3	0.237	0.336
NUM2=2*(RO^3)/(1+B1)	0.384	0.294
NUM3=(RI^3) *T/(RO+RI*A1)	0.000	0.000
NUM4=(M-1) *PI+A-A2/2	29.56	28.83
NUM = NUMINATOR = NUM2*NUM1+NUM3*NUM4	0.100	0.105
DENM1=2*(RO^2)/(1+B1)	0.641	0.491
DENM2=B2/3+(PI-B)*B1/2+B1*B4/4	0.438	0.808
DENM3=2*(RI^2) * T/ (RO+RI*A1)	0.001	0.001
DENM4=(M-1) *PI*A1-A3+A*A1	3.21	14.79
DENM=DENOMINATOR=DENM1*DENM2+DENM3*DENM4	0.284	0.409
CHECK FOR ECCENTRICITIES		
CALCULATED ECCENTRICITY EC = NUM/DENM	0.352	0.258
ACTUAL ECCENTRICITY EC = M/P	0.151	0.274
CHECK FOR STRESSES		
NAC=DEPTH OF N.A.BELOW CENT.AXIS=RO*COS(B)	0.074	0.280
NAD=DEPTH OF N.A FROM TOP=RO+NAC	0.674	0.880
DE=EFFECTIVE DEPTH=D-C	1.125	1.125
CC=COMP. STRESS IN CONC. IN T/SQM=P/DENM	895	342
TS=TENS.STRESS IN STEEL (T/SQM)	5985	950
PERMISSIBLE COMP.STRESS IN Concrete (in t/sq.m)	1190	1190
PERMISSIBLE TENSILE STRESS IN Steel (in t/sq.m)	20400	20400

PILE CAP DESIGN:

Total Load on Pile in One row Pile 1 & Pile 6	=	723.53 t
Total Load on Pile in Second row Pile 3	=	254.55 t
Lever arm for bending moment due to Pile 1 & Pile 6	=	1.05 m
Lever arm for bending moment due to Pile 3	=	2.85 m
Bending Moment in Transverse direction Pile 1 & Pile 6	=	759.71 t-m
Bending Moment in Transverse direction Pile 3	=	725.4677 t-m
Total Load on Pile 1 & Pile 2	=	470.56 t
Bending Moment in Longitudinal direction	=	213.17 t-m



Wt of Pile cap in Transverse direction

Area of strip 1	=	13.92 m ²
Wt due to strip 1	=	60.15 t
Moment due to strip 1	=	54.14 t-m
Area of strip 2	=	2.70 m ²
Wt due to strip 2	=	11.66 t
Moment due to strip 2	=	31.49 t-m
Area of strip 3	=	5.61 m ²
Wt due to strip 3	=	24.24 t
Moment due to strip 3	=	58.18 t-m
Moment due to pile cap (Pile 1 & Pile 6)	=	85.63 t-m
Moment due to pile cap (Pile 3)	=	58.18 t-m

Wt of Pile cap in Longitudinal direction

Area of strip 4	=	6.14 m ²
Wt due to strip 4	=	26.50 t
Moment due to strip 4	=	15.94 t-m
Area of strip 5	=	0.84 m ²
Wt due to strip 5	=	3.61 t
Moment due to strip 6	=	1.45 t-m
	=	17.39 t-m
Total Bending Moment in Transverse direction Pile 1 & Pile 6	=	674.08 t-m
Total Bending Moment in Transverse direction Pile 3	=	667.28 t-m
Total Bending Moment in Longitudinal direction	=	195.78 t-m

Design for Flexure

M	=	35	
Fe	=	415	
σ_{cbc}	=	11.66667	
σ_{st}	=	200	
m	=	10	
k	=	0.37	
j	=	0.88	
Q	=	1.89	
Depth of Pile Cap	=	1.8 m	
Pile shall be embedded by 50 mm into Pile cap & provide cover for Reinforcement 75 mm		1.6375	
d_{eff} available			
d_{eff} required in Transverse direction pile1& Pile 6	=	0.673187 m	
d_{eff} required in Transverse direction Pile 3	=	0.669786 m	
d_{eff} required in Longtudinal direction	=	0.39611 m	
A_{st} required in Transverse direction due to pile 1 & pile 6	=	23464.05 mm ²	
A_{st} required in Transverse direction due to pile 3	=	23227.6 mm ²	
A_{st} required in Longtudinal direction	=	6815.029 mm ²	
A_{st} required in Transverse direction /m width	=	3033.341 mm ² /m	
A_{st} required in Transverse direction /m width	=	3002.773 mm ² /m	
A_{st} required in Transverse direction /m width	=	6036.114 mm ² /m	
Minimum area of steel required	=	2160.00 mm ² /m	
		(As per cl. 305.19 of IRC :21-2000)	
A_{st} required in Longtudinal direction /m width	=	1336.28 mm ² /m	
Minimum area of steel required	=	2160.00 mm ² /m	

Transverse direction on Bottom face:

Total reinforcement in transverse direction on bottom face	=	6036.114 mm ²
Provide 32 ϕ 125 mm c/c	=	6433.982 mm ² /m

Transverse direction on Top face:

Minimum area of steel required on top face	=	1080 mm ² /m
Provide 16 ϕ 130 mm c/c	=	1546.63 mm ² /m

Longitudinal direction on Bottom face:

Provide 20 ϕ 130 mm c/c	=	2416.61 mm ² /m
Provide 20 ϕ 130 mm c/c	=	2416.61 mm ² /m

Longitudinal direction on Top face:

Minimum area of steel required on top face	=	1080 mm ² /m
Provide 16 ϕ 130 mm c/c	=	1546.63 mm ² /m

Check for Shear

Distance of section S-S from face of Pier		
Portion of Pile Cap effective for Shear	=	1.6375 m
Pile 3 is fully effective for shear & Pile 1, Pile 6 are partially effective		1.9625
Portion of Pile effective for Shear	=	1.20 m
Shear due to Pile 3	=	254.55 t
Shear due to Pile 1 & Pile 6	=	7.54 t
Total Shear	=	262.09 t
Wt of Pile cap upto section S-S	=	39.15 t
Net Upward Shear	=	222.94 t
Shear Stress	=	17.60 t/m ²
Percentage reinforcement provided	=	0.185242 %
Permissible Shear Stress	=	19.13129 t/m ²

No shear reinforcement required Provide Minimum Shear

Design of Pier shaft :**Calculation of Forces at Pier base**

(At Top of Pile cap)

Checking the section at R.L. = **207.16 m**Lever arm for Longitudinal forces = 8.819 m i.e(215.97 - 207.16)**DRY With L.L**

1 Vertical load -	Max Reaction case	Max Long.Moment case
S.I.D.L.	= 197.21 t	= 197.21
Dead load	= 683.87 t	= 683.87
Live load	= 96.68 t	= 83.92
Pier cap	= 95.42 t	= 95.42
Pier shaft	= 132.706 t	= 132.706
Total load	= 1205.89 t	= 1193.1 t

2 Longitudinal moment -

Due to Longitudinal force = 32.027 x 8.819 = 282.45 t-m

283.00 t-m

	P	M_L	M_T
Max Rea	1205.89	302.62	236.87
Max Long	1193.13	375.31	244.21

H.F.L With L.L

1 Vertical load -	Max Reaction Case	Max Long.Moment Case
S.I.D.L.	= 197.21 t	= 197.21
Dead load	= 683.87 t	= 683.87
Live load	= 96.68 t	= 83.92
Pier cap	= 95.42 t	= 95.42
Pier shaft	= 78.204 t	= 78.204
Total load	= 1151.39 t	Say, 1151.39 t = 1138.6 t

2 Longitudinal moment -

Due to earth = 0.000 t-m

Due to Longitudinal force = 282.45 t-m

Total moment = 282.45 t-m Say, 283.00 t-m

	P	M_L	M_T
Max Rea	1151.39	385.39	264.15
Max Long	1138.6	458.08	271.50

DRY spandislodgedcondition

1 Vertical load -	
S.I.D.L.	= 197.21 t
Dead load	= 683.87 t
Pier cap	= 95.42 t
Pier shaft	= 132.71 t
Total load	= 1109.21 t Say, 1109.21 t

2 Longitudinal moment -Due to Longitudinal force = 0.000 x 8.819 = 0 t-m

= 0.00 t-m 0.00 t-m

	P	M_L	M_T
Max Rea	1109.21	0.00	0.00
Max Long	1109.2	0.00	0.00

H.F.L spandislodged condition

1 Vertical load -	
S.I.D.L.	= 197.21 t
Dead load	= 683.87 t
Pier cap	= 95.42 t

$$\begin{aligned} \text{Pier shaft} &= 78.204 \text{ t} \\ \text{Total load} &= 1054.71 \text{ t} \quad \text{Say, } 1054.71 \text{ t} \end{aligned}$$

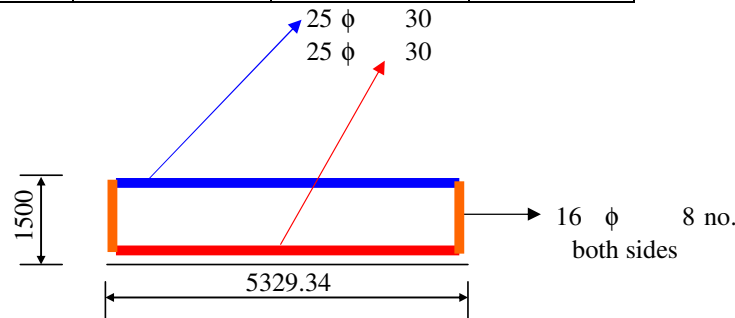
2 Longitudinal moment -

$$\text{Due to Longitudinal force} = 0.000 \times 8.819 = 0 \text{ t-m}$$

$$\text{Due to earth} = 0.00 \text{ t-m}$$

$$= 0.00 \text{ t-m} \quad 0.00 \text{ t-m}$$

	P	M _L	M _T
Max Rea	1054.71	82.77	0.00
Max Long	1054.7	82.77	0.00

**PLAN : PIER SHAFT**

$$\% \text{ Reinforcement provided} = 32669.422 \text{ mm}^2$$

Summary of Loads at Abutment Shaft bottom :**1 DRY condition**

With L.L

$$\text{Max Rea} \quad P = 1205.89 \quad M_L = 302.62 \quad M_T = 236.87$$

$$\text{Max Long} \quad P = 1193.13 \quad M_L = 375.31 \quad M_T = 244.21$$

$$\text{Span dislodged} \quad P = 1109.21 \quad M_L = 0.00 \quad M_T = 0.00$$

2 H.F.L

With L.L

$$\text{Max Rea} \quad P = 1151.39 \quad M_L = 385.39 \quad M_T = 264.15$$

$$\text{Max Long} \quad P = 1138.63 \quad M_L = 458.08 \quad M_T = 271.50$$

$$\text{Span dislodged} \quad P = 1054.71 \quad M_L = 82.77 \quad M_T = 0.00$$

Check for Cracked/Uncracked Section

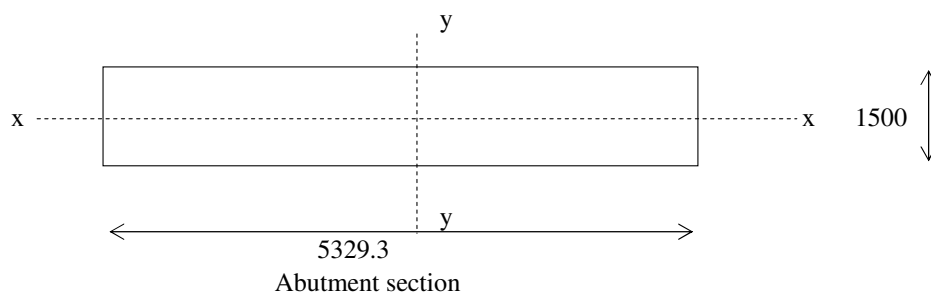
$$\text{Length of section} = 5329.3404 \text{ mm}$$

$$\text{Width of section} = 1500 \text{ mm}$$

$$\text{Gross Area of section} \quad A_g = 7994010.6 \text{ mm}^2$$

$$\text{Gross M.O.I of section} \quad I_{gxx} = 1.499\text{E}+12 \text{ mm}^4$$

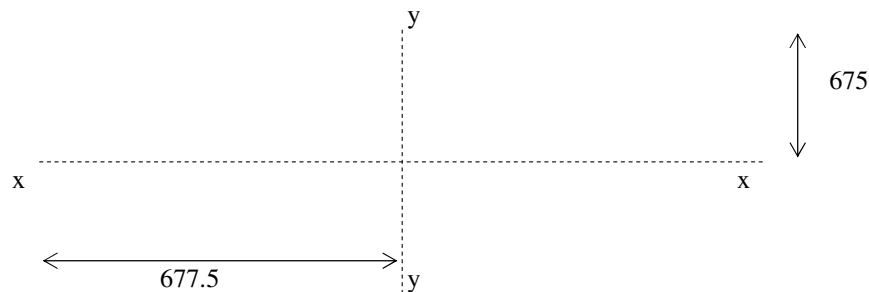
$$\text{Gross M.O.I of section} \quad I_{gyy} = 1.892\text{E}+13 \text{ mm}^4$$



Transformed sectional properties of section:

Adopting

Modular ratio	m	=	10	
Cover			72.5	72.5
Dia of Bars		=	25	25
No of bars in tension face (longer)		=	30	
No of bars in compression face		=		30
No of bars in shorter direction		=		8
Total bars in section		=	76	
Steel Area	A_s	=	37306	mm ²
% of Steel		=	0.4667	%



$$\begin{aligned}
 A_{sx} &= -14726 \text{ mm}^2 \\
 A_{sy} &= -3927 \text{ mm}^2 \\
 \text{Area of concrete } A_c &= A_g - A_s = 7956704.2 \text{ mm}^2 \\
 \text{C.G of Steel placed on longer face} &= 677.5 \text{ mm} \\
 \text{C.G of Steel placed on shorter face} &= 2592.2 \text{ mm} \\
 \text{Transformed Area of Section } A_{tfm} &= 8329768.3 \text{ mm}^2 \\
 \text{Transformed M.I}_{txx} &= I_{gxx} + 2 \left[m - \frac{1}{2} \right] A_s a x^2 \\
 &= 1.37721\text{E}+12 \text{ mm}^4 \\
 Z_{xx} &= \frac{M.I_{txx}}{d/2} = 1.836\text{E}+09 \text{ mm}^3 \\
 \text{Transformed M.I}_{tyy} &= I_{gyy} + 2 \left[m - \frac{1}{2} \right] A_s a y^2 \\
 &= 1.84454\text{E}+13 \text{ mm}^4 \\
 Z_{yy} &= \frac{M.I_{tyy}}{d/2} = 6.922\text{E}+09 \text{ mm}^3
 \end{aligned}$$

Permissible stresses

$$\begin{aligned}
 \text{Minimum Gross Moment of inertia } I_{min} &= 1.499\text{E}+12 \text{ mm}^4 \\
 \text{Area of section} &= 7994010.6 \text{ mm}^2 \\
 r &= 433.0127 \text{ mm}
 \end{aligned}$$

Effective length of Pier shaft (IRC:21-2000 cl: 306.2.1)

$$\begin{aligned}
 \text{Pier shaft height } L &= 7.119 \text{ m} \\
 \text{Effective length } L_{eff} &= 12.458 \text{ m} \\
 \text{Slenderness ratio} &= 28.771 < 50 \\
 \text{Type of member} &= \text{Short Column}
 \end{aligned}$$

Stress reduction coefficient (IRC:21-2000 cl: 306.4.2,3)

$$\beta = 1$$

Permissible stresses : concrete

$$\sigma_{cbc} = 11.667 \text{ N/mm}^2$$

$$\sigma_{co} = 8.75 \text{ N/mm}^2$$

$$\text{Tensile stress} = 0.67 \text{ N/mm}^2$$

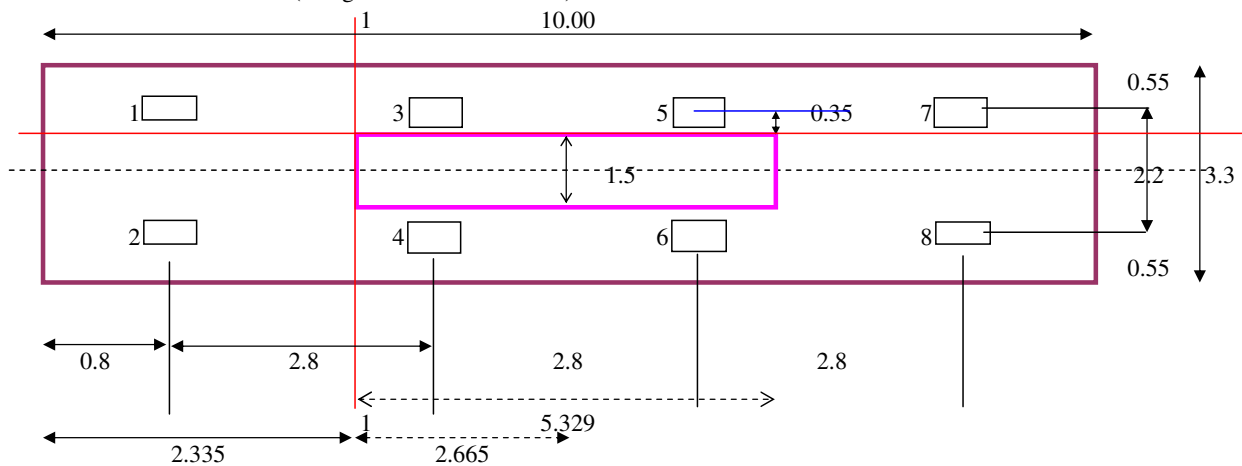
Permissible stresses : Steel

$$\sigma_{st} = 200 \text{ N/mm}^2$$

Dry case

S.No	Item	Max Rea	Max Long	Span Dislodg
Loads and Moments				
1	P	1205.89 t	1193.13 t	1109.21
2	M _L	302.62 t-m	375.31 t-m	0.00
3	M _T	236.87 t-m	244.21 t-m	0.00
<i>Actual(calculated) Stresses</i>				
4	$\sigma_{co,cal}$ P/A _{tfm}	1.44769	1.43237	1.33162
5	$\sigma_{cbc,cal}$ M _L /Z _{xx}	1.64803	2.04388	0.00000
6	$\sigma_{cbc,cal}$ M _T /Z _{yy}	0.34218	0.35279	0.00000
7	$\sigma_{cbc,cal} = 5 + 6$	1.99021	2.39666	0.00000
<i>Permissible Stresses</i>				
8	σ_{cbc}	11.666667	11.667	11.666667
9	σ_{co}	8.75	8.75	8.75
<i>Check for Minimum steel area mm²</i>				
10	Conc.Area Required for directstress (1)/(9)	1378159.3	1363576.4	1267667.8
11	0.8% of area required	11025.274	10909	10141.343
12	0.3% of A _g	23982.032	23982	23982.032
13	Governing steel mm ²	23982.032	23982	23982.032
14	Provided Steel area mm ²	32669.422	32669	32669.422
<i>Check for safety of section</i>				
	$\frac{\sigma_{co,cal}}{\sigma_{co}} + \frac{\sigma_{cbc,cal}}{\sigma_{cbc}}$	0.3360396	0.3691	0.1521852
		< 1	< 1	< 1
<i>Check for Cracked /Uncracked section</i>				
	$\sigma_{co,cal} - \sigma_{cbc,cal}$	-0.542526	-0.9643	1.3316209
	Permissible Basic tensile stress in concrete	-0.67	-0.67	-0.67
	Section to be designed as	Uncracked	Cracked	Uncracked

H.F.L case				
S.No	Item	Max Rea	Max Long	Span Dislodg
Loads and Moments				
1	P	1151.39	1138.63	1054.71
2	M _L	385.39	458.08	82.77
3	M _T	264.15	271.50	0.00
<i>Actual(calculated) Stresses</i>				
4	$\sigma_{co,cal}$ P/A _{tfm}	1.38226	1.36694	1.26619
5	$\sigma_{cbc,cal}$ M _L /Z _{xx}	2.09877	2.49462	0.45074
6	$\sigma_{cbc,cal}$ M _T /Z _{yy}	0.38160	0.39221	0.00000
7	$\sigma_{cbc,cal} = 5 + 6$	2.48038	2.88683	0.45074
<i>Permissible Stresses</i>				
8	σ_{cbc}	11.666667	11.667	11.666667
9	σ_{co}	8.75	8.75	8.75
<i>Check for Minimum steel area mm²</i>				
10	Conc.Area Required for directstress (1)/(9)	1315871.2	1301288.3	1205379.8
11	0.8% of area required	10526.97	10410	9643.0381
12	0.3% of A _g	23982.032	23982	23982.032
13	Governing steel mm ²	23982.032	23982	23982.032
14	Provided Steel area mm ²	32669.422	32669	32669.422
<i>Check for safety of section</i>				
	$\frac{\sigma_{co,cal}}{\sigma_{co}} + \frac{\sigma_{cbc,cal}}{\sigma_{cbc}}$	0.370576	0.4037	0.1833427
		< 1	< 1	< 1
<i>Check for Cracked /Uncracked section</i>				
	$\sigma_{co,cal} - \sigma_{cbc,cal}$	-1.098123	-1.5199	0.8154463
	Permissible Basic tensile stress in concrete	-0.67	-0.67	-0.67
	Section to be designed as	Cracked	Cracked	Uncracked

DESIGN OF PIER CAP**DESIGN OF PIER CAP (along Transverse Direction)****Depth of Pier Cap in Transverse Direction**

considering two layers of 32ϕ + in longitudinal direction 32ϕ in transverse direction = 1400 mm

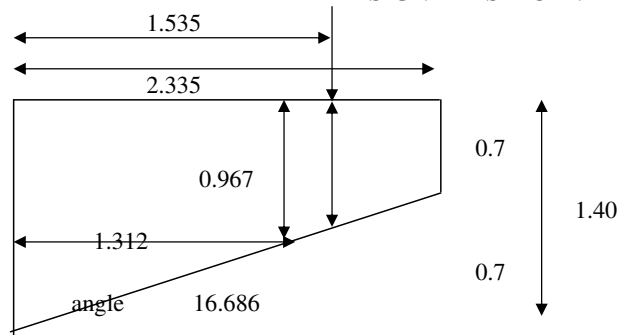
a = distance of cg of bearing from face of equivalent square = 1535 mm

Cover = 40.000 mm

d_{eff} d = 1312 mm

$$\frac{a}{d}$$

= 1.170221 > 1

DESIGNED AS A CANTILEVER BEAM

Distance of bearing 1 from face of pier = 1.535

Distance of bearing 2 from face of pier = 1.535

Distance of bearing 3 from face of pier = 0

Distance of bearing 4 from face of pier = 0

Loads on bearings:

	Reaction	Ecc	1,2	3,4	5,6	7,8
1 Dead Load	683.8704	0	171.0	171.0	171.0	171.0
2 SIDL	197.2086		49.302	49.302	49.302	49.302
3 LL max Long	83.92	2.91	47.145	29.702	12.258	-5.185

LL reaction with impact factor 50% 1.058901 = 49.92 t

Length of Cantilever at one end = 2.335 m

Length of Cantilever at other end = 2.335 m

Self wt of Cantilever = 19.4206 t

Torsion due to LL Reaction = 54.91412 t-m

Horizontal force due to LL = 8.006744 t

Corresponding moment due horizontal force = 3.736 t-m

Total Torsional Moment = 58.651 t-m

Equivalent bending moment $T*(1+D/b)/1.7$ = 49.137 t-m

Equivalent Shear	$1.6 \cdot T/b$	=	26.62503 t
Moment at face of pier due to DL		=	338.1867 t-m
Moment at face of pier due to LL		=	76.64662 t-m
Moment at face of pier due to Cantilever load		=	20.157 t-m
Total bending moment		=	484.127 t-m

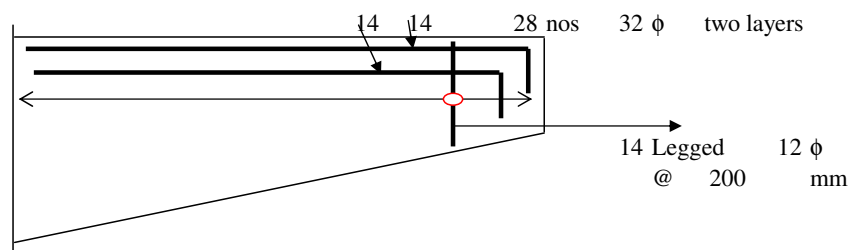
M	=	35	N/mm ²
Fe	=	415	N/mm ²
σ_{cbc}	=	11.66667	N/mm ²
σ_{st}	=	200	N/mm ²
m	=	10	
k	=	0.37	
j	=	0.88	
Q	=	1.89	N/mm ²

Depth required	$\sqrt{M/Q \cdot b}$	=	0.873 m
			OK
Reinforcement required		=	21032.97 mm²
Provide two layers of	32 ϕ 14 nos + 32 ϕ 14 nos		in longitudinal direction
		=	22518.94 mm²

Shear force

self wt at effective depth d		=	6.98 t
Total Shear force		=	303.80 t
Shear stress $\tau_v = (V \cdot M \cdot \tan(\beta)/d)/bd$		=	48.18 t/m ²
% of reinforcement provided		=	0.706 %
τ_c		=	31.16 t/m ²
Shear Force carried by Concrete $\tau_c \cdot b \cdot d$		=	99.46 t
Net design S.F		=	204.34 t

using 14 Legged stirrups at a spacing of 200 mm		
Area of steel required /m run		= 7634.766 mm ² /m
Providing 12 ϕ 14 legged @ 200 mm		
Area of steel provided /m run		= 7916.813

**CHECK FOR TORSION (one span dislodged condition)**

Dead load reaction on bearing		=	85.48 t
Sidl reaction on bearing		=	24.65 t
Horizontal force due to dead load & sidl reaction		=	5.51 t
Torsion T_u		=	163.55 t-m
X		=	1.4 m

$$\begin{aligned}
 Y &= 3.3 \text{ m} \\
 x &= 55.118 \text{ inches} \\
 y &= 129.921 \text{ inches} \\
 \epsilon X^2 * Y &= 394701.6 \\
 f'_c &= 280 \text{ kg/cm}^2 \\
 &= 3984.4 \text{ psi} \\
 \phi * (0.5 * (f'_c)^{0.5} * \epsilon X^2 * Y) &= 10588617.424 \text{ lb inch} \\
 &= 121.875 \text{ t-m} \\
 &< 163.55 \text{ t-m} \\
 A_t/s &= T_u / (\alpha_t * x * y * f_y) \\
 \alpha_t &= 0.66 + 0.33 * y/x = 1.437857 \\
 A_t/s &= 0.02335 \text{ inch}^2/\text{inch} \\
 &= 5.93 \text{ cm}^2/\text{m}
 \end{aligned}$$

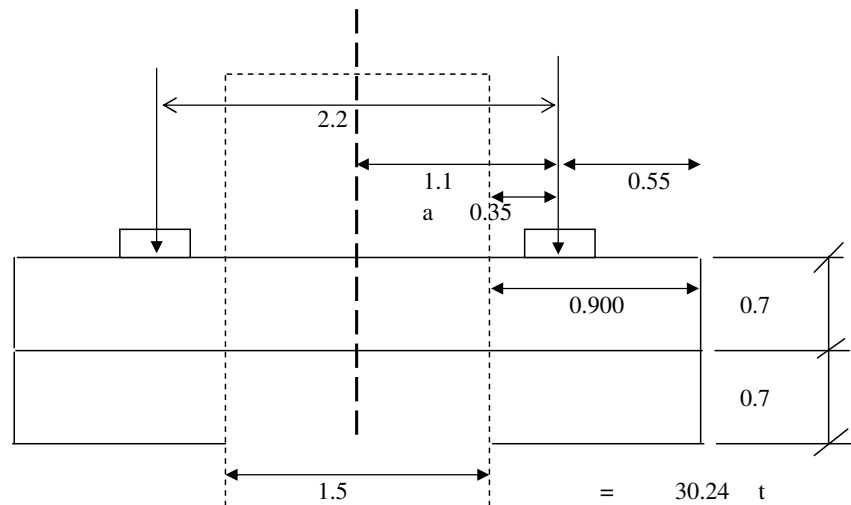
DESIGN OF PIER CAP (along Longitudinal Direction)

$$\begin{aligned}
 \text{Depth of pier cap} &= 1400 \text{ mm} \\
 \text{considering two layers of } 32 \phi \text{ + in longitudinal direction } 32 \phi \text{ in transverse direction} \\
 a &= \text{distance of cg of brg. from face of pier} = 350 \text{ mm} \\
 b_{\text{eff}} &= \text{tacking pedestal size for dispersion as } 1\text{m} \times 1\text{m} = 1420 \text{ mm} \\
 d_{\text{eff}} &= 1312 \text{ mm} \\
 \frac{a}{d} &= 0.266768 \\
 &< 1.00 \\
 &\text{DESIGNED AS A CORBEL}
 \end{aligned}$$

Hence the pier cap has been designed as a bracket.

The design has been done as per "Design proposal for reinforced concrete corbels" by A.H.Mattock.

$$\begin{aligned}
 \text{Dead load reaction coming on corbel} &= 341.94 \text{ t} \\
 \text{Sidl reaction coming on corbel} &= 98.60 \text{ t} \\
 \text{Live load reaction} &= 88.86 \text{ t}
 \end{aligned}$$



$$\begin{aligned}
 \text{self wt of corbel} &= 30.24 \text{ t} \\
 \text{DL+SIDL+LL + self wt on corbel} &= 559.64 \text{ t} \\
 \text{Ultimate force } V_u &= 1.4 * 470.78 + 1.7 * 88.86 = 810.1583 \text{ t} \\
 &\text{(as per load factors given by ACI-4)} \\
 \text{DL+SIDL+LL + self wt on corbel per bearing} &= 139.91 \text{ t} \\
 \text{Ultimate force per bearing } V_u &= 202.5396 \text{ t} \\
 \text{For Pot-Ptfe bearings } \mu' &= 0.05 \\
 \text{Design value of } Nuc &= 10.13 \text{ t}
 \end{aligned}$$

Check for Nominal Shearstrength

$$\begin{aligned}
 \phi &= 0.85 \\
 \mu &= 1.4 \\
 V &= V_u / \phi * b * d = 127.90 \text{ t/m}^2 \\
 &< 0.2 F'_c = 571.2 \text{ t/m}^2 \\
 F'_c &= 0.8 f'_c \quad \text{O.K}
 \end{aligned}$$

Calculation for Shear Friction Reinforcement

$$A_{vf} = V_u / \phi * \mu * f_y = 41.012 \text{ cm}^2$$

clause 11.9.3.3

Calculation of flexural reinforcement

$$\begin{aligned}
 M_u &= V_u * a + N_{uc} * (D - d_{eff}) = 71.78 \text{ t-m} \\
 A_f &= M_u / \phi * f_y * (d_{eff} - x/2) = 15.53 \text{ cm}^2
 \end{aligned}$$

Where x = depth of rectangular stress block
assume x = 1.876458 cm

Depth of Rectangular Block

$$x = A_f * f_y / \phi * f'_c * b_{eff} = 1.90725 \text{ cm}$$

Calculation for Horizontal Tensile Steel

$$\begin{aligned}
 A_t &= N_{uc} / (\phi * f_y) \quad \text{or} &= 2.870866 \text{ cm}^2 \\
 &= 2/3 * A_{vf} &= 27.34158 \text{ cm}^2 \\
 &= A_f &= 15.53 \text{ cm}^2 \\
 \text{whichever is maximum} &&= \mathbf{27.34 \text{ cm}^2}
 \end{aligned}$$

Minimum reinforcement as per clause 11.9.5 of ACI-4

$$= 0.04 * f'_c * b_{eff} * d_{eff} / f_y = \mathbf{50.280 \text{ cm}^2}$$

Calculation for Torsional Steel

In flexural steel, reinforcement due to torsion is to be added also and to compared with minimum steel requirement.

Torsion due to horizontal force as a result of the live load reaction coming on the bearing.

$$\begin{aligned}
 \text{Horizontal force} &= 2.496 \text{ t} \\
 \text{Bending moment} &= 2.745706 \text{ t-m} \\
 \text{Ultimate torsion} &= 4.6677 \text{ t-m}
 \end{aligned}$$

$$\begin{aligned}
 X &= 1.4 \text{ m} \\
 Y &= 1.312 \text{ m} \\
 x &= 55.118 \text{ inches} \\
 y &= 51.654 \text{ inches} \\
 \epsilon X^2 * Y &= 156923.8 \\
 f'_c &= 280 \text{ kg/cm}^2 \\
 &= 3984.4 \text{ psi} \\
 \phi * (0.5 * (f'_c)^{0.5} * \epsilon X^2 * Y) &= 4209777.594 \text{ lb inch} \\
 &= 48.45454 \text{ t-m} \\
 &> 4.67 \text{ t-m}
 \end{aligned}$$

(Thus reinforcement is provided to cater to the effect of full torsion, neglecting the effect of concrete)

$$A_t/s = T_u / (\alpha_t * x * y * f_y)$$

$$\begin{aligned}\alpha_t &= 0.66 + 0.33 * y/x &= 0.969257 \\ A_t/s &= &= 0.025812 \text{ inch}^2/\text{inch} \\ & &= 6.56 \text{ cm}^2/\text{m}\end{aligned}$$

Longitudinal reinforcement as per ACI:

$$A_s = 2 * A_t * (X1 + Y1) / s = 33.883 \text{ cm}^2$$

$$\text{Total Steel} = 27.342 + 33.88 = 61.225 \text{ cm}^2 \text{ per } 1.42$$

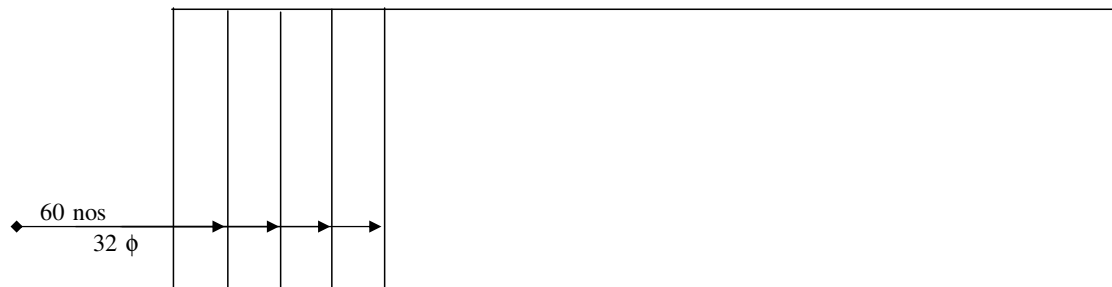
Therefore this is more than minimum steel.

$$\text{Hence } A_s \text{ design} = 431.159 \text{ cm}^2$$

$$\begin{aligned}\text{Provide } & \mathbf{60 \text{ nos}} & \mathbf{32 \text{ } \phi} \\ \text{Area of steel provided} & &= 482.5486 \text{ cm}^2\end{aligned}$$

$$\text{Horizontal Stirrups} = 0.5 * A_s = 214.1441 \text{ cm}^2$$

$$\begin{aligned}\text{Provide } & \mathbf{20 \text{ nos}} & \mathbf{2 \text{ Legged}} & \mathbf{16 \text{ } \phi} & \text{in} & \mathbf{3 \text{ Layers}} \\ \text{Area of steel provided} & & & & &= \mathbf{241.2743 \text{ cm}^2}\end{aligned}$$



Stress in Concrete due to Loads = 37.94 Kg/cm²
Stress in Steel due to Loads = 74.00 Kg/cm²
Percentage of Steel = .41 %

PIER SHAFT .case 1

Depth of Section = 1.500 m
 Width of Section = 5.329 m
 along width-compression face- no of bar: 30 tension face- no of bar: 30
 Dia (mm) 25 25
 Cover (cm) 7.50 7.5
 along depth-compression face- no of bar: 8 tension face- no of bar: 8
 Dia (mm) 16 16
 Cover (cm) 7.50 7.5

Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 102.00 Kg/cm²
 Allowable Steel Stress = 2040.00 Kg/cm²

Axial Load = 1172.850 T
 Mxx = 437.130 Tm
 Myy = 270.330 Tm

Intercept of Neutral axis : X axis : = 23.847 m
 : y axis : = 1.346 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 35.66 Kg/cm²
 Stress in Steel due to Loads = 67.03 Kg/cm²
 Percentage of Steel = .41 %

 PIER SHAFT .case 2
 23-11-06

Depth of Section = 1.500 m
 Width of Section = 5.329 m

Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 102.00 Kg/cm²
 Allowable Steel Stress = 2040.00 Kg/cm²

Axial Load = 1160.090 T
 Mxx = 509.820 Tm
 Myy = 277.670 Tm

Intercept of Neutral axis : X axis : = 23.171 m
 : y axis : = 1.160

Concrete Stress Governs Design

Stress in Concrete due to Loads = 46.53 Kg/cm²
 Stress in Steel due to Loads = 211.80 Kg/cm²
 Percentage of Steel = .41 %

INPUT FILE: 70RW.STD

```

1. STAAD SPACE
2. INPUT WIDTH 72
3. UNIT METER MTON
4. PAGE LENGTH 1000
5. JOINT COORDINATES
6. 1      0.000      .000      .000
7. 2      0.4        .000      .000
8. 3      30.4       .000      .000
9. 4      30.8       .000      .000
10. 5     30.84      0.0       0.0
11. 6     31.24      .000      .000
12. 7     61.24      0.0       0.0
13. 8     61.64      0         0
14. MEMBER INCIDENCES
15. 1      1      2
16. 2      2      3
17. 3      3      4
18. 4      4      5
19. 5      5      6
20. 6      6      7
21. 7      7      8
22. MEMBER PROPERTY CANADIAN
23. 1 TO 7 PRI YD 2. ZD 1.
24. MEMBER RELEASE
25. 4 END FY MZ
26. 5 START FY MZ
27. CONSTANT
28. E CONCRETE ALL
29. DENSITY CONCRETE ALL
30. POISSON CONCRETE ALL
31. SUPPORT
32. 2 3 6 7 PINNED
33. DEFINE MOVING LOAD
34. *TYPE 1 LOAD 4*17.0 2*12.0 8.0 DIS 1.37 3.05 1.37 2.13 1.52 3.96
35. TYPE 1 LOAD 8 2*12 4*17 DIS 3.96 1.52 2.13 1.37 3.05 1.37
36. LOAD GENERATION 264
37. TYPE 1 -100.2 0. 0. XINC .5
38. TYPE 1 -56.8 0. 0. XINC .5
39. TYPE 1 -13.4 0. 0. XINC .5
40. PERFORM ANALYSIS
41. ***MAX REA
42. LOAD LIST 159
43. PRINT SUPPORT REACTION

```

SUPPORT REACTION

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = SPACE

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	159	0.00	5.30	0.00	0.00	0.00	0.00
3	159	0.00	43.70	0.00	0.00	0.00	0.00
6	159	0.00	46.87	0.00	0.00	0.00	0.00
7	159	0.00	4.13	0.00	0.00	0.00	0.00

```

44. LOAD LIST 236
45. PRINT SUPPORT REACTION

```

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = SPACE

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	236	0.00	16.08	0.00	0.00	0.00	0.00
3	236	0.00	83.92	0.00	0.00	0.00	0.00
6	236	0.00	0.14	0.00	0.00	0.00	0.00
7	236	0.00	7.86	0.00	0.00	0.00	0.00

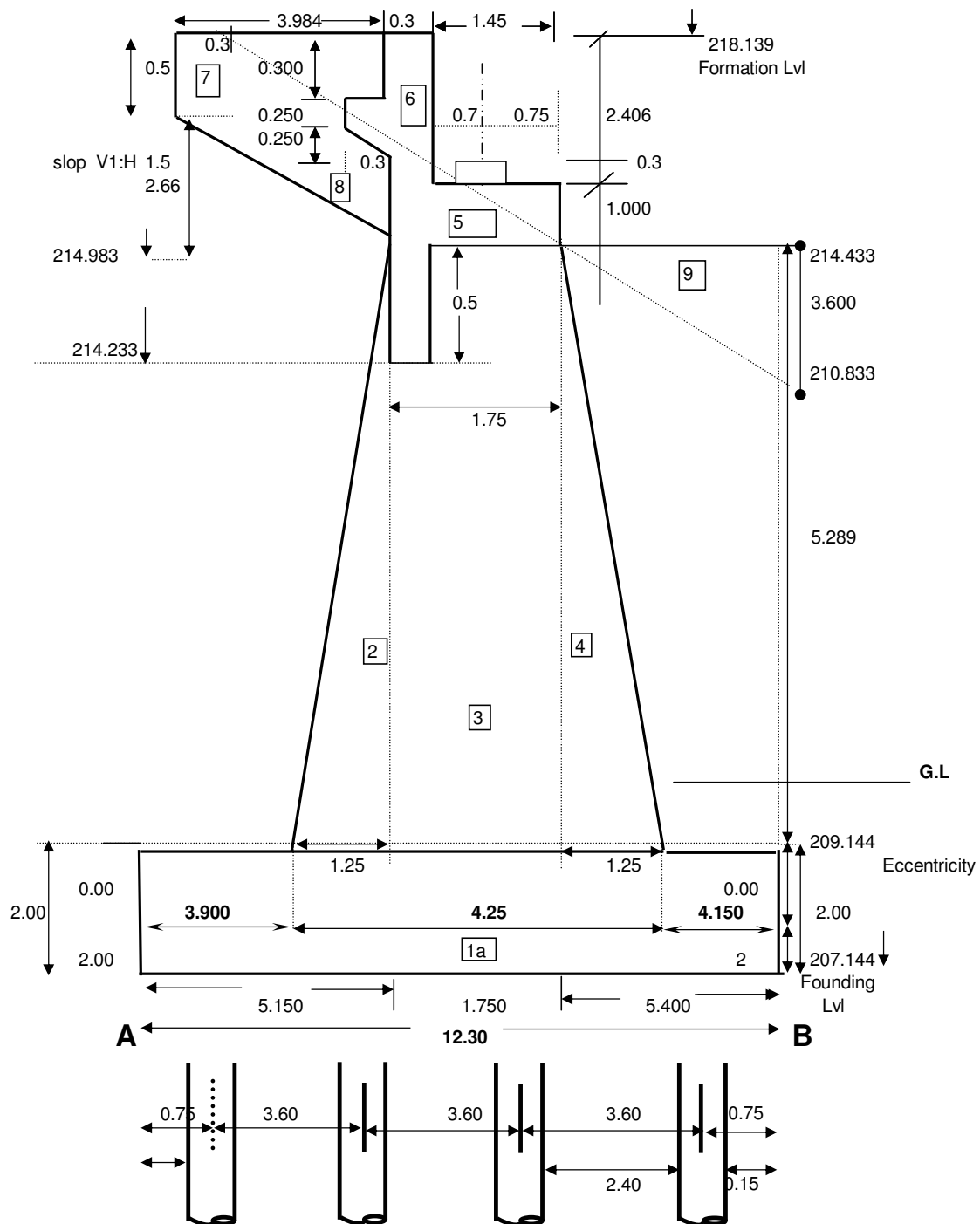
46. FINISH

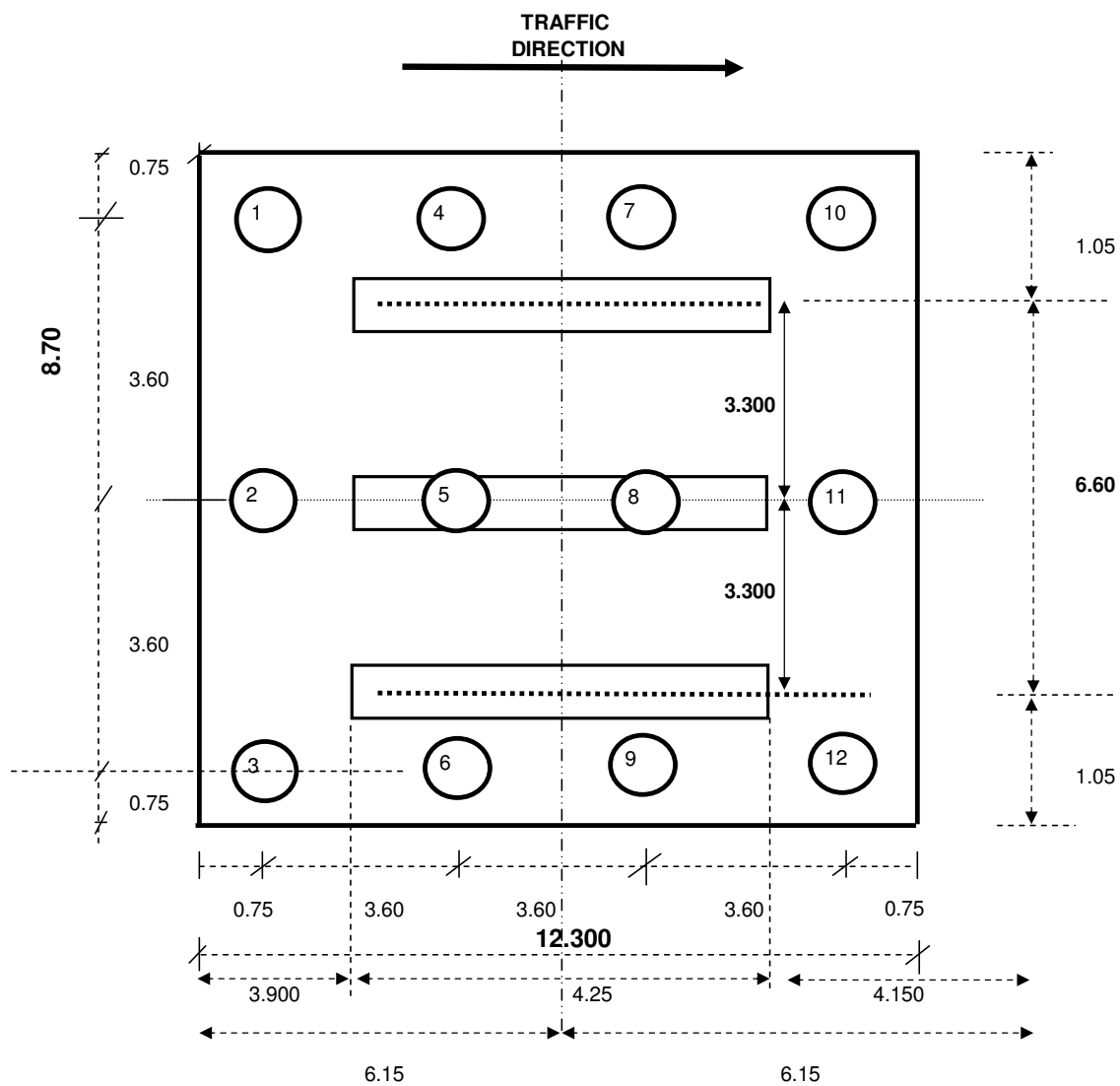
***** END OF THE STAAD.Pro RUN *****

DESIGN OF SUBSTRUCTURE (ABUTMENT)

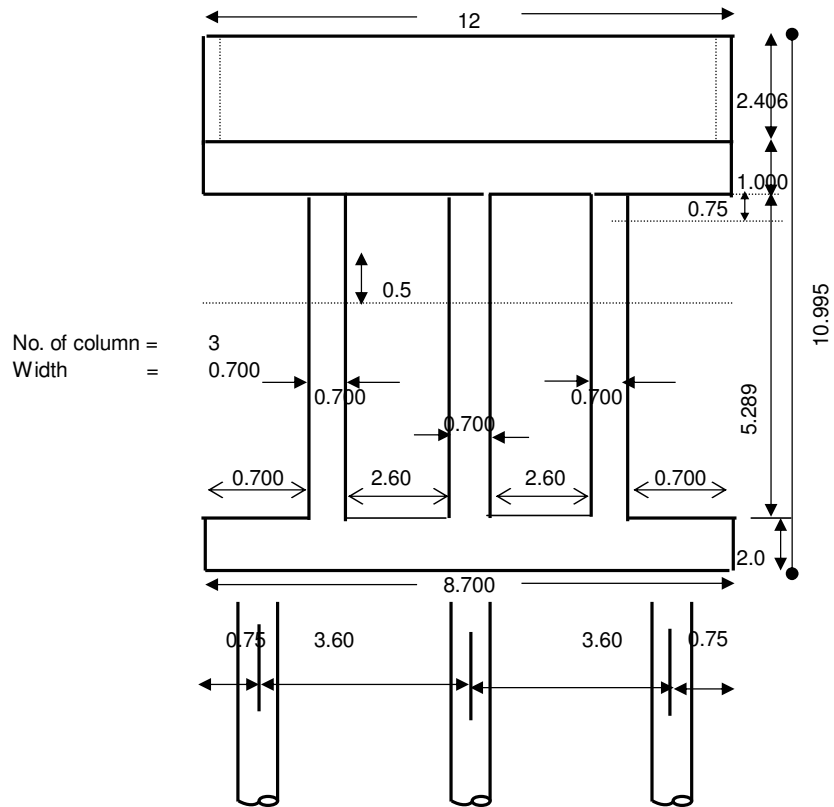
DESIGN DATA

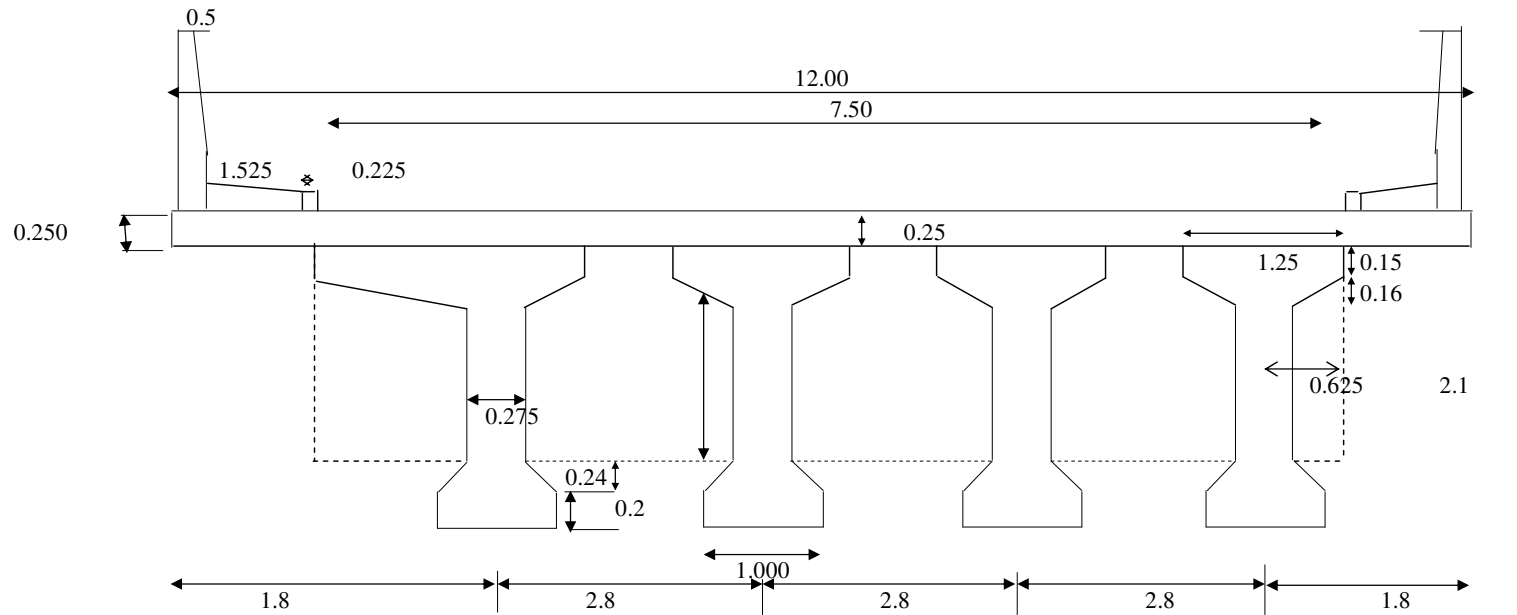
Formation Level	=	218.139 m
Ground Level	=	210.144 m
Lowest Water Level	=	210.144 m
Highest Flood Level	=	214.172 m
Bottom of pile cap Level	=	207.144 m
Thickness of bearing & pedestal	=	0.300 m
Length of Span expansion joint to expansion joint	=	32.200 m
Clear Span	=	30.000 m
Bouyancy factor	=	1
Submerged density of earth	=	1.0 t/cum
Saturated density of earth	=	2.000 t/cum
Unit wt of concrete	=	2.400 t/m ³
Depth of Superstructure	=	2.350 m
Thickness of wearing coat	=	0.056 m
PILE DATA		
Number of piles	=	12
Diameter of pile	=	1.20 m
Spacing of pile in longitudinal direction	=	3.60 m
No. of spacing in longi. dir.	=	3
Specing of pile in trans. dir.	=	3.60 m
No. of specing in trans. dir.	=	2
SEC MODULUS FOR LONG. MOMENTS, Z_L outer	=	36.00 m ³
SEC MODULUS FOR LONG. MOMENTS, Z_L inner	=	108.00 m ³
SEC MODULUS FOR TRANS. MOMENTS, Z_T outer	=	28.80 m ³
SEC MODULUS FOR TRANS. MOMENTS, Z_T inner	=	0.00 m ³
LENGTH OF PILE CAP IN LONG. DIRECTION	=	12.30 m
LENGTH OF PILE CAP IN TRANS. DIRECTION	=	8.70 m
Live Load	-	One Lane of 70R Two Lane of class A
Grade of Concrete	-	M 35
Grade of Reinforcement	-	415 (HYSD)
Permissible Compressive stress in Concrete	-	1190 t/m ²
Permissible Tensile stress in Steel	-	20400 t/m ²
Modular ratio, m	-	10
factor, k	-	0.368
Lever arm factor, j	-	0.877
Moment of Resistance	-	192 t/m ²





Pile No	x	Z _L	y	Z _T
1	5.4	36	3.6	28.8
2	1.8	108	0	0
3	1.8	108	3.6	28.8
4	5.4	36	3.6	28.8
5	5.4	36	0	0
6	1.8	108	3.6	28.8
7	1.8	108	3.6	28.8
8	5.4	36	0	0
9	5.4	36	3.6	28.8
10	1.8	108	3.6	28.8
11	1.8	108	0	0
12	5.4	36	3.6	28.8
	194.4		103.68	



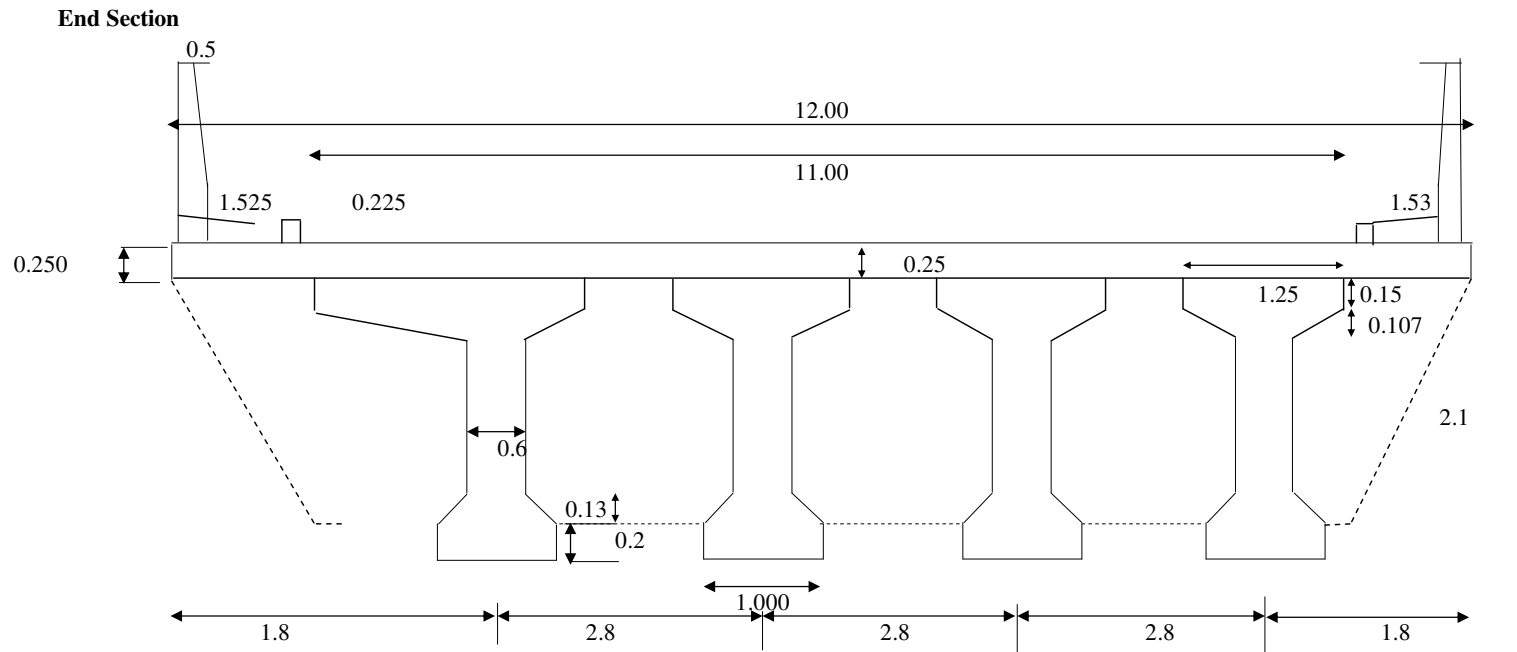


Depth of SuperStructure = 2.35

Number of Longitudinal Girders = 4

Mid section

1 slab	= 12×0.25	= 3 m ²
2 Top Flange	= $4 \times [(0.15 \times 1.25) + (0.5 \times (1.25 + 0.275)) \times 0.16]$	= 1.238 m ²
3 Web	= $4 \times [(2.1 - (0.15 + 0.16) - (0.2 + 0.24)) \times 0.275]$	= 1.485 m ²
4 Bottom Bulb	= $4 \times [(1 \times 0.2) + (0.5 \times (1 + 0.275)) \times 0.24]$	= 1.412 m ²
Total		= 4.135 m²



Depth of SuperStructure	=	2.35
Number of Longitudinal Girders	=	4
End section		
1 slab	=	12×0.25
2 Top Flange	=	$4 \times [(0.15 \times 1.25) + (0.5 \times (1.25 + 0.6)) \times 0.107]$
3 Web	=	$4 \times [(2.1 - (0.15 + 0.107) - (0.2 + 0.132)) \times 0.6]$
4 Bottom Bulb	=	$4 \times [(1 \times 0.2) + (0.5 \times (1 + 0.6)) \times 0.132]$
Total	=	5.99 m ²
DL per running meter at Intermediate section	=	10.338 t/m
DL per running meter at End section	=	14.987 t/m

Intermediate Cross Girder

Thickness of Cross Girder

Number of intermediate cross girders

Cross sectional area in elevation

DI of intermediate cross girder

End Cross Girder

Thickness of end Cross Girder

Number of intermediate cross girders

Cross sectional area in elevation

DI of intermediate cross girder

S.I.D.L

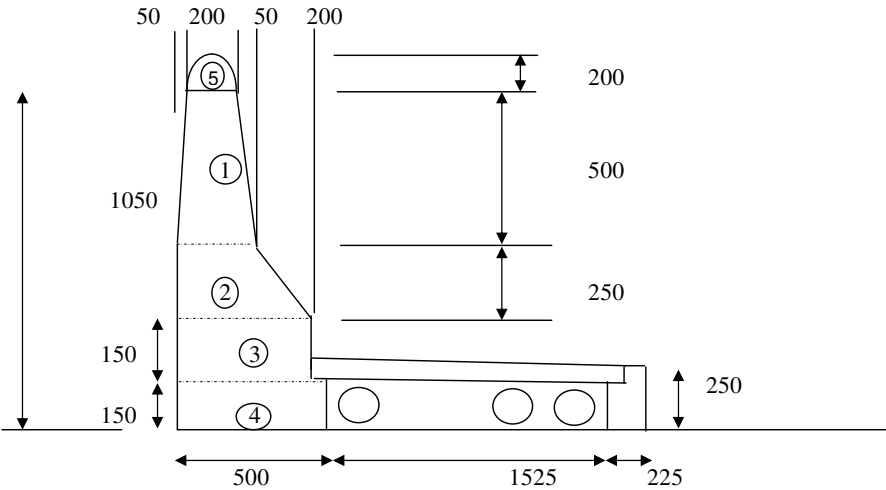
I Wearing Coat @ 1.0725 t/m

II Crash barrier @ 1.00 t/m

(provide one side enter 1,bothsides enter 2 , otherwise enter 0)

III R.C.C Post & Railing @ 0.085 t/m

(provide one side enter 1,bothsides enter 2 , otherwise enter 0)



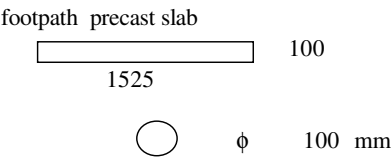
= 0.3
= 3
= 12.259 m²
= 27.582 t

= 0.45
= 2
= 18.028 m²
= 40.562 t

= 1.0725 t/m

2 = 2.00 t/m

0 = 0 t/m



Wt due to Crashbarrier

Component	Area	Wt
1	0.100	0.24
2	0.0875	0.21
3	0.075	0.18
4	0.075	0.18
5	0.002	0.1541
		0.96 t/m

say, 1.000

Footpath precast slab

0.1525 0.3813 t/m

missllaneous utilities 0.2 t/m**Footpath kerb** 0.0563 0.1406 t/m**sandfilling** 0.2052 0.3693 t/m

IV Foot path precast s @ 0.38125 t/m

(provide one side enter 1,bothsides enter 2 , otherwise enter 0) 2 = 0.7625 t/m

V Footpath Kerb @ 0.140625 t/m

(provide one side enter 1,bothsides enter 2 , otherwise enter 0) 2 = 0.2813 t/m

VI Missillaneous utilities @ 0.2 t/m

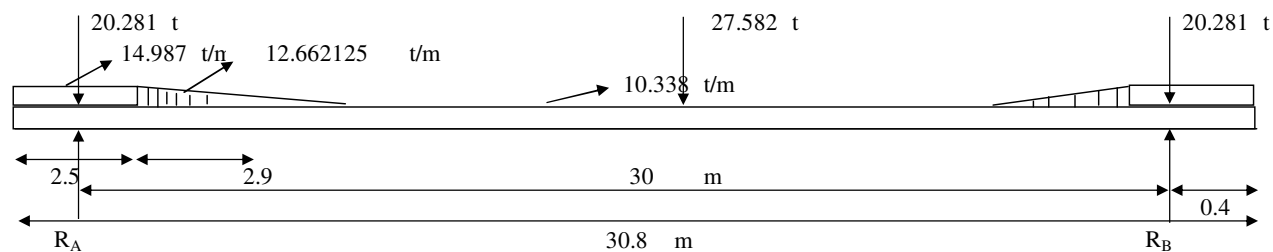
(provide one side enter 1,bothsides enter 2 , otherwise enter 0) 2 = 0.4 t/m

VII Sandfilling in footpath @ 0.3693 t/m

(provide one side enter 1,bothsides enter 2 , otherwise enter 0) 2 = 0.7387 t/m

Total = 5.25 t/m

Total S.I.D.L Reaction = 169.21 t

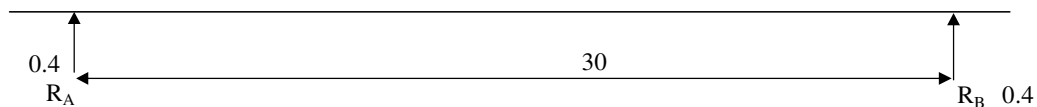
**Due to girders:**Reaction $R_A = (10.3375 \times 0.5 \times 25.4) + (14.99 \times 2.5) + (0.5 \times 12.66 \times 2.9) + 20.28 + 13.79$

= 221.19 t

Due to SLAB

= 120.75 t

Due to SIDL= **84.604 t****Total DL + SIDL**= **853.08 t**



Longitudinal Force :

As per clause 214.2 of IRC:6, horizontal braking force F_h , for each span is:

For Class A Single lane : $F_h = [0.2 \times 55.4] = 11.080 \text{ t}$

For class 70R wheeled : $F_h = [0.2 \times 100] = 20.000 \text{ t}$

For class A 2 lane $F_h = 0.2 \times 55.4 = 11.08 \text{ t}$

Summary of Longitudinal Forces :

	Fixed Bearing $F_h - \mu [R_g + R_q]$	Free Bearing $\mu [R_g + R_q]$
1		
2	$\frac{F_h}{2} + \mu [R_g + R_q]$	$\mu [R_g + R_q]$
1	$= 20.0 - 0.05 \times 457.29$ $= -2.8645 \text{ t}$	0.05×523.79 $= 26.189 \text{ t}$
2	$\frac{20.0}{2.0} + 0.05 \times 457.29$ 32.864 t	0.05×523.79 $= 26.189 \text{ t}$

Load Case	Longitudinal horizontal force (t)	Longitudinal Moment (t-m)
70R Wheeled	32.86	0.000
Span dislodged	0.00	0.000

Moment in Transverse Direction

Eccentricity of vertical load in transverse direction,

$$\begin{aligned}
 \text{(a) Class A Single lane} &= \frac{11.0}{2.00} - 0.40 - \left[\frac{1.80}{2} \right] = 4.2 \\
 \text{(b) Class A 2 lane} &= \frac{11.0}{2.00} - 0.40 - \left[\frac{1.80 \times 2 + 1.7}{2} \right] = 2.45 \\
 \text{(c) Class 70R Wheeled} &= \frac{11.0}{2.00} - 1.63 - \left[\frac{1.93}{2} \right] = 2.91
 \end{aligned}$$

Footpath Live load :

The effective span of girders = 32.200 m > 30.00 m

$$\text{Therefore, Intensity of footpath live load} = P = \left(P' - 260 + \frac{4800}{L} \right) \left(\frac{16.5 - W}{15} \right)$$

$$\text{Where, } P' = 400 \text{ Kg/m}^2$$

$$\begin{aligned}
 \text{Therefore,} & \left(400 - 260 + \frac{4800}{32.2} \right) \left(\frac{16.5 - 1.5}{15} \right) \\
 & = 289.07 \text{ Kg/m}^2 = 0.289 \text{ t/m}^2
 \end{aligned}$$

(a) When one side is loaded;

$$\text{Load on each span} = 0.289 \times 1.5 \times 32.200 = 13.962 \text{ t Say, } 14.0 \text{ t}$$

(b) When both sides are loaded;

$$\text{Load on each span} = 13.962 \times 2 = 27.924 \text{ t Say, } 28.0 \text{ t}$$

Eccentricity of load in transverse direction:

$$\text{(a) When one side is loaded} = 6 - \left(0.45 + \frac{1.5}{2} \right) = 4.80 \text{ m}$$

(b) When both sides loaded = Nil

LOADING:	$R_A(t)$	$R_B(t)$	M_T	R
Class A 1 Lane	13.62	41.78	175.48	41.78
Class A 2 Lane	27.24	83.56	204.72	83.56
70R Wheeled	16.75	83.25	242.26	83.25

SUMMARY OF LOAD ON PIER FROM SUPERSTRUCTURE

	P	M_L	M_T
1 D.L	341.9351813	0	0
2 S.I.D.L	98.60432467	0	0
3 L.L			
	83.25	0	242.26

COEFFICIENT OF ACTIVE EARTH PRESSURE

AS PER COULOMB'S THEORY, COEFFICIENT OF ACTIVE EARTH PRESSURE IS

$$K_a = \frac{\sin^2(\alpha + \phi)}{\sin^2\alpha \cdot \sin(\alpha - \delta)} \left[1 + \sqrt{\frac{\sin(\alpha + \phi) \cdot \sin(\phi - \iota)}{\sin(\alpha - \delta) \cdot \sin(\phi + \iota)}} \right]^2$$

WHERE

ϕ = ANGLE OF INTERNAL FRICTION OF EARTH

α = ANGLE OF INCLINATION OF BACK OF WALL

δ = ANGLE OF INTERNAL FRICTION BETWEEN WALL & EARTH

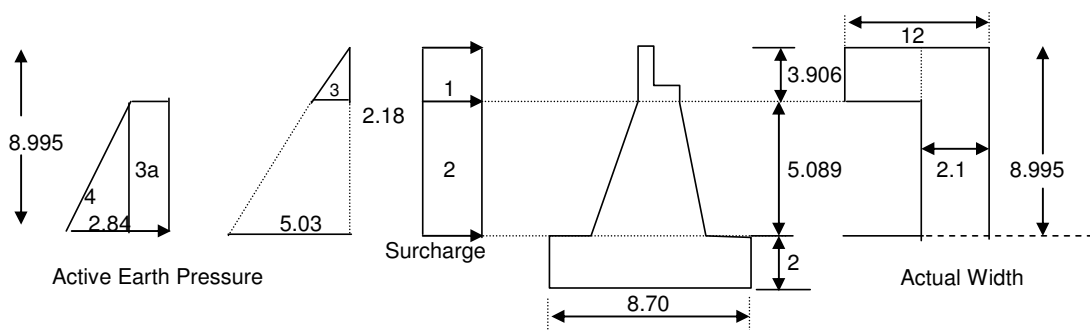
ι = ANGLE OF INCLINATION OF BACKFILL

HERE

$$\begin{aligned} \phi &= 30^\circ = 0.524 \text{ Radian} \\ \alpha &= 90^\circ = 1.571 \text{ Radian} \\ \delta &= 20^\circ = 0.349 \text{ Radian} \\ \iota &= 0^\circ = 0 \text{ Radian} \\ K_a &= 0.2973 \end{aligned}$$

Therefore, Horizontal coefficient of Active earth pressure $K_a \cos \phi = K_{ha} = 0.2794$

CALCULATION OF ACTIVE EARTH PRESSURE



L.W.L. Condition

a) Service Condition

Element No.	Component	Area factor	Height (m)	Pressure (t/m ²)	Actual Width	Effective Width*	Force (t)	L.A. from bottom of pile cap	Moment (tm)
1	LL Surcharge (height=1.2)	1.0	3.906	0.67	12.000	12.000	31.429	9.042	284.18
2		1.0	5.089	0.67	2.100	2.100	7.166	4.545	32.56
3	Dry Earth	0.5	3.906	2.18	12.000	12.000	51.150	8.730	446.52
3a		1.0	5.089	2.84	2.100	4.200	60.778	4.545	276.20
4		0.5	5.089	2.84	2.100	4.200	30.389	4.137	125.73
TOTAL							180.91		1165.19

Design Force

180.91 t

Design Moment

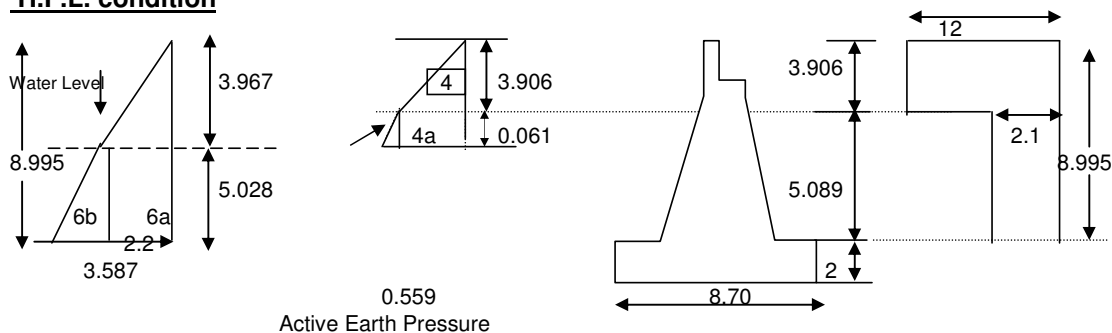
1165.19 tm

b) Span Dislodge Condition

Net force = 180.91 - 38.59 = 142.32 t

Net moment = 1165.19 - 316.74 = 848.45 tm

* As per clause 710.4.3 of IRC : 78,

H.F.L. condition**a) Service Condition**

Element no.	Compone nt	Area factor	Height (m)	Pressure (t/m ²)	Actual Width	Effective Width	Force (t)	L.A. from bottom of pile cap	Moment (tm)
1+2	Surcharge	Same as in dry case					38.594		316.74
4	Dry Earth	0.5	3.906	2.183	12.000	7.800	33.248	8.730	290.235
4a		0.5	3.967	2.183	2.100	4.200	18.182	9.012	163.848
6a	Submg	1.0	5.028	2.183	2.100	4.200	46.090	4.514	208.051
6b	Earth	0.5	5.028	1.405	2.10	4.200	14.832	4.112	60.987
TOTAL							150.95		1039.86

Design Force

150.95

t

Design Moment

1039.86

tm

b) Span Dislodge Condition

Net force = 150.95 - 38.59 = **112.35 t**
 Net moment = 1039.86 - 316.74 = **723.12 tm**

Weight of Abutment**L.W.L. Condition**

Element No.	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m ³)	Weight (t)	L.A.from pile cap B	Moment about B
1a	Pile cap	1.0	12.300	8.70	2.000	2.40	513.65	6.150	3158.94
2	Counterfort	0.5	1.250	2.10	5.289	2.40	16.66	7.567	126.06
3		1.0	1.750	2.10	5.289	2.40	46.65	6.275	292.72
4		0.5	1.250	2.10	5.289	2.40	16.66	4.983	83.02
5	Cap	1.0	1.750	12.00	1.000	2.40	50.40	6.275	316.26
6	Dirt Wall	1.0	0.300	12.00	2.406	2.40	20.79	7.000	145.51
7	Return Wall	1.0	3.984	0.90	0.500	2.40	4.30	9.142	39.34
8		0.5	3.984	0.90	2.656	2.40	11.43	8.478	96.89
TOTAL							680.54		4258.7

Weight of Earth and LL surcharge**L.W.L. Condition**

Element No	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m³)	Weight (t)	L.A.from pile cap B	Moment about B
Front Earth below cap		1	7.15	8.7	5.289	2.000	658.0045	3.575	2352.366
9	VOLUME DEDUCTED	-0.5	5.400	8.70	3.600	2.0	-169.13	1.800	-304.43
4		-0.5	5.400	2.10	5.289	2.0	-59.98	3.600	-215.92
3		-1.0	1.750	2.10	5.289	2.0	-38.87	6.275	-243.94
Backfill Earth		1.0	5.150	8.70	8.995	2.0	806.04	9.725	7838.76
2	VOLUME DEDUCTED	-0.5	1.250	2.10	5.289	2.0	-13.88	7.567	-105.05
7		-1.0	3.984	0.90	0.500	2.0	-3.59	9.142	-32.78
8		-0.5	3.984	0.90	2.656	2.0	-9.52	8.478	-80.74
TOTAL							1169.07		9208.3

LLSURCHARGE

Element No	Component	Area Factor	Length	Width	Height	Density	Weight	L.A.from pile cap B	Moment about B
DRY EARTH		1.00	5.150	8.70	1.20	2.00	107.53	9.725	1045.75

BOUYANCY FACTOR = 1

BOUYANT FORCE (H.F.L. Case 12.30 X 8.70 X 7.028 = 752.0663

MOMENT DUE TO BOUYANT FORCE @, TOE = 4625.208

SUMMARY OF FORCES AND MOMENTS:

LOAD CASE	Case. L.W.L.		Case. H.F.L.	
	Service Cond.	Span dislodged	Service Cond.	Span dislodged
CLASS-70R	83.25		83.25	
Foot Path L.L.	0.00		0.00	
D.L. of superstructure	341.94		341.94	
S.I.D.L.	83.25		83.25	
Total Vertical Load from supr str (a)	508.44	0.00	508.44	0.00
L.L. Surcharge	107.53		107.53	
Vertical load from substructure (b)	1957.14	1849.61	1205.08	1097.54
Total Vertical Load V = (a) + (b)	2465.58	1849.61	1713.51	1097.54
Horizontal force at bearing	32.86	0.00	32.86	0.00
Horiz force due to active Earth Pressure	180.91	142.32	150.95	112.35
Total Horizontal Force H =	213.78	142.32	183.81	112.35
Moment, due to Horiz. force at bearing	292.13	0.00	292.13	0.00
'eccen' due to C.G.of pile & C _p of bearing	0.000	0.000	0.000	0.000
M _L @ C.G. of pile group due to (a)	0.00	0.00	0.00	0.00
'eccen' due to C.G.of pile & CG of (b)	1.265	1.131	2.055	1.906
M _L @ C.G. of pile group due to (b)	2476.33	2091.91	2476.33	2091.91
Moment due to active earth pressure	1165.19	848.45	1039.86	723.12
Net Longitudinal moment	-1019.006	-1243.454	-1144.3	-1368.783
Transverse moment	242.258	0.000	242.3	0.000

Seismic Calculation

Seismic forces in longitudinal & transverse direction shall be generated only on superstructure and do not govern for Zone II & III, the design hence ignored.

CALCULATION OF LOAD ON PILES

Total no. of Piles (N)	12				
P	2465.58	Z _L (outer)	36.00	Z _L (inner)	108.00
M _L	-1019.006				
M _T	242.258	Z _T (outer)	28.80	Z _T (inner)	0.00

L.W.L. Case

SERVICE CONDITION					SPAN DISLODGE CONDITION				
P/N	M_L/Z_L (outer)	M_L/Z_L (inner)	M_T/Z_T (outer)	M_T/Z_T (inner)	P/N	M_L/Z_L (outer)	M_L/Z_L (inner)	M_T/Z_T (outer)	M_T/Z_T (inner)
205.46	-28.31	-9.44	8.41	0.00	154.13	-34.54	-11.51	0	0

-----  TRAFFIC DIRECTION

PILE NO.	A	B	C	D		A	B	C	D
1	225.36	206.49	187.62	168.75		188.67	165.65	142.62	119.59
2	233.77	214.90	196.03	177.16		188.67	165.65	142.62	119.59
3	242.18	223.31	204.44	185.57		188.67	165.65	142.62	119.59

H.F.L. Case

SERVICE CONDITION					SPAN DISLODGE CONDITION				
P/N	M_L/Z_L (outer)	M_L/Z_L (inner)	M_T/Z_T (outer)	M_T/Z_T (inner)	P/N	M_L/Z_L (outer)	M_L/Z_L (inner)	M_T/Z_T (outer)	M_T/Z_T (inner)
142.79	-31.79	-10.60	8.41	0.00	91.46	-38.02	-12.67	0.00	0.00

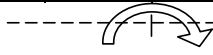
-----  TRAFFIC DIRECTION

PILE NO.	A	B	C	D		A	B	C	D
1	166.17	144.98	123.79	102.59		129.48	104.14	78.79	53.44
2	174.58	153.39	132.20	111.01		129.48	104.14	78.79	53.44
3	182.99	161.80	140.61	119.42		129.48	104.14	78.79	53.44

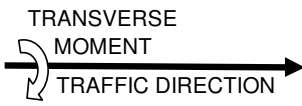
DESIGN OF PILE CAP

NORMAL CASE (L.W.L.)

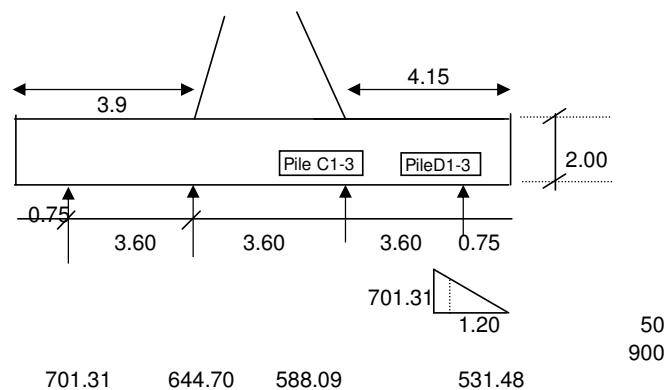
SERVICE CONDITION				
P/N	M_L/Z_L (outer)	M_L/Z_L (inner)	M_T/Z_T (outer)	M_T/Z_T (inner)
205.46	-28.31	-9.44	8.41	0.00


 LONGITUDINAL MOMENT

PILE NO.	A	B	C	D	Total
1	225.36	206.49	187.62	168.75	788.21
2	233.77	214.90	196.03	177.16	821.86
3	242.18	223.31	204.44	185.57	855.51
Total	701.31	644.70	588.09	531.48	


 TRANSVERSE MOMENT
TRAFFIC DIRECTION

DESIGNING THE SECTION PARALLEL TO THE TRAFFIC DIRECTION



CALCULATION OF BENDING MOMENT

		0 m from the face of the column				
Loadings		Element	Area fact.	force/m	L.A.	Moment
Downward Loads	SELF WEIGHT OF CONCRETE	1a	1.0	173.304	2.075	359.606
	SELF WEIGHT OF EARTH	4	1.0	381.9	2.075	792.481
	SELF WEIGHT OF EARTH	9	-1.0	-229.869	2.767	-635.970
	SELF WEIGHT OF EARTH	4	1.0	0.000	2.075	0.000
Upward Load of Piles	Pile no. D1,D2,& D3	PileD1-3		-531.477	3.400	-1807.023
	Pile no. C1,C2,& C3	PileC1-3		0.000	-0.200	0.000
TOTAL				-206.123		-1290.905

Bending Moment at face of stem	1290.905	tm				
Effective depth required	0.878	m	M-35			
Effective depth provided	1.910	m	Q	=	192.29	t/m ²
Area of Reinforcement required	43.4	cm ² /m		=	37769.02	mm ²
Minimum area of steel	24.0	cm ² /m				
Provide	32 ϕ	42	nos			
	16 ϕ	41	nos			
Area of steel provided				=	42021.94	mm ²
				=	49.148	cm ² /m
Provide minimum reinforcement at top face				=	10440	mm ²
	16 ϕ	54	nos	=	10857	mm ²

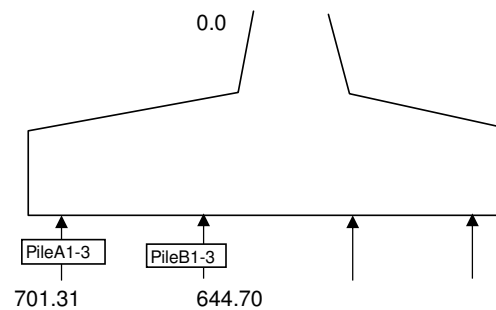
Check for Shear

1.910 m from the face of the column

Loadings		Element	Area fact.	force/m	L.A.	Moment
Downward Loads	SELF WEIGHT OF CONCRETE	1a	1.0	93.542	1.120	104.767
	SELF WEIGHT OF EARTH	4	1.0	206.1	1.120	230.881
	SELF WEIGHT OF EARTH blank	9	-1.0	-99.259	1.120	-111.170
	SELF WEIGHT OF SOIL triang	4	1.0	0.000	1.120	0.000
Upward Load of piles	Pile no. D1,D2,D3	Pile1		-531.477	1.490	-791.901
	Pile no. C1,C2,C3	Pile2		0.000	-2.110	0.000
TOTAL				-331.050		-567.422

Effective depth (d') at distance d	1.910	m			
Shear force at critical section	331.05	t			
Bending Moment at critical section	567.42	tm			
$\tan \beta =$	0.00				
Net shear force S	331.05	t			
Hence, Shear stress	19.92	t/m ²			
% of reinforcement	0.257				
Permissible shear stress	23.68	t/m ²	Hence O.K., No need of shear reinforcement		
Providing	2	legged	12	ϕ stirrups @,	250 c/c
				say	250 c/c

DESIGN OF PILE CAP ON HEEL SIDE



BENDING MOMENT AND SHEAR FORCE AT FACE OF STEM

Loadings		Element	Area fact.	force	L.A.	moment
Downward Loads.	SELF WEIGHT OF CONCRETE	1a	1.0	162.864	1.950	317.585
	SELF WEIGHT OF EARTH	2a	1.0	610.401	1.950	1190.281
	SELF WT OF EARTH tring		0.5	0.000	1.950	0.000
	Surcharge			81.432	1.950	158.792
Upward Load of piles	Pile no. B1,B2,B3	Pile B1-3	0.0	0.000	-0.450	0.000
	Pile no. A1,A2,A3	Pile A1-3	0.0	-701.312	3.150	-2209.132
TOTAL				153.385		-542.473

Bending Moment at face of stem **542.473 tm**

Effective depth required 0.569 m

Effective depth provided at face of stem 1.910 m

Area of Reinforcement required 18.24 cm²/m

Hence, Provide 20 ϕ , @ 125 C/C
0 ϕ , @ 125 C/C

Area of steel provided 25.13 cm²/m % OF STEEL EXTRA 37.77

Check for Shear (Critical section at face of stem)

Shear force at face of stem 153.39 t

$\tan \beta$ 0.000

Bending moment at face of stem 542.473 tm

Net shear force $S - M \cdot \tan \beta / d$ 153.39 t

Hence, Shear stress at face of stem 9.23 t/m²

Shear force at distance 1.910

% of reinforcement 0.13

Permissible shear stress 20.40 t/m² **Hence O.K.**

DESIGNING THE SECTION PERPENDICULAR TO THE TRAFFIC DIRECTION

Maximum design moment	256.7
Width taken for design purpose	4.250
Depth required (effective)	0.560
Depth provided (effective)	1.910
Area of steel required per meter of slab cm^2	17.668
Minimum steel required cm^2	24.06
Maximum shear force	0.00
Maximum shear stress	0.00
% of reinforcement	0.126
Permissible shear stress	20.400

Hence O.K., No need of shear reinforcement

Provide

20 ϕ , @ 125 C/C

Area of steel provided

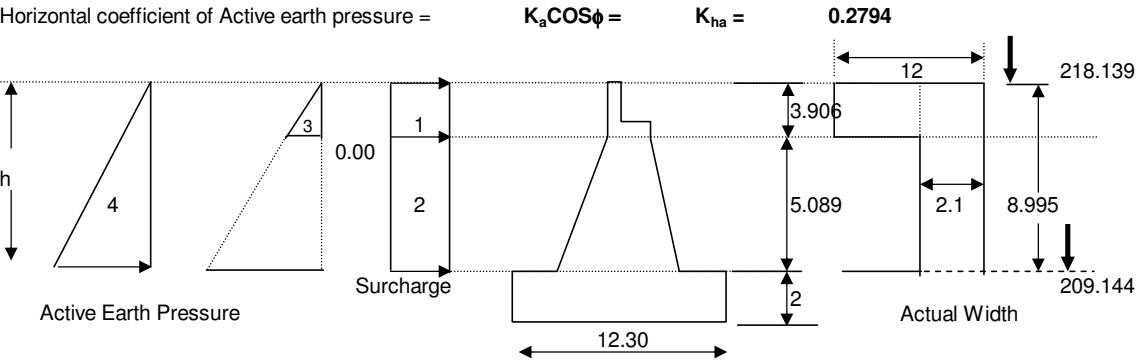
25.13 cm^2

DESIGN OF COLUMN

Case : L.W.L. service condition.

(c) CHECKING THE INTERMEDIATE SECTION, AT R.L.= 209.14 m

CALCULATION OF EARTH PRESSURE

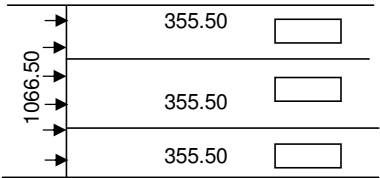


R.L. of Section = 209.14 m

Element No.	Component	Area factor	Height (m)	Pressure (t/m ²)	Actual Width	Effective Width	Force (t)	L.A. (m)	Moment (tm)
1	Surcharge	1.00	3.906	0.67	12.00	12.00	31.43	7.04	221.3
2		1.00	5.089	0.67	2.10	2.10	7.17	6.45	46.2
3	Dry Earth	0.50	3.91	2.18	12.00	7.80	33.25	6.73	223.7
4		0.50	9.00	5.03	2.10	4.20	94.94	3.78	358.7
Total							166.78		850.0

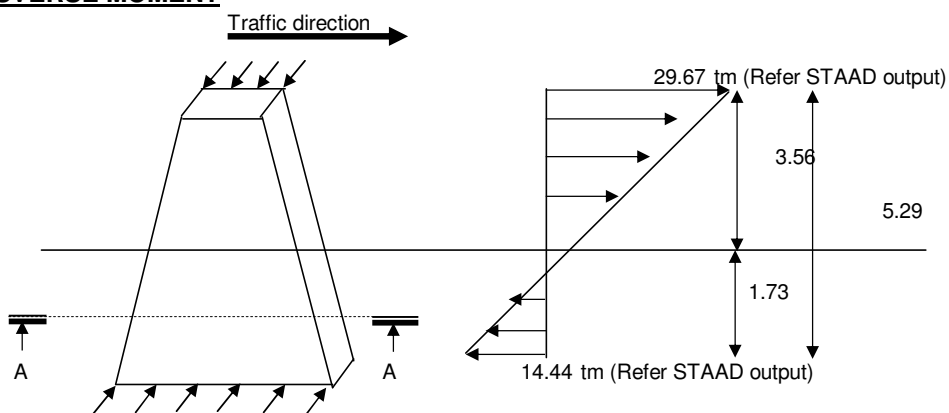
Horizontal force at bearing due to superstructure =	32.86	6.59	216.5
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Total longitudinal force & moment on all counterfort 199.65 1066.5

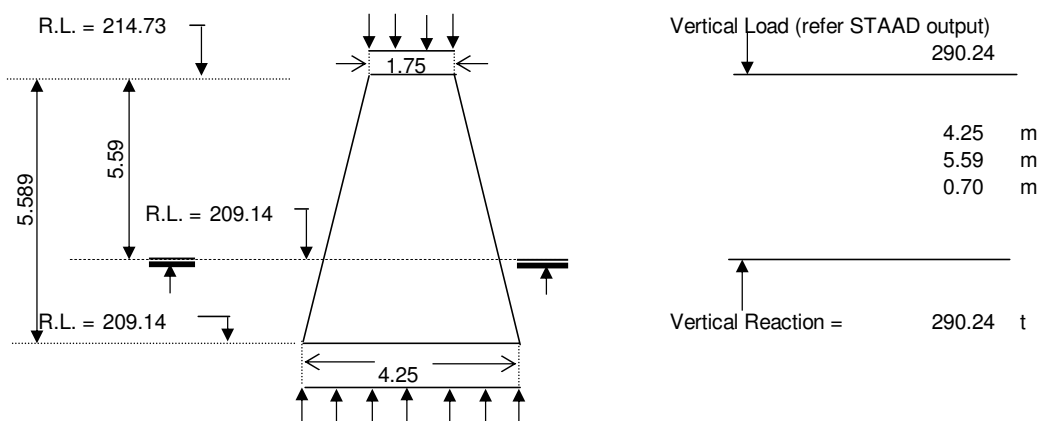


Longitudinal force on each column 66.55 t

Longitudinal moment on each column 355.50 tm

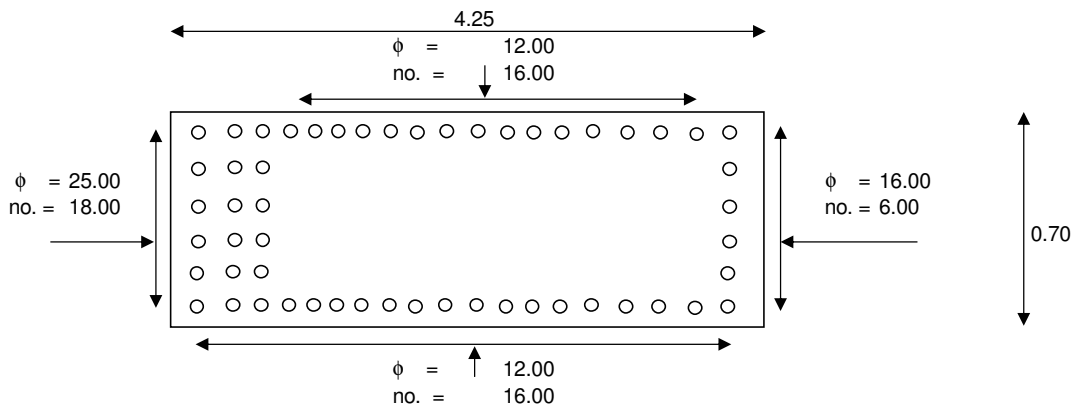
TRANSVERSE MOMENT

Transverse moment at the section = 16.94 tm

CALCULATION OF VERTICAL LOAD

The design has been done on **BIAX1** software
Input data of forces & moment required to run the **BIAX1**

Cross-section	4.25	x	0.70 m ²
Vertical load	=		290.24 t
Transverse moment	=		16.94 tm
Longitudinal moment	=		355.50 tm



Section A-A

0.297 %

CHECK FOR SHEAR

Checking the section at R.L. = 209.14 m

Shear Force = 66.55 t

Area of section 4.25 x 0.70 m²

Shear stress 22.37 t/m²

% of tensile reinforcement 0.30 %

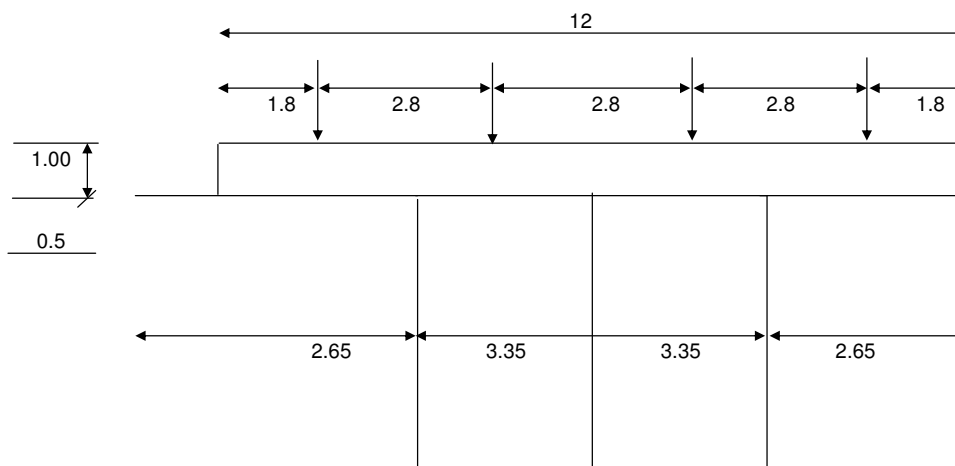
Vertical load 290.24 t

Multiplication factor as per IRC: 21 clause no. 304.7.1.3.3. = 1.14

Permissible shear stress 28.39 t/m²

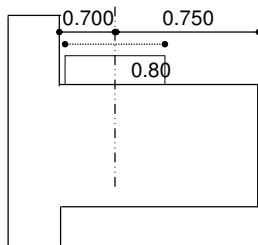
Design shear force (22.37 - 28.39) x (4.25 x 0.70) = 17.92 t

Area of reinforcement required for shear $\frac{17.92 \times 10000.00}{20400 \times (4.25 - 0.15)} = 2.14 \text{ cm}^2/\text{m}$

DESIGN OF ABUTMENT CAP

$$\begin{aligned}
 \text{Reaction due to (DL+SIDL)} &= 441 \text{ t} \\
 \text{Reaction due to live load} &= 83 \text{ t} \\
 \text{Assuming impact factor as} &0.12 \\
 \text{Additional load due to impact} &10.0 \\
 \text{Total reaction} &= 440.5395059 + 83.25 + 10.0 = 533.8 \text{ t} \\
 \text{Transverse moment due to live load} &= 242.3 \text{ t-m} \\
 \text{Total no. of bearings} &= 4 \\
 \text{c/c distance between bearings} &= 2.8 \text{ m} \\
 \text{Section modulus} &= 1.4^2 \times 2 + 4.2^2 \times 2 = 39.2 \text{ m}^2 \\
 \text{Load due to transverse moment in outer bearing} &= \frac{242.3 \times 4.2}{39.2} = 25.96 \text{ t} \\
 \text{Load due to transverse moment in inner bearing} &= \frac{242.3 \times 1.4}{39.2} = 8.652 \text{ t}
 \end{aligned}$$

	MAX LOAD		MIN LOAD	
Total load on outer bearing	$= \frac{533.8}{4} + 25.96$	$= 159 \text{ t}$	$\&$	$\frac{533.8}{4} - 25.96 = 107 \text{ t}$
Total load on third outer bearing	$= \frac{533.8}{4} + 8.652$	$= 142 \text{ t}$	$\&$	$\frac{533.8}{4} - 8.652 = 125 \text{ t}$
Size of pedestal	$= 0.8$	$\times 0.8 \text{ m}$		
Width of cap	$= 1.75$	m		
Thickness of cap	$= 1.00$	m		
Thickness of dirt wall	$= 0.30$	m		
Distance between face of dirt wall & c.l. bearing		$= 0.700 \text{ m}$		
Distance between edge of cap & c.l. bearing	$= 1.75 - 0.700 - 0.30$	$= 0.750 \text{ m}$		



From STAAD analysis

Maximum negative B.M. = 135.00 t-m (Refer STAAD output)
 Maximum positive B.M. = 34.90 t-m "
 Maximum S.F. = 159.00 t "

at d from face

$$\text{Effective depth required} = \sqrt{\frac{135.00}{192.3 \times 1.75}} = 0.633 \text{ m}$$

$$\text{Effective depth provided} = 1.00 - 0.05 = 0.95 \text{ m}$$

$$\text{Area of steel (at top)} = \frac{135.0 \times 1\text{E}+04}{0.877 \times 0.95 \times 20400} = 79.41 \text{ cm}^2 \quad 98.17$$

$$\text{Area of steel (at bottom)} = \frac{34.9 \times 1\text{E}+04}{0.877 \times 0.95 \times 20400} = 20.53 \text{ cm}^2$$

CHECK FOR SHEAR

Checking the section at a distance 'd' from support towards inner side

$$\text{Shear stress} = \frac{159}{1.75 \times 0.95} = 95.64 \text{ t/m}^2$$

$$\frac{A_{st}}{b \times d} \times 100 = \frac{79.41 \times 1\text{E}-04}{1.75 \times 0.95} \times 100 = 0.478 \%$$

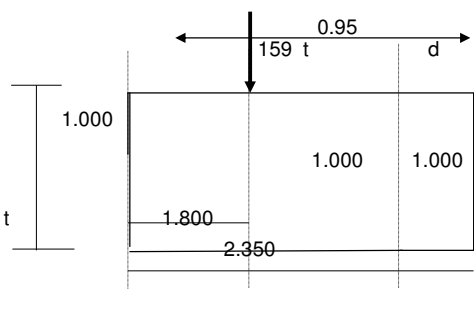
$$\text{Permissible shear stress} = 0.30 \text{ MPa} = 30.89 \text{ t/m}^2$$

$$\text{Design shear} = 95.63909774 - 30.89 \times 1.75 \times 0.95 = 107.6 \text{ t}$$

$$\frac{A_{sv}}{sv} = \frac{107.6 \times 1\text{E}+04}{20400 \times 0.95} = 55.54 \text{ cm}^2/\text{m}$$

Provide 6 Legged 12 ϕ @ 122.2 c/c

say 120 c/c



Checking the section under the load

$$\text{Shear stress} = \frac{74.3}{1.75 \times 0.950} = 44.69 \text{ t/m}^2$$

$$\frac{A_{st}}{b \times d} \times 100 = \frac{79.41 \times 1\text{E}-04}{1.75 \times 0.95} \times 100 = 0.478 \%$$

$$\text{Permissible shear stress} = 0.30 \text{ MPa} = 30.89 \text{ t/m}^2$$

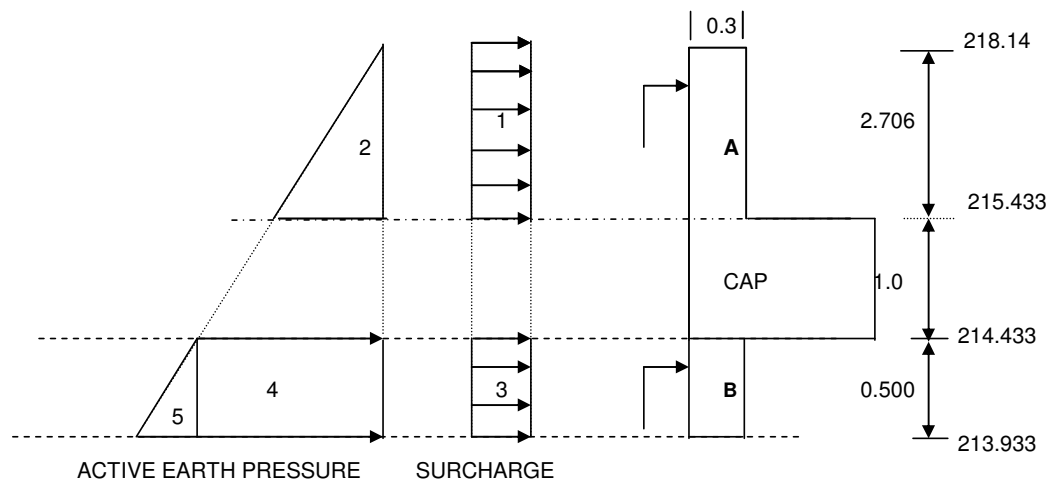
$$\text{Design shear} = 44.7 - 30.89 \times 1.75 \times 0.95 = 22.94 \text{ t}$$

$$\frac{A_{sv}}{sv} = \frac{22.94 \times 1\text{E}+04}{20400 \times 0.95} = 11.84 \text{ cm}^2/\text{m}$$

Provide 6 Legged 10 ϕ @ 398 c/c

say 200 c/c

DESIGN OF DIRT WALL

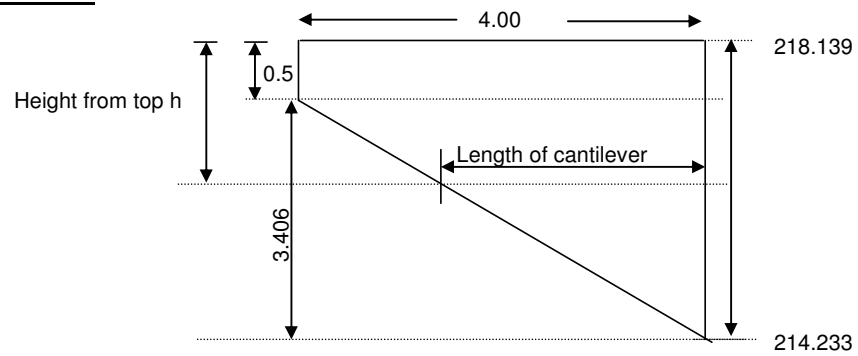


	ELEMENT NO.	AREA FACTOR	HEIGHT	PRESSURE	WIDTH	FORCE	L.A.	MOMENT
L.L. SURCHARGE	1	1.0	2.71	0.67	12.00	21.77	1.353	29.46
ACTIVE EARTH PRE	2	0.5	2.71	1.51	12.00	24.55	1.137	27.90
TOTAL						46.32		57.36
L.L. SURCHARGE	3	1.0	0.50	0.67	12.00	4.02	0.250	1.01
ACTIVE EARTH PRE	4	1.0	0.50	1.51	12.00	9.07	0.250	2.27
ACTIVE EARTH PRE	5	0.5	0.50	0.28	12.00	0.84	0.333	0.28
TOTAL						13.93		3.55

	For dirt wall A	For dirt wall B
BENDING MOMENT AT THE EDGE OF CAP	57.36	3.6
EFFECTIVE DEPTH REQUIRED	0.16	0.04
EFFECTIVE DEPTH PROVIDED	0.25	0.25
AREA OF STEEL REQUIRED PER METER WIDTH	10.68	0.66
	cm ² /m	cm ² /m

CHECK FOR SHEAR

SHEAR FORCE AT THE EDGE OF CAP	46.32	13.9
SHEAR STRESS	15.44	4.6
% OF STEEL	0.43	0.03
PERMISSIBLE SHEAR STRESS	29.2	20.4
	t/m ²	t/m ²

DESIGN OF RETURN WALL

Horizontal coefficient of Active earth pressure = $K_a \cos \phi = K_{ha} = 0.2794$

CALCULATION OF BENDING MOMENT

Height from top h (m)	0.500	1.000	2.250	3.000
Surcharge pressure.	0.67	0.67	0.67	0.67
Active Earth pressure ($K_a \gamma h$)	0.28	0.56	1.26	1.68
Total	0.95	1.23	1.93	2.35
Length of cantilever (m)	4.000	3.413	1.945	1.064
Cantilever Moment	7.60	7.16	3.65	1.33
Required eff. Depth (m)	0.199	0.193	0.138	0.083
Eff.depth at the section (m)	0.350	0.350	0.350	0.350
Ast.reqd. (mm^2)	12.13	11.43	5.82	2.12
Ast. provided (mm^2)	17.95	17.95	15.71	15.71
Dia of bar (mm)	20	20	20	20
Specing of bar (mm)	175	175	200	200

Check for Shear

shear stress at the section	10.86	11.99	10.71	7.13
% of steel	0.35	0.33	0.17	0.06
Permissible shear stress	26.60	28.59	26.26	24.73
Hence	O.K.	O.K.	O.K.	O.K.

Abutment SHAFT .case 1

Depth of Section = 4.250 m
Width of Section = .700 m

along width-compression face- no of bar:	6	tension face- no of bar:	18
Dia (mm)	16		25
Cover (cm)	7.50		7.5
along depth-compression face- no of bar:	16	tension face- no of bar:	16
Dia (mm)	12		12
Cover (cm)	7.50		7.5

Modular Ratio : Compression = 10.0
Modular Ratio : Tension = 10.0
Allowable Concrete Stress = 102.00 Kg/cm²
Allowable Steel Stress = 2040.00 Kg/cm²

Axial Load = 289.910 T
Mxx = 338.500 Tm
Myy = 17.050 Tm

Intercept of Neutral axis : X axis : = 1.812 m
: y axis : = 3.805 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 33.15 Kg/cm²
Stress in Steel due to Loads = 146.55 Kg/cm²
Percentage of Steel = .46 %

INPUT FILE: spill rea.STD

```

1. STAAD PLANE
2. START JOB INFORMATION
3. ENGINEER DATE 02-NOV-06
4. END JOB INFORMATION
5. INPUT WIDTH 79
6. UNIT METER MTON
7. JOINT COORDINATES
8. 1 0 0 0; 2 1.8 0 0; 3 2.65 0 0; 4 4.6 0 0; 5 6 0 0; 6 7.4 0 0; 7 9.35 0 0
9. 8 10.2 0 0; 9 12 0 0; 10 2.65 -5.064 0; 11 6 -5.064 0; 12 9.35 -5.064 0
10. 13 1.65 -5.064 0; 14 10.95 -5.064 0
11. MEMBER INCIDENCES
12. 1 1 2; 2 2 3; 3 3 4; 4 4 5; 5 5 6; 6 6 7; 7 7 8; 8 8 9; 9 3 10; 10 5 11
13. 11 7 12; 12 13 10; 13 10 11; 14 11 12; 15 12 14
14. DEFINE MATERIAL START
15. ISOTROPIC MATERIAL1
16. E 2.95E+006
17. POISSON 0.15
18. DENSITY 2.4
19. END DEFINE MATERIAL
20. MEMBER PROPERTY INDIAN
21. 1 TO 8 PRIS YD 1 ZD 1.75
22. 9 TO 11 PRIS YD 0.7 ZD 3
23. 12 TO 15 PRIS YD 2 ZD 12.3
24. CONSTANTS
25. MATERIAL MATERIAL1 MEMB 1 TO 15
26. SUPPORTS
27. 10 TO 12 FIXED BUT FX MZ
28. LOAD 1 SELFWEIGHT
29. SELFWEIGHT Y -1
30. LOAD 2
31. JOINT LOAD
32. 2 8 FY -159
33. 4 6 FY -142
34. LOAD 3
35. MEMBER LOAD
36. 1 TO 8 UMOM GX 5.875
37. PERFORM ANALYSIS
38. PRINT MEMBER FORCES
    MEMBER    FORCES

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MEMBER END FORCES STRUCTURE TYPE = PLANE

ALL UNITS ARE -- MTON METE

MEMBER	LOAD	JT	AXIAL	SHEAR-Y	SHEAR-Z	TORSION	MOM-Y	MOM-Z
1	1	1	0.00	0.00	0.00	0.00	0.00	0.00
		2	0.00	7.56	0.00	0.00	0.00	-6.80
	2	1	0.00	0.00	0.00	0.00	0.00	0.00
		2	0.00	0.00	0.00	0.00	0.00	0.00
	3	1	0.00	0.00	0.00	-5.29	0.00	0.00
		2	0.00	0.00	0.00	-5.29	0.00	0.00
2	1	2	0.00	-7.56	0.00	0.00	0.00	6.80
		3	0.00	11.13	0.00	0.00	0.00	-14.75

	2	2	0.00	-159.00	0.00	0.00	0.00	0.00
		3	0.00	159.00	0.00	0.00	0.00	-135.15
	3	2	0.00	0.00	0.00	-2.50	0.00	0.00
		3	0.00	0.00	0.00	-2.50	0.00	0.00
3	1	3	-1.08	9.66	0.00	0.00	0.00	10.94
		4	1.08	-1.47	0.00	0.00	0.00	-0.08
	2	3	-8.79	75.21	0.00	0.00	0.00	104.90
		4	8.79	-75.21	0.00	0.00	0.00	41.76
	3	3	0.00	0.00	0.00	-5.73	0.00	0.00
		4	0.00	0.00	0.00	-5.73	0.00	0.00
4	1	4	-1.08	1.47	0.00	0.00	0.00	0.08
		5	1.08	4.41	0.00	0.00	0.00	-2.14
	2	4	-8.79	-66.79	0.00	0.00	0.00	-41.76
		5	8.79	66.79	0.00	0.00	0.00	-51.75
	3	4	0.00	0.00	0.00	-4.11	0.00	0.00
		5	0.00	0.00	0.00	-4.11	0.00	0.00
5	1	5	-1.13	4.38	0.00	0.00	0.00	2.03
		6	1.13	1.50	0.00	0.00	0.00	-0.02
	2	5	-8.79	66.79	0.00	0.00	0.00	51.75
		6	8.79	-66.79	0.00	0.00	0.00	41.76
	3	5	0.00	0.00	0.00	-4.11	0.00	0.00
		6	0.00	0.00	0.00	-4.11	0.00	0.00
6	1	6	-1.13	-1.50	0.00	0.00	0.00	0.02
		7	1.13	9.69	0.00	0.00	0.00	-10.94
	2	6	-8.79	-75.21	0.00	0.00	0.00	-41.76
		7	8.79	75.21	0.00	0.00	0.00	-104.90
	3	6	0.00	0.00	0.00	-5.73	0.00	0.00
		7	0.00	0.00	0.00	-5.73	0.00	0.00
7	1	7	0.00	11.13	0.00	0.00	0.00	14.75
		8	0.00	-7.56	0.00	0.00	0.00	-6.80
	2	7	0.00	159.00	0.00	0.00	0.00	135.15
		8	0.00	-159.00	0.00	0.00	0.00	0.00
	3	7	0.00	0.00	0.00	-2.50	0.00	0.00
		8	0.00	0.00	0.00	-2.50	0.00	0.00
8	1	8	0.00	7.56	0.00	0.00	0.00	6.80
		9	0.00	0.00	0.00	0.00	0.00	0.00
	2	8	0.00	0.00	0.00	0.00	0.00	0.00
		9	0.00	0.00	0.00	0.00	0.00	0.00
	3	8	0.00	0.00	0.00	-5.29	0.00	0.00
		9	0.00	0.00	0.00	-5.29	0.00	0.00
9	1	3	20.79	1.08	0.00	0.00	0.00	3.81
		10	-46.31	-1.08	0.00	0.00	0.00	1.64
	2	3	234.21	8.79	0.00	0.00	0.00	30.25
		10	-234.21	-8.79	0.00	0.00	0.00	14.25
	3	3	0.00	0.00	0.00	0.00	0.00	0.00
		10	0.00	0.00	0.00	0.00	0.00	0.00
10	1	5	8.78	0.05	0.00	0.00	0.00	0.11
		11	-34.31	-0.05	0.00	0.00	0.00	0.15
	2	5	133.59	0.00	0.00	0.00	0.00	0.00
		11	-133.59	0.00	0.00	0.00	0.00	0.00
	3	5	0.00	0.00	0.00	0.00	0.00	0.00
		11	0.00	0.00	0.00	0.00	0.00	0.00

11	1	7	20.82	-1.13	0.00	0.00	0.00	-3.81
		12	-46.35	1.13	0.00	0.00	0.00	-1.91
	2	7	234.21	-8.79	0.00	0.00	0.00	-30.25
		12	-234.21	8.79	0.00	0.00	0.00	-14.25
	3	7	0.00	0.00	0.00	0.00	0.00	0.00
		12	0.00	0.00	0.00	0.00	0.00	0.00
12	1	13	0.00	0.00	0.00	0.00	0.00	0.00
		10	0.00	59.04	0.00	0.00	0.00	-29.52
	2	13	0.00	0.00	0.00	0.00	0.00	0.00
		10	0.00	0.00	0.00	0.00	0.00	0.00
	3	13	0.00	0.00	0.00	0.00	0.00	0.00
		10	0.00	0.00	0.00	0.00	0.00	0.00
13	1	10	1.08	90.43	0.00	0.00	0.00	27.88
		11	-1.08	107.35	0.00	0.00	0.00	-56.22
	2	10	8.79	-5.14	0.00	0.00	0.00	-14.25
		11	-8.79	5.14	0.00	0.00	0.00	-2.97
	3	10	0.00	0.00	0.00	0.00	0.00	0.00
		11	0.00	0.00	0.00	0.00	0.00	0.00
14	1	11	1.13	93.64	0.00	0.00	0.00	56.07
		12	-1.13	104.15	0.00	0.00	0.00	-73.67
	2	11	8.79	5.14	0.00	0.00	0.00	2.97
		12	-8.79	-5.14	0.00	0.00	0.00	14.25
	3	11	0.00	0.00	0.00	0.00	0.00	0.00
		12	0.00	0.00	0.00	0.00	0.00	0.00
15	1	12	0.00	94.46	0.00	0.00	0.00	75.57
		14	0.00	0.00	0.00	0.00	0.00	0.00
	2	12	0.00	0.00	0.00	0.00	0.00	0.00
		14	0.00	0.00	0.00	0.00	0.00	0.00
	3	12	0.00	0.00	0.00	0.00	0.00	0.00
		14	0.00	0.00	0.00	0.00	0.00	0.00

39. PRINT SUPPORT REACTIONS

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
10	1	0.00	195.79	0.00	0.00	0.00	0.00
	2	0.00	229.07	0.00	0.00	0.00	0.00
	3	0.00	0.00	0.00	0.00	0.00	0.00
11	1	0.00	235.30	0.00	0.00	0.00	0.00
	2	0.00	143.87	0.00	0.00	0.00	0.00
	3	0.00	0.00	0.00	0.00	0.00	0.00
12	1	0.00	244.96	0.00	0.00	0.00	0.00
	2	0.00	229.06	0.00	0.00	0.00	0.00
	3	0.00	0.00	0.00	0.00	0.00	0.00

***** END OF LATEST ANALYSIS RESULT *****

40. FINISH

INPUT FILE: CLA.STD

```

1. STAAD SPACE
2. INPUT WIDTH 72
3. UNIT METER MTON
4. PAGE LENGTH 1000
5. JOINT COORDINATES
6. 1      .00      .000      .000
7. 2      0.4      .000      .000
8. 3      30.4     .000      .000
9. 4      30.8     .000      .000
11. MEMBER INCIDENCES
12. 1      1      2
13. 2      2      3
14. 3      3      4
16. MEMBER PROPERTY CANADIAN
17. 1 TO 3 PRI YD 2. ZD 1.
18. CONSTANT
19. E CONCRETE ALL
20. DENSITY CONCRETE ALL
21. POISSON CONCRETE ALL
22. SUPPORT
23. 2 3  PINNED
24. DEFINE MOVING LOAD
25. TYPE 2 LOAD 2.7 2.7 2*11.4 4*6.8 DIS 3*3 4.3 1.2 3.2 1.1
26. LOAD GENERATION 180
27. TYPE 2 -57.6 0. 0. XINC .5
28. TYPE 2 -18.8 0. 0. XINC .5
29. PERFORM ANALYSIS
30. LOAD LIST 140
31. PRINT SUPPORT REACTION
SUPPORT REACTION

```

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = SPACE

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	140	0.00	13.62	0.00	0.00	0.00	0.00
3	140	0.00	41.78	0.00	0.00	0.00	0.00

***** END OF LATEST ANALYSIS RESULT *****

32. FINISH

***** END OF THE STAAD.Pro RUN *****

***ADDITIONAL SHEETS
(SEISMIC CHECK)***

Seismic case

Calculation of seismic coefficient

Transverse direction

As per modified clause for interim measures for seismic provisions of IRC:6-2000

$$\text{Horizontal seismic coefficient } A_h = \frac{Z/2 \times S_a/g}{R/I}$$

$$\text{Where Zone factor } Z = 0.10$$

$$\text{Importance factor } I = 1.50$$

$$\text{Response reduction factor } R = 2.50$$

$$S_a/g \text{ is average response acceleration coefficient for 5\% damping depending upon fundamental period of vibration } T = 2.00 \sqrt{\frac{D}{1000 \times F}}$$

Where

D is appropriate dead load of superstructure and Live load

$$\text{DL} = 341.94 \text{ t}$$

$$\text{SIDL} = 84.60 \text{ t}$$

$$\text{LL} = 83.56 \text{ t}$$

$$\text{DL+SIDL+50\% LL} = 4683.20 \text{ kN}$$

F is horizontal force required to be applied at centre of mass of superstructure for 1mm Horizontal deflection at top of abutment along considered direction of motion

Relation between deflection at x from free end of cantilever, subjected to force 'F' at free end is given by

$$F = \frac{E I y}{(L^2 \cdot x/2) - (x^3/6) - (L^3/3)}$$

$$\text{Modulus of elasticity of concrete } E = 29580.40 \text{ GPa}$$

$$3017200.7 \text{ t/m}^2$$

$$I = 2.32 \text{ m}^4$$

Deflection at distance x from free end of cantilever

$$y = 0.001 \text{ m}$$

Distance from fixed end of cantilever to point of application of load

$$L = 6.49 \text{ m}$$

$$\text{Distance of CG of super structure from deck slab top} = 1.40 \text{ m}$$

Distance of CG of super structure from free end of cantilever

$$x = 1.01 \text{ m}$$

$$F = 997.07 \text{ kN}$$

$$\text{Corresponding time period } T = 0.1371 \text{ sec}$$

$$S_a/g = 2.50$$

$$\text{There fore } A_h = 0.075$$

Longitudinal direction

As per modified clause for interim measures for seismic provisions of IRC:6-2000

$$\text{Horizontal seismic coefficient } A_h = \frac{Z/2 \times S_a/g}{R/I}$$

$$\text{Where Zone factor } Z = 0.10$$

$$\text{Importance factor } I = 1.50$$

$$\text{Response reduction factor } R = 2.50$$

$$S_a/g \text{ is average response acceleration coefficient for 5\% damping depending upon fundamental period of vibration } T = 2.00 \quad \sqrt{\frac{D}{1000 \times F}}$$

Where

D is appropriate dead load of superstructure and Live load

For longitudinal direction, live load is not to be considered.

$$DL+SIDL = 4265.40 \text{ kN}$$

F is horizontal force required to be applied at centre of mass of superstructure for 1mm Horizontal deflection at top of abutment along considered direction of motion

Relation between deflection at x from free end of cantilever, subjected to force 'F' at free end is given by

$$F = \frac{E I y}{(L^2 \cdot x/2) - (x^3/6) - (L^3/3)}$$

$$\begin{array}{llll} \text{Modulus of elasticity of concrete} & E & 29580.40 & \text{GPa} \\ & & 3017201 & \text{t/m}^2 \\ & I & 4.73 & \text{m}^4 \end{array}$$

Deflection at distance x from free end of cantilever

$$y = 0.001 \text{ m}$$

Distance from fixed end of cantilever to point of application of load

$$L = 6.49 \text{ m}$$

$$\text{Top of abutment from free end of cantilever } x = 1.01 \text{ m}$$

$$F = 2034.84 \text{ kn}$$

$$\text{Corresponding time period } T = 0.09 \text{ sec}$$

$$S_a/g = 2.50$$

$$\text{There fore } A_h = 0.075$$

Ground level 90.145

Weight due to Concrete components

component	Area factor	Length	Width	Height	Density	Seismic Force	L.A	Moment
1 Dirt wall	1	12.0	0.3	2.706	2.4	1.753	9.642	16.907
2 Abut cap	1	12.0	1.75	1	2.4	3.780	7.789	29.442
3 Abut shaft	1	2.1	3	3.6445	2.4	4.133	4.875	20.146
						9.666		66.495

Lever arm for the loads from super structure

Formation level	218.139 m
Wearing coat	56 mm
Top of deck slab	218.083 m
Distance of CG of super structure below deck slab top	1.400 m
Pile cap bottom	207.144 m
Lever arm for DL	9.539 m

Distance of CG of SIDL above deck slab top	0.261 m
Level arm for SIDL	11.200 m
Distance of CG of live load above formation level	1.2
Lever arm for live load	12.195

Load from Superstructure

Longitudinal direction				
	Weight	Force	L.A	moment
DL	341.94	25.65	9.539	244.64
SIDL	84.60	6.35	11.200	71.06
Total		31.99		315.70

Transverse direction					
	Weight	Force	L.A	moment	
DL	341.94	25.645	9.54	244.64	
SIDL	84.60	6.345	11.20	71.06	
LL 50%	41.78	3.134	12.20	38.21	
Total		35.124		353.92	

Summary

seismic longitudinal case

	P	M _L	M _T
Total load on piles for normal case	2465.58	-1019.01	242.26
Additional horizontal force and moment due to seismic (Live load not to be considered for longitudinal moment)	-	-382.197	-
Reduction in longitudinal moment due to braking force	-	292.13	-
Reduction in transverse moment due to live load			-242.26
	2465.58	-1109.070	0.00

Seismic Transverse case

Total load on piles for normal case	2465.58	-1019.01	242.26
Additional horizontal force and moment due to seismic (Only 50%% live load is to be considered for transverse moment)	-	-	420.41
Reduction in longitudinal moment due to braking force	-	146.066 -	
Reduction in transverse moment due to live load	-	-	-121.13
	2465.58	-872.94	541.54

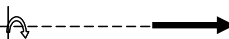
SEISMIC ANALYSIS

Total no. of Piles (N)

12

P	2465.58	$\frac{L_L}{(outer)}$	36.00	$Z_L (inner)$	108.00
M_L	-1109.070				
M_T	0.000	$\frac{L_T}{(outer)}$	28.80	$Z_T (inner)$	0.00

Seismic Longitudinal					Seismic Transverse				
P/N	M_L/Z_L (outer)	M_L/Z_L (inner)	M_T/Z_T (outer)	M_T/Z_T (inner)	P/N	M_L/Z_L (outer)	M_L/Z_L (inner)	M_T/Z_T (outer)	M_T/Z_T (inner)
205.46	-30.81	-10.27	0.00	0.00	205.46	-24.25	-8.08	18.80	0

-----  **TRAFFIC DIRECTION**

PILE NO.	A	B	C	D		A	B	C	D
1	236.27	215.73	195.20	174.66		210.91	194.74	178.58	162.41
2	236.27	215.73	195.20	174.66		229.71	213.55	197.38	181.22
3	236.27	215.73	195.20	174.66		248.52	232.35	216.19	200.02

Permissible capacity of pile in normal case = 275 ton

Permissible capacity of pile in seismic case = $275 \times 1.25 = 343.75 \text{ ton} > 248 \text{ ton}$

Horizontal load per pile for Normal case

Horizontal force due to weight of earth	=	0.00	t
Horizontal force due to braking	=	32.86	t
Horizontal seismic force due to abutment above G.L	=	0.00	t
	=	32.86	t
Number of Piles	=	12.00	
	=	2.74	t per pile
Horizontal force in Normal condition due to earth	=	180.91	t
	=	15.08	t per pile
Therefore Total Horizontal force per pile	=	17.81	t per pile
Maximum Load on the Pile	=	242.18	
Minimum Load on the Pile	=	168.75	

Determination of Lateral Deflection of pile :

$$T = \sqrt[5]{\frac{E \times I}{K_1}} \quad \begin{array}{l} E = \text{Youngs modulus} \quad \text{kg/m}^2 \\ K_1 = \text{Constant} \quad \text{kg/cm}^3 \end{array}$$

$$R = \sqrt[4]{\frac{E \times I}{K_2}} \quad \begin{array}{l} K_2 \quad \text{kg/cm}^2 \\ I = \text{moment of inertia of pile cross section cm}^4 \end{array}$$

$$\text{Dia of pile} = 1.20 \text{ m}$$

$$E = 5000 \times \sqrt{35} = 301533 \text{ kg/cm}^2$$

$$I = \frac{3.14 \times 120^4}{64} = 10178760 \text{ cm}^4$$

$$K_1 = 0.775$$

$$K_2 = 0$$

$$\frac{T}{R} = \frac{330.78}{0}$$

L_e = Embedded Length of pile

$$= 207.19 - 199.5 = 769.4 \text{ cm}$$

$$L_1 = \text{Exposed Length} = 207.09 - 206.99 = 10.4 \text{ cm}$$

$$\frac{L_1}{T} = 0.0314$$

$$\frac{L_f}{T} = 2.15$$

$$L_f = 711.19 \text{ cm}$$

Pile Head deflection

$$y = \frac{Q \left[L_1 + L_f \right]^3}{12 E I} = \frac{17.815 \times 711.19}{12 \times 301533 \times 10178760}$$

$$= 0.174 \text{ cm}$$

$$= 1.74 \text{ mm}$$

In seismic case as permissible increase in deflection is 25%, hence

$$\text{Permissible deflection} = 5 \times 1.25 = 6.25 \text{ mm} > 1.7399 \text{ mm}$$

Maximum Moment

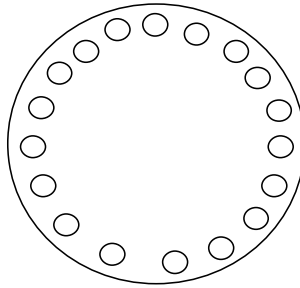
$$M_F = Q \times \frac{\left[L_1 + L_f \right]}{2} = 63.348 \text{ t-m}$$

$$M = m \times M_F$$

$$= 0.83 \times 63.348 = 52.58 \text{ t-m}$$

Reinforcement in pile:

Provide 16 mm dia 30 nos 60.319 cm²



Provide 10 mm Rings at 190 mm c/c

DESIGN OF PILE SECTION		
INPUT DATA	Normal Case	
	MAX. LOAD	MIN. LOAD
D=DIA OF PILE (in m)	1.200	1.200
C=COVER FROM CENTRE OF BAR (in m)	0.075	0.075
M=MODULAR RATIO (as per IRC:6)	10.000	10.000
BD=BETA ANGLE FOR DEFINING N.A. (in degree)	49.14	74.21
AS=AREA OF STEEL (in sq. Cm)	60.319	60.319
P=VERTICAL LOAD (in tonnes)	242.18	168.75
BM=BENDING MOMENT (in t-m)	52.58	52.58
SOLUTION		
RO=OUTER RADIUS=D/2	0.600	0.600
RI=RADIUS OF REINFORCEMENT RING=D/2-C	0.525	0.525
T= THICK.REINFORCEMENT RING = AS/2*3.142*RI	0.002	0.002
B=BD*PI/180	0.858	1.295
B1=COS(B)	0.654	0.272
A=ALPHA ANGLE=ACOS (RO*B1/RI)	0.726	1.255
RECOSEB=RICOSA		
B2=SIN(B)^3	0.433	0.891
B3=SIN(4*B)	-0.285	-0.892
B4=SIN(2*B)	0.990	0.524
A=COS(A)	0.748	0.311
A2=SIN(2*A)	0.993	0.591
A3=SIN(A)	0.664	0.950
NUM1=(PI-B)/8+B3/32+B1*B2/3	0.371	0.284
NUM2=2*(RO^3)/(1+B1)	0.261	0.340
NUM3=(RI^3) *T/(RO+RI*A1)	0.000	0.000
NUM4=(M-1) *PI+A-A2/2	28.50	29.23
NUM = NUMINATOR = NUM2*NUM1+NUM3*NUM4	0.104	0.106
DENM1=2*(RO^2)/(1+B1)	0.435	0.566
DENM2=B2/3+(PI-B)*B1/2+B1*B4/4	1.053	0.584
DENM3=2*(RI^2) * T/ (RO+RI*A1)	0.001	0.001
DENM4=(M-1) *PI*A1-A3+A*A1	21.02	8.23
DENM=DENOMINATOR=DENM1*DENM2+DENM3*DENM4	0.480	0.341
CHECK FOR ECCENTRICITIES		
CALCULATED ECCENTRICITY EC = NUM/DENM	0.218	0.312
ACTUAL ECCENTRICITY EC = M/P	0.217	0.312
CHECK FOR STRESSES		
NAC=DEPTH OF N.A.BELOW CENT.AXIS=RO*COS(B)	0.393	0.163
NAD=DEPTH OF N.A FROM TOP=RO+NAC	0.993	0.763
DE=EFFECTIVE DEPTH=D-C	1.125	1.125
CC=COMP. STRESS IN CONC. IN T/SQM=P/DENM	505	494
TS=TENS.STRESS IN STEEL (T/SQM)	674	2343
PERMISSIBLE COMP.STRESS IN Concrete 50% increase (in t/sq.m)	1190	1190
PERMISSIBLE TENSILE STRESS IN Steel 50% increase(in t/sq.m)	20400	20400
Hence stresses in conc and steel are within permissible limits, hence safe.		

Horizontal load per pile due to normal & seismic**Seismic Longitudinal direction:**

Horizontal seismic force due superstructure (DL+SIDL)	=	31.99	t
(Live load not to be considered for longitudinal direction)			
Horizontal seismic force due to abutment above G.L	=	9.67	t
	=	41.66	t
Number of Piles	=	12.00	
	=	3.47	t per pile
Horizontal force in Normal condition due to earth	=	180.91	t
	=	15.08	t per pile
Therefore Total Horizontal force per pile	=	18.55	t per pile
Maximum Load on the Pile	=	236.27	
Minimum Load on the Pile	=	174.66	

Determination of Lateral Deflection of pile :

$$T = \sqrt[5]{\frac{E \times I}{K_1}} \quad \begin{array}{l} E = \text{Youngs modulus} \quad \text{kg/m}^2 \\ K_1 = \text{Constant} \quad \text{kg/cm}^3 \end{array}$$

$$R = \sqrt[4]{\frac{E \times I}{K_2}} \quad \begin{array}{l} K_2 \quad \text{kg/cm}^2 \\ I = \text{moment of inertia of pile cross section cm}^4 \end{array}$$

$$\text{Dia of pile} = 1.20 \text{ m}$$

$$E = 5000 \times \sqrt{35} = 301533 \text{ kg/cm}^2$$

$$I = \frac{3.14}{64} \times 120^4 = 10178760 \text{ cm}^4$$

$$K_1 = 0.775$$

$$K_2 = 0$$

$$T = 330.78$$

$$R = 0$$

L_e = Embeded Length of pile

$$= 207.19 - 199.5 = 769.4 \text{ cm}$$

$$L_l = \text{Exposed Length} = 207.09 - 206.99 = 10.4 \text{ cm}$$

$$\frac{L_l}{T} = 0.0314$$

$$\frac{L_f}{T} = 2.15$$

$$L_f = 711.19 \text{ cm}$$

Pile Head deflection

$$y = \frac{Q \left[L_1 + L_f \right]^3}{12 E I} = \frac{18.547 \times 711.19}{12 \times 301533 \times 10178760}$$

$$= 0.181 \text{ cm}$$

$$= 1.81 \text{ mm}$$

In seismic case as permissible increase in deflection is 33%, hence

$$\text{Permissible deflection} = 5 \times 1.33 = 6.65 \text{ mm} > 1.8114 \text{ mm}$$

Maximum Moment

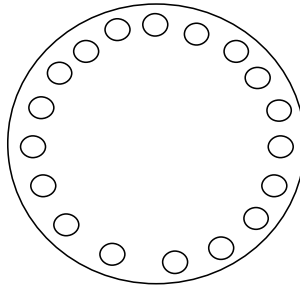
$$M_F = Q \times \frac{\left[L_1 + L_f \right]}{2} = 65.953 \text{ t-m}$$

$$M = m \times M_F$$

$$= 0.83 \times 65.953 = 54.74 \text{ t-m}$$

Reinforcement in pile:

Provide 16 mm dia 30 nos 60.319 cm²



Provide 10 mm Rings at 190 mm c/c

DESIGN OF PILE SECTION		
INPUT DATA	Seismic long. Case	
	MAX. LOAD	MIN. LOAD
D=DIA OF PILE (in m)	1.200	1.200
C=COVER FROM CENTRE OF BAR (in m)	0.075	0.075
M=MODULAR RATIO (as per IRC:6)	10.000	10.000
BD=BETA ANGLE FOR DEFINING N.A. (in degree)	54.11	74.43
AS=AREA OF STEEL (in sq. Cm)	60.319	60.319
P=VERTICAL LOAD (in tonnes)	236.27	174.66
BM=BENDING MOMENT (in t-m)	54.74	54.74
SOLUTION		
RO=OUTER RADIUS=D/2	0.600	0.600
RI=RADIUS OF REINFORCEMENT RING=D/2-C	0.525	0.525
T= THICK.REINFORCEMENT RING = AS/2*3.142*RI	0.002	0.002
B=BD*PI/180	0.944	1.299
B1=COS(B)	0.586	0.268
A=ALPHA ANGLE=ACOS (RO*B1/RI)	0.837	1.259
RECOB=RICOSA		
B2=SIN(B)^3	0.532	0.894
B3=SIN(4*B)	-0.594	-0.885
B4=SIN(2*B)	0.950	0.517
A=COS(A)	0.670	0.307
A2=SIN(2*A)	0.995	0.584
A3=SIN(A)	0.742	0.952
NUM1=(PI-B)/8+B3/32+B1*B2/3	0.360	0.283
NUM2=2*(RO^3)/(1+B1)	0.272	0.341
NUM3=(RI^3) *T/(RO+RI*A1)	0.000	0.000
NUM4=(M-1) *PI+A-A2/2	28.61	29.24
NUM = NUMINATOR = NUM2*NUM1+NUM3*NUM4	0.106	0.106
DENM1=2*(RO^2)/(1+B1)	0.454	0.568
DENM2=B2/3+(PI-B)*B1/2+B1*B4/4	0.961	0.580
DENM3=2*(RI^2) * T/ (RO+RI*A1)	0.001	0.001
DENM4=(M-1) *PI*A1-A3+A*A1	18.76	8.11
DENM=DENOMINATOR=DENM1*DENM2+DENM3*DENM4	0.456	0.340
CHECK FOR ECCENTRICITIES		
CALCULATED ECCENTRICITY EC = NUM/DENM	0.233	0.313
ACTUAL ECCENTRICITY EC = M/P	0.232	0.313
CHECK FOR STRESSES		
NAC=DEPTH OF N.A.BELOW CENT.AXIS=RO*COS(B)	0.352	0.161
NAD=DEPTH OF N.A FROM TOP=RO+NAC	0.952	0.761
DE=EFFECTIVE DEPTH=D-C	1.125	1.125
CC=COMP. STRESS IN CONC. IN T/SQM=P/DENM	518	514
TS=TENS.STRESS IN STEEL (T/SQM)	943	2456
PERMISSIBLE COMP.STRESS IN Concrete 50% increase (in t/sq.m)	1785	1785
PERMISSIBLE TENSILE STRESS IN Steel 50% increase(in t/sq.m)	30600	30600
Hence stresses in conc and steel are within permissible limits, hence safe.		

Horizontal load per pile due to normal & seismic**Seismic Transverse direction:**

Total horizontal force due to deck movement	=	0.000	t
Horizontal force due to earth	=	0.000	t
Horizontal seismic force due superstructure (DL+SIDL)	=	31.990	t
Horizontal seismic force due superstructure (LL)	=	3.134	t
Horizontal force due to abutment above G.L	=	9.666	t
Horizontal force due to braking	=	16.432	
	=	44.79	t
Number of Piles	=	12.00	
	=	3.733	t per pile
Horizontal force in Normal condition due to earth	=	180.91	t
	=	16.445	t per pile
Therefore Total Horizontal force per pile	=	16.86	t per pile
Maximum Load on the Pile	=	248.52	t
Minimum Load on the Pile	=	162.41	t

Determination of Lateral Deflection of pile :

$$T = \sqrt[5]{\frac{E \times I}{K_1}} \quad \begin{array}{l} E = \text{Youngs modulus} \quad \text{kg/cm}^2 \\ K_1 = \text{Constant} \quad \text{kg/cm}^3 \end{array}$$

$$R = \sqrt[4]{\frac{E \times I}{K_2}} \quad \begin{array}{l} K_2 \quad \text{kg/cm}^2 \\ I = \text{moment of inertia of pile cross section cm}^4 \end{array}$$

$$\text{Dia of pile} = 1.20$$

$$E = 5000 \times \sqrt{35} = 301533 \text{ kg/cm}^2$$

$$I = \frac{610.73 \times 120}{64} = 10178760 \text{ cm}^4$$

$$K_1 = 0.775$$

$$K_2 = 0$$

$$T = 330.78$$

$$R = 0$$

L_e = Embedded Length of pile

$$= 87.35 - 73.845 = 1350 \text{ cm}$$

$$L_1 = \text{Exposed Length} = 87.35 - 87.35 = 0 \text{ cm}$$

$$\frac{L_1}{T} = 0$$

$$\frac{L_f}{T} = 2.15$$

$$L_f = 711.19 \text{ cm}$$

Pile Head deflection

$$y = \frac{Q [L_1 + L_f]^3}{12 E I} = \frac{16.864 \times 711.19}{12 \times 301533 \times 10178760}$$

$$= 0.165 \text{ cm}$$

$$= 1.65 \text{ mm}$$

in seismic transverse case permissible increase in deflection = $1.25 \times 5 = 6.65 \text{ mm} > 1.65 \text{ mm}$

Maximum Moment

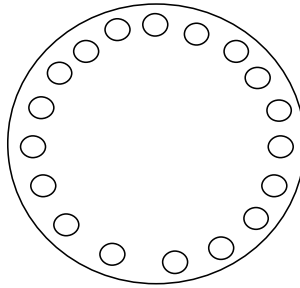
$$M_F = Q \times \frac{[L_1 + L_f]}{2} = 59.966 \text{ t-m}$$

$$M = m \times M_F$$

$$= 0.83 \times 59.966 = 49.77 \text{ t-m}$$

Reinforcement in pile:

Provide 16 mm dia 30 nos 60.319 cm²



Provide 10 mm Rings at 190 mm c/c

DESIGN OF PILE SECTION		
INPUT DATA	Seismic trans. Case	
	MAX. LOAD	MIN. LOAD
D=DIA OF PILE (in m)	1.200	1.200
C=COVER FROM CENTRE OF BAR (in m)	0.075	0.075
M=MODULAR RATIO (as per IRC:6)	10.000	10.000
BD=BETA ANGLE FOR DEFINING N.A. (in degree)	42.28	73.10
AS=AREA OF STEEL (in sq. Cm)	60.319	60.319
P=VERTICAL LOAD (in tonnes)	248.52	162.41
BM=BENDING MOMENT (in t-m)	49.77	49.77
SOLUTION		
RO=OUTER RADIUS=D/2	0.600	0.600
RI=RADIUS OF REINFORCEMENT RING=D/2-C	0.525	0.525
T= THICK.REINFORCEMENT RING = AS/2*3.142*RI	0.002	0.002
B=BD*PI/180	0.738	1.276
B1=COS(B)	0.740	0.291
A=ALPHA ANGLE=ACOS (RO*B1/RI)	0.563	1.232
RECOSB=RICOSA		
B2=SIN(B)^3	0.305	0.876
B3=SIN(4*B)	0.189	-0.925
B4=SIN(2*B)	0.996	0.556
A=COS(A)	0.846	0.332
A2=SIN(2*A)	0.903	0.627
A3=SIN(A)	0.534	0.943
NUM1=(PI-B)/8+B3/32+B1*B2/3	0.381	0.289
NUM2=2*(RO^3)/(1+B1)	0.248	0.335
NUM3=(RI^3) *T/(RO+RI*A1)	0.000	0.000
NUM4=(M-1) *PI+A-A2/2	28.39	29.19
NUM = NUMINATOR = NUM2*NUM1+NUM3*NUM4	0.102	0.107
DENM1=2*(RO^2)/(1+B1)	0.414	0.558
DENM2=B2/3+(PI-B)*B1/2+B1*B4/4	1.175	0.604
DENM3=2*(RI^2) * T/ (RO+RI*A1)	0.001	0.001
DENM4=(M-1) *PI*A1-A3+A*A1	23.85	8.86
DENM=DENOMINATOR=DENM1*DENM2+DENM3*DENM4	0.509	0.348
CHECK FOR ECCENTRICITIES		
CALCULATED ECCENTRICITY EC = NUM/DENM	0.200	0.307
ACTUAL ECCENTRICITY EC = M/P	0.200	0.306
CHECK FOR STRESSES		
NAC=DEPTH OF N.A.BELOW CENT.AXIS=RO*COS(B)	0.444	0.174
NAD=DEPTH OF N.A FROM TOP=RO+NAC	1.044	0.774
DE=EFFECTIVE DEPTH=D-C	1.125	1.125
CC=COMP. STRESS IN CONC. IN T/SQM=P/DENM	488	466
TS=TENS.STRESS IN STEEL (T/SQM)	379	2111
PERMISSIBLE COMP.STRESS IN Concrete 50% increase (in t/sq.m)	1785	1785
PERMISSIBLE TENSILE STRESS IN Steel 50% increase(in t/sq.m)	30600	30600
Hence stresses in conc and steel are within permissible limits, hence safe.		

DESIGN OF SUPERSTRUCTURE

Bridge DataDimensional Data

1	Total span c/c of Expansion Joint	32.2 m
2	Length of gap slab at both ends	0.7 m
3	Distance of centre of bearing from end of girder	0.4 m
4	span c/c of bearing i.e. effective span	30 m
5	skew angle of the bridge	0
6	width of clear carriageway	7.5 m
7	Extra widening in carriageway, if any	0
8	Width of crash barrier footpath side	0.5 m
9	Width of footpath	1.525 m
10	Width of railing curb	0.225 m
11	Width of median side curb	0.5 m
12	Half width of median including curb	2.25 m
13	Total width of bridge	12 m
14	Spacing of main Girders c/c	2.8 m
15	Number of main girders	4
16	Spacing of cross girders c/c	7.500 m
17	Thickness of deck slab	0.25 m
18	Thickness of wearing coat	0.056 m
19	Thickness of cantilever slab at fixed end	0.25 m
20	Thickness of cantilever slab at free end	0.25 m
21	Depth of precast girder including flange	2.1 m
22	Web thickness of precast girder at mid section	0.275 m
23	web thickness of precast girder at support section	0.6 m
24	Length of side flaring section in main girder	2.5 m
25	Length of widened section in main girder from end	2.9 m
26	Distance of end of main girder from centre of bearing	0.4 m
27	Length of widened section in main girder from bearing	2.5 m
28	Width of flange of precast girder at top	1.25 m
29	Width of flange of precast girder at bottom	1 m
30	Thickness of flange of precast girder at top	0.15 m
31	Size of top haunch	width 0.4875 m
		Depth 0.16 m
32	Size of bottom haunch	Width 0.3625 m
		Depth 0.24 m
	Size of bottom bulb	Width 1 m
		Depth 0.3 m
33	Depth of Intermediate cross girder excluding deck slab	1.8 m
34	Depth of end cross girder excluding deck slab	1.8 m
35	Web thickness of intermediate cross girder	0.3 m
36	Web thickness of end cross girder	0.45 m

Properties

Grade of concrete for superstructure	M	40 N/mm ²
Grade of reinforcement for superstructure	FY	415 N/mm ²
Clear cover to reinforcement for slabs		0.04 m
Clear cover to reinforcement for beams		0.05 m
Unit weight of RCC (as per IRC:6-2000,CI 205)		2.4 t/m ³
unit weight of prestressed concrete(as per IRC:6-2000,CI 205)		2.5 t/m ³
Unit weight of wearing coat		2.2 t/m ³
Weight of crash barrier		1 t/m
Weight of railing,if any	no	
Weight of utilities under footpath slab		0.1 t/m
Allowable stress in concrete in bending compression		13.33 N/mm ²
allowable stress in steel in bending compression		200 N/mm ²
Modular ratio		10
Poissons ratio for concrete		0.15
Modulus of elasticity		32500 N/mm ²
Coefficient of thermal expansion		1.17E-05 per deg.C

General Features

Girder Length

Span c/c of exp. Joint	32.200 m
Gap slab	0.700 m
Overall length of girder	30.800 m
Distance of centre of bearing from end of girder	0.400 m
Effective length of girder from c/c of bearing	30.000 m

Sequence of deck construction

- 1 Cast PSC beams at site
- 2 Stress Stage -I tendons in the beam
- 3 Cast the in-situ portion of cross girders and deck slab at top
- 4 Stress Stage -II tendons in the beam
- 5 Cast the gap slab, Crash barrier, Kerb etc.
- 6 Lay the wearing coat

Design Sections

For flexural and shear stress

- 1 mid span sections
- 2 3/8 th section
- 3 1/4 th sections
- 4 1/8th span section
- 5 effective depth d

Concrete Strength

For analysis it has been assumed that the precast beams as well as the deck slab of the top shall have a minimum of M-40 grade concrete. However the concrete shall be design mix and have a minimum 28 days characteristics strength of 40Mpa on 150 mm cubes for all elements of super structure.

Codes of References

- | | |
|-------------------|------------------|
| (I) IRC: 5-1998 | (iv) IRC:21-2000 |
| (II) IRC:6-2000 | (v) IRC:22-1986 |
| (iii) IRC:18-2000 | |

Reinforcement

Reinforcing steel shall be of HYSD bars (grade designation S:415) confirming to IS:1786

Prestressing steel and Accessories

Cable consisting of 12 No. of 12.7 mm dia 7 ply class 2 strand as per IS:6006-1983 shall be used for main stressing.

Sheathing

Sheathing shall be of "Drassbatch" type 75 mm ID manufactured from minimum 0.3 mm thick bright metal strip. It shall be as per IRC:18 -2000, Appendix 1.

SECTION PROPERTIES

GIRDER (Outer)
AT MID SPAN

Self		Composite	
Depth (mm)	2100	Depth (mm)	2350
Area (mm ²)	1106250	Deck slab Area (mm ²)	1906250
I _z (mm ⁴)	6.2283E+11	250 I _z (mm ⁴)	1.31354E+12
Y _b (mm)	1008.95	+ mm Y _b (mm)	1519.3
Y _t (mm)	1091.05	thick and Y _t (mm)	830.7
Z _b (mm ³)	6.173E+08	3200 Z _b (mm ³)	8.646E+08
Z _t (mm ³)	5.709E+08	mm wide. Z _t (mm ³)	1.581E+09
Concrete	M- 40	Concrete	M- 40

I_y

Element	Self = bd ³ /12 mm ⁴	A _z ² mm ⁴
1	2.441E+10	0
2	1.030E+09	7.019E+09
3	2.860E+09	0
4	6.351E+08	5.805E+09
5	2.500E+10	0
	5.394E+10	1.282E+10

ly(self) = 6.676E+10 mm⁴

zL = 1716.1

ly(slab) = 6.827E+11

ly(comp) = 7.68E+11

I_x

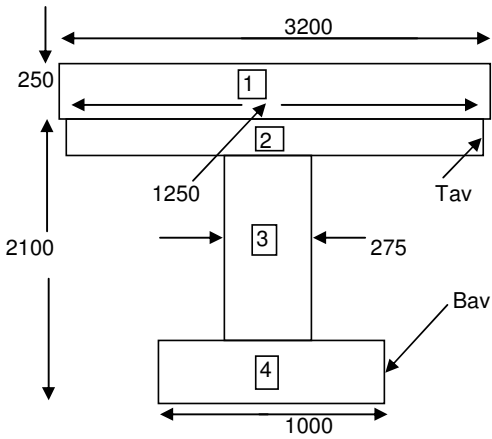
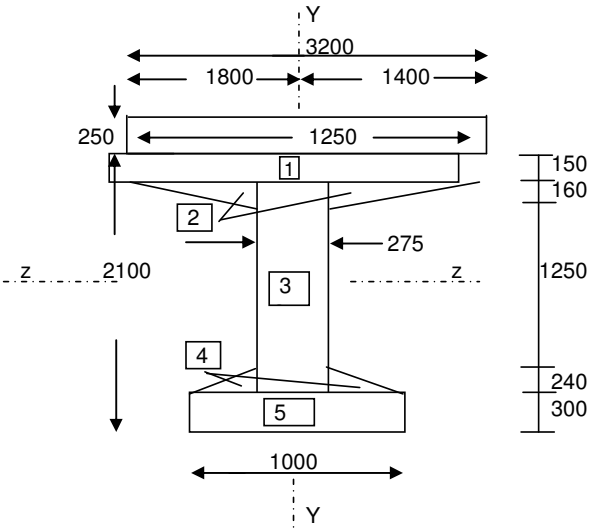
Tav = 230.0 mm

Bav = 420.0 mm

Portion no	b	d	$\frac{3 \cdot b^3 \cdot d^3}{10(b^2 + d^2)}$
	mm	mm	
1	3200	250	8.33E+09
2	1250	230	4.41E+09
3	275	1450	8.73E+09
4	1000	420	1.89E+10

I_x (mm⁴) = 4.037E+10

for deck slab I_x = b x d³ / 6



AT SUPPORT**I_z**

<u>Self</u>	
Depth (mm)	2100
Area (mm ²)	1538649.43
I _z (mm ⁴)	6.932E+11
Y _b (mm)	1048.92
Y _t (mm)	1051.08
Z _b (mm ³)	6.608E+08
Z _t (mm ³)	6.595E+08
W (kN/m)	38.5
Concrete	M- 40

Element	I _{self} = bd ³ /12 mm ⁴	A _z ² mm ⁴
1	2.441E+10	0
2	2.034E+08	5.780E+09
3	2.970E+10	0
4	5.885E+07	3.560E+09
5	2.500E+10	0
	7.938E+10	9.340E+09

$$I_y(\text{self}) = 8.872\text{E}+10 \text{ mm}^4$$

$$zL = 1731.6$$

$$I_y(\text{slab}) = 6.827\text{E}+11$$

$$I_y(\text{comp}) = 7.9244\text{E}+11$$

I_x

$$\begin{aligned} T_{av} &= 203.3 \text{ mm} \\ B_{av} &= 366.2 \text{ mm} \end{aligned}$$

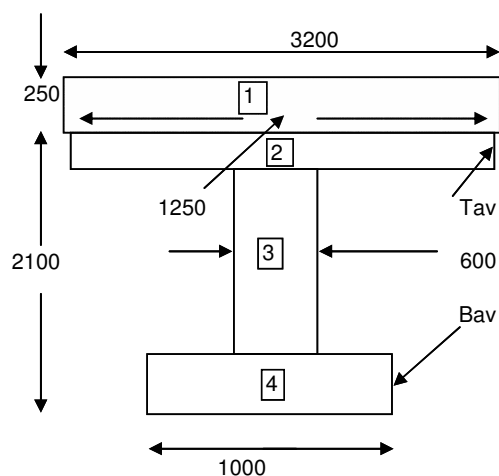
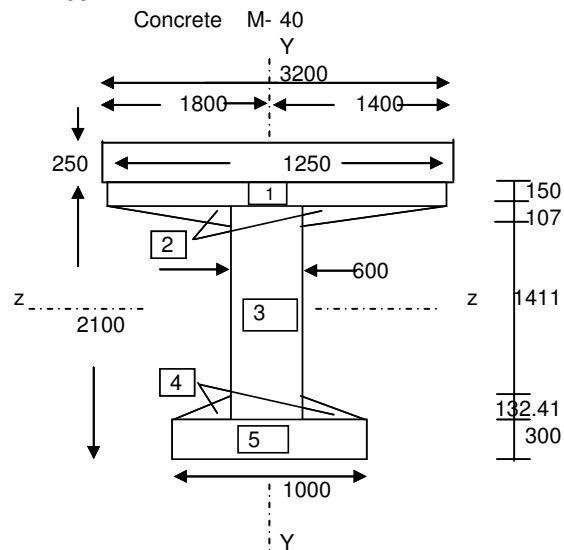
Portion no	b	d	$\frac{3 \cdot b^3 \cdot d^3}{10(b^2 + d^2)}$
	mm	mm	
1	3200	250	8.33E+09
2	1250	203	3.07E+09
3	600	1530	8.60E+10
4	1000	366.206897	1.30E+10

$$I_x (\text{mm}^4) = 1.10\text{E}+11$$

$$\text{for deck slab } I_x = b \times d^3 / 6$$

Composite

		Depth (mm)	2350
Deck slab	Area (mm ²)	2338649	
250	I _z (mm ⁴)	1.42534E+12	
+ mm	Y _b (mm)	1451.2	
thick and	Y _t (mm)	898.8	
3200	Z _b (mm ³)	9.822E+08	
mm	Z _t (mm ³)	1.586E+09	
wide.			



SECTION PROPERTIES

GIRDER (INNER) AT MID SPAN

<u>Self</u>	
Depth (mm)	2100
Area (mm ²)	1106250
I _z (mm ⁴)	6.23E+11
Y _b (mm)	1008.95
Y _t (mm)	1091.05
Z _b (mm ³)	6.173E+08
Z _t (mm ³)	5.709E+08
Concrete	M- 40

<u>Composite</u>	
Deck slab	Depth (mm) 2350
	Area (mm ²) 1806250
250	I _z (mm ⁴) 1.26046E+12
+ mm	Y _b (mm) 1480.2
thick and	Y _t (mm) 869.8
2800	Z _b (mm ³) 8.515E+08
mm wide.	Z _t (mm ³) 1.449E+09
	Concrete M- 40

I_y

Element	I _{self} = bd ³ /12 mm ⁴	A _z ² mm ⁴
1	2.441E+10	0
2	1.030E+09	7.019E+09
3	2.860E+09	0
4	6.351E+08	5.805E+09
5	2.500E+10	0
	5.394E+10	1.282E+10

$$I_y(\text{self}) = 6.676E+10 \text{ mm}^4$$

$$zL = 1400.0$$

$$I_y(\text{slab}) = 4.573E+11$$

$$I_y(\text{comp}) = 5.241E+11$$

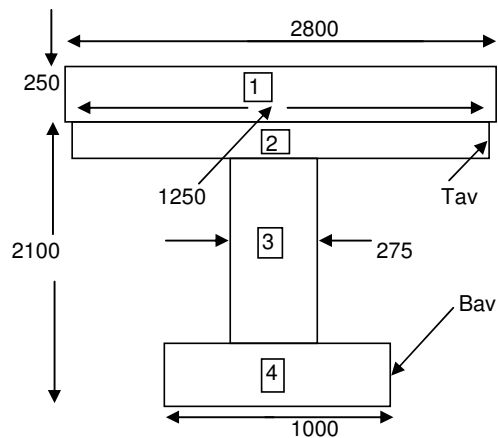
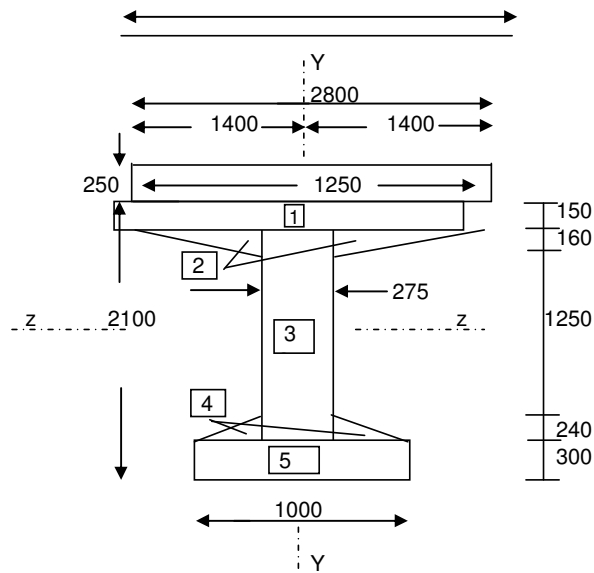
I_x

$$\begin{aligned} T_{av} &= 230.0 \text{ mm} \\ B_{av} &= 420.0 \text{ mm} \end{aligned}$$

Portion no	b	d	$\frac{3 \cdot b^3 \cdot d^3}{10(b^2 + d^2)}$
	mm	mm	
1	2800	250	7.29E+09
2	1250	230	4.41E+09
3	275	1450	8.73E+09
4	1000	420	1.89E+10

$$I_x (\text{mm}^4) = 3.93E+10$$

$$\text{for deck slab } I_x = b \times d^3 / 6$$



AT SUPPORT**I_z**

Self	
Depth (mm)	2100
Area (mm ²)	1538649.43
I _z (mm ⁴)	6.93E+11
Y _b (mm)	1048.92
Y _t (mm)	1051.08
Z _b (mm ³)	6.608E+08
Z _t (mm ³)	6.595E+08
W (kN/m)	38.5
Concrete	M- 40

Composite	
Depth (mm)	2350
Deck slab Area (mm ²)	2238649
250 I _z (mm ⁴)	1.36228E+12
+ mm	
thick and	
2800	
mm	
wide.	
Y _b (mm)	1416.7
Y _t (mm)	933.3
Z _b (mm ³)	9.616E+08
Z _t (mm ³)	1.460E+09
Concrete	M- 40

I_y

Element	I _{self} = bd ³ /12 mm ⁴	A _z ² mm ⁴
1	2.441E+10	0
2	2.034E+08	5.780E+09
3	2.970E+10	0
4	5.885E+07	3.560E+09
5	2.500E+10	0
	7.938E+10	9.340E+09

$$I_y(\text{self}) = 8.872E+10 \text{ mm}^4$$

$$zL = 1400.0$$

$$I_y(\text{slab}) = 4.573E+11$$

$$I_y(\text{comp}) = 5.4605E+11$$

I_x

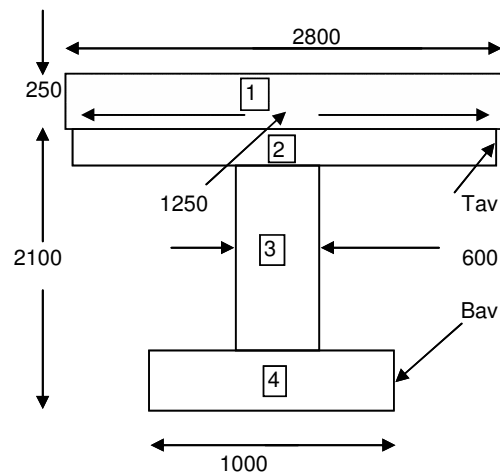
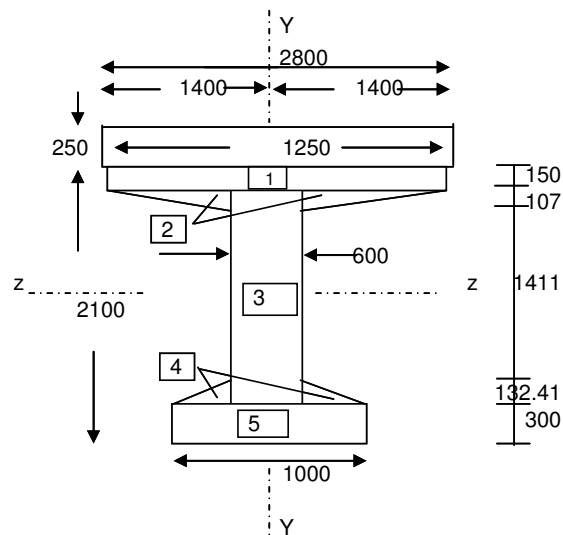
$$T_{av} = 203.3 \text{ mm}$$

$$B_{av} = 366.2 \text{ mm}$$

Portion no	b	d	$\frac{3 \cdot b^3 \cdot d^3}{10(b^2 + d^2)}$
	mm	mm	
1	2800	250	7.29E+09
2	1250	203	3.07E+09
3	600	1530	8.60E+10
4	1000	366.206897	1.30E+10

$$I_x (\text{mm}^4) = 1.09E+11$$

$$\text{for deck slab } I_x = b \times d^3 / 6$$



Cross member At End Supp.

$$I_z$$

$$\text{Area (Ax)} = \begin{matrix} 2955 & \times & 250 \\ + & 1800 & \times & 450 \end{matrix}$$

$$= 1548750 \text{ mm}^2$$

$$y_b = 1389 \text{ mm}$$

$$y_t = 661 \text{ mm}$$

Element	Is _{self} = $\frac{bd^3}{12}$ mm ⁴	A _z ² mm ⁴
1	3.848E+09	2.123E+11
2	2.187E+11	1.9363E+11
	2.225E+11	4.0593E+11

$$I_z = 6.285E+11 \text{ mm}^4$$

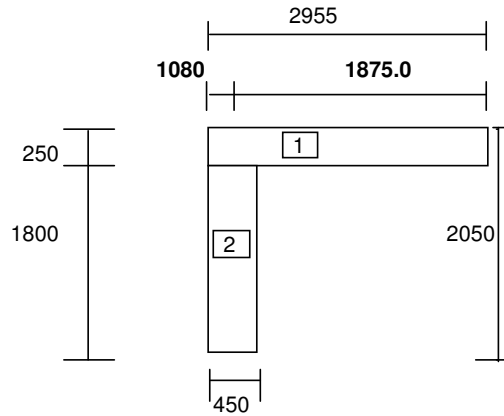
$$I_y$$

$$y_l = 1270 \text{ mm}$$

$$y_r = 1685 \text{ mm}$$

Element	Is _{self} = $\frac{bd^3}{12}$ mm ⁴	A _y ² mm ⁴
1	5.376E+11	3.19E+10
2	1.367E+10	2.91E+10
	5.512E+11	6.10E+10

$$I_y = 6.123E+11 \text{ mm}^4$$



$$I_x$$

Element	b	d	$\frac{3.b^3.d^3}{10 \cdot (b^2 + d^2)}$
	mm	mm	
1	2955	250	7.695E+09
2	450	1800	4.631E+10

$$I_x = 5.401E+10 \text{ mm}^4$$

Cross member At Intermediate Supp.
 I_z

$$\text{Area (Ax)} = \begin{matrix} 3750 & \times & 250 \\ + & 1800 & \times & 300 \end{matrix}$$

$$= 1477500 \text{ mm}^2$$

$$y_b = 1550 \text{ mm}$$

$$y_t = 500 \text{ mm}$$

Element	Is _{self} = $\frac{bd^3}{12}$ mm ⁴	A _z ² mm ⁴
1	4.883E+09	1.3157E+11
2	1.458E+11	2.2842E+11
	1.507E+11	3.5999E+11

$$I_z = 5.107E+11 \text{ mm}^4$$

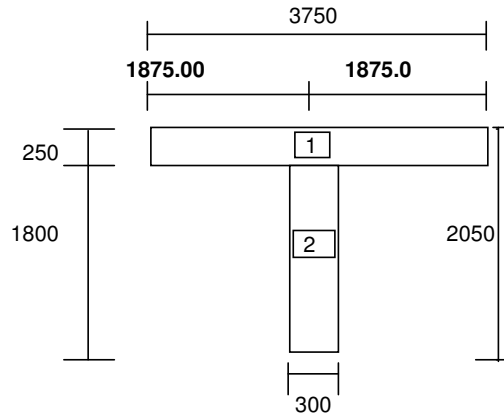
 I_y

$$y_l = 1875 \text{ mm}$$

$$y_r = 1875 \text{ mm}$$

Element	Is _{self} = $\frac{bd^3}{12}$ mm ⁴	A _y ² mm ⁴
1	1.099E+12	0.00E+00
2	4.050E+09	0.00E+00
	1.103E+12	0.00E+00

$$I_y = 1.103E+12 \text{ mm}^4$$


 I_x

Element	b	d	$\frac{3 \cdot b^3 \cdot d^3}{10 \cdot (b^2 + d^2)}$
	mm	mm	
1	3750	250	9.766E+09
2	300	1800	1.419E+10

$$I_x = 2.395E+10 \text{ mm}^4$$

GIRDER (inner) AT 1/8 TH SPAN

Self

Depth (mm)	2100
Area (mm ²)	1315912.36
I _z (mm ⁴)	6.559E+11
Y _b (mm)	1032.73
Y _t (mm)	1067.27
Z _b (mm ³)	6.351E+08
Z _t (mm ³)	6.145E+08
Concrete	M- 40

Composite

Deck slab	Depth (mm)	2350
	Area (mm ²)	2015912
250	I _z (mm ⁴)	1.30906E+12
+ mm	Y _b (mm)	1446.7
thick and	Y _t (mm)	903.3
2800	Z _b (mm ³)	9.048E+08
mm wide.	Z _t (mm ³)	1.449E+09
Concrete	M- 40	

I_y

Element	I _{self} = bd ³ /12 mm ⁴	A _z ² mm ⁴
1	2.441E+10	0
2	4.966E+08	6.794E+09
3	1.151E+10	0
4	2.301E+08	5.114E+09
5	2.500E+10	0
	6.166E+10	1.191E+10

$$I_y(\text{self}) = 7.356E+10 \text{ mm}^4$$

$$zL = 1400.0$$

$$I_y(\text{slab}) = 4.573E+11$$

$$I_y(\text{comp}) = 5.309E+11$$

I_x

$$T_{av} = 216.7 \text{ mm}$$

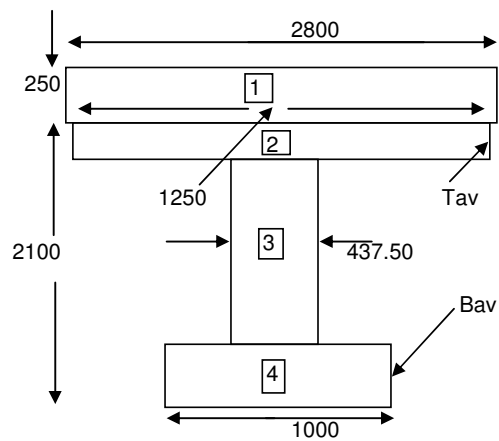
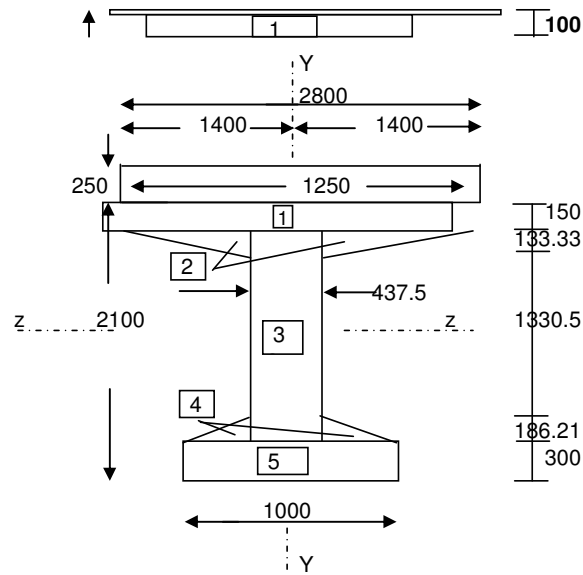
$$B_{av} = 393.1 \text{ mm}$$

Portion no	b	d	$\frac{3 \cdot b^3 \cdot d^3}{10(b^2 + d^2)}$
	mm	mm	
1	2800	250	7.29E+09
2	1250	217	3.70E+09
3	438	1490	3.45E+10
4	1000	393.103448	1.58E+10

$$\text{Girder only } I_x (\text{mm}^4) = 5.395E+10$$

$$= 6.12E+10$$

$$\text{for deck slab } I_x = b \times d^3 / 6$$



GIRDER (Outer) AT 1/8 TH SPAN

Self

Depth (mm)	2100
Area (mm ²)	1315912.36
I _z (mm ⁴)	6.56E+11
Y _b (mm)	1032.73
Y _t (mm)	1067.27
Z _b (mm ³)	6.351E+08
Z _t (mm ³)	6.145E+08
Concrete	M- 40

Composite

Depth (mm)	2350
Deck slab Area (mm ²)	2115912
I _z (mm ⁴)	1.36729E+12
Y _b (mm)	1483.5
Y _t (mm)	866.5
Z _b (mm ³)	9.217E+08
Z _t (mm ³)	1.578E+09
Concrete	M- 40

I_y

Element	I _{self} = bd ³ /12 mm ⁴	A _z ² mm ⁴
1	2.441E+10	0
2	4.966E+08	6.794E+09
3	1.151E+10	0
4	2.301E+08	5.114E+09
5	2.500E+10	0
	6.166E+10	1.191E+10

$$I_y(\text{self}) = 7.356E+10 \text{ mm}^4$$

$$zL = 1724.4$$

$$I_y(\text{slab}) = 6.827E+11$$

$$I_y(\text{comp}) = 7.7613E+11$$

I_x

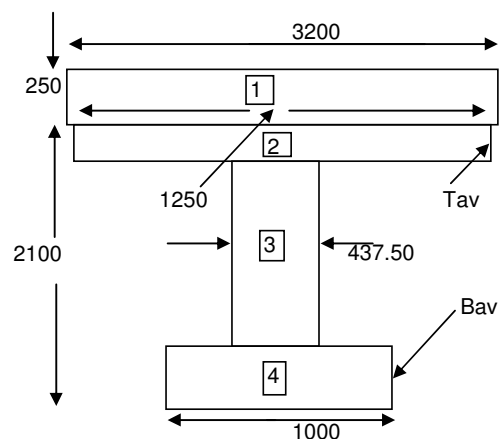
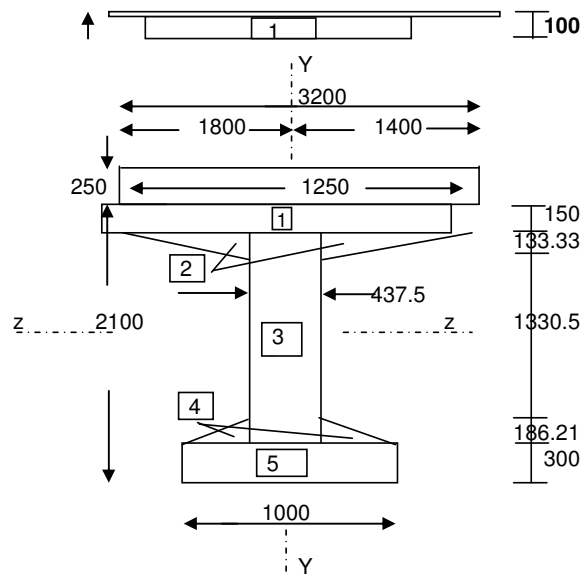
$$T_{av} = 216.7 \text{ mm}$$

$$B_{av} = 393.1 \text{ mm}$$

Portion no	b	d	$\frac{3 \cdot b^3 \cdot d^3}{10(b^2 + d^2)}$
	mm	mm	
1	3200	250	8.33E+09
2	1250	217	3.70E+09
3	438	1490	3.45E+10
4	1000	393.103448	1.58E+10

$$I_x (\text{mm}^4) = 6.23E+10$$

$$\text{for deck slab } I_x = b \times d^3 / 6$$



GIRDER (Inner) at effective depth d

Self

Depth (mm)	2100
Area (mm ²)	1538649.43
I _z (mm ⁴)	6.932E+11
Y _b (mm)	1048.92
Y _t (mm)	1051.08
Z _b (mm ³)	6.608E+08
Z _t (mm ³)	6.595E+08
Concrete	M- 40

Composite

Deck slab	Depth (mm)	2350
	Area (mm ²)	2238649
250	I _z (mm ⁴)	1.36228E+12
+ mm	Y _b (mm)	1416.7
thick and	Y _t (mm)	933.3
2800	Z _b (mm ³)	9.616E+08
mm wide.	Z _t (mm ³)	1.460E+09
	Concrete	M- 40

I_y

Element	I _{self} = bd ³ /12 mm ⁴	A _z ² mm ⁴
1	2.441E+10	0
2	2.034E+08	5.780E+09
3	2.970E+10	0
4	5.885E+07	3.560E+09
5	2.500E+10	0
	7.938E+10	9.340E+09

$$I_y(\text{self}) = 8.872E+10 \text{ mm}^4$$

$$zL = 1400.0$$

$$I_y(\text{slab}) = 4.573E+11$$

$$I_y(\text{comp}) = 5.4605E+11$$

I_x

$$T_{av} = 203.3 \text{ mm}$$

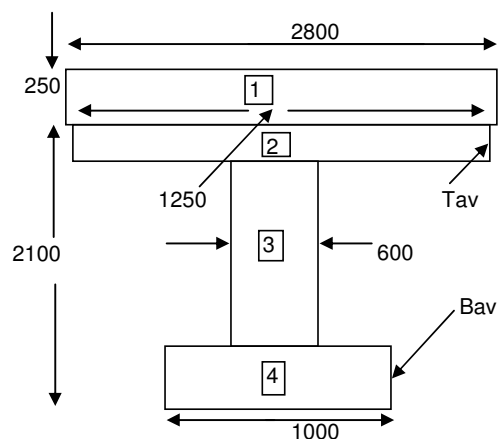
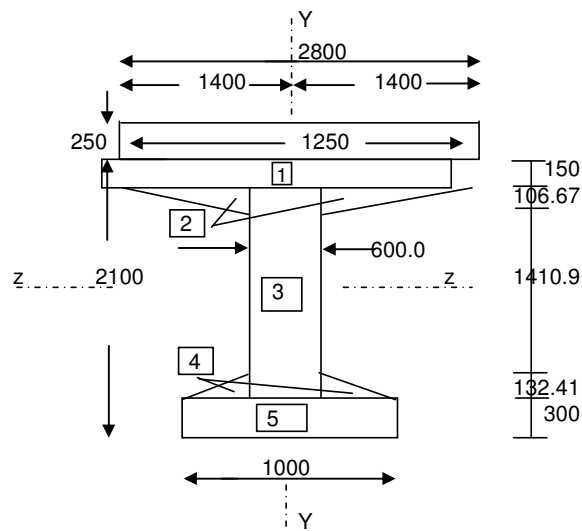
$$B_{av} = 366.2 \text{ mm}$$

Portion no	b	d	$\frac{3 \cdot b^3 \cdot d^3}{10(b^2 + d^2)}$
	mm	mm	
1	2800	250	7.29E+09
2	1250	203	3.07E+09
3	600	1530	8.60E+10
4	1000	366.206897	1.30E+10

$$\text{Girder only } I_x (\text{mm}^4) = 1.020E+11$$

$$I_x (\text{mm}^4) = 1.09E+11$$

$$\text{for deck slab } I_x = b \times d^3 / 6$$



GIRDER (Outer) AT effective depth d

Self

Depth (mm)	2100
Area (mm ²)	1538649.43
I _z (mm ⁴)	6.93E+11
Y _b (mm)	1048.92
Y _t (mm)	1051.08
Z _b (mm ³)	6.608E+08
Z _t (mm ³)	6.595E+08
Concrete	M- 40

Composite

Deck slab	Depth (mm)	2350
	Area (mm ²)	2338649
250	I _z (mm ⁴)	1.42534E+12
+ mm	Y _b (mm)	1451.2
thick and	Y _t (mm)	898.8
3200	Z _b (mm ³)	9.822E+08
mm wide.	Z _t (mm ³)	1.586E+09
	Concrete	M- 40

I_y

Element	I _{self} = bd ³ /12 mm ⁴	A _z ² mm ⁴
1	2.441E+10	0
2	2.034E+08	5.780E+09
3	2.970E+10	0
4	5.885E+07	3.560E+09
5	2.500E+10	0
	7.938E+10	9.340E+09

$$I_y(\text{self}) = 8.872E+10 \text{ mm}^4$$

$$zL = 1731.6$$

$$I_y(\text{slab}) = 6.827E+11$$

$$I_y(\text{comp}) = 7.9244E+11$$

I_x

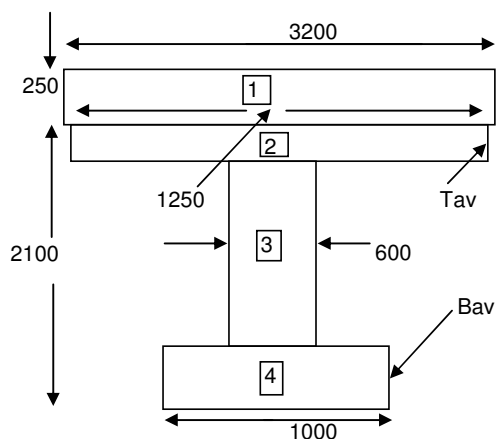
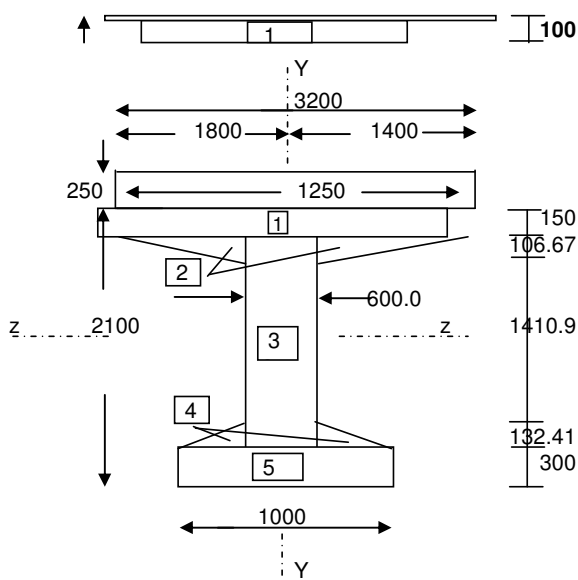
$$T_{av} = 203.3 \text{ mm}$$

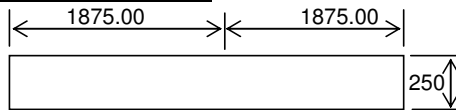
$$B_{av} = 366.2 \text{ mm}$$

Portion no	b	d	$\frac{3 \cdot b^3 \cdot d^3}{10(b^2 + d^2)}$
	mm	mm	
1	3200	250	8.33E+09
2	1250	203	3.07E+09
3	600	1530	8.60E+10
4	1000	366.206897	1.30E+10

$$I_x (\text{mm}^4) = 1.10E+11$$

$$\text{for deck slab } I_x = b \times d^3 / 6$$



FOR MEMBERS 107 TO 112 116 to 122 126 TO 132 136 to 141

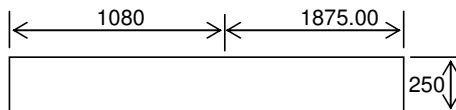
Area Ax =

$$3.75 \times 0.25 = 0.9375 \text{ m}^2$$

$$I_x = \frac{3.75 \times 0.25^3}{6} = 0.009766 \text{ m}^4$$

$$I_y = \frac{0.25 \times 3.75^3}{12} = 1.098633 \text{ m}^4$$

$$I_z = \frac{3.75 \times 0.25^3}{12} = 0.004883 \text{ m}^4$$

**FOR MEMBERS 102 106 142 146**

Area Ax =

$$2.955 \times 0.25 = 0.73875 \text{ m}^2$$

$$I_x = \frac{2.955 \times 0.25^3}{6} = 0.007695 \text{ m}^4$$

$$I_y = \frac{0.25 \times 2.955^3}{12} = 0.537565 \text{ m}^4$$

$$I_z = \frac{2.955 \times 0.25^3}{12} = 0.003848 \text{ m}^4$$

Summary of member Properties**Due to Composite**

Member No.	AX	IX	IZ
1 to 16, 81 to 96	0.001	0.0001	0.0001
22 to 27 70 to 75	1.906	0.0404	1.3135
38 to 43 54 to 59	1.806	0.0393	1.2605
17 31 65 79			
18 32 66 80	2.339	0.1104	1.4253
33 34 47 to 50 63 64	2.239	0.1093	1.3623
19 TO 21 28 TO 30 67 TO 69 76 TO 78	2.122	0.0754	1.3694
35 TO 37 44 TO 46 51 TO 53 60 TO 62	2.022	0.0743	1.3114
103 to 105 143 to 145	1.549	0.0540	0.6285
123 to 125 113 to 115 133 to 135	1.478	0.0240	0.5107
107 to 112 116 to 122 126 to 132 136 to 141	0.938	0.0098	0.0049
97 to 101 147 to 151	0.001	0.0001	0.0001
102 106 142 146	0.739	0.0077	0.0038

SUMMARY OF BENDING MOMENT AT MID SPAN

Loads	G1	G2	G3	G4
Self Weight of girder	316.27	316.27	316.27	316.27
Weight of deck slab	223.83	223.83	223.83	223.83
Weight of the shuttering	55.96	55.96	55.96	55.96
Weight of Diaphragm	44.63	44.63	44.63	44.63
SIDL	163.3	164.96	164.96	163.3
LIVE LOAD (Max)	238.92	177.7	146.88	123.46
Total	1042.91	983.35	952.53	927.45

Hence Girder G-1 shall be designed and rest of the girders will be kept same as that of G-1

SUMMARY OF BENDING MOMENT & SHEAR FORCES AT DIFFERENT SECTIONS OF G-1

Section	DL OF GIRDER		DL OF DECK SLAB		SHUTTERING		WT. OF DIAPHRAGM		SIDL		LIVE LOAD			
	B.M.	SF	BM	SF	BM	SF	BM	SF	BM	SF	Max B.M. & Corres. SF		Max. Shear & Corres. BM	
	(t.m.)	(t)	(t.m.)	(t)	(t.m.)	(t)	(t.m.)	(t)	(t.m.)	(t)	BM(tm)	SF(t)	BM(tm)	SF(t)
1 - 1	316.27	0.00	223.83	0	55.96	0	44.63	1.49	163.3	2	238.92	7.65	198.15	12.22
2 - 2	296.83	10.37	209.77	7.5	52.44	1.88	39.05	1.49	164.75	8.6	207.59	8.94	195.41	13.7
3 - 3	238.50	20.74	167.58	15	41.9	3.75	33.47	4.46	126.54	10.3	175.11	21.94	170.34	22.64
4 - 4	141.29	31.11	97.27	22.5	24.32	5.62	16.74	4.46	81.97	20.35	89.10	23.89	88.84	23.95
5 - 5	92.26	36.06	62.24	25.42	15.56	6.36	10.21	4.46	51.3	21.61	54.36	23.76	54.05	24.46

CALCULATION FOR FRICTION AND SLIP LOSSES

The cable is assumed to have a straight portion near ends followed by a parabolic profile. The parabolic profile is followed by plan bending. Cable profile for plan bending is assumed to be made up of two parabola. Near midspan it has a small horizontal.

No of Prestressing Cables	=	7
Type of cable	=	12 -T-13
Type of Sheathing	=	Bright Metal
X-sectional area of each cable, A_s	=	11.844 cm ²
Modulus of elasticity of prestressing steel, E_s	=	1.988E+07 t/m ²
	=	(1.95 Mpa x 105)
Span length bearing to bearing	=	30.000 m
Wobble coefficient k	=	0.0046
Friction coefficient μ	=	0.2500
Expected slip, s	=	6.0 mm
Half slip area (= 0.5 x A_s x E_s x s)	=	70.64 tm
Grip length inside the jack	=	0.350 m
Extra length of cable required for jack attachment	=	0.750 m
UTS of Cable	=	224.71 t
Jacking End Force	=	70.0 % of UTS
Dia of Duct	=	75 mm

CABLE PROFILE

CABLE	a = Horr. Length of inclined Portion in m.	b = Horr. Length of parabolic Portion in m.	c = Horr. Length of plan bend. Portion in m.	d = Length of straight Port- ion in m.	H = Y co- ordinate At jacking end	h3 = Y co- ordinate At mid span	m = plan bending in m.	Jacking force (t)	Stressing stage
1	1.000	14.250	0.000	0.000	0.300	0.115	0.000	157.30	1
2	1.000	14.250	0.000	0.000	0.300	0.115	0.000	157.30	1
3	1.000	8.250	0.000	6.000	0.600	0.115	0.000	157.30	1
4	1.000	8.250	0.000	6.000	0.900	0.265	0.000	157.30	1
5	1.000	14.250	0.000	0.000	1.200	0.415	0.000	157.30	2
6	1.000	14.250	0.000	0.000	1.500	0.565	0.000	157.30	2
7	1.000	14.250	0.000	0.000	1.800	0.715	0.000	157.30	1

CALCULATION FOR LENGTHS AND CUMULATIVE ANGLES

CABLE	A to B	A to C	A to D	A to E	A to F	Length* of cable	∂_c (rad)	∂_d (rad)	$\partial_e = \partial_f$ (rad)
	(m)	(m)	(m)	(m)	(m)				
1	1.000	15.251	15.251	15.251	15.251	32.003	0.0228	0.0228	0.0228
2	1.000	15.251	15.251	15.251	15.251	32.003	0.0228	0.0228	0.0228
3	1.004	9.267	9.267	9.267	15.267	32.034	0.0944	0.0944	0.0944
4	1.008	9.279	9.279	9.279	15.279	32.058	0.1233	0.1233	0.1233
5	1.005	15.277	15.277	15.277	15.277	32.054	0.0963	0.0963	0.0963
6	1.007	15.288	15.288	15.288	15.288	32.076	0.1146	0.1146	0.1146
7	1.009	15.301	15.301	15.301	15.301	32.102	0.1328	0.1328	0.1328

* Total length of cable includes 750mm extra gripping length required for jack attachment.

∂ is total angular change w.r.t. node A

FORCES IN CABLES AFTER FRICTION ONLY

CABLE	k	F _A	F _B	F _C	F _D	F _E	F _F	Average Force (t)
		(t)	(t)	(t)	(t)	(t)	(t)	
1	7.99E-04	157.30	156.57	145.81	145.81	145.81	145.81	151.57
2	7.99E-04	157.30	156.57	145.81	145.81	145.81	145.81	151.57
3	5.74E-03	157.30	156.57	147.22	147.22	147.22	143.21	149.60
4	7.51E-03	157.30	156.57	146.15	146.15	146.15	142.17	148.90
5	3.39E-03	157.30	156.57	143.13	143.13	143.13	143.13	150.32
6	4.04E-03	157.30	156.57	142.47	142.47	142.47	142.47	150.01
7	4.69E-03	157.30	156.57	141.82	141.82	141.82	141.82	149.70

k is coefficient of parabolic equation $y = k x^2$ (in vertical plane)

SLIP DISTANCE CALCULATION

CABLE	AB	BC	CD	DE	EF	F2	F1	d	F _p (t)
1	-70.28	17.22	17.22	17.22	17.22	156.57	145.81	14.25	147.00
2	-70.28	17.22	17.22	17.22	17.22	156.57	145.81	14.25	147.00
3	-70.27	-22.24	-22.24	-22.24	26.92	147.22	143.21	6.00	145.16
4	-70.27	-16.68	-16.68	-16.68	32.17	146.15	142.17	6.00	144.56
5	-70.27	39.12	39.12	39.12	39.12	156.57	143.13	14.27	145.98
6	-70.27	44.57	44.57	44.57	44.57	156.57	142.47	14.28	145.74
7	-70.27	50.00	50.00	50.00	50.00	156.57	141.82	14.29	145.52

FORCES IN CABLES AFTER SLIP

Cable	Slip distance	F _A (t)	F _B (t)	F _C (t)	F _D (t)	F _E (t)	F _F (t)	Avg. Force (t)	Elongation (mm)
1	13.676	136.70	137.42	145.81	145.81	145.81	145.81	141.32	100.51
2	13.676	136.70	137.42	145.81	145.81	145.81	145.81	141.32	100.51
3	12.348	133.02	133.75	143.10	143.10	143.10	143.21	139.95	99.34
4	11.680	131.82	132.55	142.97	142.97	142.97	142.17	139.28	98.96
5	12.259	134.65	135.38	143.13	143.13	143.13	143.13	138.98	99.87
6	11.976	134.19	134.92	142.47	142.47	142.47	142.47	138.42	99.74
7	11.714	133.75	134.48	141.82	141.82	141.82	141.82	137.88	99.62

FORCES IN CABLES AT SECTION 1-1 (MIDSPAN) AFTER SLIP

Cable no	Stage	Length of cable from midspan	∂ (rad)	φ (rad)	Co-ord from bottom	P (t)	Pcos ∂ (t)	Psin ∂ (t)
1	1	0.00	0.00	0.00	0.115	145.81	145.81	0.00
2	1	0.00	0.00	0.00	0.115	145.81	145.81	0.00
3	1	0.00	0.00	0.00	0.115	143.21	143.21	0.00
4	1	0.00	0.00	0.00	0.265	142.17	142.17	0.00
5	2	0.00	0.00	0.00	0.415	143.13	143.13	0.00
6	2	0.00	0.00	0.00	0.565	142.47	142.47	0.00
7	1	0.00	0.00	0.00	0.715	141.82	141.82	0.00

∂ is angle of cable in vertical plane w.r.t. soffit slab

φ is angle of cable in horizontal plane

Stage 1 Total horizontal force = 718.8 t
 ecc wrt bottom = 0.263 m
 Total vertical force = 0.000 t

Stage 2 Total horizontal force = 285.6 t
 ecc wrt bottom = 0.490 m
 Total vertical force = 0.00 t

FORCES IN CABLES AT SECTION 2-2 (THREE EIGHTH SECTION) AFTER SLIP

3.750 m FROM MIDSPAN

Cable no	Stage	Length from midspan	θ (rad)	φ (rad)	Co-ord from bottom	P (t)	$P\cos\theta$ (t)	$P\sin\theta$ (t)
1	1	3.750	0.006	0.000	0.126	145.43	145.43	0.87
2	1	3.750	0.006	0.000	0.126	145.43	145.43	0.87
3	1	3.750	0.000	0.000	0.115	144.62	144.62	0.00
4	1	3.750	0.000	0.000	0.265	144.47	144.47	0.00
5	2	3.750	0.025	0.000	0.463	145.40	145.35	3.70
6	2	3.751	0.030	0.000	0.622	145.43	145.37	4.40
7	1	3.751	0.035	0.000	0.781	145.48	145.39	5.11

Stage 1	Total horizontal force	=	725.3 t
	ecc wrt bottom	=	0.283 m
	Total vertical force	=	6.854 t
Stage 2	Total horizontal force	=	290.72 t
	ecc wrt bottom	=	0.542 m
	Total vertical force	=	8.100 t
Stage 3	Total horizontal force =		0.000 t
	ecc wrt bottom =		0.000 m
	Total vertical force =	=	0.000 t

FORCES IN CABLES AT SECTION 3-3 (ONE FOURTH SECTION) AFTER SLIP

7.500 m FROM MIDSPAN

Cable	Stage	Length from midspan	θ (rad)	φ (rad)	Co-ord from bottom	P (t)	$P\cos\theta$ (t)	$P\sin\theta$ (t)
1	1	7.500	0.012	0.000	0.160	142.62	142.61	1.71
2	1	7.500	0.012	0.000	0.160	142.62	142.61	1.71
3	1	7.500	0.017	0.000	0.128	141.44	141.42	2.43
4	1	7.500	0.023	0.000	0.282	141.12	141.09	3.18
5	2	7.503	0.051	0.000	0.606	141.89	141.71	7.21
6	2	7.505	0.061	0.000	0.792	141.76	141.50	8.58
7	1	7.506	0.070	0.000	0.979	141.64	141.29	9.95

Stage 1	Total horizontal force	=	709.0 t
	ecc wrt bottom	=	0.341 m
	Total vertical force	=	18.977 t
Stage 2	Total horizontal force	=	283.2 t
	ecc wrt bottom	=	0.699 m
	Total vertical force	=	15.79 t

FORCES IN CABLES AT SECTION 4-4 (ONE EIGHTH SECTION) AFTER SLIP

11.250 m FROM MIDSPAN

Cable	Stage	Length from midspan	θ (rad)	φ (rad)	Co-ord from bottom	P	$P\cos\theta$ (t)	$P\sin\theta$ (t)
1	1	11.251	0.0180	0.000	0.216	139.75	139.729	2.512
2	1	11.251	0.0180	0.000	0.216	139.75	139.729	2.512
3	1	11.253	0.0602	0.000	0.273	137.21	136.965	8.258
4	1	11.255	0.0788	0.000	0.472	136.41	135.985	10.744
5	2	11.261	0.0763	0.000	0.844	138.30	137.902	10.539
6	2	11.265	0.0909	0.000	1.076	137.99	137.419	12.519
7	1	11.271	0.1054	0.000	1.308	137.69	136.923	14.489

Stage 1	Total horizontal force	=	689.3 t
	ecc wrt bottom	=	0.495 m
	Total vertical force	=	38.515 t
Stage 2	Total horizontal force	=	275.32 t
	ecc wrt bottom	=	0.960 m
	Total vertical force	=	23.058 t

FORCES IN CABLES AT SECTION 5-5 (Effective depth d) AFTER SLIP

12.713 m FROM MIDSPAN

Cable no	Stage	Length from midspan	θ (rad)	φ (rad)	Co-ord from bottom	P (t)	$P\cos\theta$ (t)	$P\sin\theta$ (t)
1	1	12.713	0.020	0.000	0.244	138.62	138.59	2.82
2	1	12.713	0.020	0.000	0.244	138.62	138.59	2.82
3	1	12.719	0.077	0.000	0.373	135.53	135.13	10.43
4	1	12.724	0.101	0.000	0.603	134.53	133.84	13.54
5	2	12.728	0.086	0.000	0.963	136.88	136.37	11.78
6	2	12.735	0.103	0.000	1.218	136.49	135.77	13.99
7	1	12.743	0.119	0.000	1.472	136.12	135.15	16.18

Stage 1	Total horizontal force =	681.3 t	TRUE
	ecc wrt bottom =	0.584 m	
	Total vertical force =	45.772 t	
Stage 2	Total horizontal force =	272.1 t	0.00E+00
	ecc wrt bottom =	1.090 m	
	Total vertical force =	25.77 t	

STRESS CHECK AT VARIOUS SECTIONS

Type of cable	=	12-T-13		
Area of each cable	=	1184.4 sq.mm		
UTS of one cable	=	224.7 t		
Jacking stress	=	70.0% of UTS		
Jacking force	=	157.29 t		
Modulus of Elasticity of HTS, Es	=	1.95E+05 MPa	=	1.99E+07 t/m ²
Grade of concrete	=	M - 40		
f_{ck}	=	40 N/mm ²		
Modulus of Elasticity of Concrete, Ec	=	$5700 \times (f_{ck})^{1/2}$		
	=	3.22E+04 MPa	=	3.29E+06 t/m ² (At 4th Day)
	=	3.60E+04 MPa	=	3.68E+06 t/m ² (At 28th Day)

The girders shall be cast on the ground near bridge site. The stressing shall be done when cube strength of concrete reached 32 MPa. Thereafter the girders will be launched / shifted to the bridge location and placed on permanent bearings and deck slab & diaphragm shall be casted.

f_{cj} at release	=	32 MPa		
Maturity of concrete at the time of release as % of f_{ck}	=			80.00 %
$E_c = 5700 \times (f_{cj})^{1/2}$	=	3.22E+04 MPa	=	3.29E+06 t/m ²

Creep strain (per 10MPa) as per Table 2 of IRC:18 - 2000	
From 14th day (80% maturity) to 28th day (100% maturity)	
Creep strain for 80% maturity	0.000510
Creep strain for 100% maturity	0.000400
Differential Creep strain between 14th and 28th day =	0.000110
Residual Creep strain 28th day onward =	0.000400

Residual shrinkage strain as per Table 3 of IRC:18 - 2000	
Residual Shrinkage strain (ϵ_s) at 14th day =	0.00025
Residual Shrinkage strain (ϵ_s) at 28th day =	0.00019
Therefore, Shrinkage strain (ϵ_s) between 14th & 28th day	0.00006
Residual Shrinkage strain 28th day onward	0.00019

Loss due to Relaxation for low Relaxation steel as per Table 4A of IRC:18 - 2000		
at average initial force of	0.5 f_p is	0 MPa
at average initial force of	0.7 f_p is	97 MPa
at average initial force of	0.8 f_p is	200 MPa

STRESS CHECK AT MID SPAN (SEC 1-1)*At first stage 4 cables has been stressed***STAGE -1 (14 TH DAY)**

Net ecc. of cables from bottom, eb	=	0.263 m
Eccentricity of cables from c.g., e	=	0.746 m
Sectional Modulus at C.G. of cables, Zc (for precast girder only)	=	0.835 m ³
B.M. due to S.Wt. of the girder M _d	=	316.27 tm
B.M. due to Cast in Situ slab M _c	=	324.42 tm
Prestressing force (after friction and slip losses) , P	=	718.82 t
Moment due to P, M _p = P x e	=	536.17 tm

Stresses due to self weight of the girder

$\sigma_t =$	$\frac{316.27}{0.571}$	=	554.02 t/m ²
$\sigma_c =$	$\frac{316.27}{0.835}$	=	-378.77 t/m ²
$\sigma_b =$	$\frac{316.27}{0.617}$	=	-512.34 t/m ²

Stresses due to prestress at transfer stage

$\sigma_t =$	$\frac{718.82}{1.106}$	-	$\frac{536.17}{0.571}$	=	-289.5 t/m ²
$\sigma_c =$	$\frac{718.82}{1.106}$	+	$\frac{536.17}{0.835}$	=	1291.90 t/m ²
$\sigma_b =$	$\frac{718.82}{1.106}$	+	$\frac{536.17}{0.617}$	=	1518.3 t/m ²

Stresses due to initial prestress & self weight of the girder

$\sigma_t =$	554.0	+	-289.5	=	264.6 t/m ²
$\sigma_c =$	-378.8	+	1291.9	=	913.1 t/m ²
$\sigma_b =$	-512.3	+	1518.3	=	1006.0 t/m ²

Losses due to Elastic Shortening

$$\text{Loss due to Elastic Shortening} = 0.5 \times \sigma \times E_s / E_c$$

Therefore, initial loss	=	2759 t/m ²	
(i.e. Elastic Shortening loss)	=	16.34 t =	2.08 % of Jacking Force

Prestressing force after initial losses P _i	=	702.48 t
Moment due to P _i = M _{pi} = P _i x e	=	523.98 tm

<u>Loss due to Shrinkage of Concrete</u>	=	$\epsilon_s \times E_s$	
	=	1192.7 t/m ²	
	=	7.06 t =	0.90 % of Jacking Force

Loss due to relaxation of steel

The loss due to relaxation of steel depends on the stress in HTS after initial losses.

$$\begin{aligned} \text{Ratio of average force to UTS} &= 0.685 \\ \text{Loss due to friction \& slip} &= \frac{786.4653}{786.465} \times 100 = 6.021 \% \\ \text{Ratio of average force to UTS} &= 0.685 - 0.060 = 0.625 \end{aligned}$$

$$\begin{aligned} \text{Corresponding Relaxation Loss} &= 6195.8 \text{ t/m}^2 \\ &= \mathbf{36.69 \text{ t}} \quad 4.67 \% \text{ of Jacking Force} \end{aligned}$$

$$\begin{aligned} \text{Loss due to Relaxation \& Shrinkage} &= 43.75 \text{ t} \\ \text{Moment due to Relaxation \& Shrinkage loss} &= 32.637 \text{ tm} \end{aligned}$$

Stresses due to Prestress after initial losses

$$\begin{aligned} \sigma_t &= \frac{702.48}{1.106} - \frac{523.98}{0.571} = -282.88 \text{ t/m}^2 \\ \sigma_c &= \frac{702.48}{1.106} + \frac{523.98}{0.835} = 1262.5 \text{ t/m}^2 \\ \sigma_b &= \frac{702.48}{1.106} + \frac{523.98}{0.617} = 1483.8 \text{ t/m}^2 \end{aligned}$$

Stresses due to prestress after initial losses & self weight of the girder

$$\begin{aligned} \sigma_t &= 554.0 + (-282.9) = 271.1 \text{ t/m}^2 \\ \sigma_c &= -378.8 + 1262.5 = 883.8 \text{ t/m}^2 \\ \sigma_b &= -512.3 + 1483.8 = 971.5 \text{ t/m}^2 \end{aligned}$$

Stresses after Shrinkage and Relaxation losses

$$\begin{aligned} \sigma_t &= 271.15 - \frac{43.75}{1.106} + \frac{32.637}{0.571} = 288.77 \text{ t/m}^2 \\ \sigma_c &= 883.8 - \frac{43.75}{1.106} - \frac{32.637}{0.835} = 805.13 \text{ t/m}^2 \\ \sigma_b &= 971.49 - \frac{43.75}{1.106} - \frac{32.637}{0.617} = 879.07 \text{ t/m}^2 \end{aligned}$$

Loss due to Creep of concrete

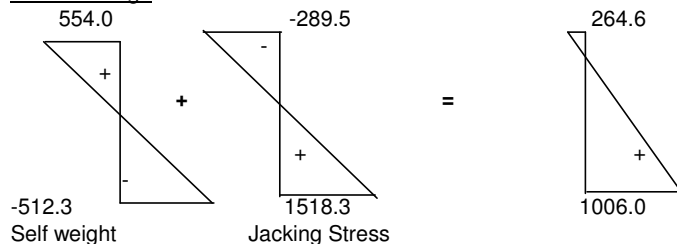
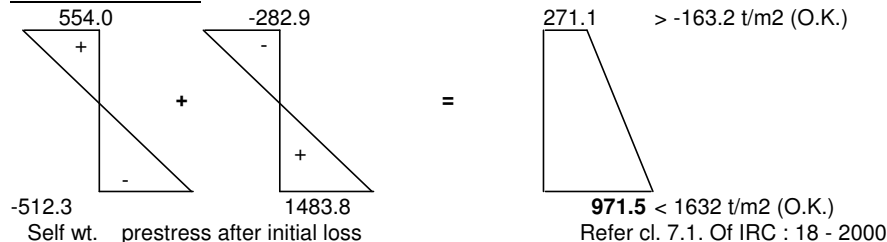
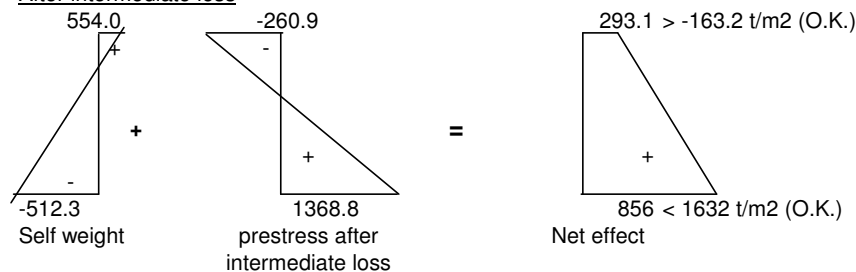
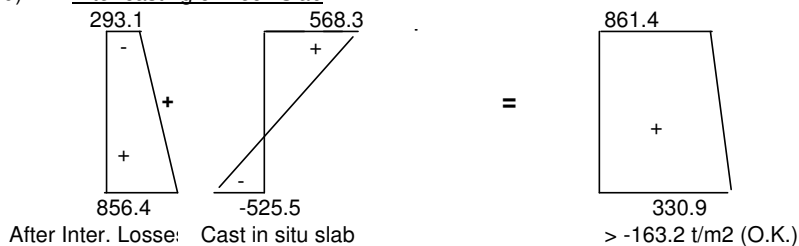
$$\begin{aligned} \text{Arithmetic mean of initial and final stress between 14th and 28 days at C.G. of cables} &= 844.44 \text{ t/m}^2 \\ \text{Creep loss} = (\sigma/10) \times \epsilon_c \times E_s &= 1810.2 \text{ t/m}^2 \\ &= \mathbf{10.72 \text{ t}} = 1.363 \% \text{ of Jacking Force} \\ \text{Total Initial \& Intermediate losses} &= \mathbf{70.82 \text{ t}} = 9.00 \% \text{ of Jacking Force} \\ \text{(i.e. losses upto 28th day)} & \\ \text{Force after intermediate losses, } P_{\text{int}} &= 648.0 \text{ t} \\ \text{Moment due to } P_{\text{int}} = M_{\text{pint}} = P_{\text{int}} \times e &= 483.35 \text{ tm} \end{aligned}$$

Effect of prestress after Intermediate loss

$$\begin{aligned} \sigma_t &= \frac{648.0}{1.106} - \frac{483.35}{0.571} = -260.9 \text{ t/m}^2 \\ \sigma_c &= \frac{648.0}{1.106} + \frac{483.35}{0.835} = 1164.6 \text{ t/m}^2 \\ \sigma_b &= \frac{648.0}{1.106} + \frac{483.35}{0.617} = 1368.8 \text{ t/m}^2 \end{aligned}$$

Stresses Due to cast-in-situ slab

$$\begin{aligned} \sigma_t &= \frac{324.4}{0.571} = 568.30 \text{ t/m}^2 \\ \sigma_c &= \frac{324.4}{0.835} = -388.53 \text{ t/m}^2 \\ \sigma_b &= \frac{324.4}{0.617} = -525.54 \text{ t/m}^2 \end{aligned}$$

RESULTANT STRESSESa) Transfer stageb) Just after initial lossc) After intermediate lossd) After casting of Deck Slab**STAGE-II (28 TH DAY ONWARD)**

Section Modulus at top of composite section	=	1.5812 m ³
Section Modulus at junction of deck slab & girder Z _i	=	2.2620 m ³
Section Modulus at C.G. of cables Z _c	=	1.1067 m ³
Section Modulus at bottom of composite section	=	0.8646 m ³
Composite area of deck slab + outer girder	=	1.9063 m ²
<i>first stage cables</i>		
Prestressing force (after 1st stage) , P ₁	=	648.00 t
ecc. of cables from bottom, eb (1st stage)	=	0.263 m
Eccentricity of cables from c.g., e (1st stage)	=	0.746 m
<i>second stage cables</i>		
Prestressing force (after friction and slip losses) , P	=	285.61 t
ecc. of cables from bottom, eb (2nd stage)	=	0.490 m
Eccentricity of cables from c.g., e (2nd stage)	=	1.029 m
Net eccentricity of cables of 1st and 2nd stages, eb'	=	0.332 m (from bottom)
Net eccentricity of cables of 1st and 2nd stages, e'	=	1.187 m (from c.g.)

B.M. due to S.Wt. of the girder M_d	=	316.27 tm
B.M. due to Cast in Situ slab M_c (without shuttering)	=	268.46 tm
B.M. due to SIDL M_s	=	163.30 tm
B.M. due to Live loads M_L	=	238.92 tm
B.M. due to FPLL	=	0.00 tm

Prestressing force (after 1st stage) , P_1	=	648.00 t
Moment due to $P_{int} = M_{pint} = P_1 \times e$	=	483.35 tm
for second stage prestressing		
Prestressing force (after friction and slip losses) , P	=	285.61 t
Moment due to P , $M_p = P \times e$	=	294.03 tm

Stresses due to self weight of the girder + cast in situ slab

$\sigma_j =$	$\frac{584.73}{0.571}$	=	1024.3	t/m^2
$\sigma_c =$	$\frac{584.73}{0.835}$	=	-700.3	t/m^2
$\sigma_b =$	$\frac{584.73}{0.617}$	=	-947.2	t/m^2

Stresses due to prestress (second stage cables)

$\sigma_t =$	$\frac{285.61}{1.906}$	-	$\frac{294.03}{1.581}$	=	-36.1 t/m^2
$\sigma_i =$	$\frac{285.61}{1.906}$	-	$\frac{294.03}{2.262}$	=	19.8 t/m^2
$\sigma_c =$	$\frac{285.61}{1.906}$	+	$\frac{294.03}{1.107}$	=	415.5 t/m^2
$\sigma_b =$	$\frac{285.61}{1.906}$	+	$\frac{294.03}{0.865}$	=	489.9 t/m^2

Total Stresses due to prestress

$\sigma_t =$	0.0	+	-36.1	=	-36.1 t/m^2
$\sigma_j =$	-260.9	+	19.8	=	-241.1 t/m^3
$\sigma_c =$	1164.6	+	415.5	=	1580.1 t/m^2
$\sigma_b =$	1368.8	+	489.9	=	1858.7 t/m^2

Stresses due to prestress & self weight of the girder+deck slab

$\sigma_t =$	0.0	+	-36.1	=	-36.1 t/m^2
$\sigma_j =$	1024.3	+	-241.1	=	783.2 t/m^3
$\sigma_c =$	-700.3	+	1580.1	=	879.8 t/m^2
$\sigma_b =$	-947.2	+	1858.7	=	911.4 t/m^2

Losses due to Elastic Shortening

$$\text{Loss due to Elastic Shortening} = 0.5 \times \sigma \times E_s / E_c$$

Therefore, initial loss	=	2378 t/m^2	
(i.e. Elastic Shortening loss)	=	19.72 t	1.79 % of Jacking Force

For first stage cables

Prestressing force after initial losses P_{ii}	=	642.37 t
Moment due to $P_i = M_{pii} = P_{ii} \times e$	=	479.15 tm

For second stage cables

Prestressing force after initial losses P_i	=	279.98 t
Moment due to $P_i = M_{pi} = P_i \times e$	=	288.23 tm

Loss due to Shrinkage of Concrete

=	$\epsilon_s \times E_s$	
=	3776.8 t/m^2	
=	31.31 t	2.84 % of Jacking Force

Loss due to Shrinkage	=	36.95 t	
Moment due to Shrinkage loss	=	43.850 tm	

Loss due to relaxation of steel**For second stage cables:**

The loss due to relaxation of steel depends on the stress in HTS after initial losses.

$$\begin{aligned} \text{Ratio of average force to UTS} &= 0.694 \\ \text{Loss due to friction and slip} &= 314.5861 - 285.6 = 29.0 \text{ t} \\ \% \text{ friction and slip loss} &= \frac{29.0}{314.5861} \times 100 = 9.22\% \\ \text{Ratio of average force to UTS} &= 0.694 - 0.064479 = 0.629 \end{aligned}$$

$$\begin{aligned} \text{Corresponding Relaxation Loss} &= 6394.2 \text{ t/m}^2 \\ &= 15.15 \text{ t} \quad 4.81 \% \text{ of Jacking Force} \end{aligned}$$

$$\begin{aligned} \text{Loss due to Relaxation \& Shrinkage} &= 20.78 \text{ t} \\ \text{Moment due to Relaxation \& Shrinkage loss} &= 24.663 \text{ tm} \end{aligned}$$

Shrinkage losses (for first stage cables)

$$\begin{aligned} \sigma_t &= \frac{-36.95}{1.906} + \frac{43.850}{1.581} = 8.35 \text{ t/m}^2 \\ \sigma_j &= \frac{-36.95}{1.906} + \frac{43.850}{2.262} = 0.00 \text{ t/m}^2 \\ \sigma_c &= \frac{-36.95}{1.906} - \frac{43.850}{1.107} = -59.00 \text{ t/m}^2 \\ \sigma_b &= \frac{-36.95}{1.906} - \frac{43.850}{0.865} = -70.10 \text{ t/m}^2 \end{aligned}$$

Shrinkage and Relaxation losses (for second stage cables)

$$\begin{aligned} \sigma_t &= \frac{-20.78}{1.906} + \frac{24.663}{1.581} = 4.70 \text{ t/m}^2 \\ \sigma_j &= \frac{-20.78}{1.906} + \frac{24.663}{2.262} = 0.00 \text{ t/m}^2 \\ \sigma_c &= \frac{-20.78}{1.906} - \frac{24.663}{1.107} = -33.19 \text{ t/m}^2 \\ \sigma_b &= \frac{-20.78}{1.906} - \frac{24.663}{0.865} = -39.43 \text{ t/m}^2 \end{aligned}$$

Total Shrinkage and Relaxation losses

$$\begin{aligned} \sigma_t &= 8.35 + 4.70 = 13.05 \text{ t/m}^2 \\ \sigma_j &= 0.00 + 0.00 = 0.01 \text{ t/m}^2 \\ \sigma_c &= -59.00 + -33.19 = -92.19 \text{ t/m}^2 \\ \sigma_b &= -70.10 + -39.43 = -109.53 \text{ t/m}^2 \end{aligned}$$

Stresses due to prestress after shrinkage & relaxation losses & self weight of the girder + cast insitu deck slab

$$\begin{aligned} \sigma_t &= -36.1 + 13.05 = -23.07 \text{ t/m}^2 \\ \sigma_j &= 783.2 + 0.0 = 783.20 \text{ t/m}^2 \\ \sigma_c &= 879.8 + -92.2 = 787.66 \text{ t/m}^2 \\ \sigma_b &= 911.4 + -109.5 = 801.92 \text{ t/m}^2 \end{aligned}$$

Loss due to Creep of concrete

$$\text{Airthmetic mean of initial and final stress after 28 days} = 787.66 \text{ t/m}^2$$

$$\begin{aligned} \text{Creep loss} &= (\sigma/10) \times \epsilon_c \times E_s = 6139.9 \text{ t/m}^2 \\ &= 50.91 \text{ t} = 4.623 \% \text{ of Jacking Force} \end{aligned}$$

$$\begin{aligned} \text{Loss due to Creep} &= 50.91 \text{ t} \\ \text{Moment due to Creep loss} &= 60.42 \text{ tm} \end{aligned}$$

Creep losses (for first stage cables)

$$\begin{aligned}
 \sigma_t &= \frac{-50.91}{1.906} + \frac{60.418}{1.581} = 11.51 \text{ t/m}^2 \\
 \sigma_i &= \frac{-50.91}{1.906} + \frac{60.418}{2.262} = 0.01 \text{ t/m}^2 \\
 \sigma_c &= \frac{-50.91}{1.906} - \frac{60.418}{1.107} = -81.30 \text{ t/m}^2 \\
 \sigma_b &= \frac{-50.91}{1.906} - \frac{60.418}{0.865} = -96.59 \text{ t/m}^2
 \end{aligned}$$

Creep losses (for second stage cables)

$$\begin{aligned}
 \sigma_t &= \frac{-14.54}{1.906} + \frac{-17.262}{1.581} = -18.55 \text{ t/m}^2 \\
 \sigma_i &= \frac{-14.54}{1.906} + \frac{-17.262}{2.262} = -15.26 \text{ t/m}^2 \\
 \sigma_c &= \frac{-14.54}{1.906} - \frac{-17.262}{1.107} = 7.97 \text{ t/m}^2 \\
 \sigma_b &= \frac{-14.54}{1.906} - \frac{-17.262}{0.865} = 12.34 \text{ t/m}^2
 \end{aligned}$$

$$\text{Final Prestressing Force} = 775.57 \text{ t}$$

Total Creep losses

$$\begin{aligned}
 \sigma_t &= 11.51 + (-18.55) = -7.04 \text{ t/m}^2 \\
 \sigma_i &= 0.01 + (-15.26) = -15.26 \text{ t/m}^2 \\
 \sigma_c &= -81.30 + 7.97 = -73.33 \text{ t/m}^2 \\
 \sigma_b &= -96.59 + 12.34 = -84.25 \text{ t/m}^2
 \end{aligned}$$

Total Stresses due to prestress after immediate losses & self weight of the girder + cast insitu deck slab

$$\begin{aligned}
 \sigma_t &= -23.07 + (-7.04) = -30.11 \\
 \sigma_i &= 783.20 + (-15.26) = 767.95 \\
 \sigma_c &= 787.66 + (-73.33) = 714.33 \\
 \sigma_b &= 801.92 + (-84.25) = 717.67
 \end{aligned}$$

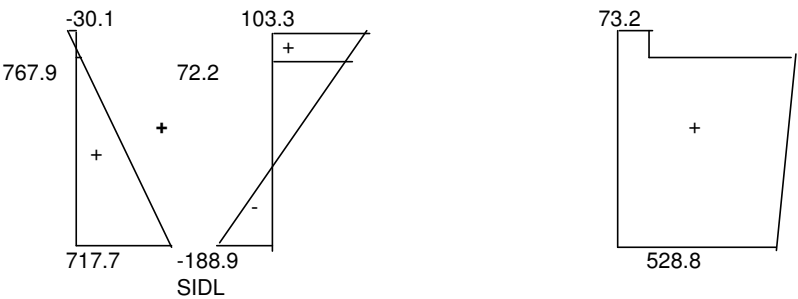
Stresses Due to SIDL

$$\begin{aligned}
 \sigma_t &= \frac{163.30}{1.581} = 103.3 \text{ t/m}^2 \\
 \sigma_j &= \frac{163.30}{2.262} = 72.2 \text{ t/m}^2 \\
 \sigma_c &= \frac{163.30}{1.107} = -147.6 \text{ t/m}^2 \\
 \sigma_b &= \frac{163.30}{0.865} = -188.9 \text{ t/m}^2
 \end{aligned}$$

Total Stresses due to prestress + DL (Girder+deck slab) + SIDL

$$\begin{aligned}
 \sigma_t &= -30.1 + 103.27 = 73.2 \text{ t/m}^2 \\
 \sigma_j &= 767.9 + 72.19 = 840.1 \text{ t/m}^2 \\
 \sigma_c &= 714.3 + (-147.55) = 566.8 \text{ t/m}^2 \\
 \sigma_b &= 717.7 + (-188.88) = 528.8 \text{ t/m}^2
 \end{aligned}$$

After laying of SIDL

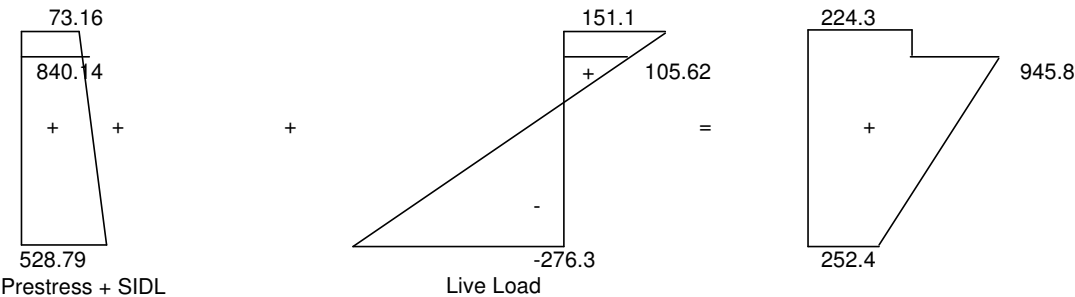


Stresses due to Live load

$\sigma_t =$	$\frac{238.92}{1.581}$	$=$	151.10	t/m ²
$\sigma_j =$	$\frac{238.92}{2.262}$	$=$	105.62	t/m ²
$\sigma_c =$	$\frac{238.92}{1.107}$	$=$	-215.881	t/m ²
$\sigma_b =$	$\frac{238.92}{0.865}$	$=$	-276.35	t/m ²

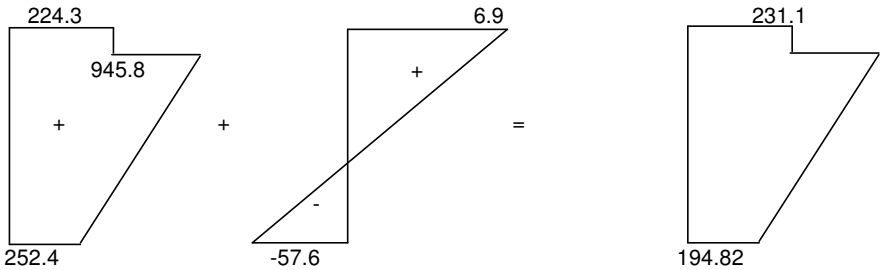
Stresses due to Prestress + DL + SIDL + FPLL + LL

$\sigma_t =$	73.16	+	151.1	$=$	224.3	t/m ²
$\sigma_j =$	840.14	+	105.6	$=$	945.8	t/m ²
$\sigma_c =$	566.78	+	-215.9	$=$	350.9	t/m ²
$\sigma_b =$	528.79	+	-276.3	$=$	252.4	t/m ²



Time dependant losses (i.e. due to relaxation of steel, shrinkage of concrete & creep of concrete)

20% extra time dependant losses	$=$	151.84 t
Stress due to 20% extra time dependant losses at top	$=$	30.37 t
Stress due to 20% extra time dependant losses at bottom	$=$	6.9 t/m ²
	$=$	-57.6 t/m ²



STRESS CHECK AT 3-8 TH (SEC 2-2)*At first stage 3 cables has been stressed***STAGE -1 (14 TH DAY)**

Net ecc. of cables from bottom, eb	=	0.283 m
Eccentricity of cables from c.g., e	=	0.726 m
Sectional Modulus at C.G. of cables, Zc (for precast girder only)	=	0.858 m ³

B.M. due to S.Wt. of the girder M _d	=	296.83 tm
B.M. due to Cast in Situ slab M _c	=	301.26 tm
Prestressing force (after friction and slip losses) , P	=	725.33 t
Moment due to P, M _p = P x e	=	526.66 tm

Stresses due to self weight of the girder

$\sigma_t =$	$\frac{296.83}{0.571}$	=	519.97 t/m ²
$\sigma_c =$	$\frac{296.83}{0.858}$	=	-346.04 t/m ²
$\sigma_b =$	$\frac{296.83}{0.617}$	=	-480.85 t/m ²

Stresses due to prestress at transfer stage

$\sigma_t =$	$\frac{725.33}{1.106}$	-	$\frac{526.66}{0.571}$	=	-266.9 t/m ²
$\sigma_c =$	$\frac{725.33}{1.106}$	+	$\frac{526.66}{0.858}$	=	1269.64782 t/m ²
$\sigma_b =$	$\frac{725.33}{1.106}$	+	$\frac{526.66}{0.617}$	=	1508.8 t/m ²

Stresses due to initial prestress & self weight of the girder

$\sigma_t =$	520.0	+	-266.9	=	253.1 t/m ²
$\sigma_c =$	-346.0	+	1269.6	=	923.6 t/m ²
$\sigma_b =$	-480.8	+	1508.8	=	1028.0 t/m ²

Losses due to Elastic Shortening

$$\text{Loss due to Elastic Shortening} = 0.5 \times \sigma \times E_s / E_c$$

Therefore, initial loss	=	2791 t/m ²	
(i.e. Elastic Shortening loss)	=	16.53 t	2.10 % of Jacking Force

Prestressing force after initial losses P _i	=	708.81 t
Moment due to P _i = M _{pi} = P _i x e	=	514.66 tm

<u>Loss due to Shrinkage of Concrete</u>	=	$\varepsilon_s \times E_s$	
	=	1192.7 t/m ²	
	=	7.06 t	0.90 % of Jacking Force

Loss due to relaxation of steel

The loss due to relaxation of steel depends on the stress in HTS after initial losses.

Ratio of average force to UTS	=	0.685			
Loss due to friction & slip	=	786.4653	-	725.3	= 61.1 t
% friction and slip loss	$\frac{61.1}{786.46529} \times 100$			= 5.44	%
Ratio of average force to UTS	=	0.685	-	0.05441	= 0.631
Corresponding Relaxation Loss	=	6474.5 t/m ²			
	=	38.34 t			4.88 % of Jacking Force
Loss due to Relaxation & Shrinkage	=	45.41 t			
Moment due to Relaxation & Shrinkage loss	=	32.968 tm			

Stresses due to Prestress after initial losses

σ_t	=	$\frac{708.81}{1.106}$	-	$\frac{514.66}{0.571}$	= -260.82 t/m ²
σ_c	=	$\frac{708.81}{1.106}$	+	$\frac{514.66}{0.858}$	= 1240.7 t/m ²
σ_b	=	$\frac{708.81}{1.106}$	+	$\frac{514.66}{0.617}$	= 1474.4 t/m ²

Stresses due to prestress after initial losses & self weight of the girder

σ_t	=	520.0	+	-260.8	= 259.1 t/m ²
σ_c	=	-346.0	+	1240.7	= 894.7 t/m ²
σ_b	=	-480.8	+	1474.4	= 993.6 t/m ²

Stresses after Shrinkage and Relaxation losses

σ_t	=	259.15	-	$\frac{45.41}{1.106}$	+	$\frac{32.968}{0.571}$	= 275.85 t/m ²
σ_c	=	894.7	-	$\frac{45.41}{1.106}$	-	$\frac{32.968}{0.858}$	= 815.19 t/m ²
σ_b	=	993.60	-	$\frac{45.41}{1.106}$	-	$\frac{32.968}{0.617}$	= 899.15 t/m ²

Loss due to Creep of concrete

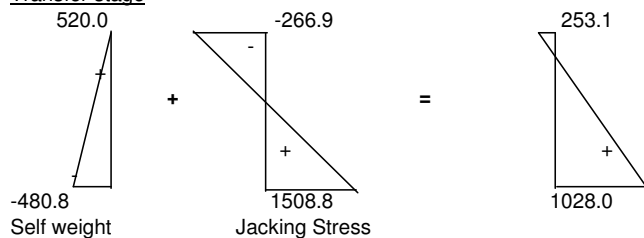
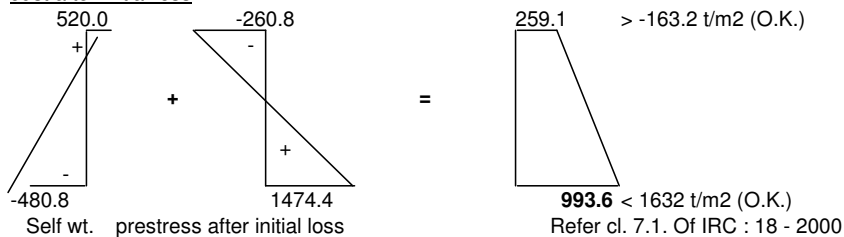
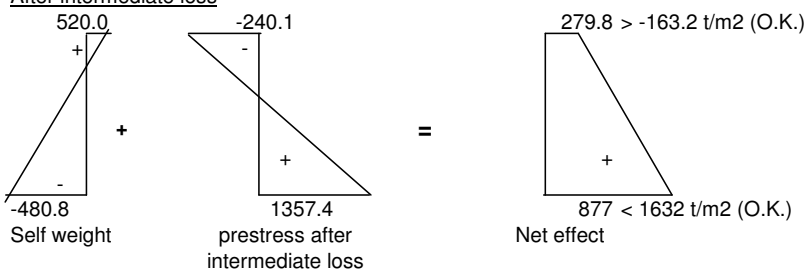
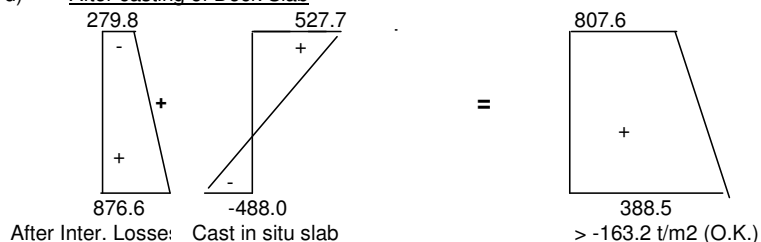
Airthmetic mean of initial and final stress between 14th and 28 days at C.G. of cables	=	854.93 t/m ²			
Creep loss = $(\sigma/10) \times \epsilon_c \times E_s$	=	1832.7 t/m ²			
	=	10.85 t			1.380 % of Jacking Force
Total Initial & Intermediate losses (i.e. losses upto 28th day)	=	72.79 t			1.38 % of Jacking Force
Force after intermediate losses, P_{int}	=	652.5 t			
Moment due to P_{int} = $M_{pint} = P_{int} \times e$	=	473.81 tm			

Effect of prestress after Intermediate loss

σ_t	=	$\frac{652.5}{1.106}$	-	$\frac{473.81}{0.571}$	= -240.1 t/m ²
σ_c	=	$\frac{652.5}{1.106}$	+	$\frac{473.81}{0.858}$	= 1142.2 t/m ²
σ_b	=	$\frac{652.5}{1.106}$	+	$\frac{473.81}{0.617}$	= 1357.4 t/m ²

Stresses Due to cast-in-situ slab

σ_t	=	$\frac{301.3}{0.571}$	=	527.73 t/m ²	
σ_c	=	$\frac{301.3}{0.858}$	=	-351.21 t/m ²	
σ_b	=	$\frac{301.3}{0.617}$	=	-488.02 t/m ²	

RESULTANT STRESSESa) Transfer stageb) Just after initial lossc) After intermediate lossd) After casting of Deck Slab**STAGE-II (28 TH DAY ONWARD)**

Section Modulus at top of composite section	=	1.58123097 m ³
Section Modulus at junction of deck slab & girder Z _j	=	2.2620 m ³
Section Modulus at C.G. of cables Z _c	=	1.136 m ³
Section Modulus at bottom of composite section	=	0.8646 m ³
Composite area of deck slab + outer girder	=	1.9063 m ²
first stage cables		
Prestressing force (after 1st stage) , P ₁	=	652.55 t
ecc. of cables from bottom, eb (1st stage)	=	0.283 m
Eccentricity of cables from c.g., e (1st stage)	=	0.726 m
second stage cables		
Prestressing force (after friction and slip losses) , P	=	290.72 t
ecc. of cables from bottom, eb (2nd stage)	=	0.542 m
Eccentricity of cables from c.g., e (2nd stage)	=	0.977 m
Net eccentricity of cables of 1st and 2nd stages, eb'	=	0.363 m (from bottom)
Net eccentricity of cables of 1st and 2nd stages, e'	=	1.156 m (from c.g.)

B.M. due to S.Wt. of the girder M_d	=	296.83 tm
B.M. due to Cast in Situ slab M_c	=	245.30 tm
B.M. due to SIDL M_s	=	164.75 tm
B.M. due to Live loads M_L	=	207.59 tm
B.M. due to FPLL	=	0.00 tm

Prestressing force (after 1st stage) , P_1	=	652.55 t
Moment due to $P_{int} = M_{pint} = P_1 \times e$	=	473.81 tm
for second stage prestressing		
Prestressing force (after friction and slip losses) , P	=	290.72 t
Moment due to P , $M_p = P \times e$	=	284.05 tm

Stresses due to self weight of the girder + cast in situ slab

$\sigma_j = \frac{542.13}{0.571}$	=	949.7	t/m ²
$\sigma_c = \frac{542.13}{0.858}$	=	-632.0	t/m ²
$\sigma_b = \frac{542.13}{0.617}$	=	-878.2	t/m ²

Stresses due to prestress (second stage cables)

$\sigma_t = \frac{290.72}{1.906}$	-	$\frac{284.05}{1.581}$	=	-27.1 t/m ²
$\sigma_j = \frac{290.72}{1.906}$	-	$\frac{284.05}{2.262}$	=	26.9 t/m ²
$\sigma_c = \frac{290.72}{1.906}$	+	$\frac{284.05}{1.136}$	=	402.6 t/m ²
$\sigma_b = \frac{290.72}{1.906}$	+	$\frac{284.05}{0.865}$	=	481.0 t/m ²

Total Stresses due to prestress

$\sigma_t = 0.0$	+	-27.1	=	-27.1 t/m ²
$\sigma_j = -240.1$	+	26.9	=	-213.2 t/m ³
$\sigma_c = 1142.2$	+	402.6	=	1544.8 t/m ²
$\sigma_b = 1357.4$	+	481.0	=	1838.5 t/m ²

Stresses due to prestress & self weight of the girder+deck slab

$\sigma_t = 0.0$	+	-27.1	=	-27.1 t/m ²
$\sigma_j = 949.7$	+	-213.2	=	736.5 t/m ³
$\sigma_c = -632.0$	+	1544.8	=	912.8 t/m ²
$\sigma_b = -878.2$	+	1838.5	=	960.3 t/m ²

Losses due to Elastic Shortening

$$\text{Loss due to Elastic Shortening} = 0.5 \times \sigma \times E_s / E_c$$

Therefore, initial loss	=	2467 t/m ²	
(i.e. Elastic Shortening loss)	=	20.46 t =	91.03 % of Jacking Force

For first stage cables

Prestressing force after initial losses P_{ii}	=	646.70 t
Moment due to $P_i = M_{pii} = P_{ii} \times e$	=	469.57 tm

For second stage cables

Prestressing force after initial losses P_i	=	284.87 t
Moment due to $P_i = M_{pi} = P_i \times e$	=	278.34 tm

Loss due to Shrinkage of Concrete

=	$\epsilon_s \times E_s$	
=	3776.8 t/m ²	
=	31.31 t =	2.84 % of Jacking Force

Loss due to Shrinkage	=	37.16 t
Moment due to Shrinkage loss	=	42.972 tm

Loss due to relaxation of steel**For second stage cables:**

The loss due to relaxation of steel depends on the stress in HTS after initial losses.

Ratio of average force to UTS	=	0.381	
Loss due to friction and slip =	314.5861	-	290.7 = 23.9 t
% friction and slip loss	$\frac{23.9}{314.58612}$	x	100 = 7.588 %
Ratio of average force to UTS =	0.381	-	0.075879 = 0.306
Corresponding Relaxation Loss	=	0.0 t/m ²	
	=	0.00 t	0.00 % of Jacking Force
Loss due to Relaxation & Shrinkage	=	5.84 t	
Moment due to Relaxation & Shrinkage loss	=	6.759 tm	

Shrinkage losses (for first stage cables)

$\sigma_t =$	$\frac{-37.16}{1.906}$	+	$\frac{42.972}{1.581}$	=	7.68 t/m ²
$\sigma_j =$	$\frac{-37.16}{1.906}$	+	$\frac{42.972}{2.262}$	=	-0.49 t/m ²
$\sigma_c =$	$\frac{-37.16}{1.906}$	-	$\frac{42.972}{1.136}$	=	-57.33 t/m ²
$\sigma_b =$	$\frac{-37.16}{1.906}$	-	$\frac{42.972}{0.865}$	=	-69.20 t/m ²

Shrinkage and Relaxation losses (for second stage cables)

$\sigma_t =$	$\frac{-5.84}{1.906}$	+	$\frac{6.759}{1.581}$	=	1.21 t/m ²
$\sigma_j =$	$\frac{-5.84}{1.906}$	+	$\frac{6.759}{2.262}$	=	-0.08 t/m ²
$\sigma_c =$	$\frac{-5.84}{1.906}$	-	$\frac{6.759}{1.136}$	=	-9.02 t/m ²
$\sigma_b =$	$\frac{-5.84}{1.906}$	-	$\frac{6.759}{0.865}$	=	-10.88 t/m ²

Total Shrinkage and relaxation losses

$\sigma_t =$	7.68	+	1.21	=	8.89 t/m ²
$\sigma_j =$	-0.49	+	-0.08	=	-0.57 t/m ²
$\sigma_c =$	-57.33	+	-9.02	=	-66.34 t/m ²
$\sigma_b =$	-69.20	+	-10.88	=	-80.08 t/m ²

Stresses due to prestress after shrinkage & relaxation losses & self weight of the girder + cast insitu deck slab

$\sigma_t =$	-27.1	+	8.9	=	-18.24 t/m ²
$\sigma_j =$	736.5	+	-0.6	=	735.91 t/m ²
$\sigma_c =$	912.8	+	-66.3	=	846.48 t/m ²
$\sigma_b =$	960.3	+	-80.1	=	880.17 t/m ²

Loss due to Creep of concrete

Airthmetic mean of initial and final stress after 28 days	=	846.48 t/m ²
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Creep loss = $(\sigma/10) \times \epsilon_c \times E_s$	=	6598.4 t/m ²
	=	54.71 t = 4.969 % of Jacking Force

Loss due to Creep	=	54.71 t
Moment due to Creep loss	=	63.27 tm

Creep losses (for first stage cables)

$$\begin{aligned}
 \sigma_t &= \frac{-54.71}{1.906} + \frac{63.268}{1.581} = 11.31 \text{ t/m}^2 \\
 \sigma_j &= \frac{-54.71}{1.906} + \frac{63.268}{2.262} = -0.73 \text{ t/m}^2 \\
 \sigma_c &= \frac{-54.71}{1.906} - \frac{63.268}{1.136} = -84.40 \text{ t/m}^2 \\
 \sigma_b &= \frac{-54.71}{1.906} - \frac{63.268}{0.865} = -101.88 \text{ t/m}^2
 \end{aligned}$$

Creep losses (for second stage cables)

$$\begin{aligned}
 \sigma_t &= \frac{-15.63}{1.906} + \frac{-18.077}{1.581} = -19.63 \text{ t/m}^2 \\
 \sigma_j &= \frac{-15.63}{1.906} + \frac{-18.077}{2.262} = -16.19 \text{ t/m}^2 \\
 \sigma_c &= \frac{-15.63}{1.906} - \frac{-18.077}{1.136} = 7.72 \text{ t/m}^2 \\
 \sigma_b &= \frac{-15.63}{1.906} - \frac{-18.077}{0.865} = 12.71 \text{ t/m}^2
 \end{aligned}$$

$$\text{Final Prestressing force} = 809.47 \text{ t}$$

Total Creep losses

$$\begin{aligned}
 \sigma_t &= 11.31 + -19.63 = -8.32 \text{ t/m}^2 \\
 \sigma_j &= -0.73 + -16.19 = -16.92 \text{ t/m}^2 \\
 \sigma_c &= -84.40 + 7.72 = -76.69 \text{ t/m}^2 \\
 \sigma_b &= -101.88 + 12.71 = -89.17 \text{ t/m}^2
 \end{aligned}$$

Total Stresses due to prestress after immediate losses & self weight of the girder + cast insitu deck slab

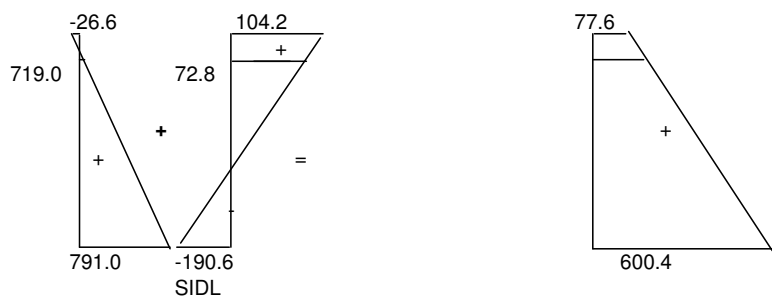
$$\begin{aligned}
 \sigma_t &= -18.24 + -8.32 = -26.56 \\
 \sigma_j &= 735.91 + -16.92 = 718.99 \\
 \sigma_c &= 846.48 + -76.69 = 769.79 \\
 \sigma_b &= 880.17 + -89.17 = 791.00
 \end{aligned}$$

Stresses Due to SIDL

$$\begin{aligned}
 \sigma_t &= \frac{164.75}{1.581} = 104.2 \text{ t/m}^2 \\
 \sigma_j &= \frac{164.75}{2.262} = 72.8 \text{ t/m}^2 \\
 \sigma_c &= \frac{164.75}{1.136} = -145.1 \text{ t/m}^2 \\
 \sigma_b &= \frac{164.75}{0.865} = -190.6 \text{ t/m}^2
 \end{aligned}$$

Total Stresses due to prestress + DL (Girder+deck slab) + SIDL

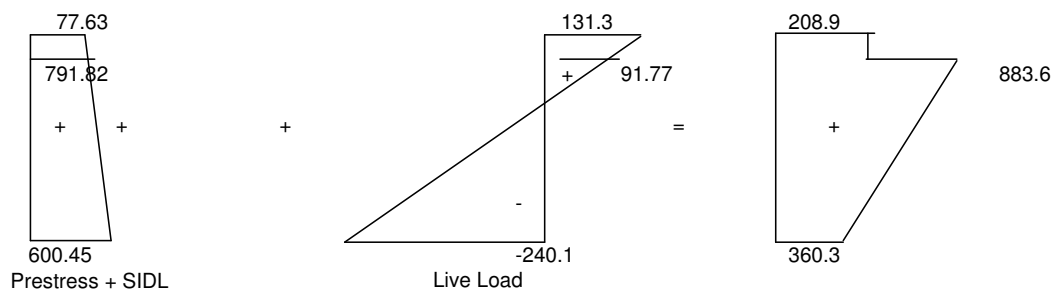
$$\begin{aligned}
 \sigma_t &= -26.6 + 104.19 = 77.6 \text{ t/m}^2 \\
 \sigma_j &= 719.0 + 72.83 = 791.8 \text{ t/m}^2 \\
 \sigma_c &= 769.8 + -145.05 = 624.7 \text{ t/m}^2 \\
 \sigma_b &= 791.0 + -190.56 = 600.4 \text{ t/m}^2
 \end{aligned}$$

After laying of SIDL**Stresses due to Live load**

$$\begin{aligned}\sigma_t &= \frac{207.59}{1.581} = 131.28 \text{ t/m}^2 \\ \sigma_j &= \frac{207.59}{2.262} = 91.77 \text{ t/m}^2 \\ \sigma_c &= \frac{207.59}{1.136} = -182.7717 \text{ t/m}^2 \\ \sigma_b &= \frac{207.59}{0.865} = -240.11 \text{ t/m}^2\end{aligned}$$

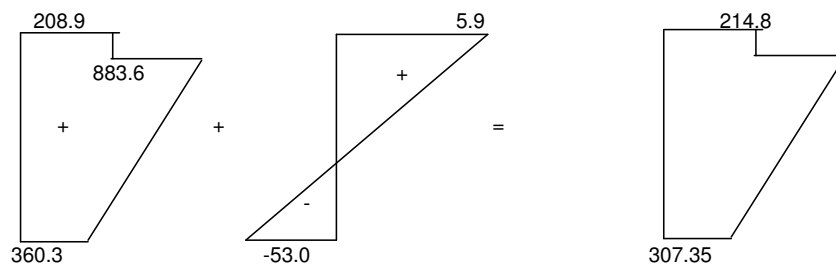
Stresses due to Prestress + DL + SIDL + FPLL + LL

$$\begin{aligned}\sigma_t &= 77.63 + 131.3 = 208.9 \text{ t/m}^2 \\ \sigma_j &= 791.82 + 91.8 = 883.6 \text{ t/m}^2 \\ \sigma_c &= 624.74 + -182.8 = 442.0 \text{ t/m}^2 \\ \sigma_b &= 600.45 + -240.1 = 360.3 \text{ t/m}^2\end{aligned}$$



Time dependant losses (i.e. due to relaxation of steel, shrinkage of concrete & creep of concrete)

$$\begin{aligned}20\% \text{ extra time dependant losses} &= 142.28 \text{ t} \\ \text{Stress due to 20\% extra time dependant losses at top} &= 28.46 \text{ t} \\ \text{Stress due to 20\% extra time dependant losses at bottom} &= 5.9 \text{ t/m}^2 \\ &= -53.0 \text{ t/m}^2\end{aligned}$$



STRESS CHECK AT 1-4 TH (SEC 3-3)*At first stage 3 cables has been stressed***STAGE -1 (14 TH DAY)**

Net ecc. of cables from bottom, eb	=	0.341 m
Eccentricity of cables from c.g., e	=	0.668 m
Sectional Modulus at C.G. of cables, Zc (for precast girder only)	=	0.932 m ³

B.M. due to S.Wt. of the girder M _d	=	238.50 tm
B.M. due to Cast in Situ slab M _c	=	242.95 tm
Prestressing force (after friction and slip losses) , P	=	709.01 t
Moment due to P, M _p = P x e	=	473.62 tm

Stresses due to self weight of the girder

$\sigma_t =$	$\frac{238.50}{0.571}$	=	417.79 t/m ²
$\sigma_c =$	$\frac{238.50}{0.932}$	=	-255.80 t/m ²
$\sigma_b =$	$\frac{238.50}{0.617}$	=	-386.36 t/m ²

Stresses due to prestress at transfer stage

$\sigma_t =$	$\frac{709.01}{1.106}$	-	$\frac{473.62}{0.571}$	=	-188.8 t/m ²
$\sigma_c =$	$\frac{709.01}{1.106}$	+	$\frac{473.62}{0.932}$	=	1148.88945 t/m ²
$\sigma_b =$	$\frac{709.01}{1.106}$	+	$\frac{473.62}{0.617}$	=	1408.2 t/m ²

Stresses due to initial prestress & self weight of the girder

$\sigma_t =$	417.8	+	-188.8	=	229.0 t/m ²
$\sigma_c =$	-255.8	+	1148.9	=	893.1 t/m ²
$\sigma_b =$	-386.4	+	1408.2	=	1021.8 t/m ²

Losses due to Elastic Shortening

$$\text{Loss due to Elastic Shortening} = 0.5 \times \sigma \times E_s / E_c$$

Therefore, initial loss	=	2699 t/m ²	
(i.e. Elastic Shortening loss)	=	15.98 t	2.03 % of Jacking Force

Prestressing force after initial losses P _i	=	693.03 t
Moment due to P _i = M _{pi} = P _i x e	=	462.95 tm

<u>Loss due to Shrinkage of Concrete</u>	=	$\varepsilon_s \times E_s$	
	=	1192.7 t/m ²	
	=	7.06 t	0.90 % of Jacking Force

Loss due to relaxation of steel

The loss due to relaxation of steel depends on the stress in HTS after initial losses.

$$\begin{aligned}
 \text{Ratio of average force to UTS} &= 0.686 \\
 \text{Loss due to friction \& slip} &= 786.4653 - 709.0 = 77.5 \text{ t} \\
 \% \text{ friction and slip loss} &= \frac{77.5}{786.46529} \times 100 = 6.894 \% \\
 \text{Ratio of average force to UTS} &= 0.686 - 0.068937 = 0.617 \\
 \text{Corresponding Relaxation Loss} &= 5780.0 \text{ t/m}^2 \\
 &= 34.23 \text{ t} \quad 4.35 \% \text{ of Jacking Force} \\
 \text{Loss due to Relaxation \& Shrinkage} &= 41.29 \text{ t} \\
 \text{Moment due to Relaxation \& Shrinkage loss} &= 27.583 \text{ tm}
 \end{aligned}$$

Stresses due to Prestress after initial losses

$$\begin{aligned}
 \sigma_t &= \frac{693.03}{1.106} - \frac{462.95}{0.571} = -184.50 \text{ t/m}^2 \\
 \sigma_c &= \frac{693.03}{1.106} + \frac{462.95}{0.932} = 1123.0 \text{ t/m}^2 \\
 \sigma_b &= \frac{693.03}{1.106} + \frac{462.95}{0.617} = 1376.4 \text{ t/m}^2
 \end{aligned}$$

Stresses due to prestress after initial losses & self weight of the girder

$$\begin{aligned}
 \sigma_t &= 417.8 + -184.5 = 233.3 \text{ t/m}^2 \\
 \sigma_c &= -255.8 + 1123.0 = 867.2 \text{ t/m}^2 \\
 \sigma_b &= -386.4 + 1376.4 = 990.1 \text{ t/m}^2
 \end{aligned}$$

Stresses after Shrinkage and Relaxation losses

$$\begin{aligned}
 \sigma_t &= 233.29 - \frac{41.29}{1.106} + \frac{27.583}{0.571} = 244.29 \text{ t/m}^2 \\
 \sigma_c &= 867.2 - \frac{41.29}{1.106} - \frac{27.583}{0.932} = 800.28 \text{ t/m}^2 \\
 \sigma_b &= 990.06 - \frac{41.29}{1.106} - \frac{27.583}{0.617} = 908.05 \text{ t/m}^2
 \end{aligned}$$

Loss due to Creep of concrete

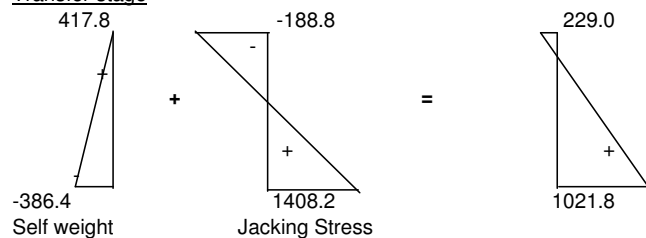
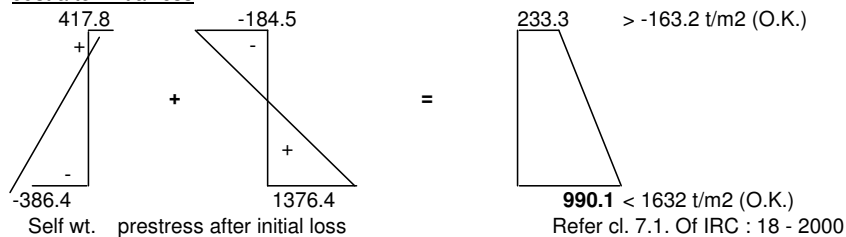
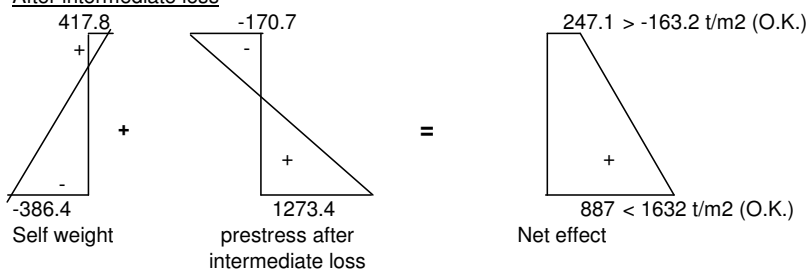
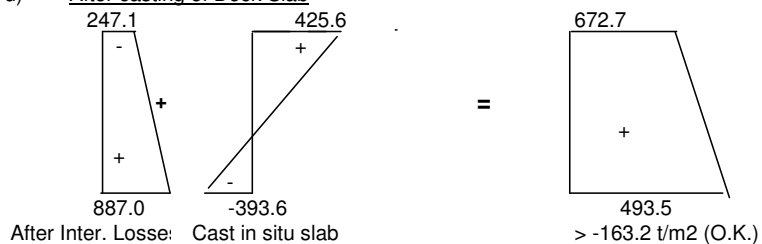
$$\begin{aligned}
 \text{Airthmetic mean of initial and final stress between 14th and 28 days at C.G. of cables} &= 833.74 \text{ t/m}^2 \\
 \text{Creep loss} = (\sigma/10) \times \epsilon_c \times E_s &= 1787.3 \text{ t/m}^2 \\
 &= 10.58 \text{ t} = 1.346 \% \text{ of Jacking Force} \\
 \text{Total Initial \& Intermediate losses (i.e. losses upto 28th day)} &= 67.86 \text{ t} = 1.35 \% \text{ of Jacking Force} \\
 \text{Force after intermediate losses, } P_{\text{int}} &= 641.2 \text{ t} \\
 \text{Moment due to } P_{\text{int}} = M_{\text{pint}} = P_{\text{int}} \times e &= 428.29 \text{ tm}
 \end{aligned}$$

Effect of prestress after Intermediate loss

$$\begin{aligned}
 \sigma_t &= \frac{641.2}{1.106} - \frac{428.29}{0.571} = -170.7 \text{ t/m}^2 \\
 \sigma_c &= \frac{641.2}{1.106} + \frac{428.29}{0.932} = 1038.9 \text{ t/m}^2 \\
 \sigma_b &= \frac{641.2}{1.106} + \frac{428.29}{0.617} = 1273.4 \text{ t/m}^2
 \end{aligned}$$

Stresses Due to cast-in-situ slab

$$\begin{aligned}
 \sigma_t &= \frac{243.0}{0.571} = 425.59 \text{ t/m}^2 \\
 \sigma_c &= \frac{243.0}{0.932} = -260.57 \text{ t/m}^2 \\
 \sigma_b &= \frac{243.0}{0.617} = -393.56 \text{ t/m}^2
 \end{aligned}$$

RESULTANT STRESSESa) Transfer stageb) Just after initial lossc) After intermediate lossd) After casting of Deck Slab**STAGE-II (28 TH DAY ONWARD)**

Section Modulus at top of composite section	=	1.58123097 m ³
Section Modulus at junction of deck slab & girder Z _j	=	2.2620 m ³
Section Modulus at C.G. of cables Z _c	=	1.229 m ³
Section Modulus at bottom of composite section	=	0.8646 m ³
Composite area of deck slab + outer girder	=	1.9063 m ²
first stage cables		
Prestressing force (after 1st stage) , P ₁	=	641.15 t
ecc. of cables from bottom, eb (1st stage)	=	0.341 m
Eccentricity of cables from c.g., e (1st stage)	=	0.668 m
second stage cables		
Prestressing force (after friction and slip losses) , P	=	283.21 t
ecc. of cables from bottom, eb (2nd stage)	=	0.699 m
Eccentricity of cables from c.g., e (2nd stage)	=	0.820 m

Net eccentricity of cables of 1st and 2nd stages, e_b'	=	0.451 m (from bottom)
Net eccentricity of cables of 1st and 2nd stages, e'	=	1.069 m (from c.g.)
B.M. due to S.Wt. of the girder M_d	=	238.50 tm
B.M. due to Cast in Situ slab M_c	=	186.99 tm
B.M. due to SIDL M_s	=	126.54 tm
B.M. due to Live loads M_L	=	175.11 tm
B.M. due to FPLL	=	0.00 tm
Prestressing force (after 1st stage) , P_1	=	641.15 t
Moment due to $P_{int} = M_{pint} = P_1 \times e$	=	428.29 tm
for second stage prestressing		
Prestressing force (after friction and slip losses) , P	=	283.21 t
Moment due to P , $M_p = P \times e$	=	232.36 tm

Stresses due to self weight of the girder + cast in situ slab

$\sigma_j =$	$\frac{425.49}{0.571}$	=	745.3	t/m^2
$\sigma_c =$	$\frac{425.49}{0.932}$	=	-456.3	t/m^2
$\sigma_b =$	$\frac{425.49}{0.617}$	=	-689.3	t/m^2

Stresses due to prestress (second stage cables)

$\sigma_t =$	$\frac{283.21}{1.906}$	-	$\frac{232.36}{1.581}$	=	1.6 t/m^2
$\sigma_j =$	$\frac{283.21}{1.906}$	-	$\frac{232.36}{2.262}$	=	45.8 t/m^2
$\sigma_c =$	$\frac{283.21}{1.906}$	+	$\frac{232.36}{1.229}$	=	337.6 t/m^2
$\sigma_b =$	$\frac{283.21}{1.906}$	+	$\frac{232.36}{0.865}$	=	417.3 t/m^2

Total Stresses due to prestress

$\sigma_t =$	0.0	+	1.6	=	1.6 t/m^2
$\sigma_j =$	-170.7	+	45.8	=	-124.8 t/m^3
$\sigma_c =$	1038.9	+	337.6	=	1376.5 t/m^2
$\sigma_b =$	1273.4	+	417.3	=	1690.7 t/m^2

Stresses due to prestress & self weight of the girder+deck slab

$\sigma_t =$	0.0	+	1.6	=	1.6 t/m^2
$\sigma_j =$	745.3	+	-124.8	=	620.5 t/m^3
$\sigma_c =$	-456.3	+	1376.5	=	920.2 t/m^2
$\sigma_b =$	-689.3	+	1690.7	=	1001.4 t/m^2

Losses due to Elastic Shortening

$$\text{Loss due to Elastic Shortening} = 0.5 \times \sigma \times E_s / E_c$$

Therefore, initial loss	=	2487 t/m^2	
(i.e. Elastic Shortening loss)	=	20.62 t	1.87 % of Jacking Force

For first stage cables

Prestressing force after initial losses P_{ii}	=	635.26 t
Moment due to $P_i = M_{pii} = P_{ii} \times e$	=	424.36 tm

For second stage cables

Prestressing force after initial losses P_i	=	277.32 t
Moment due to $P_i = M_{pi} = P_i \times e$	=	227.53 tm

$$\begin{aligned}
 \text{Loss due to Shrinkage of Concrete} &= \varepsilon_s \times E_s \\
 &= 3776.8 \text{ t/m}^2 \\
 &= 31.31 \text{ t} = 2.84 \% \text{ of Jacking Force}
 \end{aligned}$$

$$\begin{aligned}
 \text{Loss due to Shrinkage} &= 37.20 \text{ t} \\
 \text{Moment due to Shrinkage loss} &= 39.760 \text{ tm}
 \end{aligned}$$

Loss due to relaxation of steel

For second stage cables:

The loss due to relaxation of steel depends on the stress in HTS after initial losses.

$$\begin{aligned}
 \text{Ratio of average force to UTS} &= 0.693 \\
 \text{Loss due to friction and slip} &= 314.5861 - 283.2 = 31.4 \text{ t} \\
 \% \text{ friction and slip loss} &= \frac{31.4}{314.5861} \times 100 = 9.98 \% \\
 \text{Ratio of average force to UTS} &= 0.693 - 0.069817 = 0.624
 \end{aligned}$$

$$\begin{aligned}
 \text{Corresponding Relaxation Loss} &= 6115.9 \text{ t/m}^2 \\
 &= 14.49 \text{ t} = 4.61 \% \text{ of Jacking Force}
 \end{aligned}$$

$$\begin{aligned}
 \text{Loss due to Relaxation \& Shrinkage} &= 20.38 \text{ t} \\
 \text{Moment due to Relaxation \& Shrinkage loss} &= 21.779 \text{ tm}
 \end{aligned}$$

Shrinkage losses (for first stage cables)

$$\begin{aligned}
 \sigma_t &= \frac{-37.20}{1.906} + \frac{39.760}{1.581} = 5.63 \text{ t/m}^2 \\
 \sigma_j &= \frac{-37.20}{1.906} + \frac{39.760}{2.262} = -1.94 \text{ t/m}^2 \\
 \sigma_c &= \frac{-37.20}{1.906} - \frac{39.760}{1.229} = -51.87 \text{ t/m}^2 \\
 \sigma_b &= \frac{-37.20}{1.906} - \frac{39.760}{0.865} = -65.50 \text{ t/m}^2
 \end{aligned}$$

Shrinkage and Relaxation losses (for second stage cables)

$$\begin{aligned}
 \sigma_t &= \frac{-20.38}{1.906} + \frac{21.779}{1.581} = 3.08 \text{ t/m}^2 \\
 \sigma_j &= \frac{-20.38}{1.906} + \frac{21.779}{2.262} = -1.06 \text{ t/m}^2 \\
 \sigma_c &= \frac{-20.38}{1.906} - \frac{21.779}{1.229} = -28.41 \text{ t/m}^2 \\
 \sigma_b &= \frac{-20.38}{1.906} - \frac{21.779}{0.865} = -35.88 \text{ t/m}^2
 \end{aligned}$$

Total Shrinkage and Relaxation losses

$$\begin{aligned}
 \sigma_t &= 5.63 + 3.08 = 8.71 \text{ t/m}^2 \\
 \sigma_j &= -1.94 + -1.06 = -3.00 \text{ t/m}^2 \\
 \sigma_c &= -51.87 + -28.41 = -80.28 \text{ t/m}^2 \\
 \sigma_b &= -65.50 + -35.88 = -101.39 \text{ t/m}^2
 \end{aligned}$$

Stresses due to prestress after shrinkage & relaxation losses & self weight of the girder + cast insitu deck slab

$$\begin{aligned}
 \sigma_t &= 1.6 + 8.7 = 10.33 \text{ t/m}^2 \\
 \sigma_j &= 620.5 + -3.0 = 617.50 \text{ t/m}^2 \\
 \sigma_c &= 920.2 + -80.3 = 839.93 \text{ t/m}^2 \\
 \sigma_b &= 1001.4 + -101.4 = 900.06 \text{ t/m}^2
 \end{aligned}$$

Loss due to Creep of concrete

$$\text{Arithmetic mean of initial and final stress after 28 days} = 839.93 \text{ t/m}^2$$

$$\begin{aligned}
 \text{Creep loss} &= (\sigma/10) \times \varepsilon_c \times E_s = 6547.4 \text{ t/m}^2 \\
 &= 54.28 \text{ t} = 4.930 \% \text{ of Jacking Force}
 \end{aligned}$$

$$\begin{aligned} \text{Loss due to Creep} &= 54.28 \text{ t} \\ \text{Moment due to Creep loss} &= 58.01 \text{ tm} \end{aligned}$$

Creep losses (for first stage cables)

$$\begin{aligned} \sigma_t &= \frac{-54.28}{1.906} + \frac{58.012}{1.581} = 8.21 \text{ t/m}^2 \\ \sigma_j &= \frac{-54.28}{1.906} + \frac{58.012}{2.262} = -2.83 \text{ t/m}^2 \\ \sigma_c &= \frac{-54.28}{1.906} - \frac{58.012}{1.229} = -75.67 \text{ t/m}^2 \\ \sigma_b &= \frac{-54.28}{1.906} - \frac{58.012}{0.865} = -95.58 \text{ t/m}^2 \end{aligned}$$

Creep losses (for second stage cables)

$$\begin{aligned} \sigma_t &= \frac{-15.51}{1.906} + \frac{-16.575}{1.581} = -18.62 \text{ t/m}^2 \\ \sigma_j &= \frac{-15.51}{1.906} + \frac{-16.575}{2.262} = -15.46 \text{ t/m}^2 \\ \sigma_c &= \frac{-15.51}{1.906} - \frac{-16.575}{1.229} = 5.35 \text{ t/m}^2 \\ \sigma_b &= \frac{-15.51}{1.906} - \frac{-16.575}{0.865} = 11.04 \text{ t/m}^2 \end{aligned}$$

$$\text{Final Prestressing Force} = 761.88 \text{ t}$$

Total Creep losses

$$\begin{aligned} \sigma_t &= 8.21 + -18.62 = -10.41 \text{ t/m}^2 \\ \sigma_j &= -2.83 + -15.46 = -18.29 \text{ t/m}^2 \\ \sigma_c &= -75.67 + 5.35 = -70.33 \text{ t/m}^2 \\ \sigma_b &= -95.58 + 11.04 = -84.54 \text{ t/m}^2 \end{aligned}$$

Total Stresses due to prestress after immediate losses & self weight of the girder + cast insitu deck slab

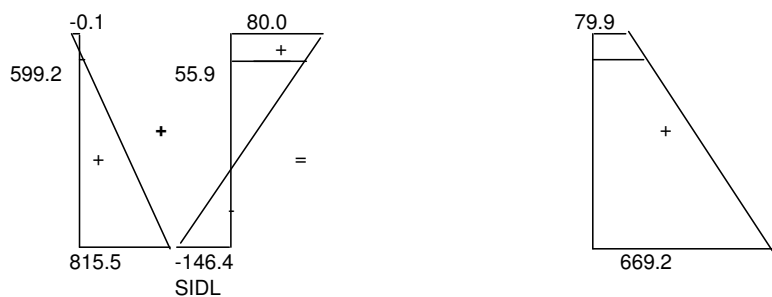
$$\begin{aligned} \sigma_t &= 10.33 + -10.41 = -0.08 \\ \sigma_j &= 617.50 + -18.29 = 599.21 \\ \sigma_c &= 839.93 + -70.33 = 769.60 \\ \sigma_b &= 900.06 + -84.54 = 815.52 \end{aligned}$$

Stresses Due to SIDL

$$\begin{aligned} \sigma_t &= \frac{126.54}{1.581} = 80.0 \text{ t/m}^2 \\ \sigma_j &= \frac{126.54}{2.262} = 55.9 \text{ t/m}^2 \\ \sigma_c &= \frac{126.54}{1.229} = -103.0 \text{ t/m}^2 \\ \sigma_b &= \frac{126.54}{0.865} = -146.4 \text{ t/m}^2 \end{aligned}$$

Total Stresses due to prestress + DL (Girder+deck slab) + SIDL

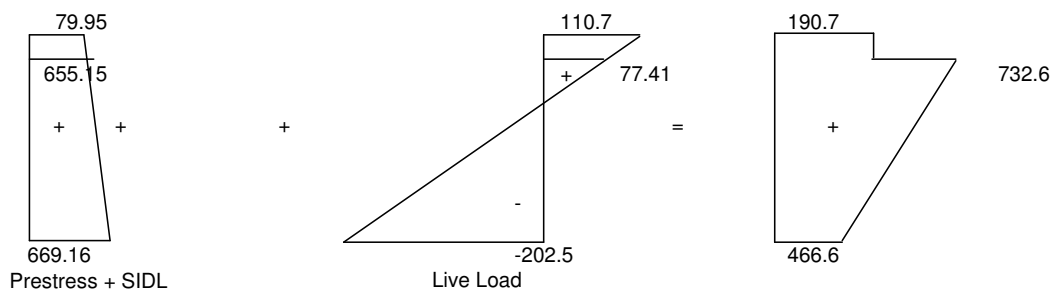
$$\begin{aligned} \sigma_t &= -0.1 + 80.03 = 79.9 \text{ t/m}^2 \\ \sigma_j &= 599.2 + 55.94 = 655.2 \text{ t/m}^2 \\ \sigma_c &= 769.6 + -102.95 = 666.6 \text{ t/m}^2 \\ \sigma_b &= 815.5 + -146.36 = 669.2 \text{ t/m}^2 \end{aligned}$$

After laying of SIDL**Stresses due to Live load**

$$\begin{aligned}\sigma_t &= \frac{175.11}{1.581} = 110.74 \text{ t/m}^2 \\ \sigma_j &= \frac{175.11}{2.262} = 77.41 \text{ t/m}^2 \\ \sigma_c &= \frac{175.11}{1.229} = -142.4697 \text{ t/m}^2 \\ \sigma_b &= \frac{175.11}{0.865} = -202.54 \text{ t/m}^2\end{aligned}$$

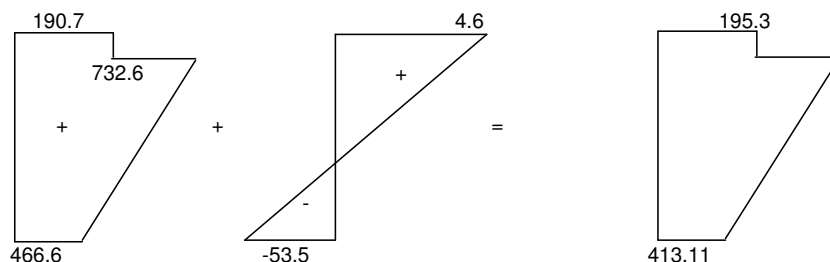
Stresses due to Prestress + DL + SIDL + FPLL + LL

$$\begin{aligned}\sigma_t &= 79.95 + 110.7 = 190.7 \text{ t/m}^2 \\ \sigma_j &= 655.15 + 77.4 = 732.6 \text{ t/m}^2 \\ \sigma_c &= 666.65 + -142.5 = 524.2 \text{ t/m}^2 \\ \sigma_b &= 669.16 + -202.5 = 466.6 \text{ t/m}^2\end{aligned}$$



Time dependant losses (i.e. due to relaxation of steel, shrinkage of concrete & creep of concrete)

$$\begin{aligned}20\% \text{ extra time dependant losses} &= 151.96 \text{ t} \\ \text{Stress due to 20\% extra time dependant losses at top} &= 30.39 \text{ t} \\ \text{Stress due to 20\% extra time dependant losses at bottom} &= 4.6 \text{ t/m}^2 \\ &= -53.5 \text{ t/m}^2\end{aligned}$$



STRESS CHECK AT 1-8 TH (SEC 4-4)*At first stage 3 cables has been stressed***STAGE -1 (14 TH DAY)**

Net ecc. of cables from bottom, eb	=	0.495 m
Eccentricity of cables from c.g., e	=	0.538 m
Sectional Modulus at C.G. of cables, Zc (for precast girder only)	=	1.219 m ³

B.M. due to S.Wt. of the girder M _d	=	141.29 tm
B.M.due to Cast in Situ slab M _c	=	138.33 tm
Prestressing force (after friction and slip losses) , P	=	689.33 t
Moment due to P, M _p = P x e	=	370.81 tm

Stresses due to self weight of the girder

$\sigma_t =$	$\frac{141.29}{0.615}$	=	229.91 t/m ²
$\sigma_c =$	$\frac{141.29}{1.219}$	=	-115.88 t/m ²
$\sigma_b =$	$\frac{141.29}{0.635}$	=	-222.47 t/m ²

Stresses due to prestress at transfer stage

$\sigma_t =$	$\frac{689.33}{1.316} - \frac{370.81}{0.615}$	=	-79.6 t/m ²
$\sigma_c =$	$\frac{689.33}{1.316} + \frac{370.81}{1.219}$	=	828.0 t/m ²
$\sigma_b =$	$\frac{689.33}{1.316} + \frac{370.81}{0.635}$	=	1107.7 t/m ²

Stresses due to initial prestress & self weight of the girder

$\sigma_t =$	229.9	+	-79.6	=	150.3 t/m ²
$\sigma_c =$	-115.9	+	828.0	=	712.1 t/m ²
$\sigma_b =$	-222.5	+	1107.7	=	885.2 t/m ²

Losses due to Elastic Shortening

$$\text{Loss due to Elastic Shortening} = 0.5 \times \sigma \times E_s / E_c$$

Therefore, initial loss	=	2152 t/m ²	
(i.e. Elastic Shortening loss)	=	12.74 t	1.62 % of Jacking Force

Prestressing force after initial losses P _i	=	676.59 t
Moment due to P _i = M _{pi} = P _i x e	=	363.96 tm

<u>Loss due to Shrinkage of Concrete</u>	=	$\varepsilon_s \times E_s$	
	=	1192.7 t/m ²	
	=	7.06 t	0.90 % of Jacking Force

Loss due to relaxation of steel

The loss due to relaxation of steel depends on the stress in HTS after initial losses.

$$\begin{aligned} \text{Ratio of average force to UTS} &= 0.689 \\ \text{Loss due to friction \& slip} &= 786.4653 - 689.3 = 97.1 \text{ t} \\ \% \text{ friction and slip loss} &= \frac{97.1}{786.46529} \times 100 = 8.645 \% \\ \text{Ratio of average force to UTS} &= 0.689 - 0.086454 = 0.602 \end{aligned}$$

$$\begin{aligned} \text{Corresponding Relaxation Loss} &= 5056.0 \text{ t/m}^2 \\ &= 29.94 \text{ t} \quad 3.81 \% \text{ of Jacking Force} \end{aligned}$$

$$\begin{aligned} \text{Loss due to Relaxation \& Shrinkage} &= 37.00 \text{ t} \\ \text{Moment due to Relaxation \& Shrinkage loss} &= 19.906 \text{ tm} \end{aligned}$$

Stresses due to Prestress after initial losses

$$\begin{aligned} \sigma_t &= \frac{676.59}{1.316} - \frac{363.96}{0.615} = -78.09 \text{ t/m}^2 \\ \sigma_c &= \frac{676.59}{1.316} + \frac{363.96}{1.219} = 812.7 \text{ t/m}^2 \\ \sigma_b &= \frac{676.59}{1.316} + \frac{363.96}{0.635} = 1087.2 \text{ t/m}^2 \end{aligned}$$

Stresses due to prestress after initial losses & self weight of the girder

$$\begin{aligned} \sigma_t &= 229.9 + (-78.1) = 151.8 \text{ t/m}^2 \\ \sigma_c &= -115.9 + 812.7 = 696.8 \text{ t/m}^2 \\ \sigma_b &= -222.5 + 1087.2 = 864.8 \text{ t/m}^2 \end{aligned}$$

Stresses after Shrinkage and Relaxation losses

$$\begin{aligned} \sigma_t &= 151.82 - \frac{37.00}{1.316} + \frac{19.906}{0.615} = 156.09 \text{ t/m}^2 \\ \sigma_c &= 696.8 - \frac{37.00}{1.316} - \frac{19.906}{1.219} = 652.34 \text{ t/m}^2 \\ \sigma_b &= 864.77 - \frac{37.00}{1.316} - \frac{19.906}{0.635} = 805.31 \text{ t/m}^2 \end{aligned}$$

Loss due to Creep of concrete

$$\begin{aligned} \text{Airthmetic mean of initial and final stress between 14th and 28 days at C.G. of cables} &= 674.56 \text{ t/m}^2 \end{aligned}$$

$$\begin{aligned} \text{Creep loss} &= (\sigma/10) \times \epsilon_c \times E_s = 1446.0 \text{ t/m}^2 \\ &= 8.56 \text{ t} = 1.089 \% \text{ of Jacking Force} \end{aligned}$$

$$\begin{aligned} \text{Total Initial \& Intermediate losses (i.e. losses upto 28th day)} &= 58.31 \text{ t} = 1.09 \% \text{ of Jacking Force} \end{aligned}$$

$$\text{Force after intermediate losses, } P_{\text{int}} = 631.0 \text{ t}$$

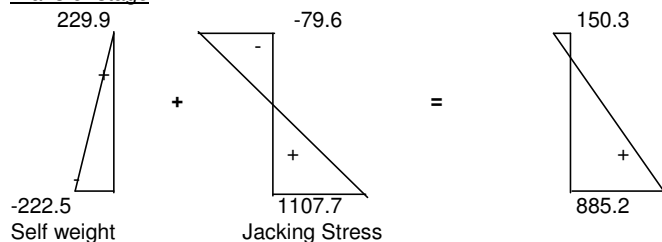
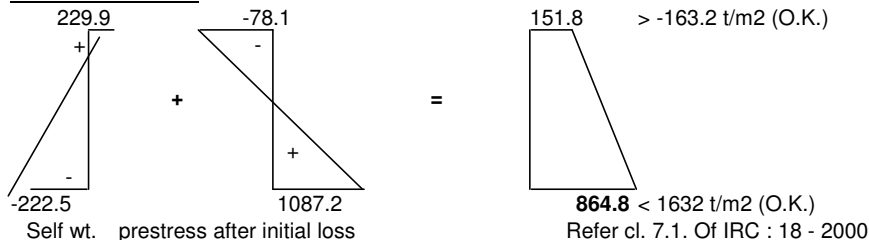
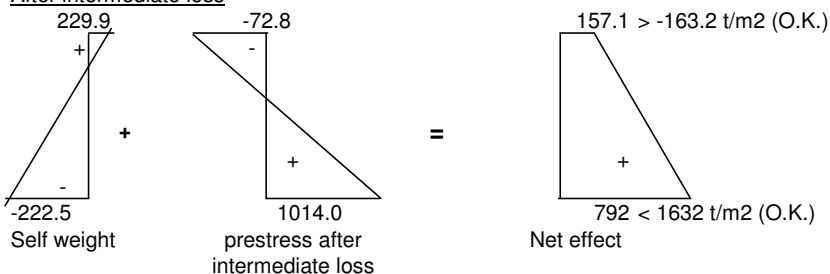
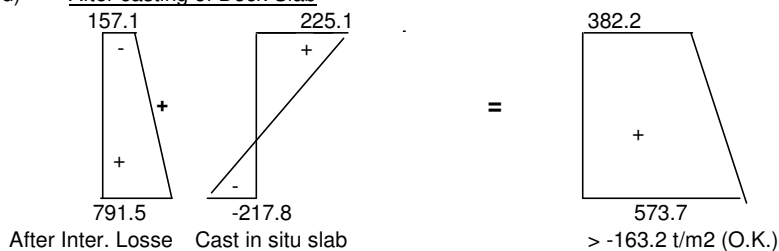
$$\text{Moment due to } P_{\text{int}} = M_{\text{pint}} = P_{\text{int}} \times e = 339.45 \text{ tm}$$

Effect of prestress after Intermediate loss

$$\begin{aligned} \sigma_t &= \frac{631.0}{1.316} - \frac{339.45}{0.615} = -72.8 \text{ t/m}^2 \\ \sigma_c &= \frac{631.0}{1.316} + \frac{339.45}{1.219} = 757.9 \text{ t/m}^2 \\ \sigma_b &= \frac{631.0}{1.316} + \frac{339.45}{0.635} = 1014.0 \text{ t/m}^2 \end{aligned}$$

Stresses Due to cast-in-situ slab

$$\begin{aligned} \sigma_t &= \frac{138.3}{0.615} = 225.10 \text{ t/m}^2 \\ \sigma_c &= \frac{138.3}{1.219} = -113.45 \text{ t/m}^2 \\ \sigma_b &= \frac{138.3}{0.635} = -217.81 \text{ t/m}^2 \end{aligned}$$

RESULTANT STRESSESa) Transfer stageb) Just after initial lossc) After intermediate lossd) After casting of Deck Slab**STAGE-II (28 TH DAY ONWARD)**

Section Modulus at top of composite section	=	1.44924207 m ³
Section Modulus at junction of deck slab & girder Z _j	=	2.0039 m ³
Section Modulus at C.G. of cables Z _c	=	1.615 m ³
Section Modulus at bottom of composite section	=	0.9048 m ³
Composite area of deck slab + outer girder	=	2.0159 m ²
first stage cables		
Prestressing force (after 1st stage) , P ₁	=	631.02 t
ecc. of cables from bottom, eb (1st stage)	=	0.495 m
Eccentricity of cables from c.g., e (1st stage)	=	0.514 m
second stage cables		
Prestressing force (after friction and slip losses) , P	=	275.32 t
ecc. of cables from bottom, eb (2nd stage)	=	0.960 m
Eccentricity of cables from c.g., e (2nd stage)	=	0.559 m

Net eccentricity of cables of 1st and 2nd stages, e_b'	=	0.636 m (from bottom)
Net eccentricity of cables of 1st and 2nd stages, e'	=	0.883 m (from c.g.)
B.M. due to S.Wt. of the girder M_d	=	141.29 tm
B.M. due to Cast in Situ slab M_c	=	82.37 tm
B.M. due to SIDL M_s	=	81.97 tm
B.M. due to Live loads M_L	=	89.10 tm
B.M. due to FPLL	=	0.00 tm
Prestressing force (after 1st stage) , P_1	=	631.02 t
Moment due to $P_{int} = M_{pint} = P_1 \times e$	=	324.45 tm
for second stage prestressing		
Prestressing force (after friction and slip losses) , P	=	275.32 t
Moment due to P , $M_p = P \times e$	=	154.03 tm

Stresses due to self weight of the girder + cast in situ slab

$\sigma_j =$	$\frac{223.66}{0.615}$	=	364.0	t/m ²
$\sigma_c =$	$\frac{223.66}{1.219}$	=	-183.4	t/m ²
$\sigma_b =$	$\frac{223.66}{0.635}$	=	-352.2	t/m ²

Stresses due to prestress (second stage cables)

$\sigma_t =$	$\frac{275.32}{2.016}$	-	$\frac{154.03}{1.449}$	=	30.3 t/m ²
$\sigma_j =$	$\frac{275.32}{2.016}$	-	$\frac{154.03}{2.004}$	=	59.7 t/m ²
$\sigma_c =$	$\frac{275.32}{2.016}$	+	$\frac{154.03}{1.615}$	=	232.0 t/m ²
$\sigma_b =$	$\frac{275.32}{2.016}$	+	$\frac{154.03}{0.905}$	=	306.8 t/m ²

Total Stresses due to prestress

$\sigma_t =$	0.0	+	30.3	=	30.3 t/m ²
$\sigma_j =$	-72.8	+	59.7	=	-13.1 t/m ³
$\sigma_c =$	757.9	+	232.0	=	989.9 t/m ²
$\sigma_b =$	1014.0	+	306.8	=	1320.8 t/m ²

Stresses due to prestress & self weight of the girder+deck slab

$\sigma_t =$	0.0	+	30.3	=	30.3 t/m ²
$\sigma_j =$	364.0	+	-13.1	=	350.8 t/m ³
$\sigma_c =$	-183.4	+	989.9	=	806.5 t/m ²
$\sigma_b =$	-352.2	+	1320.8	=	968.6 t/m ²

Losses due to Elastic Shortening

$$\text{Loss due to Elastic Shortening} = 0.5 \times \sigma \times E_s / E_c$$

Therefore, initial loss	=	2180 t/m ²	
(i.e. Elastic Shortening loss)	=	18.07 t =	1.64 % of Jacking Force

For first stage cables

Prestressing force after initial losses P_{ii}	=	625.86 t
Moment due to $P_i = M_{pii} = P_{ii} \times e$	=	321.79 tm

For second stage cables

Prestressing force after initial losses P_i	=	270.16 t
Moment due to $P_i = M_{pi} = P_i \times e$	=	151.14 tm

$$\begin{aligned}
 \text{Loss due to Shrinkage of Concrete} &= \epsilon_s \times E_s \\
 &= 3776.8 \text{ t/m}^2 \\
 &= 31.31 \text{ t} = 2.84 \% \text{ of Jacking Force}
 \end{aligned}$$

$$\begin{aligned}
 \text{Loss due to Shrinkage} &= 36.48 \text{ t} \\
 \text{Moment due to Shrinkage loss} &= 32.217 \text{ tm}
 \end{aligned}$$

Loss due to relaxation of steel

For second stage cables:

The loss due to relaxation of steel depends on the stress in HTS after initial losses.

$$\begin{aligned}
 \text{Ratio of average force to UTS} &= 0.694 \\
 \text{Loss due to friction and slip} &= 314.5861 - 275.3 = 39.3 \text{ t} \\
 \% \text{ friction and slip loss} &= \frac{39.3}{314.58612} \times 100 = 12.50 \% \\
 \text{Ratio of average force to UTS} &= 0.694 - 0.087369 = 0.607
 \end{aligned}$$

$$\begin{aligned}
 \text{Corresponding Relaxation Loss} &= 5287.7 \text{ t/m}^2 \\
 &= 12.53 \text{ t} = 3.98 \% \text{ of Jacking Force}
 \end{aligned}$$

$$\begin{aligned}
 \text{Loss due to Relaxation \& Shrinkage} &= 17.69 \text{ t} \\
 \text{Moment due to Relaxation \& Shrinkage loss} &= 15.623 \text{ tm}
 \end{aligned}$$

Shrinkage losses (for first stage cables)

$$\begin{aligned}
 \sigma_t &= \frac{-36.48}{2.016} + \frac{32.217}{1.449} = 4.14 \text{ t/m}^2 \\
 \sigma_j &= \frac{-36.48}{2.016} + \frac{32.217}{2.004} = -2.02 \text{ t/m}^2 \\
 \sigma_c &= \frac{-36.48}{2.016} - \frac{32.217}{1.615} = -38.04 \text{ t/m}^2 \\
 \sigma_b &= \frac{-36.48}{2.016} - \frac{32.217}{0.905} = -53.70 \text{ t/m}^2
 \end{aligned}$$

Shrinkage and Relaxation losses (for second stage cables)

$$\begin{aligned}
 \sigma_t &= \frac{-17.69}{2.016} + \frac{15.623}{1.449} = 2.01 \text{ t/m}^2 \\
 \sigma_j &= \frac{-17.69}{2.016} + \frac{15.623}{2.004} = -0.98 \text{ t/m}^2 \\
 \sigma_c &= \frac{-17.69}{2.016} - \frac{15.623}{1.615} = -18.45 \text{ t/m}^2 \\
 \sigma_b &= \frac{-17.69}{2.016} - \frac{15.623}{0.905} = -26.04 \text{ t/m}^2
 \end{aligned}$$

Total Shrinkage and Relaxation losses

$$\begin{aligned}
 \sigma_t &= 4.14 + 2.01 = 6.14 \text{ t/m}^2 \\
 \sigma_j &= -2.02 + -0.98 = -2.99 \text{ t/m}^2 \\
 \sigma_c &= -38.04 + -18.45 = -56.49 \text{ t/m}^2 \\
 \sigma_b &= -53.70 + -26.04 = -79.74 \text{ t/m}^2
 \end{aligned}$$

Stresses due to prestress after shrinkage & relaxation losses & self weight of the girder + cast insitu deck slab

$$\begin{aligned}
 \sigma_t &= 30.3 + 6.1 = 36.43 \text{ t/m}^2 \\
 \sigma_j &= 350.8 + -3.0 = 347.83 \text{ t/m}^2 \\
 \sigma_c &= 806.5 + -56.5 = 749.96 \text{ t/m}^2 \\
 \sigma_b &= 968.6 + -79.7 = 888.91 \text{ t/m}^2
 \end{aligned}$$

Loss due to Creep of concrete

$$\text{Airthmetic mean of initial and final stress after 28 days} = 749.96 \text{ t/m}^2$$

$$\begin{aligned}
 \text{Creep loss} &= (\sigma/10) \times \epsilon_c \times E_s = 5846.1 \text{ t/m}^2 \\
 &= 48.47 \text{ t} = 4.402 \% \text{ of Jacking Force}
 \end{aligned}$$

$$\begin{aligned}\text{Loss due to Creep} &= 48.47 \text{ t} \\ \text{Moment due to Creep loss} &= 42.81 \text{ tm}\end{aligned}$$

Creep losses (for first stage cables)

$$\begin{aligned}\sigma_t &= \frac{-48.47}{2.016} + \frac{42.809}{1.449} = 5.50 \text{ t/m}^2 \\ \sigma_j &= \frac{-48.47}{2.016} + \frac{42.809}{2.004} = -2.68 \text{ t/m}^2 \\ \sigma_c &= \frac{-48.47}{2.016} - \frac{42.809}{1.615} = -50.55 \text{ t/m}^2 \\ \sigma_b &= \frac{-48.47}{2.016} - \frac{42.809}{0.905} = -71.35 \text{ t/m}^2\end{aligned}$$

Creep losses (for second stage cables)

$$\begin{aligned}\sigma_t &= \frac{-13.85}{2.016} + \frac{-12.231}{1.449} = -15.31 \text{ t/m}^2 \\ \sigma_j &= \frac{-13.85}{2.016} + \frac{-12.231}{2.004} = -12.97 \text{ t/m}^2 \\ \sigma_c &= \frac{-13.85}{2.016} - \frac{-12.231}{1.615} = 0.71 \text{ t/m}^2 \\ \sigma_b &= \frac{-13.85}{2.016} - \frac{-12.231}{0.905} = 6.65 \text{ t/m}^2\end{aligned}$$

$$\text{Final Prestressing Loss} = 759.26 \text{ t}$$

Total Creep losses

$$\begin{aligned}\sigma_t &= 5.50 + -15.31 = -9.81 \text{ t/m}^2 \\ \sigma_j &= -2.68 + -12.97 = -15.65 \text{ t/m}^2 \\ \sigma_c &= -50.55 + 0.71 = -49.85 \text{ t/m}^2 \\ \sigma_b &= -71.35 + 6.65 = -64.71 \text{ t/m}^2\end{aligned}$$

Total Stresses due to prestress after immediate losses & self weight of the girder + cast insitu deck slab

$$\begin{aligned}\sigma_t &= 36.43 + -9.81 = 26.62 \\ \sigma_j &= 347.83 + -15.65 = 332.18 \\ \sigma_c &= 749.96 + -49.85 = 700.11 \\ \sigma_b &= 888.91 + -64.71 = 824.20\end{aligned}$$

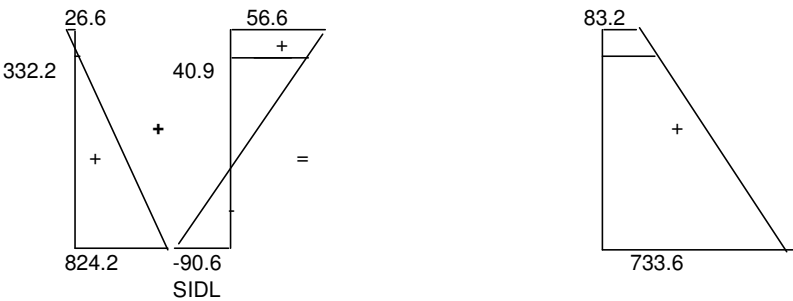
Stresses Due to SIDL

$$\begin{aligned}\sigma_t &= \frac{81.97}{1.449} = 56.6 \text{ t/m}^2 \\ \sigma_j &= \frac{81.97}{2.004} = 40.9 \text{ t/m}^2 \\ \sigma_c &= \frac{81.97}{1.615} = -50.8 \text{ t/m}^2 \\ \sigma_b &= \frac{81.97}{0.905} = -90.6 \text{ t/m}^2\end{aligned}$$

Total Stresses due to prestress + DL (Girder+deck slab) + SIDL

$$\begin{aligned}\sigma_t &= 26.6 + 56.56 = 83.2 \text{ t/m}^2 \\ \sigma_j &= 332.2 + 40.91 = 373.1 \text{ t/m}^2 \\ \sigma_c &= 700.1 + -50.76 = 649.4 \text{ t/m}^2 \\ \sigma_b &= 824.2 + -90.59 = 733.6 \text{ t/m}^2\end{aligned}$$

After laying of SIDL

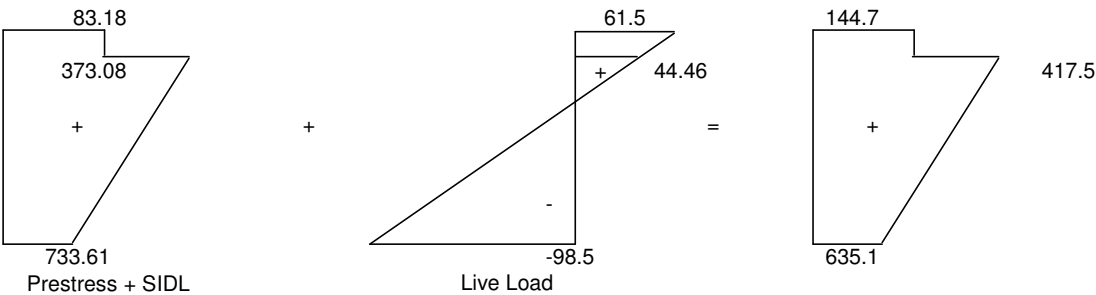


Stresses due to Live load

$\sigma_t =$	$\frac{89.10}{1.449}$	$=$	61.48	t/m^2
$\sigma_j =$	$\frac{89.10}{2.004}$	$=$	44.46	t/m^2
$\sigma_c =$	$\frac{89.10}{1.615}$	$=$	-55.1773	t/m^2
$\sigma_b =$	$\frac{89.10}{0.905}$	$=$	-98.47	t/m^2

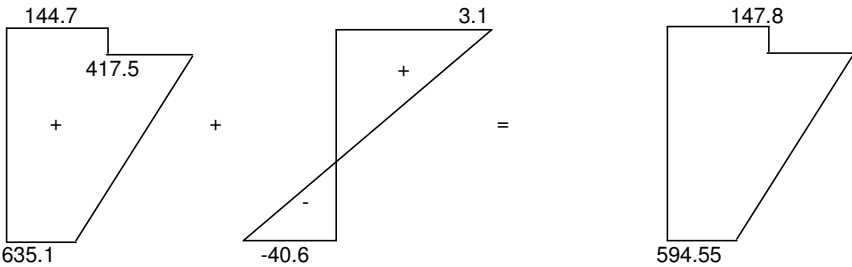
Stresses due to Prestress + DL + SIDL + FPLL + LL

$\sigma_t =$	83.18	+	61.5	$=$	144.7	t/m^2
$\sigma_j =$	373.08	+	44.5	$=$	417.5	t/m^2
$\sigma_c =$	649.35	+	-55.2	$=$	594.2	t/m^2
$\sigma_b =$	733.61	+	-98.5	$=$	635.1	t/m^2



Time dependant losses (i.e. due to relaxation of steel, shrinkage of concrete & creep of concrete)

	$=$	137.87 t
20% extra time dependant losses	$=$	27.57 t
Stress due to 20% extra time dependant losses at top	$=$	3.1 t/m ²
Stress due to 20% extra time dependant losses at bottom	$=$	-40.6 t/m ²



STRESS CHECK AT EFF. DEPTH (SEC 5-5)*At first stage 3 cables has been stressed***STAGE -1 (14 TH DAY)**

Net ecc. of cables from bottom, eb	=	0.584 m
Eccentricity of cables from c.g., e	=	0.465 m
Sectional Modulus at C.G. of cables, Zc (for precast girder only)	=	1.491 m ³

B.M. due to S.Wt. of the girder M _d	=	92.26 tm
B.M.due to Cast in Situ slab M _c	=	88.01 tm
Prestressing force (after friction and slip losses) , P	=	681.31 t
Moment due to P, M _p = P x e	=	316.78 tm

Stresses due to self weight of the girder

$\sigma_t =$	$\frac{92.26}{0.659}$	=	139.90 t/m ²
$\sigma_c =$	$\frac{92.26}{1.491}$	=	-61.89 t/m ²
$\sigma_b =$	$\frac{92.26}{0.661}$	=	-139.61 t/m ²

Stresses due to prestress at transfer stage

$\sigma_t =$	$\frac{681.31}{1.539}$	-	$\frac{316.78}{0.659}$	=	-37.6 t/m ²
$\sigma_c =$	$\frac{681.31}{1.539}$	+	$\frac{316.78}{1.491}$	=	655.3 t/m ²
$\sigma_b =$	$\frac{681.31}{1.539}$	+	$\frac{316.78}{0.661}$	=	922.2 t/m ²

Stresses due to initial prestress & self weight of the girder

$\sigma_t =$	139.9	+	-37.6	=	102.3 t/m ²
$\sigma_c =$	-61.9	+	655.3	=	593.4 t/m ²
$\sigma_b =$	-139.6	+	922.2	=	782.6 t/m ²

Losses due to Elastic Shortening

$$\text{Loss due to Elastic Shortening} = 0.5 \times \sigma \times E_s / E_c$$

Therefore, initial loss	=	1793 t/m ²	
(i.e. Elastic Shortening loss)	=	10.62 t	1.35 % of Jacking Force

Prestressing force after initial losses P _i	=	670.69 t
Moment due to P _i = M _{pi} = P _i x e	=	311.85 tm

<u>Loss due to Shrinkage of Concrete</u>	=	$\epsilon_s \times E_s$	
	=	1192.7 t/m ²	
	=	7.06 t	0.90 % of Jacking Force

Loss due to relaxation of steel

The loss due to relaxation of steel depends on the stress in HTS after initial losses.

$$\begin{aligned}
 \text{Ratio of average force to UTS} &= 0.691 \\
 \text{Loss due to friction \& slip} &= 786.4653 - 681.3 = 105.2 \text{ t} \\
 \% \text{ friction and slip loss} &= \frac{105.2}{786.46529} \times 100 = 9.360 \% \\
 \text{Ratio of average force to UTS} &= 0.691 - 0.093597 = 0.597 \\
 \text{Corresponding Relaxation Loss} &= 4796.2 \text{ t/m}^2 \\
 &= 28.40 \text{ t} \quad 3.61 \% \text{ of Jacking Force} \\
 \text{Loss due to Relaxation \& Shrinkage} &= 35.47 \text{ t} \\
 \text{Moment due to Relaxation \& Shrinkage loss} &= 16.490 \text{ tm}
 \end{aligned}$$

Stresses due to Prestress after initial losses

$$\begin{aligned}
 \sigma_t &= \frac{670.69}{1.539} - \frac{311.85}{0.659} = -36.98 \text{ t/m}^2 \\
 \sigma_c &= \frac{670.69}{1.539} + \frac{311.85}{1.491} = 645.1 \text{ t/m}^2 \\
 \sigma_b &= \frac{670.69}{1.539} + \frac{311.85}{0.661} = 907.8 \text{ t/m}^2
 \end{aligned}$$

Stresses due to prestress after initial losses & self weight of the girder

$$\begin{aligned}
 \sigma_t &= 139.9 + (-37.0) = 102.9 \text{ t/m}^2 \\
 \sigma_c &= -61.9 + 645.1 = 583.2 \text{ t/m}^2 \\
 \sigma_b &= -139.6 + 907.8 = 768.2 \text{ t/m}^2
 \end{aligned}$$

Stresses after Shrinkage and Relaxation losses

$$\begin{aligned}
 \sigma_t &= 102.92 - \frac{35.47}{1.539} + \frac{16.490}{0.659} = 104.88 \text{ t/m}^2 \\
 \sigma_c &= 583.2 - \frac{35.47}{1.539} - \frac{16.490}{1.491} = 549.08 \text{ t/m}^2 \\
 \sigma_b &= 768.18 - \frac{35.47}{1.539} - \frac{16.490}{0.661} = 720.18 \text{ t/m}^2
 \end{aligned}$$

Loss due to Creep of concrete

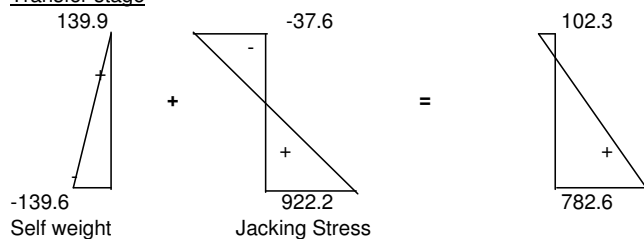
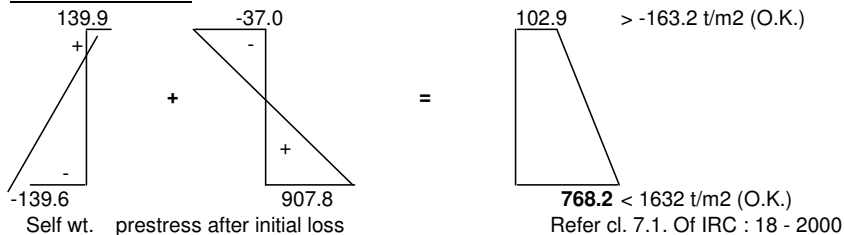
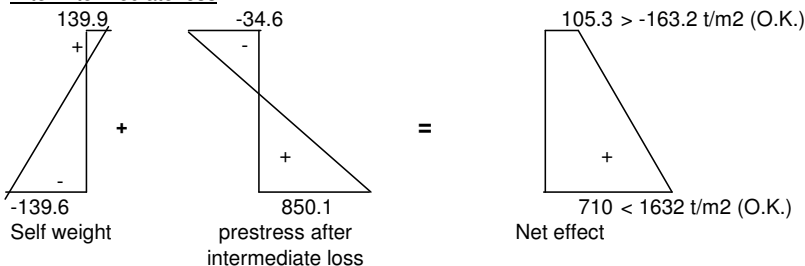
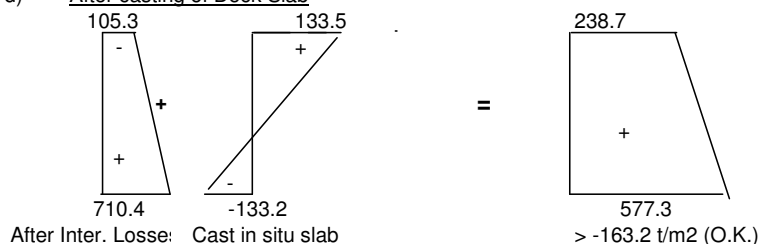
$$\begin{aligned}
 \text{Airthmetic mean of initial and final stress between 14th and 28 days at C.G. of cables} &= 566.13 \text{ t/m}^2 \\
 \text{Creep loss} = (\sigma/10) \times \epsilon_c \times E_s &= 1213.6 \text{ t/m}^2 \\
 &= 7.19 \text{ t} = 0.914 \% \text{ of Jacking Force} \\
 \text{Total Initial \& Intermediate losses (i.e. losses upto 28th day)} &= 53.27 \text{ t} = 0.91 \% \text{ of Jacking Force} \\
 \text{Force after intermediate losses, } P_{\text{int}} &= 628.0 \text{ t} \\
 \text{Moment due to } P_{\text{int}} = M_{\text{pint}} = P_{\text{int}} \times e &= 292.01 \text{ tm}
 \end{aligned}$$

Effect of prestress after Intermediate loss

$$\begin{aligned}
 \sigma_t &= \frac{628.0}{1.539} - \frac{292.01}{0.659} = -34.6 \text{ t/m}^2 \\
 \sigma_c &= \frac{628.0}{1.539} + \frac{292.01}{1.491} = 604.1 \text{ t/m}^2 \\
 \sigma_b &= \frac{628.0}{1.539} + \frac{292.01}{0.661} = 850.1 \text{ t/m}^2
 \end{aligned}$$

Stresses Due to cast-in-situ slab

$$\begin{aligned}
 \sigma_t &= \frac{88.0}{0.659} = 133.45 \text{ t/m}^2 \\
 \sigma_c &= \frac{88.0}{1.491} = -59.04 \text{ t/m}^2 \\
 \sigma_b &= \frac{88.0}{0.661} = -133.18 \text{ t/m}^2
 \end{aligned}$$

RESULTANT STRESSESa) Transfer stageb) Just after initial lossc) After intermediate lossd) After casting of Deck Slab**STAGE-II (28 TH DAY ONWARD)**

Section Modulus at top of composite section	=	1.58588333 m ³
Section Modulus at junction of deck slab & girder Z _j	=	2.1970 m ³
Section Modulus at C.G. of cables Z _c	=	1.995 m ³
Section Modulus at bottom of composite section	=	0.9822 m ³
Composite area of deck slab + outer girder	=	2.3386 m ²
first stage cables		
Prestressing force (after 1st stage) , P ₁	=	628.03 t
ecc. of cables from bottom, eb (1st stage)	=	0.584 m
Eccentricity of cables from c.g., e (1st stage)	=	0.425 m
second stage cables		
Prestressing force (after friction and slip losses) , P	=	272.14 t
ecc. of cables from bottom, eb (2nd stage)	=	1.090 m
Eccentricity of cables from c.g., e (2nd stage)	=	0.429 m
Net eccentricity of cables of 1st and 2nd stages, eb'	=	0.737 m (from bottom)
Net eccentricity of cables of 1st and 2nd stages, e'	=	0.782 m (from c.g.)

B.M. due to S.Wt. of the girder M_d	=	92.26 tm
B.M. due to Cast in Situ slab M_c	=	32.05 tm
B.M. due to SIDL M_s	=	51.30 tm
B.M. due to Live loads M_L	=	54.36 tm
B.M. due to FPLL	=	0.00 tm

Prestressing force (after 1st stage) , P_1	=	628.03 t
Moment due to $P_{int} = M_{pint} = P_1 \times e$	=	266.92 tm
for second stage prestressing		
Prestressing force (after friction and slip losses) , P	=	272.14 t
Moment due to P , $M_p = P \times e$	=	116.85 tm

Stresses due to self weight of the girder + cast in situ slab

$\sigma_j = \frac{124.31}{0.659}$	=	188.5	t/m ²
$\sigma_c = \frac{124.31}{1.491}$	=	-83.4	t/m ²
$\sigma_b = \frac{124.31}{0.661}$	=	-188.1	t/m ²

Stresses due to prestress (second stage cables)

$\sigma_t = \frac{272.14}{2.339} - \frac{116.85}{1.586}$	=	42.7	t/m ²
$\sigma_j = \frac{272.14}{2.339} - \frac{116.85}{2.197}$	=	63.2	t/m ²
$\sigma_c = \frac{272.14}{2.339} + \frac{116.85}{1.995}$	=	174.9	t/m ²
$\sigma_b = \frac{272.14}{2.339} + \frac{116.85}{0.982}$	=	235.3	t/m ²

Total Stresses due to prestress

$\sigma_t = 0.0$	+	42.7	=	42.7	t/m ²
$\sigma_j = -34.6$	+	63.2	=	28.6	t/m ³
$\sigma_c = 604.1$	+	174.9	=	779.0	t/m ²
$\sigma_b = 850.1$	+	235.3	=	1085.4	t/m ²

Stresses due to prestress & self weight of the girder+deck slab

$\sigma_t = 0.0$	+	42.7	=	42.7	t/m ²
$\sigma_j = 188.5$	+	28.6	=	217.1	t/m ³
$\sigma_c = -83.4$	+	779.0	=	695.6	t/m ²
$\sigma_b = -188.1$	+	1085.4	=	897.3	t/m ²

Losses due to Elastic Shortening

$$\text{Loss due to Elastic Shortening} = 0.5 \times \sigma \times E_s / E_c$$

Therefore, initial loss	=	1880 t/m ²	
(i.e. Elastic Shortening loss)	=	15.59 t	1.42 % of Jacking Force

For first stage cables

Prestressing force after initial losses P_{ii}	=	623.58 t
Moment due to $P_i = M_{pii} = P_{ii} \times e$	=	265.02 tm

For second stage cables

Prestressing force after initial losses P_i	=	267.69 t
Moment due to $P_i = M_{pi} = P_i \times e$	=	114.94 tm

<u>Loss due to Shrinkage of Concrete</u>	=	$\varepsilon_s \times E_s$	
	=	3776.8 t/m ²	
	=	31.31 t	2.84 % of Jacking Force

$$\begin{aligned} \text{Loss due to Shrinkage} &= 35.77 \text{ t} \\ \text{Moment due to Shrinkage loss} &= 27.983 \text{ tm} \end{aligned}$$

Loss due to relaxation of steel**For second stage cables:**

The loss due to relaxation of steel depends on the stress in HTS after initial losses.

$$\begin{aligned} \text{Ratio of average force to UTS} &= 0.695 \\ \text{Loss due to friction and slip} &= \frac{314.5861}{314.58612} \times 100 = 9.44 \% \\ \text{Ratio of average force to UTS} &= 0.695 - 0.094441 = 0.601 \end{aligned}$$

$$\begin{aligned} \text{Corresponding Relaxation Loss} &= 4976.9 \text{ t/m}^2 \\ &= 11.79 \text{ t} \quad 3.75 \% \text{ of Jacking Force} \end{aligned}$$

$$\begin{aligned} \text{Loss due to Relaxation \& Shrinkage} &= 16.24 \text{ t} \\ \text{Moment due to Relaxation \& Shrinkage loss} &= 12.708 \text{ tm} \end{aligned}$$

Shrinkage losses (for first stage cables)

$$\begin{aligned} \sigma_i &= \frac{-35.77}{2.339} + \frac{27.983}{1.586} = 2.35 \text{ t/m}^2 \\ \sigma_j &= \frac{-35.77}{2.339} + \frac{27.983}{2.197} = -2.56 \text{ t/m}^2 \\ \sigma_c &= \frac{-35.77}{2.339} - \frac{27.983}{1.995} = -29.32 \text{ t/m}^2 \\ \sigma_b &= \frac{-35.77}{2.339} - \frac{27.983}{0.982} = -43.78 \text{ t/m}^2 \end{aligned}$$

Shrinkage and Relaxation losses (for second stage cables)

$$\begin{aligned} \sigma_i &= \frac{-16.24}{2.339} + \frac{12.708}{1.586} = 1.07 \text{ t/m}^2 \\ \sigma_j &= \frac{-16.24}{2.339} + \frac{12.708}{2.197} = -1.16 \text{ t/m}^2 \\ \sigma_c &= \frac{-16.24}{2.339} - \frac{12.708}{1.995} = -13.31 \text{ t/m}^2 \\ \sigma_b &= \frac{-16.24}{2.339} - \frac{12.708}{0.982} = -19.88 \text{ t/m}^2 \end{aligned}$$

Total Shrinkage and Relaxation losses

$$\begin{aligned} \sigma_i &= 2.35 + 1.07 = 3.42 \text{ t/m}^2 \\ \sigma_j &= -2.56 + -1.16 = -3.72 \text{ t/m}^2 \\ \sigma_c &= -29.32 + -13.31 = -42.63 \text{ t/m}^2 \\ \sigma_b &= -43.78 + -19.88 = -63.67 \text{ t/m}^2 \end{aligned}$$

Stresses due to prestress after shrinkage & relaxation losses & self weight of the girder + cast insitu deck slab

$$\begin{aligned} \sigma_i &= 42.7 + 3.4 = 46.10 \text{ t/m}^2 \\ \sigma_j &= 217.1 + -3.7 = 213.34 \text{ t/m}^2 \\ \sigma_c &= 695.6 + -42.6 = 652.96 \text{ t/m}^2 \\ \sigma_b &= 897.3 + -63.7 = 833.62 \text{ t/m}^2 \end{aligned}$$

Loss due to Creep of concrete

$$\text{Arithmetic mean of initial and final stress after 28 days} = 652.96 \text{ t/m}^2$$

$$\begin{aligned} \text{Creep loss} &= (\sigma/10) \times \epsilon_c \times E_s = 5090.0 \text{ t/m}^2 \\ &= 42.20 \text{ t} = 3.833 \% \text{ of Jacking Force} \end{aligned}$$

$$\begin{aligned} \text{Loss due to Creep} &= 42.20 \text{ t} \\ \text{Moment due to Creep loss} &= 33.02 \text{ tm} \end{aligned}$$

Creep losses (for first stage cables)

$$\begin{aligned}
 \sigma_t &= \frac{-42.20}{2.339} + \frac{33.016}{1.586} = 2.77 \text{ t/m}^2 \\
 \sigma_j &= \frac{-42.20}{2.339} + \frac{33.016}{2.197} = -3.02 \text{ t/m}^2 \\
 \sigma_c &= \frac{-42.20}{2.339} - \frac{33.016}{1.995} = -34.59 \text{ t/m}^2 \\
 \sigma_b &= \frac{-42.20}{2.339} - \frac{33.016}{0.982} = -51.66 \text{ t/m}^2
 \end{aligned}$$

Creep losses (for second stage cables)

$$\begin{aligned}
 \sigma_t &= \frac{-12.06}{2.339} + \frac{-9.433}{1.586} = -11.10 \text{ t/m}^2 \\
 \sigma_j &= \frac{-12.06}{2.339} + \frac{-9.433}{2.197} = -9.45 \text{ t/m}^2 \\
 \sigma_c &= \frac{-12.06}{2.339} - \frac{-9.433}{1.995} = -0.43 \text{ t/m}^2 \\
 \sigma_b &= \frac{-12.06}{2.339} - \frac{-9.433}{0.982} = 4.45 \text{ t/m}^2
 \end{aligned}$$

$$\text{Final Prestressing Force} = 766.54 \text{ t}$$

Total Creep losses

$$\begin{aligned}
 \sigma_t &= 2.77 + (-11.10) = -8.33 \text{ t/m}^2 \\
 \sigma_j &= -3.02 + (-9.45) = -12.47 \text{ t/m}^2 \\
 \sigma_c &= -34.59 + (-0.43) = -35.02 \text{ t/m}^2 \\
 \sigma_b &= -51.66 + 4.45 = -47.21 \text{ t/m}^2
 \end{aligned}$$

Total Stresses due to prestress after immediate losses & self weight of the girder + cast insitu deck slab

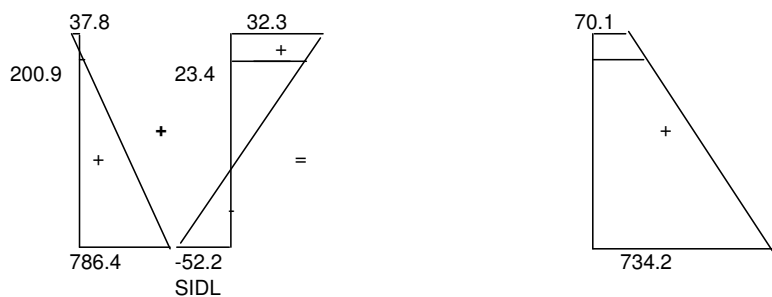
$$\begin{aligned}
 \sigma_t &= 46.10 + (-8.33) = 37.77 \\
 \sigma_j &= 213.34 + (-12.47) = 200.87 \\
 \sigma_c &= 652.96 + (-35.02) = 617.95 \\
 \sigma_b &= 833.62 + (-47.21) = 786.41
 \end{aligned}$$

Stresses Due to SIDL

$$\begin{aligned}
 \sigma_t &= \frac{51.30}{1.586} = 32.3 \text{ t/m}^2 \\
 \sigma_j &= \frac{51.30}{2.197} = 23.4 \text{ t/m}^2 \\
 \sigma_c &= \frac{51.30}{1.995} = -25.7 \text{ t/m}^2 \\
 \sigma_b &= \frac{51.30}{0.982} = -52.2 \text{ t/m}^2
 \end{aligned}$$

Total Stresses due to prestress + DL (Girder+deck slab) + SIDL

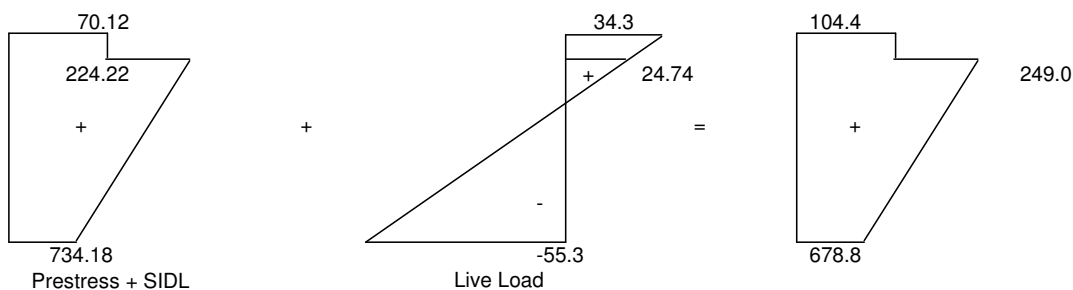
$$\begin{aligned}
 \sigma_t &= 37.8 + 32.35 = 70.1 \text{ t/m}^2 \\
 \sigma_j &= 200.9 + 23.35 = 224.2 \text{ t/m}^2 \\
 \sigma_c &= 617.9 + (-25.71) = 592.2 \text{ t/m}^2 \\
 \sigma_b &= 786.4 + (-52.23) = 734.2 \text{ t/m}^2
 \end{aligned}$$

After laying of SIDL**Stresses due to Live load**

$$\begin{aligned}\sigma_t &= \frac{54.36}{1.586} = 34.28 \text{ t/m}^2 \\ \sigma_j &= \frac{54.36}{2.197} = 24.74 \text{ t/m}^2 \\ \sigma_c &= \frac{54.36}{1.995} = -27.24261 \text{ t/m}^2 \\ \sigma_b &= \frac{54.36}{0.982} = -55.35 \text{ t/m}^2\end{aligned}$$

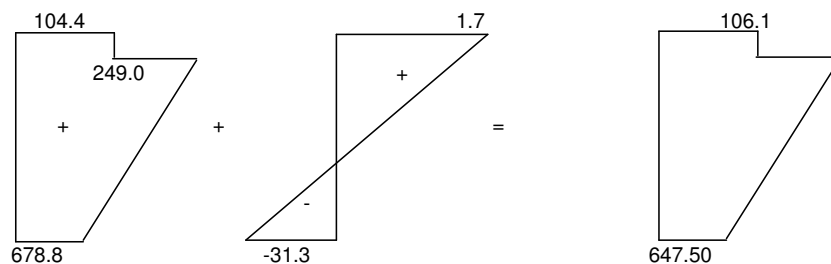
Stresses due to Prestress + DL + SIDL + FPLL + LL

$$\begin{aligned}\sigma_t &= 70.12 + 34.3 = 104.4 \text{ t/m}^2 \\ \sigma_j &= 224.22 + 24.7 = 249.0 \text{ t/m}^2 \\ \sigma_c &= 592.24 + -27.2 = 565.0 \text{ t/m}^2 \\ \sigma_b &= 734.18 + -55.3 = 678.8 \text{ t/m}^2\end{aligned}$$



Time dependant losses (i.e. due to relaxation of steel, shrinkage of concrete & creep of concrete)

$$\begin{aligned}20\% \text{ extra time dependant losses} &= 127.95 \text{ t} \\ \text{Stress due to 20\% extra time dependant losses at top} &= 25.59 \text{ t} \\ \text{Stress due to 20\% extra time dependant losses at bottom} &= 1.7 \text{ t/m}^2 \\ &= -31.3 \text{ t/m}^2\end{aligned}$$



SUMMARY OF MAXIMUM BENDING MOMENT & SHEAR FORCE**GIRDER G1 :****a) BENDING MOMENT (tm)**

LOADING	SECTIONS					
	1-1	2-2	3-3	3-3	4-4	5-5
a) Self Weight of Girder	316.27	296.83	238.50	238.50	141.29	92.26
b) Deck Slab	268.46	248.82	201.05	201.05	114.01	72.45
c) SIDL	163.30	164.75	126.54	126.54	81.97	51.30
d)FPLL	0.00	0.00	0.00	0.00	0.00	0.00
e) LL	238.92	207.59	175.11	175.11	89.10	54.36
f) TOTAL	986.95	917.99	741.20	741.20	426.37	270.37
g) LL BM corresponding to Max S.F.case	198.15	195.41	170.34	170.34	88.84	54.05

b) SHEAR FORCE (t)

LOADING	SECTIONS					
	1-1	2-2	3-3	3-3	4-4	5-5
a) Self Weight of Girder	0.00	10.37	20.74	20.74	31.11	36.06
b) Deck Slab	1.49	8.99	19.46	19.46	26.96	29.88
c) SIDL	2.00	8.60	10.30	10.30	20.35	21.61
d)FPLL	0.00	0.00	0.00	0.00	0.00	0.00
e) LL	12.22	13.70	22.64	22.64	23.95	24.46
f) TOTAL	15.71	41.66	73.14	73.14	102.37	112.01
g) LL Shear corresponding to max BM case	7.65	8.94	21.94	21.94	23.89	23.76

ULTIMATE BENDING MOMENT AND SHEAR FORCE**a) Maximum Bending Moment & corresponding Shear Force**

Bending Moment (tm)	Section	1-1	2-2	2-2	3-3	4-4	5-5
	1.25DL	730.9	682.1	682.1	549.4	319.1	205.9
	2SIDL	326.6	329.5	329.5	253.1	163.9	102.6
	2.5LL	597.3	519.0	519.0	437.8	222.8	135.9
	TOTAL M_u	1654.8	1530.5	1530.5	1240.3	705.8	444.4
Shear Force corresponding to Max Bending Moment (t)	Section	1-1	2-2	2-2	3-3	4-4	5-5
	1.25DL	1.9	24.2	24.2	50.3	72.6	82.4
	2SIDL	4.0	17.2	17.2	20.6	40.7	43.2
	2.5LL	19.1	22.4	54.9	54.9	59.7	59.4
	TOTAL V_u	25.0	63.8	96.3	125.7	173.0	185.0

b) Maximum Shear force and Corresponding Bending Moment

SHEAR FORCE (t)	Section	1-1	2-2	2-2	3-3	4-4	5-5
	1.25DL	1.9	24.2	24.2	50.3	72.6	82.4
	2SIDL	4.00	17.20	17.20	20.60	40.70	43.22
	2.5LL	30.6	34.3	34.3	56.6	59.9	61.2
	TOTAL V_u	36.4	75.7	75.7	127.5	173.2	186.8
BENDING MOMENTS CORRESPONDING TO MAX SHEAR (tm)	Section	1-1	2-2	2-2	3-3	4-4	5-5
	1.25DL	730.9	682.1	682.1	549.4	319.1	205.9
	2SIDL	326.6	329.5	329.5	253.1	163.9	102.6
	2.5LL	495.4	488.5	488.5	425.9	222.1	135.1
	TOTAL M_u	1552.9	1500.1	1500.1	1228.4	705.2	443.6

SECTION PROPERTIES

Section		1-1	2-2	2-2	3-3	4-4	5-5
Sectional area, A	m ²	1.906	1.906	1.906	1.906	2.016	2.239
Moment of Inertia, I _z	m ⁴	1.314	1.314	1.314	1.314	1.309	1.362
C.G. of section from top, Y _t	m	0.831	0.831	0.831	0.831	0.903	0.933
C.G. of section from bottom, Y _b	m	1.519	1.519	1.519	1.519	1.447	1.417
Sectional modulus at top, Z _t	m ³	1.581	1.581	1.581	1.581	1.449	1.460
Sectional modulus at bottom, Z _b	m ³	0.865	0.865	0.865	0.865	0.905	0.962
Width of the web, b	m	0.275	0.275	0.275	0.275	0.438	0.6
Overall Depth of Section, d	m	2.35					

	Section	1-1	2-2	2-2	3-3	4-4	5-5
Total No. of cables		7	7	7	7	7	7
Final prestressing force, P _f	t	775.57	809.47	809.47	761.88	759.26	766.54
Eccentricity from bottom, e _b	m	0.332	0.363	0.36279805	0.451	0.636	0.737
d _b = D - e _b	m	2.018	1.987	1.987	1.899	1.714	1.613

Average thickness of compression flange, t = 0.347 m B_f = 3200 mm

ULTIMATE MOMENT CAPACITY

As per Clause 13 of IRC:18 - 2000		1-1	2-2	2-2	3-3	4-4	
M _{ults} * = 0.9 d _b A _s f _p		2856.2	2813.2	2813.2	2688.9	2426.3	2283.5
M _{ultc} ** = 0.176 b d _b ² f _{ck} + 2/3 x 0.8 (B _f - b)(d _b - t/2) x t x f _{ck}	Part1	803.8	779.8	779.8	712.4	922.9	1121.1
	Part2	4069.8	4002.8	4002.8	3809.0	3210.9	2824.2
	Total	4873.6	4782.6	4782.6	4521.4	4133.7	3945.2
M _{ult} = min(M _{ults} and M _{ultc})		2856.2	2813.2	2813.2	2688.9	2426.3	2283.5
M _u		1654.8	1530.5	1530.5	1240.3	705.8	444.4
Remarks		O.K.	O.K.	O.K.	O.K.	O.K.	O.K.

* M_{ults} Moment capacity due to yield of steel.

** M_{ultc} Moment capacity due to crushing of concrete.

CALCULATION OF DEPTH OF TENSILE ZONE

Section		1-1	2-2	2-2	3-3	4-4	5-5
σ _t = 0.8 x (P _f /A - M _f /Z _t) + M _{ult} /Z _t	t/m ²	1666.1	1645.2	1645.2	1608.3	1635.7	1552.9
σ _b = 0.8 x (P _f /A + M _f /Z _b) - M _{ult} /Z _b	t/m ²	-2126.3	-2047.9	-2047.9	-2036.9	-1836.0	-1667.3
Depth of tensile zone, z	m	1.318	1.303	1.303	1.313	1.243	1.217
C.G. of cables in tensile zone from bottom, e _b	m	0.332	0.363	0.363	0.451	0.636	0.737
d _b = (D - e _{max}), but not < 0.8D	m	2.018	1.987	1.987	1.899	1.880	1.880

SHEAR CAPACITY AND SHEAR REINFORCEMENT

f_t = Maximum principal tensile stress

$$= 0.24\sqrt{f_{ck}} = 154.83 \text{ t/m}^2 \text{ (As per Clause 14.1.2 of IRC:18)}$$

f_{cp} = Stress due to prestress only at centroidal axis of composite section

f_{pt} = Stress due to prestress only at tensile fibre of composite section

d_t = Depth from extreme compression fibre either to the longitudinal bars or to the centroid of the tendons whichever is greater)

$$= d - 0.060 = 2.290 \text{ m}$$

Maximum Ultimate shear stress =

479.4 t/m² (As per Table 6 of IRC:18)

	units	1-1	2-2	2-2	3-3	4-4	5-5
b = web thickness = 275 - 75 x 2/3	m	0.225	0.225	0.225	0.225	0.388	0.550
f_{cp}	t/m ²	406.86	424.64	424.64	399.68	376.64	342.41
$V_{co}^* = 0.67bd\sqrt{(f_t^2 + 0.8f_{cp}f_t)}$	t	96.6	98.0	98.0	96.0	162.1	223.1
$d_b = d - e_b$	m	2.018	1.987	1.987	1.899	1.880	1.880
f_{pt}	t/m ²	1471.6	1507.4	1507.4	1341.4	1056.9	884.3
$M_t = (0.37\sqrt{f_{ck}} + 0.8f_{pt})I/y$	tm	1224.2	1249.0	1249.0	1134.2	981.0	909.8
$V_{cr} = 0.037bd_b\sqrt{f_{ck}} + (M_t/M_u)$	t	39.5	73.7	73.7	127.9	258.3	407.8
$V_{crmin} = 0.1 bd\sqrt{f_{ck}}$	t	34.1	34.1	34.1	34.1	58.7	83.4
$V_{cr} = \max(V_{cr}, V_{crmin})$	t	39.5	73.7	73.7	127.9	258.3	407.8
$V_c = \min(V_{co}, V_{cr})$	t	39.5	73.7	73.7	96.0	162.1	223.1
V_u	t	36.4	75.7	75.7	127.5	173.2	186.8
Remarks		$V_c > V_u > V_c/2$	$V_u > V_c$	$V_u > V_c$	$V_u > V_c$	$V_u > V_c$	$V_c > V_u > V_c/2$
$(A_{sv}/S_v)_{min} = 0.4b/(0.87f_{yv})$	(cm ² /m)	2.493	2.493	2.493	2.493	4.293	6.093
$A_{sv}/S_v = (V - V_c)/(0.87f_{yv}d_t)$	(cm ² /m)	0.00	0.24	0.24	3.80	1.33	0.00
Provide $A_{sv}/S_v =$	(cm ² /m)	2.49	2.49	2.49	3.80	4.29	6.09
$v_u = V_u/bd_b$ where, $b = 225\text{mm}$	t/m ²	80.2	169.2	169.2	298.2	237.7	180.7
Remarks		O.K.	O.K.	O.K.	O.K.	O.K.	O.K.

V_{co} Uncracked shear capacity of the section.

V_{cr} Cracked shear capacity

V_c Shear capacity

V_u Ultimate shear

Shear reinforcement

f_{yv} Yield strength of shear reinforcement

v_u Shear stress

ULTIMATE TORSION & SHEAR**GIRDER G₁****CASE 1 MAX. TORSIONAL MOMENT (t.m) & CORR. SHEAR FORCE(t)**

SEC.	MAXIMUM TORSIONAL MOMENT							2.5 (LL*I.F.)	CORRESPONDING SHEAR FORCE							2.5 (LL*I.F.)
	DL	1.25 DL	SIDL	2.0 SIDL	LL	FPLL	+ FPLL		DL	1.25 DL	SIDL	2.0 SIDL	LL	FPLL	+ FPLL	
1-1	0.00	0.00	2.88	5.76	0.54	0.00	1.36	7.12	1.49	1.86	2.00	4.00	4.20	0.00	10.50	16.36
2- 2	0.00	0.00	3.10	6.20	0.65	0.00	1.62	7.82	19.36	24.20	8.60	17.20	2.77	0.00	6.93	48.33
3- 3	0.00	0.00	1.74	3.48	2.02	0.00	5.04	8.52	40.20	50.25	10.30	20.60	19.88	0.00	49.70	120.55
4- 4	0.00	0.00	5.73	11.46	2.81	0.00	7.03	18.49	58.07	72.59	20.35	40.70	19.38	0.00	48.45	161.74
5- 5	0.00	0.00	5.73	11.46	2.81	0.00	7.03	18.49	65.94	82.43	21.61	43.22	19.38	0.00	48.45	174.10

CASE 2 MAXIMUM SHEAR FORCE (t) & CORR. TORSIONAL MOMENT(t.m)

SEC.	MAXIMUM SHEAR FORCE							2.5 (LL*I.F.)	CORRESPONDING TORSIONAL MOMENT							2.5 (LL*I.F.)
	DL	1.25 DL	SIDL	2.0 SIDL	LL	FPLL	+ FPLL		DL	1.25 DL	SIDL	2.0 SIDL	LL	FPLL	+ FPLL	
1-1	1.49	1.86	2.00	4.00	11.53	0.00	28.83	34.69	0.00	0.00	2.88	5.76	0.09	0.00	0.23	5.99
2- 2	19.36	24.20	8.60	17.20	12.16	0.00	30.40	71.80	0.00	0.00	3.10	6.20	0.28	0.00	0.70	6.90
3- 3	40.20	50.25	10.30	20.60	20.29	0.00	50.73	121.58	0.00	0.00	1.74	3.48	0.69	0.00	1.73	5.21
4- 4	58.07	72.59	20.35	40.70	20.50	0.00	51.25	164.54	0.00	0.00	5.73	11.46	1.08	0.00	2.70	14.16
5- 5	65.94	82.43	21.61	43.22	20.95	0.00	52.38	178.02	0.00	0.00	5.73	11.46	1.17	0.00	2.93	14.39

CHECK FOR TOTAL ULTIMATE SHEAR STRESS

Each component Rectangle will be subjected to a Torque = $T(h_{\max} * h_{\min}^3)/(\sum h_{\max} * h_{\min}^3) =$
 $= T \times C$ (say)

Component Rectangle	$h_{\max}$	$h_{\min}$	$h_{\max} * h_{\min}^3$	C
1	3200	250	5.00E+10	0.30
2	1250	230	1.52E+10	0.09
3	1450	275	3.02E+10	0.18
4	1000	420	7.41E+10	0.44

$\Sigma 1.69E+11$

Torsional Shear Stress= $2 T / (h_{min}^2) / (h_{max} - h_{min} / 3)$

CASE 1 MAX. TORSIONAL MOMENT & CORR. SHEAR FORCE

SEC.	MAX. TOR. MOM.(t.m)	MOMENT IN RECTANGULAR COMPONENT (t.m)				TOR. SHEAR STRESS IN COMPONENT RECTANGLES OF GIRDER				CORR. S.F. (t)	ULTIMATE SHEAR STRESS DUE TO S.F.	TOTAL ULTIMATE SHEAR STRESS
						Vtu (t/m^2)						
		1	2	3	4	1	2	3	4			
1-1	7.12	2.10	0.64	1.27	3.11	21.6	20.6	24.7	41.0	16.36	36.0	61
2-2	7.82	2.31	0.70	1.39	3.42	23.7	22.6	27.1	45.0	48.33	108.1	135
3-3	8.52	2.51	0.76	1.52	3.73	25.8	24.6	29.5	49.1	120.55	163.8	193
4-4	18.49	5.45	1.66	3.29	8.08	56.0	53.5	64.0	106.5	161.74	156.4	220
5-5	18.49	5.45	1.66	3.29	8.08	56.0	53.5	64.0	106.5	174.10	168.4	232

PERMISSIBLE VALUE OF TOTAL ULT. SHEAR STR 484.5 t/m²

	COMPONENT RECTANGLES			
	1	2	3	4
Hmax	3.2	1.25	1.45	1
Hmin	0.25	0.23	0.275	0.42

CASE 2 MAX. SHEAR FORCE & CORR. TORSIONAL MOMENT

SEC	CORR. TOR. MOM.(t. m)	MOMENT IN COMPONENT RECTANGLES (t.m)]				TOR. SHEAR STRESS IN COMPONENT RECTANGLES OF GIRDER				MAX. S.F. (t)	ULTIMATE SHEAR STRESS DUE TO S.F. V (t/m^2)	TOTAL ULTIMATE SHEAR STRESS V + Vtu (t/m^2)
						Vtu (t/m^2)						
		1	2	3	4	1	2	3	4			
1-1	5.99	1.77	0.54	1.07	2.62	18.13	17.31	20.74	34.50	34.69	76.4	97
2-2	6.90	2.04	0.62	1.23	3.02	20.90	19.95	23.91	39.77	71.80	160.6	184
3-3	5.21	1.54	0.47	0.93	2.28	15.77	15.05	18.03	30.00	121.58	165.2	183
4-4	14.16	4.18	1.27	2.52	6.19	42.90	40.95	49.06	81.62	164.54	159.1	208
5-5	14.39	4.24	1.29	2.56	6.29	43.58	41.60	49.84	82.92	178.02	172.2	222

CALCULATION OF TORSION REINFORCEMENT

AS PER CLAUSE 14.2.3.1 OF IRC : 18 - 2000

REINFORCEMENT FOR TORSION $A_{sv}/S_v \geq T / (0.8 * X_1 * Y_1 * 0.87 * F_{yv})$

AREA OR LONG. REINFORCEMENT $A_{sl} \geq A_{sv}/S_v * (X_1 + Y_1) * (F_{yv} / F_{yl})$

F_{yv} (t/m²) = 42330

X_1 is the smaller dimension of the link measured between centres of legs

Y_1 is the larger dimension of the link measured between centres of legs

According to clause 14.2.2 of IRC-18:2000 , torsion reinforcement is not required if $V_{tu} < 42.75 \text{ t/m}^2$

	COMPONENT RECTANGLES			
	1	2	3	4
Hmax	3.2	1.25	1.45	1
Hmin	0.25	0.23	0.275	0.42

CASE 1 MAX. TORSIONAL MOMENT & CORR. SHEAR FORCE

SEC	MAX. TOR. MOM.(t)	MOMENT IN COMPONENT RECTANGLES (t.m)				TORSIONAL REINFORCEMENT				AREA OF LONG. REINFORCEMENT			
						Asv / Sv (cm ² /m)				Asv / Sv (cm ²)			
		1	2	3	4	1	2	3	4	1	2	3	4
1-1	7.12	2.10	0.64	1.27	3.11	N.R.	N.R.	N.R.	NOT REQ.	-	-	-	-
2-2	7.82	2.31	0.70	1.39	3.42	NOT REQ.	NOT REQ.	NOT REQ.	3.9	-	-	-	4.81
3-3	8.52	2.51	0.76	1.52	3.73	NOT REQ.	NOT REQ.	NOT REQ.	4.2	-	-	-	5.25
4-4	18.49	5.45	1.66	3.29	8.08	3.8	3.5	4.5	9.2	12.31	4.57	6.92	11.38
5-5	18.49	5.45	1.66	3.29	8.08	3.8	3.5	4.5	9.2	12.31	4.57	6.92	11.38

CASE 2 MAX. SHEAR FORCE & CORR. TORSIONAL MOMENT

SEC	TOR. MOM.(t)	MOMENT IN COMPONENT RECTANGLES (t.m)				TORSIONAL REINFORCEMENT				AREA OF LONG. REINFORCEMENT			
						Asv / Sv (cm ² /m)				Asv / Sv (cm ²)			
		1	2	3	4	1	2	3	4	1	2	3	4
1-1	5.99	1.77	0.54	1.07	2.62	NOT REQ.	NOT REQ.	NOT REQ.	NOT REQ.	-	-	-	-
2-2	6.90	2.04	0.62	1.23	3.02	NOT REQ.	NOT REQ.	NOT REQ.	NOT REQ.	-	-	-	-
3-3	5.21	1.54	0.47	0.93	2.28	NOT REQ.	NOT REQ.	NOT REQ.	NOT REQ.	-	-	-	-
4-4	14.16	4.18	1.27	2.52	6.19	2.9	NOT REQ.	3.4	7.1	9.43	-	5.30	8.72
5-5	14.39	4.24	1.29	2.56	6.29	2.9	NOT REQ.	3.5	7.2	9.58	-	5.39	8.86

TOTAL R/F IN WEB

SEC	CASE 1			CASE 2		
	SHEAR	TORSION	TOTAL	SHEAR	TORSION	TOTAL
	cm ² /m	cm ² /m	cm ² /m	cm ² /m	cm ² /m	cm ² /m
1-1	2.49	0.00	2.49	2.49	FALSE	2.49
2-2	3.80	0.00	3.80	3.80	FALSE	3.80
3-3	4.29	NOT REQ.	4.29	4.29	FALSE	4.29
4-4	6.09	4.49	6.09	6.09	3.44	9.54
5-5	6.09	4.49	10.59	6.09	3.50	9.59

DESIGN OF SHEAR CONNECTOR

Reference : clause 611.4.2 of IRC : 22 - 1986 code for composite construction

The ultimate longitudinal shear V_L per unit length ,

$$V_L = \frac{V \cdot A_c \cdot \bar{Y}}{I}$$

Where ,

$$V = \text{Vertical shear due to dead load placed after composite section is effective and working live load with impact.}$$

$$= 21.61 \times 1.5 + 24.5 \times 2.5$$

$$= 93.57 \text{ t}$$

$$A_c = \text{Area of transformed section on one side of interface}$$

$$= 0.25 \times 3.2 \quad (\text{refer section property})$$

$$= 0.8 \text{ m}^2$$

$$\bar{Y} = \text{Dist. Of centroid of the area under consideration from the neutral axis of the composite section}$$

$$= 0.89877 - 0.125 \quad (\text{refer section property})$$

$$= 0.77377 \text{ m}$$

$$I = \text{M . I . of the composite section}$$

$$= 1.42534 \text{E+12 mm}^4 \quad (\text{refer section property})$$

$$= 1.42534 \text{ m}^4$$

The ultimate longitudinal shear V_L per unit length ,

$$= \frac{93.57 \times 0.8 \times 0.7738}{1.42534}$$

$$= 40.63 \text{ t/m}$$

$$\Sigma Q_u = A_s f_u \times 0.001$$

Where,

$$Q_u = \text{The ultimate shear resisting capacity of anchorage connector in kN}$$

$$A_s = \text{The c / s Area of the anchorage connector in sq mm}$$

$$f_u = \text{The ultimate tensile strength of anchorage connector in Mpa}$$

$$\Sigma Q_u = [2 \times 113 \times \frac{1000}{125} \times 415$$

$$= 750.32 \text{ kN} = 75.0 \text{ t} > 40.63 \text{ t} \quad \text{O.K.}$$

Provide 2L - 12 Φ @ 125 c / c in addition to shear reinforcement .

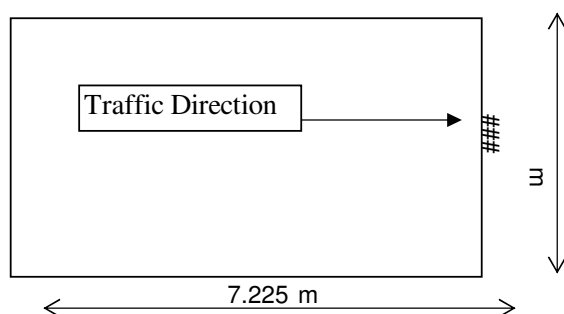
DESIGN OF DECK SLAB

DESIGN OF DECK SLAB

The Deck slab Panel is designed as a Two way slab spanning between the main girders and Cross diaphragm, it is continuous.

C/c of main girders	=	2.8 m
Web width of main girders	=	0.275 m
clear span (lx) between main girders	=	2.525 m
C/c of Cross diaphragms	=	7.5 m
Clear span (ly) between croos diaphragms	=	7.225 m

$$\text{Ratio of span } k = \frac{l_y}{l_x} = 2.86 > 2.0$$



The behaviour of the deck slab pannel is considered to be as Oneway slab. And will be analysed and designed accordingly.

ANALYSIS AND DESIGN

The deck slab pannel will be analysed using the tables given in "DESIGN TABLES FOR CONCRETE BRIDGE DECK SLAB". A hand book published by SERC, ROORKEE both for the effects of dead load and concentrated strip loads due to IRC loadings.

Pigueads method will be adopted for evaluating the desihn moments.

Panel dimension	=	2.525	x	7.225	=	18.24	m ²
Slab thickness	=	250	mm				
Wearing coat thickness	=	56	mm				

Key charts corresponding to the nearest panel size,

Panel size			Key chart No.
2.500	x	7	207
2.5	x	7.25	224
2.75	x	7	208
2.75	x	7.25	225

Dead Load on the Panel

Dead load due to Deck slab	=	0.25	x	18.24	x	25	=	114.0 kN
Dead load due to Wearing coat	=	0.056	x	18.24	x	22	=	22.5 kN
Total load (W) =								$\frac{136.5 \text{ kN}}{0.75 \text{ t/m}^2}$

DEAD LOAD MOMENTS

Treating the slab as simply supported on all four sides, Dead load moments as per Table 4 of SERC

I) For panel size = 2.5 x 7 (Key chart No. = 207)

$$\begin{aligned} M_{xc} &= 151.43 \times 0.75 = 113.3 \text{ kg-m/m} \\ M_{yc} &= 723.55 \times 0.75 = 541.4 \text{ kg-m/m} \end{aligned}$$

II) For panel size = 2.5 x 7.25 (Key chart No. = 224)

$$\begin{aligned} M_{xc} &= 147.64 \times 0.75 = 110.5 \text{ kg-m/m} \\ M_{yc} &= 730.7 \times 0.75 = 546.7 \text{ kg-m/m} \end{aligned}$$

For panel size = 2.5 x 2.53 m by inter polation

$$\begin{aligned} M_{xc} &= 110.5 - \left(\frac{110.5 - 113.3}{7.25 - 7} \right) \times 4.73 \\ &= 164.06 \text{ kg-m/m} \end{aligned}$$

$$\begin{aligned} M_{yc} &= 546.7 - \left(\frac{546.7 - 541.4}{7.25 - 7} \right) \times 4.73 \\ &= 445.60 \text{ kg-m/m} \end{aligned}$$

III) For panel size = 2.75 x 7 (Key chart No. = 208)

$$\begin{aligned} M_{xc} &= 196.66 \times 0.75 = 147.1 \text{ kg-m/m} \\ M_{yc} &= 847.73 \times 0.75 = 634.3 \text{ kg-m/m} \end{aligned}$$

IV) For panel size = 2.75 x 7.25 (Key chart No. = 225)

$$\begin{aligned} M_{xc} &= 191.88 \times 0.75 = 143.6 \text{ kg-m/m} \\ M_{yc} &= 858.77 \times 0.75 = 642.5 \text{ kg-m/m} \end{aligned}$$

For panel size = 2.75 x 2.53 m by inter polation

$$\begin{aligned} M_{xc} &= 143.6 - \left(\frac{143.6 - 147.1}{7.25 - 7} \right) \times 4.73 \\ &= 211.16 \text{ kg-m/m} \end{aligned}$$

$$\begin{aligned} M_{yc} &= 642.5 - \left(\frac{642.5 - 634.3}{7.25 - 7} \right) \times 4.73 \\ &= 486.42 \text{ kg-m/m} \end{aligned}$$

Actual panel size = 7.23 x 2.53 m by inter polation

$$\begin{aligned} M_{xc} &= 164.06 - \left(\frac{164.06 - 211.16}{2.75 - 2.5} \right) \times -4.48 \\ &= -679.03 \text{ kg-m/m} \\ &= -6.79 \text{ kN-m/m} \end{aligned}$$

$$\begin{aligned} M_{yc} &= 486.4 - \left(\frac{486.4 - 445.6}{2.75 - 2.5} \right) \times -4.48 \\ &= 1216.98 \text{ kg-m/m} \\ &= 12.17 \text{ kN-m/m} \end{aligned}$$

LIVE LOAD MOMENTS**a) IRC - CLASS A LOADING**

Treating the slab as simply supported on all four sides, CLASS A live load moments are evaluated as per Table 3 of SERC

I) For panel size = 2.5 x 7 (Key chart No. = 207)

Mxc = 835.49 kg-m/m
Myc = 1621.06 kg-m/m

II) For panel size = 2.5 x 7.25 (Key chart No. = 224)

Mxc = 833.74 kg-m/m
Myc = 1622.11 kg-m/m

For panel size = 2.5 x 2.53 m by inter polation

Mxc = 833.7 - ($\frac{833.7 - 835.5}{7.25 - 7}$) x 4.73
= 866.82 kg-m/m

Myc = 1622.1 - ($\frac{1622.1 - 1621.1}{7.25 - 7}$) x 4.73
= 1602.27 kg-m/m

III) For panel size = 2.75 x 7 (Key chart No. = 208)

Mxc = 907.47 kg-m/m
Myc = 1723.37 kg-m/m

IV) For panel size = 2.75 x 7.25 (Key chart No. = 225)

Mxc = 906 kg-m/m
Myc = 1726.38 kg-m/m

For panel size = 2.75 x 2.53 m by inter polation

Mxc = 906.0 - ($\frac{906.0 - 907.5}{7.25 - 7}$) x 4.73
= 933.78 kg-m/m

Myc = 1726.4 - ($\frac{1726.4 - 1723.4}{7.25 - 7}$) x 4.73
= 1669.49 kg-m/m

Actual panel size	=	7.23	x	2.53 m	by inter polation	
Mxc	=	866.82	'-	$\left(\frac{866.82}{2.75} - \frac{933.78}{2.5} \right)$	x	-4.48
	=	-331.91	kg-m/m			
	=	-3.32	kN-m/m			
Myc	=	1669.5	'-	$\left(\frac{1669.5}{2.75} - \frac{1602.3}{2.5} \right)$	x	-4.48
	=	2872.84	kg-m/m			
	=	28.73	kN-m/m			

Impact Factors For IRC Class A

As per 211.2 of IRC 6 for CLASS A

Impact Factor for Mxc	=	1 + $\left(\frac{4.5}{6 + 7.23} \right)$	=	1.34	<	1.5
	=	1.340				
Impact Factor for Myc	=	1 + $\left(\frac{4.5}{6 + 2.53} \right)$	=	1.528	>	1.5
	=	1.50				

"CLASS A" - Live Load Moment with Impact are

Mxc	=	-3.319	x	1.340	=	-4.45 kN-m
Myc	=	28.728	x	1.500	=	43.09 kN-m

b) IRC - CLASS 70 R LOADING

Treating the slab as simply supported on all four sides, CLASS 70R live load moments are evaluated as per Table 1 of SERC

I)	For panel size	=	2.5	x	7	(Key chart No. = 207)
	Mxc	=	1305.09	kg-m/m		
	Myc	=	3080.15	kg-m/m		
II)	For panel size	=	2.5	x	7.25	(Key chart No. = 224)
	Mxc	=	1300.56	kg-m/m		
	Myc	=	3093.95	kg-m/m		
	For panel size	=	2.5	x	2.53 m	by inter polation
	Mxc	=	1300.6	'-	$\left(\frac{1300.6}{7.25} - \frac{1305.1}{7} \right)$	x 4.73
		=	1386.18	kg-m/m		
	Myc	=	3094.0	'-	$\left(\frac{3094.0}{7.25} - \frac{3080.2}{7} \right)$	x 4.73
		=	2833.13	kg-m/m		
III)	For panel size	=	2.75	x	7	(Key chart No. = 208)
	Mxc	=	1445.17	kg-m/m		
	Myc	=	3366.74	kg-m/m		

IV) For panel size = 2.75 x 7.25 (Key chart No. = 225)

$$\begin{aligned} M_{xc} &= 1437.82 \text{ kg-m/m} \\ M_{yc} &= 3384.6 \text{ kg-m/m} \end{aligned}$$

For panel size = **2.75** x **2.53** m by inter polation

$$\begin{aligned} M_{xc} &= 1437.8 \text{ ' - } \left(\frac{1437.8}{7.25} - \frac{1445.2}{7} \right) \times 4.73 \\ &= 1576.74 \text{ kg-m/m} \end{aligned}$$

$$\begin{aligned} M_{yc} &= 3384.6 \text{ ' - } \left(\frac{3384.6}{7.25} - \frac{3366.7}{7} \right) \times 4.73 \\ &= 3047.05 \text{ kg-m/m} \end{aligned}$$

Actual panel size = **7.23** x **2.53** m by inter polation

$$\begin{aligned} M_{xc} &= 1386.18 \text{ ' - } \left(\frac{1386.18}{2.75} - \frac{1576.74}{2.5} \right) \times -4.48 \\ &= -2024.81 \text{ kg-m/m} \\ &= -20.25 \text{ kN-m/m} \end{aligned}$$

$$\begin{aligned} M_{yc} &= 3047.0 \text{ ' - } \left(\frac{3047.0}{2.75} - \frac{2833.1}{2.5} \right) \times -4.48 \\ &= 6876.14 \text{ kg-m/m} \\ &= 68.76 \text{ kN-m/m} \end{aligned}$$

As per 211.3 of IRC 6 for CLASS 70 R wheeled vehicle Impact Factor = 1.25

"CLASS 70 R " - Live Load Moment with Impact are

$$M_{xc} = -20.25 \times 1.250 = -25.31 \text{ kN-m} > -4.45 \text{ (Class A)}$$

$$M_{yc} = 68.76 \times 1.250 = 85.95 \text{ kN-m} > 43.09 \text{ (Class A)}$$

Hence IRC Class 70R loading Governs the Design

Total BM

		<u>DL B.M</u>		<u>LL B.M</u>		
Mxc	=	-6.79	+	-25.31	=	-32.10 kN-m
Myc	=	12.17	+	85.95	=	98.12 kN-m

Moments after considering the coefficient of continuity

Mxc	=	-32.10	x	0.8	=	-25.7 kN-m
Myc	=	98.12	x	0.8	=	78.5 kN-m

DESIGN OF SLAB

Grade of Concrete = **M 40**
 Grade of steel = **Fe 415**

As Per 303.3.3

$$\begin{aligned}\sigma_{cbc} &= 13.32 \text{ Mpa} \\ m &= 10 \\ \sigma_{st} &= 200 \text{ Mpa}\end{aligned}$$

$$n1 = 1 + \left(\frac{1}{\frac{1}{10} + \frac{200}{13.32}} \right)$$

$$= 0.400$$

$$\begin{aligned}j &= 0.867 \\ R &= \frac{0.50}{2.308} \times 13.32 \times 0.400 \times 0.867 \\ &= 2.308\end{aligned}$$

$$d_{reqd} = \left(\frac{78.50 \times 10^6}{2.308 \times 1000} \right)^{0.5}$$

$$= 184.44 < 215 \text{ mm (Effective depth Provided)}$$

Reinforcement for Myc

$$\begin{aligned}\text{Ast reqd For Myc} &= \frac{78.50 \times 10^6}{200 \times 0.867} \times 215 \\ &= 2106 \text{ mm}^2/\text{m}\end{aligned}$$

Provide Tor - 20 @ 140 mm c/c at top and bottom

$$\text{Ast Provided} = 2244 \text{ mm}^2/\text{m}$$

Reinforcement for Mxc

$$\begin{aligned}\text{Ast reqd For Mxc} &= \frac{-25.68 \times 10^6}{200 \times 0.867} \times 215 \\ &= -689 \text{ mm}^2/\text{m}\end{aligned}$$

Provide Tor - 12 @ 140 mm c/c at top and bottom

$$\text{Ast Provided} = 808 \text{ mm}^2/\text{m}$$

DESIGN OF DIAPHRAGM

DESIGN OF END DIAPHRAGM

$$\text{Sagging moment} = 246.92 \text{ Kn m}$$

$$\text{Hogging moment} = 622.76 \text{ Kn m}$$

$$\text{Shear force} = 1221.1 \text{ Kn}$$

Structural Design

$$\text{Diaphragm span(c/c of girders)} = 2.8 \text{ m}$$

$$= 2.8 \text{ m}$$

As per clause 29.2 of IS:456

$$1.15 \text{ times span} = 3.22 > 2.8 \text{ m}$$

Hence adopt 2.8 m as the effective span

$$\text{Diaphragm depth} = 1.8 \text{ m}$$

$$l / D = \frac{2.8}{1.8} = 1.56 < 2.5 \text{ for continuous beam}$$

Hence the end diaphragm is designed as a deep beam as per clause 29 of IS:456 - 2000.

$$\text{Lever arm } Z = 0.2 (L + 1.5 D)$$

$$= 0.2 (2.8 + 1.5 \times 1.8) = 1.1 \text{ m}$$

$$= 1100 \text{ mm}$$

$$= 200 \text{ Mpa}$$

Allowable stress in H.Y.S.D

$$\sigma_{st}$$

$$\text{Grade of concrete } M \quad 40 \quad \sigma_{cbc} = 13.33 \text{ N/mm}^2$$

$$k$$

$$= 0.4000$$

$$j$$

$$= 0.867$$

$$Q$$

$$= 2.311 \text{ N/mm}^2$$

+ ve Reinforcement

$$\frac{246.92}{200} \times \frac{10^6}{1100} = 1122.364 \text{ mm}^2$$

$$\text{Min. Reinforcement} = \frac{0.2}{100} \times 450 \times 1800 = 1620 \text{ mm}^2$$

Hence provide 3 nos. Tor - 20 + 3 nos. Tor - 20
reinforcement provided at bottom = 1884.96 mm²
in 0.25D-0.05L from bottom i.e. in 310 mm from bottom of diaphragm.

- ve Reinforcement

$$A_{st} = \frac{622.76}{200} \times \frac{10^6}{1100} = 2830.727 \text{ mm}^2$$

$$=$$

$$> 1620 \text{ mm}^2$$

Distribution of -ve Reinforcement

$$a) \text{ at } 0.2 \times D = 0.36 \text{ m}$$

$$A_{st} = 2830.727 \times \left\{ 0.5 \times \left(\frac{2.8}{1.8} - 0.5 \right) \right\} = 1494.0$$

$$= 1494$$

$$\text{Hence provide } 3 \text{ nos. Tor- } 20 + 3 \text{ nos. Tor- } 20 = 1884.96 \text{ mm}^2$$

$$b) \text{ Balance } A_{st} = 945.77 \text{ mm}^2$$

to be distributed in 0.6D below the Reinforcement at (a) above.

$$\text{Hence, provide } 13 \text{ nos Tor- } 10 \text{ at middle} = 1021.02 \text{ mm}^2$$

SHEAR

Since this is a deep beam shear does not govern. Hence provide Min. shear Reinforcement of 0.15 %

$$A_{sv} = \frac{0.15}{100} \times 1800 \times 450 = 1215 \text{ mm}^2$$

$$\text{provide } 16 \phi \text{ at } 125 \text{ mm c/c} = 1608.50 \text{ mm}^2$$

$$\text{Total Shear} = 1221.1 \text{ KN}$$

$$\text{Required } A_{st} \text{ as hanging R/F} = 6105.5 \text{ mm}^2$$

$$\text{Required } A_{st} \text{ per m length} = 847.9861 \text{ mm}^2/\text{m}$$

$$\text{Provide } 2 \text{ Legg } 10 \phi \text{ @ } 150 \text{ mm c/c} = 1047.198 \text{ mm}^2/\text{m}$$

Side face reinforcement

0.1% of web area on either face with spacing not more than 450mm

$$\text{Required } A_{st} = 810 \text{ mm}^2/\text{m}$$

$$\text{Provide } 5 \text{ nos } 16 \phi \text{ on either side.} = 1005.31 \text{ mm}^2/\text{m}$$

Design of cross girders

Concrete grade "M"	40 N/mm ²
Steel grade "Fe"	415 N/mm ²
Bending compressive stress in concrete (c)	13.333 N/mm ²
Bending tensile stress in steel (t)	200 N/mm ²
Modular ratio	10
Intermediate cross girder	
Thickness of cross girder	0.3 m
Depth of cross girder including deck slab	2.75 m
End cross girder	
Thickness of cross girder	0.45 m
Depth of cross girder including deck slab	2.75 m
Depth of deck slab	0.25 m
Spacing of longitudinal girders c/c	2.40 m
Web thickness at mid span	0.28 m
Web thickness at end of span	0.65 m

Intermediate cross girder

Maximum Hogging Bending moment	768.09 kN.m
Maximum Sagging Bending moment	1367.5 kN.m
Maximum Shear Force	190.13 kN

Span c/c of supports	2.40 m
Clear span	2.13 m
Effective span	2.40 m
Overall depth	2.75 m
Span / Depth	0.87
As per IS:456-2000, clause 29.1	Span / Depth < 2.50
Hence cross girder will be designed as deep beam	

Hogging Bending Moment

Maximum Hogging Bending moment	768.09 kN.m
For continuous beam, Lever arm $z = 0.2 (l + 1.5D)$	1.305 m
Reinforcement required at top $A_{st} = M / t z$	2943 mm ²
Proportion of reinforcement in zone 0.2 D from top edge = $0.5 (l/D - 0.5)$	0.14
Area of reinf. in this zone	401 mm ²

Provide :	Dia of bars	20	0
	No. of bars required	1	0
	No. of bars provided	4	0
	Area provided	1257	0
	Total area		1257 mm ²
Provide this reinf. within a zone of 0.2D from top face i.e.			0.55 m

Proportion of reinf. in remaining zone 0.3 D on either side from mid depth	0.86
Area of reinf. in this zone	2542 mm ²

Provide :	Dia of bars	16	12 mm
	No. of bars required	13	0
	No. of bars provided on both faces	16	0
	No. of bars provided on each face	8	0
	Area provided	3217	0
	Total area		3217 mm ²

Sagging Bending Moment

Maximum Sagging Bending moment due to all loads	1367.5 kN.m
Reinforcement required at bottom $A_{st} = M / t z$	5239 mm ²
Minimum reinforcement percentage	0.2 %
Minimum area of reinf. Required	1650 mm ²
Reinforcement to be provided	5239 mm ²
Provide :	
Dia of bars	32 20 mm
No. of bars required	7 0
No. of bars provided	7 0
Area provided	5630 0 mm ²
Total area	5630 mm ²
Provide this reinf. within a zone of (0.25 D-0.05 l) from bottom face i.e.	0.57 m

Design for Shear Force

Maximum Shear Force	190.13 kN
As per IS:456-2000, clause 29.3.3, deep beam will be designed for hanging action	
Reinforcement required for this action	951 mm ²
Reinforcement required per meter length	792 mm ²
Dia of stirrups	12 mm
No. of legs	2
Spacing required	286 mm
Spacing provided	125 mm

INPUT FILE: END.STD

1. STAAD PLANE END CROSS GIRDER DURING JACKED UP CONDITION
2. INPUT WIDTH 79
3. UNIT METER MTON
4. JOINT COORDINATES
5. 1 0 0 0; 2 0.51 0 0; 3 2.29 0 0; 4 2.8 0 0; 5 3.31 0 0
6. 6 5.09 0 0; 7 5.6 0 0; 8 6.11 0 0; 9 7.89 0 0; 10 8.4 0 0
7. MEMBER INCIDENCES
8. 1 1 2 9 1 1
9. MEMBER PROPERTY INDIAN
10. 1 TO 9 PRIS YD 1.0 ZD 1.0
11. SUPPORTS
12. 2 3 5 6 8 9 PINNED
13. CONSTANTS
14. E 3.6E+006
15. POISSON 0.15 ALL
16. *REACTION ON BEARING DUE TO DL+SIDL
17. LOAD 1
18. JOINT LOAD
19. 1 10 FY -122.11
20. 4 7 FY -99.38
21. PERFORM ANALYSIS
22. PRINT MEMBER FORCES

MEMBER FORCES □

ALL UNITS ARE -- MTON METE

MEMBER	LOAD	JT	AXIAL	SHEAR-Y	SHEAR-Z	TORSION	MOM-Y	MOM-Z
1	1	1	0.00	-122.11	0.00	0.00	0.00	0.00
		2	0.00	122.11	0.00	0.00	0.00	-62.28
2	1	2	0.00	36.70	0.00	0.00	0.00	62.28
		3	0.00	-36.70	0.00	0.00	0.00	3.05
3	1	3	0.00	42.44	0.00	0.00	0.00	-3.05
		4	0.00	-42.44	0.00	0.00	0.00	24.69
4	1	4	0.00	-56.94	0.00	0.00	0.00	-24.69
		5	0.00	56.94	0.00	0.00	0.00	-4.35
5	1	5	0.00	0.00	0.00	0.00	0.00	4.35
		6	0.00	0.00	0.00	0.00	0.00	-4.35
6	1	6	0.00	56.94	0.00	0.00	0.00	4.35
		7	0.00	-56.94	0.00	0.00	0.00	24.69
7	1	7	0.00	-42.44	0.00	0.00	0.00	-24.69
		8	0.00	42.44	0.00	0.00	0.00	3.05
8	1	8	0.00	-36.70	0.00	0.00	0.00	-3.05
		9	0.00	36.70	0.00	0.00	0.00	-62.28
9	1	9	0.00	122.11	0.00	0.00	0.00	62.28
		10	0.00	-122.11	0.00	0.00	0.00	0.00

23. FIN

APPENDIX

INPUT FILE: girder.STD

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1. STAAD PLANE
2. START JOB INFORMATION
3. ENGINEER DATE 08-JUN-06
4. END JOB INFORMATION
5. INPUT WIDTH 79
6. UNIT METER MTON
7. JOINT COORDINATES
8. 1 0.000 0.0 0.0
9. 2 0.400 0.0 0.0
10. 3 2.688 0.0 0.0
11. 4 2.9 0.0 0.0
12. 5 4.150 0.0 0.0
13. 6 5.400 0.0 0.0
14. 7 7.900 0.0 0.0
15. 8 11.650 0.0 0.0
16. 9 15.400 0.0 0.0
17. 10 19.150 0.0 0.0
18. 11 22.900 0.0 0.0
19. 12 25.400 0.0 0.0
20. 13 26.650 0.0 0.0
21. 14 27.9 0.0 0.0
22. 15 28.113 0.0 0.0
23. 16 30.400 0.0 0.0
24. 17 30.800 0.0 0.0
25. MEMBER INCIDENCES
26. 1 1 2; 2 2 3; 3 3 4; 4 4 5; 5 5 6; 6 6 7; 7 7 8; 8 8 9; 9 9 10; 10 10 11
27. 11 11 12; 12 12 13; 13 13 14; 14 14 15; 15 15 16; 16 16 17
28. CONSTANTS
29. E 3.65E06 ALL
30. POISSON 0.15 ALL
31. DENSITY 2.5 ALL
32. MEMBER PROPERTY INDIAN
33. ****OUTER GIRDER
34. 6 TO 11 PRIS AX 0.9098 IX 0.0248 IZ 0.3951
35. 1 TO 3 14 TO 16 PRIS AX 1.0983 IX 0.0545 IZ 0.4184
36. 4 5 12 13 PRIS AX 1.2868 IX 0.0843 IZ 0.4417
37. SUPPORTS
38. 2 PINNED
39. 16 FIXED BUT FX MZ
40. *****DEAD LOAD (SELF WEIGHT OF THE GIRDER)
41. LOAD 1
42. MEMBER LOAD
43. 6 TO 11 UNI GY -2.76525
44. 1 TO 2 15 TO 16 UNI GY -3.84664
45. 3 14 UNI GY -3.846624
46. 4 13 UNI GY -3.306124
47. 5 12 UNI GY -2.76525
48. *****DIAPHRAM*****
49. LOAD 2
50. JOINT LOAD
51. 2 16 FY -4.268
52. 7 9 11 FY -2.9754
53. PERFORM ANALYSIS
54. PRINT MEMBER FORCES LIST 2 4 6 7 8
□ MEMBER FORCES LIST 2 □

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MEMBER END FORCES STRUCTURE TYPE = PLANE

ALL UNITS ARE -- MTON METE

MEMBER	LOAD	JT	AXIAL	SHEAR-Y	SHEAR-Z	TORSION	MOM-Y	MOM-Z
2	1	2	0.00	44.86	0.00	0.00	0.00	0.31
		3	0.00	-36.06	0.00	0.00	0.00	92.26
	2	2	0.00	4.46	0.00	0.00	0.00	0.00
		3	0.00	-4.46	0.00	0.00	0.00	10.21
4	1	4	0.00	35.24	0.00	0.00	0.00	-99.82
		5	0.00	-31.11	0.00	0.00	0.00	141.29
	2	4	0.00	4.46	0.00	0.00	0.00	-11.16
		5	0.00	-4.46	0.00	0.00	0.00	16.74
6	1	6	0.00	27.65	0.00	0.00	0.00	-178.01
		7	0.00	-20.74	0.00	0.00	0.00	238.50
	2	6	0.00	4.46	0.00	0.00	0.00	-22.32
		7	0.00	-4.46	0.00	0.00	0.00	33.47
7	1	7	0.00	20.74	0.00	0.00	0.00	-238.50
		8	0.00	-10.37	0.00	0.00	0.00	296.83
	2	7	0.00	1.49	0.00	0.00	0.00	-33.47
		8	0.00	-1.49	0.00	0.00	0.00	39.05
8	1	8	0.00	10.37	0.00	0.00	0.00	-296.83
		9	0.00	0.00	0.00	0.00	0.00	316.27
	2	8	0.00	1.49	0.00	0.00	0.00	-39.05
		9	0.00	-1.49	0.00	0.00	0.00	44.63

55. PRINT SUPPORT REACTION

☐ SUPPORT REACTION ☐

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = PLANE

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	1	0.00	46.40	0.00	0.00	0.00	0.00
	2	0.00	8.73	0.00	0.00	0.00	0.00
16	1	0.00	46.40	0.00	0.00	0.00	0.00
	2	0.00	8.73	0.00	0.00	0.00	0.00

56. PRINT MAXFORCE ENVELOPE LIST 1 TO 16

☐ MAXFORCE ENVELOPE LIST 1 ☐

MAX AND MIN FORCE VALUES AMONGST ALL SECTION LOCATIONS

MEMB	FY/ FZ	DIST DIST	LD LD	MZ/ MY	DIST DIST	LD LD	FX	DIST	LD
1 MAX	0.00	0.00	1	0.31	0.40	1			
	0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	-1.54	0.40	0.00	0.40	2			
		0.00	0.40	0.00	0.40	2	0.00	0.40	2

2	MAX	44.86	0.00	1	0.31	0.00	1			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	4.46	2.29	2	-92.26	2.29	1			
		0.00	2.29	2	0.00	2.29	2	0.00	2.29	2
3	MAX	36.06	0.00	1	-10.21	0.00	2			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	4.46	0.21	2	-99.82	0.21	1			
		0.00	0.21	2	0.00	0.21	2	0.00	0.21	2
4	MAX	35.24	0.00	1	-11.16	0.00	2			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	4.46	1.25	2	-141.29	1.25	1			
		0.00	1.25	2	0.00	1.25	2	0.00	1.25	2
5	MAX	31.11	0.00	1	-16.74	0.00	2			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	4.46	1.25	2	-178.01	1.25	1			
		0.00	1.25	2	0.00	1.25	2	0.00	1.25	2
6	MAX	27.65	0.00	1	-22.32	0.00	2			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	4.46	2.50	2	-238.50	2.50	1			
		0.00	2.50	2	0.00	2.50	2	0.00	2.50	2
7	MAX	20.74	0.00	1	-33.47	0.00	2			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	1.49	3.75	2	-296.83	3.75	1			
		0.00	3.75	2	0.00	3.75	2	0.00	3.75	2
8	MAX	10.37	0.00	1	-39.05	0.00	2			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	0.00	3.75	1	-316.27	3.75	1			
		0.00	3.75	2	0.00	3.75	2	0.00	3.75	2
9	MAX	0.00	0.00	1	-39.05	3.75	2			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	-10.37	3.75	1	-316.27	0.00	1			
		0.00	3.75	2	0.00	3.75	2	0.00	3.75	2
10	MAX	-1.49	0.00	2	-33.47	3.75	2			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	-20.74	3.75	1	-296.83	0.00	1			
		0.00	3.75	2	0.00	3.75	2	0.00	3.75	2
11	MAX	-4.46	0.00	2	-22.32	2.50	2			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	-27.65	2.50	1	-238.50	0.00	1			
		0.00	2.50	2	0.00	2.50	2	0.00	2.50	2
12	MAX	-4.46	0.00	2	-16.74	1.25	2			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	-31.11	1.25	1	-178.01	0.00	1			
		0.00	1.25	2	0.00	1.25	2	0.00	1.25	2
13	MAX	-4.46	0.00	2	-11.16	1.25	2			

		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	-35.24	1.25	1	-141.29	0.00	1			
		0.00	1.25	2	0.00	1.25	2	0.00	1.25	2
14	MAX	-4.46	0.00	2	-10.21	0.21	2			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	-36.06	0.21	1	-99.82	0.00	1			
		0.00	0.21	2	0.00	0.21	2	0.00	0.21	2
15	MAX	-4.46	0.00	2	0.31	2.29	1			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	-44.86	2.29	1	-92.22	0.00	1			
		0.00	2.29	2	0.00	2.29	2	0.00	2.29	2
16	MAX	1.54	0.00	1	0.31	0.00	1			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN	0.00	0.40	1	0.00	0.37	2			
		0.00	0.40	2	0.00	0.40	2	0.00	0.40	2

***** END OF FORCE ENVELOPE FROM INTERNAL STORAGE *****

57. FINISH

***** END OF THE STAAD.Pro RUN *****

**** DATE= NOV 22,2006 TIME= 17:37:15 ****

110. *****LIVE LOAD*****

111. DEFINE MOVING LOAD FILE SATY1

112. TYPE 1 CLASSA 1.125

113. TYPE 2 70RW 1.125

114. TYPE 3 70RT 1.1

115. *****

116. *FROM MEDIAN SIDE

117. *TWO LANE OF CLASS A

118. LOAD GENERATION 105

119. TYPE 1 -18.8 0 4.45 XINC 0.5

120. TYPE 1 -18.8 0 7.95 XINC 0.5

121. *70R WHEELED

122. LOAD GENERATION 92

123. TYPE 2 -13.4 0 5.81 XINC 0.5

124. *70R TRACKED TRAIN

125. LOAD GENERATION 75

126. TYPE 3 -4.576 0 5.93 XINC 0.5

127. *****

128. *FROM FOOTPATH SIDE

129. *TWO LANE OF CLASS A

130. *LOAD GENERATION 105

131. *TYPE 1 -18.8 0 4.3 XINC 0.5

132. *TYPE 1 -18.8 0 7.8 XINC 0.5

133. *70R WHEELED

134. *LOAD GENERATION 92

135. *TYPE 2 -13.4 0 5.66 XINC 0.5

136. *70R TRACKED

137. *LOAD GENERATION 75

138. *TYPE 3 -4.576 0 5.78 XINC 0.5

139. PERFORM ANALYSIS

140. *PRINT FORCE ENVELOPE NSECTION 2 LIST 18 34 50 66

141. *PRINT FORCE ENVELOPE NSECTION 2 LIST 20 36 52 68

142. *PRINT FORCE ENVELOPE NSECTION 2 LIST 22 38 54 70

143. PRINT FORCE ENVELOPE NSECTION 2 LIST 18 20 22 23 24

FORCE ENVELOPE NSECTION 2

MEMB	DISTANCE	FY	LD	MZ	LD	FZ	LD	MY	LD	
18	0.00	MAX	25.11	136	5.99	30	0.00	272	0.00	272
		MIN	-0.59	106	-0.23	210	0.00	272	0.00	272
	1.14	MAX	24.92	138	3.42	1	0.00	272	0.00	272
		MIN	-0.59	106	-26.84	137	0.00	272	0.00	272
	2.29	MAX	24.46	140	3.57	1	0.00	272	0.00	272
		MIN	-0.59	106	-54.36	138	0.00	272	0.00	272

MAX/MIN FORCE VALUES FOR MEMB 18, AMONGST ALL SECT LOCATIONS										
	FY/	DIST	LD	MZ/	DIST	LD				
	FZ	DIST	LD	MY	DIST	LD	FX	DIST	LD	
MAX.	25.11	0.00	136	5.99	0.00	30				
	0.00	0.00	1	0.00	0.00	1	0.00	0.00	1	
MIN.	-0.59	2.29	106	-54.36	2.29	138				
	0.00	2.29	272	0.00	2.29	272	0.00	2.29	272	
20	0.00	MAX	24.46	140	3.60	1	0.00	272	0.00	272
		MIN	-0.59	106	-59.40	138	0.00	272	0.00	272
	0.62	MAX	23.95	136	3.68	106	0.00	272	0.00	272

		MIN	-0.59	106	-74.25	138	0.00	272	0.00	272
	1.25	MAX	23.95	136	4.05	106	0.00	272	0.00	272
		MIN	-0.59	106	-89.10	137	0.00	272	0.00	272

MAX/MIN FORCE VALUES FOR MEMB					20, AMONGST ALL SECT LOCATIONS					
		FY/	DIST	LD	MZ/	DIST	LD			
		FZ	DIST	LD	MY	DIST	LD	FX	DIST	LD
	MAX.	24.46	0.00	140	4.05	1.25	106			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN.	-0.59	1.25	106	-89.10	1.25	137			
		0.00	1.25	272	0.00	1.25	272	0.00	1.25	272

22	0.00	MAX	24.07	138	4.71	106	0.00	272	0.00	272
		MIN	-0.54	106	-119.01	137	0.00	272	0.00	272
	1.25	MAX	23.68	140	5.39	106	0.00	272	0.00	272
		MIN	-0.54	106	-147.66	138	0.00	272	0.00	272
	2.50	MAX	22.64	143	6.06	106	0.00	272	0.00	272
		MIN	-0.54	106	-175.11	140	0.00	272	0.00	272

MAX/MIN FORCE VALUES FOR MEMB					22, AMONGST ALL SECT LOCATIONS					
		FY/	DIST	LD	MZ/	DIST	LD			
		FZ	DIST	LD	MY	DIST	LD	FX	DIST	LD
	MAX.	24.07	0.00	138	6.06	2.50	106			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN.	-0.54	2.50	106	-175.11	2.50	140			
		0.00	2.50	272	0.00	2.50	272	0.00	2.50	272

23	0.00	MAX	14.86	150	6.02	106	0.00	272	0.00	272
		MIN	-4.47	216	-174.57	140	0.00	272	0.00	272
	1.87	MAX	14.35	154	5.44	106	0.00	272	0.00	272
		MIN	-4.63	218	-191.07	142	0.00	272	0.00	272
	3.75	MAX	13.70	150	4.85	106	0.00	272	0.00	272
		MIN	-4.63	218	-207.59	143	0.00	272	0.00	272

MAX/MIN FORCE VALUES FOR MEMB					23, AMONGST ALL SECT LOCATIONS					
		FY/	DIST	LD	MZ/	DIST	LD			
		FZ	DIST	LD	MY	DIST	LD	FX	DIST	LD
	MAX.	14.86	0.00	150	6.02	0.00	106			
		0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
	MIN.	-4.63	3.75	218	-207.59	3.75	143			
		0.00	3.75	272	0.00	3.75	272	0.00	3.75	272

24	0.00	MAX	13.75	151	4.85	106	0.00	272	0.00	272
		MIN	-4.60	218	-207.47	143	0.00	272	0.00	272
	1.87	MAX	13.29	154	4.28	106	0.00	272	0.00	272
		MIN	-4.60	218	-224.33	146	0.00	272	0.00	272
	3.75	MAX	12.22	158	3.72	106	0.00	272	0.00	272
		MIN	-4.60	218	-238.92	148	0.00	272	0.00	272

MAX/MIN FORCE VALUES FOR MEMB					24, AMONGST ALL SECT LOCATIONS					
		FY/	DIST	LD	MZ/	DIST	LD			
		FZ	DIST	LD	MY	DIST	LD	FX	DIST	LD

MAX.	13.75	0.00	151	4.85	0.00	106			
	0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
MIN.	-4.60	3.75	218	-238.92	3.75	148			
	0.00	3.75	272	0.00	3.75	272	0.00	3.75	272

144. PRINT FORCE ENVELOPE NSECTION 2 LIST 24 40 56 72
FORCE ENVELOPE NSECTION 2

MEMB	DISTANCE		FY	LD	MZ	LD	FZ	LD	MY	LD
24	0.00	MAX	13.75	151	4.85	106	0.00	272	0.00	272
		MIN	-4.60	218	-207.47	143	0.00	272	0.00	272
	1.87	MAX	13.29	154	4.28	106	0.00	272	0.00	272
		MIN	-4.60	218	-224.33	146	0.00	272	0.00	272
	3.75	MAX	12.22	158	3.72	106	0.00	272	0.00	272
		MIN	-4.60	218	-238.92	148	0.00	272	0.00	272

MAX/MIN FORCE VALUES FOR MEMB 24, AMONGST ALL SECT LOCATIONS										
		FY/	DIST	LD	MZ/	DIST	LD			
		FZ	DIST	LD	MY	DIST	LD	FX	DIST	LD
MAX.	13.75	0.00	151		4.85	0.00	106			
	0.00	0.00	1		0.00	0.00	1	0.00	0.00	1
MIN.	-4.60	3.75	218		-238.92	3.75	148			
	0.00	3.75	272		0.00	3.75	272	0.00	3.75	272

40	0.00	MAX	19.27	232	2.94	106	0.00	272	0.00	272
		MIN	-12.84	223	-188.10	142	0.00	272	0.00	272
	1.87	MAX	13.02	236	2.83	106	0.00	272	0.00	272
		MIN	-20.07	227	-190.96	146	0.00	272	0.00	272
	3.75	MAX	8.91	240	2.73	106	0.00	272	0.00	272
		MIN	-27.70	231	-177.70	147	0.00	272	0.00	272

MAX/MIN FORCE VALUES FOR MEMB 40, AMONGST ALL SECT LOCATIONS										
		FY/	DIST	LD	MZ/	DIST	LD			
		FZ	DIST	LD	MY	DIST	LD	FX	DIST	LD
MAX.	19.27	0.00	232		2.94	0.00	106			
	0.00	0.00	1		0.00	0.00	1	0.00	0.00	1
MIN.	-27.70	3.75	231		-190.96	1.87	146			
	0.00	3.75	272		0.00	3.75	272	0.00	3.75	272

56	0.00	MAX	12.36	55	2.90	106	0.00	272	0.00	272
		MIN	-6.36	223	-145.28	52	0.00	272	0.00	272
	1.87	MAX	9.48	236	2.38	106	0.00	272	0.00	272
		MIN	-7.32	134	-148.00	56	0.00	272	0.00	272
	3.75	MAX	8.06	240	1.87	106	0.00	272	0.00	272
		MIN	-8.38	138	-146.68	147	0.00	272	0.00	272

MAX/MIN FORCE VALUES FOR MEMB 56, AMONGST ALL SECT LOCATIONS										
		FY/	DIST	LD	MZ/	DIST	LD			
		FZ	DIST	LD	MY	DIST	LD	FX	DIST	LD
MAX.	12.36	0.00	55		2.90	0.00	106			
	0.00	0.00	1		0.00	0.00	1	0.00	0.00	1

MIN.	-8.38	3.75	138	-148.00	1.87	56			
	0.00	3.75	272	0.00	3.75	272	0.00	3.75	272

72	0.00	MAX	6.11	64	2.22	106	0.00	272	0.00 272
		MIN	-0.97	24	-111.98	52	0.00	272	0.00 272
	1.87	MAX	5.87	59	2.12	106	0.00	272	0.00 272
		MIN	-0.97	24	-117.69	53	0.00	272	0.00 272
	3.75	MAX	5.65	63	2.01	106	0.00	272	0.00 272
		MIN	-0.97	24	-123.46	54	0.00	272	0.00 272

	MAX/MIN FORCE VALUES FOR MEMB 72, AMONGST ALL SECT LOCATIONS								
	FY/	DIST	LD	MZ/	DIST	LD			
	FZ	DIST	LD	MY	DIST	LD	FX	DIST	LD

MAX.	6.11	0.00	64	2.22	0.00	106			
	0.00	0.00	1	0.00	0.00	1	0.00	0.00	1
MIN.	-0.97	3.75	24	-123.46	3.75	54			
	0.00	3.75	272	0.00	3.75	272	0.00	3.75	272

***** END OF FORCE ENVELOPE FROM INTERNAL STORAGE *****

145. LOAD LIST 148 158 132

146. PRINT MEMBER FORCES LIST 24

☐ MEMBER FORCES LIST 24 ☐

MEMBER	LOAD	JT	AXIAL	SHEAR-Y	SHEAR-Z	TORSION	MOM-Y	MOM-Z
24	132	25	0.00	-1.74	0.00	0.54	0.00	-158.60
		26	0.00	4.20	0.00	-0.54	0.00	144.50
	148	25	0.00	11.85	0.00	0.41	0.00	-201.84
		26	0.00	-7.65	0.00	-0.41	0.00	238.92
	158	25	0.00	13.37	0.00	0.33	0.00	-152.03
		26	0.00	-12.22	0.00	-0.33	0.00	198.15

147. *****

148. LOAD LIST 143 150 139

149. PRINT MEMBER FORCES LIST 23

☐ MEMBER FORCES LIST 23 ☐

MEMBER	LOAD	JT	AXIAL	SHEAR-Y	SHEAR-Z	TORSION	MOM-Y	MOM-Z
23	139	24	0.00	7.69	0.00	0.65	0.00	-174.39
		25	0.00	-2.77	0.00	-0.65	0.00	198.64
	143	24	0.00	12.41	0.00	0.62	0.00	-169.78
		25	0.00	-8.94	0.00	-0.62	0.00	207.59
	150	24	0.00	14.86	0.00	0.63	0.00	-144.01
		25	0.00	-13.70	0.00	-0.63	0.00	195.41

150. *****

151. LOAD LIST 140 143 150

152. PRINT MEMBER FORCES LIST 22

☐ MEMBER FORCES LIST 22 ☐

MEMBER	LOAD	JT	AXIAL	SHEAR-Y	SHEAR-Z	TORSION	MOM-Y	MOM-Z
22	140	23	0.00	23.68	0.00	1.72	0.00	-117.69
		24	0.00	-21.94	0.00	-1.72	0.00	175.11
	143	23	0.00	22.64	0.00	1.87	0.00	-113.76
		24	0.00	-22.64	0.00	-1.87	0.00	170.34
	150	23	0.00	19.88	0.00	2.02	0.00	-94.93


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                24      0.00    -19.88      0.00    -2.02      0.00    144.63
153. LOAD LIST 137 136 150
154. PRINT MEMBER FORCES LIST 20
□ MEMBER    FORCES    LIST      20      □
  MEMBER END FORCES      STRUCTURE TYPE = FLOOR
-----
ALL UNITS ARE -- MTON METE
MEMBER  LOAD  JT      AXIAL    SHEAR-Y    SHEAR-Z    TORSION    MOM-Y    MOM-Z
  20  136   21      0.00     23.95     0.00      1.96     0.00    -58.91
                22      0.00    -23.95     0.00     -1.96     0.00     88.84
        137   21      0.00     23.89     0.00      2.07     0.00    -59.24
                22      0.00    -23.89     0.00     -2.07     0.00     89.10
        150   21      0.00     19.38     0.00      2.81     0.00    -46.20
                22      0.00    -19.38     0.00     -2.81     0.00     70.42
155. LOAD LIST 138 140 150
156. PRINT MEMBER FORCES LIST 18
□ MEMBER    FORCES    LIST      18      □
  MEMBER  LOAD  JT      AXIAL    SHEAR-Y    SHEAR-Z    TORSION    MOM-Y    MOM-Z
    18  138   19      0.00     24.92     0.00      2.18     0.00     1.76
                20      0.00    -23.76     0.00     -2.18     0.00    54.36
        140   19      0.00     24.46     0.00      2.37     0.00     1.92
                20      0.00    -24.46     0.00     -2.37     0.00    54.05
        150   19      0.00     19.38     0.00      2.81     0.00     2.25
                20      0.00    -19.38     0.00     -2.81     0.00    42.09
157. FINISH
***** END OF THE STAAD.Pro RUN *****

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INPUT FILE: SIDL.STD

```
1. STAAD FLOOR
2. START JOB INFORMATION
3. ENGINEER DATE 26-SEP-06
4. END JOB INFORMATION
5. INPUT WIDTH 79
6. UNIT METER MTON
7. JOINT COORDINATES
8. 1 0.000 0.0 0.0
9. 2 1.080 0.0 0.0
10. 3 3.368 0.0 0.0
11. 4 3.580 0.0 0.0
12. 5 4.830 0.0 0.0
13. 6 6.080 0.0 0.0
14. 7 8.580 0.0 0.0
15. 8 12.330 0.0 0.0
16. 9 16.080 0.0 0.0
17. 10 19.830 0.0 0.0
18. 11 23.580 0.0 0.0
19. 12 26.080 0.0 0.0
20. 13 27.330 0.0 0.0
21. 14 28.580 0.0 0.0
22. 15 28.793 0.0 0.0
23. 16 31.080 0.0 0.0
24. 17 32.160 0.0 0.0
25. REPEAT ALL 1 0.0 0.0 1.8
26. REPEAT 3 0.0 0.0 2.8
27. REPEAT 1 0.0 0.0 1.8
28. MEMBER INCIDENCES
29.1 1 2; 2 2 3;3 3 4; 4 4 5;5 5 6; 6 6 7;7 7 8; 8 8 9; 9 9 10; 10 10 11
30.11 11 12;12 12 13;13 13 14;14 14 15;15 15 16; 16 16 17;17 18 19; 18 19 20
31.19 20 21;20 21 22; 21 22 23;22 23 24;23 24 25; 24 25 26;25 26 27;26 27 28
32.27 28 29;28 29 30; 29 30 31;30 31 32;31 32 33;32 33 34;33 35 36; 34 36 37
33. 35 37 38; 36 38 39;37 39 40;38 40 41;39 41 42;40 42 43;41 43 44;42 44 45
34. 43 45 46; 44 46 47;45 47 48;46 48 49;47 49 50;48 50 51;49 52 53;50 53 54
35. 51 54 55; 52 55 56;53 56 57;54 57 58;55 58 59;56 59 60;57 60 61;58 61 62
36. 59 62 63;60 63 64;61 64 65;62 65 66;63 66 67;64 67 68;65 69 70; 66 70 71
37. 67 71 72;68 72 73;69 73 74;70 74 75;71 75 76;72 76 77;73 77 78; 74 78 79
38. 75 79 80; 76 80 81;77 81 82;78 82 83;79 83 84;80 84 85;81 86 87;82 87 88
39. 83 88 89; 84 89 90;85 90 91;86 91 92;87 92 93;88 93 94;89 94 95;90 95 96
40. 91 96 97; 92 97 98; 93 98 99; 94 99 100; 95 100 101; 96 101 102; 97 1 18
41. 98 18 35; 99 35 52; 100 52 69; 101 69 86; 102 2 19; 103 19 36; 104 36 53
42. 105 53 70; 106 70 87; 107 5 22; 108 22 39; 109 39 56;110 56 73;111 73 90
43. 112 7 24; 113 24 41; 114 41 58; 115 58 75; 116 75 92;117 8 25; 118 25 42
44. 119 42 59; 120 59 76; 121 76 93; 122 9 26; 123 26 43;124 43 60;125 60 77
45. 126 77 94; 127 10 27; 128 27 44; 129 44 61;130 61 78;131 78 95;132 11 28
46. 133 28 45; 134 45 62; 135 62 79; 136 79 96;137 13 30;138 30 47;139 47 64
47. 140 64 81; 141 81 98; 142 16 33;143 33 50;144 50 67;145 67 84;146 84 101
48. 147 17 34; 148 34 51; 149 51 68; 150 68 85; 151 85 102
49. MEMBER PROPERTY INDIAN
50. *OUTER GIRDER
51. 22 TO 27 70 TO 75 PRIS AX 1.906 IX 0.0404 IZ 1.3135
52. 17 18 31 32 65 66 79 80 PRIS AX 2.339 IX 0.1104 IZ 1.4253
53. 19 TO 21 28 TO 30 67 TO 69 76 TO 78 PRIS AX 2.122 IX 0.0754 IZ 1.3694
54. *INNER GIRDER
```

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55. 38 TO 43 54 TO 59 PRIS AX 1.806 IX 0.0393 IZ 1.2605
56. 33 34 47 TO 50 63 64 PRIS AX 2.239 IX 0.1093 IZ 1.3623
57. 35 TO 37 44 TO 46 51 TO 53 60 TO 62 PRIS AX 2.022 IX 0.0743 IZ 1.3114
58. *END DIAPHRAM
59. 103 TO 105 143 TO 145 PRIS AX 1.549 IX 0.054 IZ 0.6285
60. *CENTRAL DIAPHRAM
61. 113 TO 115 123 TO 125 133 TO 135 PRIS AX 1.478 IX 0.0240 IZ 0.5107
62. *CANTILEVER PORTION
63. 1 TO 16 81 TO 96 PRIS AX 0.001 IX 0.0001 IZ 0.0001
64. *TRANSVERSE MEMBERS
65. 107 TO112 116 TO122 126 TO132 136 TO141 PRIS AX 0.938 IX0.0098 IZ 0.0049
66. 102 106 142 146 PRIS AX 0.739 IX 0.0077 IZ 0.0038
67. 97 TO 101 147 TO 151 PRIS AX 0.0001 IX 0.0001 IZ 0.0001
68. CONSTANTS
69. E 2.2146E06
70. DEN CONC ALL
71. POISSON 0.15
72. SUPPORTS
73. 19 36 53 70 PINNED
74. 33 50 67 84 FIXED BUT FX MX MY MZ
75. **** SIDL INCLUDING FOOTPATH LL
76. LOAD 1
77. MEMBER LOAD
78. 1 TO 16 UNI GY -1.503
79. 17 TO 32 UNI GY -0.862
80. 33 TO 48 UNI GY -0.552
81. 49 TO 64 UNI GY -0.552
82. 65 TO 80 UNI GY -0.862
83. 81 TO 96 UNI GY -1.503
84. PERFORM ANALYSIS
85. PRINT MEMBER FORCES LIST 24 40 56 72
    MEMBER FORCES LIST 24
MEMBER END FORCES STRUCTURE TYPE = FLOOR
-----

```

ALL UNITS ARE -- MTON METE

MEMBER	LOAD	JT	AXIAL	SHEAR-Y	SHEAR-Z	TORSION	MOM-Y	MOM-Z
24	1	25	0.00	1.23	0.00	-2.88	0.00	-164.74
		26	0.00	2.00	0.00	2.88	0.00	163.30
40	1	42	0.00	6.91	0.00	0.52	0.00	-142.92
		43	0.00	-4.84	0.00	-0.52	0.00	164.96
56	1	59	0.00	6.91	0.00	-0.52	0.00	-142.92
		60	0.00	-4.84	0.00	0.52	0.00	164.96
72	1	76	0.00	1.23	0.00	2.88	0.00	-164.74
		77	0.00	2.00	0.00	-2.88	0.00	163.30


```

86. PRINT MEMBER FORCES LIST 18 20 22 23 24
    MEMBER FORCES LIST 18
MEMBER LOAD JT AXIAL SHEAR-Y SHEAR-Z TORSION MOM-Y MOM-Z

```

MEMBER	LOAD	JT	AXIAL	SHEAR-Y	SHEAR-Z	TORSION	MOM-Y	MOM-Z
18	1	19	0.00	23.58	0.00	5.73	0.00	0.39
		20	0.00	-21.61	0.00	-5.73	0.00	51.30

20	1	21	0.00	21.42	0.00	5.73	0.00	-55.86
		22	0.00	-20.35	0.00	-5.73	0.00	81.97
22	1	23	0.00	12.45	0.00	-1.74	0.00	-98.10
		24	0.00	-10.30	0.00	1.74	0.00	126.54
23	1	24	0.00	11.84	0.00	3.10	0.00	-126.42
		25	0.00	-8.60	0.00	-3.10	0.00	164.75
24	1	25	0.00	1.23	0.00	-2.88	0.00	-164.74
		26	0.00	2.00	0.00	2.88	0.00	163.30

87. FINISH

INPUT FILE: SLAB.STD

```
1. STAAD PLANE
2. START JOB INFORMATION
3. ENGINEER DATE 26-SEP-06
4. END JOB INFORMATION
5. INPUT WIDTH 79
6. UNIT METER MTON
7. JOINT COORDINATES
8. 1 0.000 0.0 0.0
9. 2 1.080 0.0 0.0
10. 3 3.368 0.0 0.0
11. 4 3.580 0.0 0.0
12. 5 4.830 0.0 0.0
13. 6 6.080 0.0 0.0
14. 7 8.580 0.0 0.0
15. 8 12.330 0.0 0.0
16. 9 16.080 0.0 0.0
17. 10 19.830 0.0 0.0
18. 11 23.580 0.0 0.0
19. 12 26.080 0.0 0.0
20. 13 27.330 0.0 0.0
21. 14 28.580 0.0 0.0
22. 15 28.793 0.0 0.0
23. 16 31.080 0.0 0.0
24. 17 32.160 0.0 0.0
25. MEMBER INCIDENCES
26. 1 1 2; 2 2 3; 3 3 4; 4 4 5; 5 5 6; 6 6 7; 7 7 8; 8 8 9; 9 9 10; 10 10 11
27. 11 11 12; 12 12 13; 13 13 14; 14 14 15; 15 15 16; 16 16 17
28. DEFINE MATERIAL START
29. ISOTROPIC MATERIAL1
30. E 3.65E+006
31. POISSON 0.15
32. DENSITY 2.4026
33. DAMP 0.001
34. END DEFINE MATERIAL
35. MEMBER PROPERTY INDIAN
36. ****OUTER GIRDER
37. 6 TO 11 PRIS AX 0.9098 IX 0.0248 IZ 0.3951
38. 1 TO 3 14 TO 16 PRIS AX 1.0983 IX 0.0545 IZ 0.4184
39. 4 5 12 13 PRIS AX 1.2868 IX 0.0843 IZ 0.4417
40. CONSTANTS
41. MATERIAL MATERIAL1 MEMB 1 TO 16
42. SUPPORTS
43. 2 16 PINNED
44. *****DEAD LOAD (SELF WEIGHT OF THE SLAB)
45. LOAD 1
46. MEMBER LOAD
47. *(2.8*0.5+1.8)*0.25*2.4
48. 1 TO 16 UNI GY -2
49. * *** SHUTTERING SLAB
50. LOAD 2
51. MEMBER LOAD
52. 1 TO 16 UNI GY -0.5
53. PERFORM ANALYSIS
54. PRINT MEMBER FORCES LIST 2 4 6 TO 8
```

MEMBER	LOAD	JT	AXIAL	SHEAR-Y	SHEAR-Z	TORSION	MOM-Y	MOM-Z
2	1	2	0.00	30.00	0.00	0.00	0.00	1.17
		3	0.00	-25.42	0.00	0.00	0.00	62.24
	2	2	0.00	7.50	0.00	0.00	0.00	0.29
		3	0.00	-6.36	0.00	0.00	0.00	15.56
4	1	4	0.00	25.00	0.00	0.00	0.00	-67.58
		5	0.00	-22.50	0.00	0.00	0.00	97.27
	2	4	0.00	6.25	0.00	0.00	0.00	-16.90
		5	0.00	-5.62	0.00	0.00	0.00	24.32
6	1	6	0.00	20.00	0.00	0.00	0.00	-123.83
		7	0.00	-15.00	0.00	0.00	0.00	167.58
	2	6	0.00	5.00	0.00	0.00	0.00	-30.96
		7	0.00	-3.75	0.00	0.00	0.00	41.90
7	1	7	0.00	15.00	0.00	0.00	0.00	-167.58
		8	0.00	-7.50	0.00	0.00	0.00	209.77
	2	7	0.00	3.75	0.00	0.00	0.00	-41.90
		8	0.00	-1.88	0.00	0.00	0.00	52.44
8	1	8	0.00	7.50	0.00	0.00	0.00	-209.77
		9	0.00	0.00	0.00	0.00	0.00	223.83
	2	8	0.00	1.88	0.00	0.00	0.00	-52.44
		9	0.00	0.00	0.00	0.00	0.00	55.96

55. PRINT SUPPORT REACTION

SUPPORT REACTION

SUPPORT REACTIONS -UNIT MTON METE

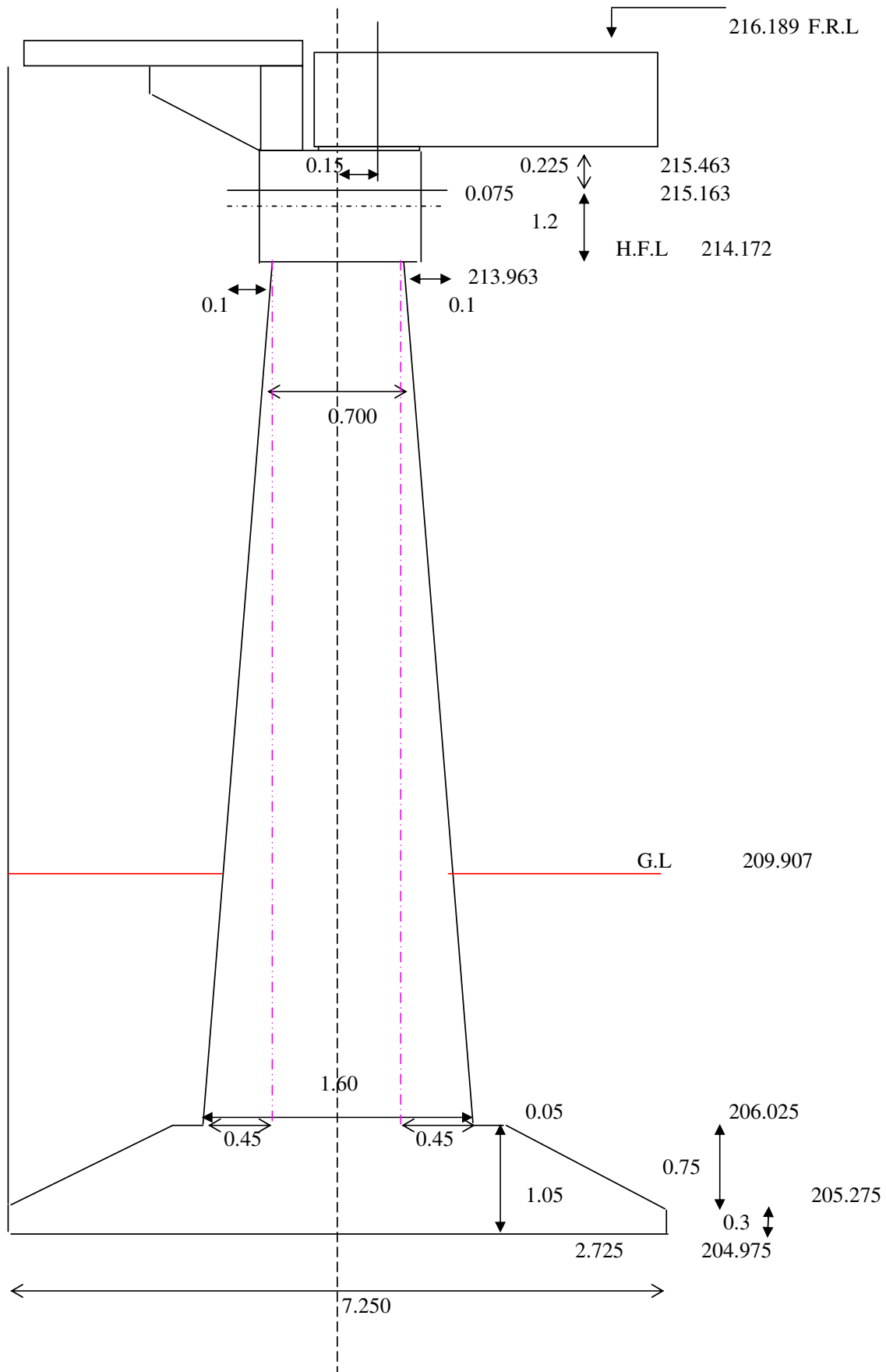
STRUCTURE TYPE = PLANE

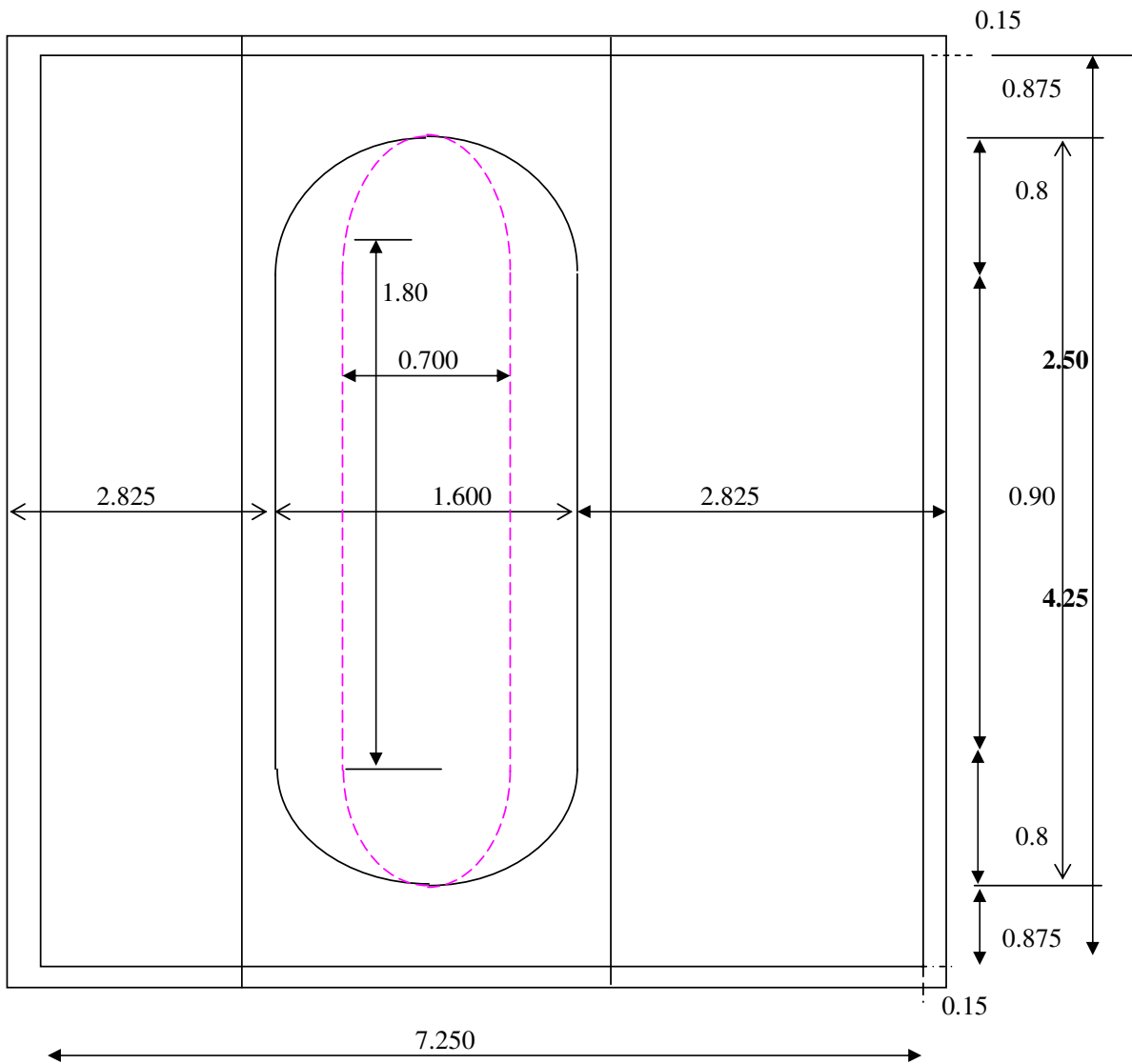
JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	1	0.00	32.16	0.00	0.00	0.00	0.00
	2	0.00	8.04	0.00	0.00	0.00	0.00
16	1	0.00	32.16	0.00	0.00	0.00	0.00
	2	0.00	8.04	0.00	0.00	0.00	0.00

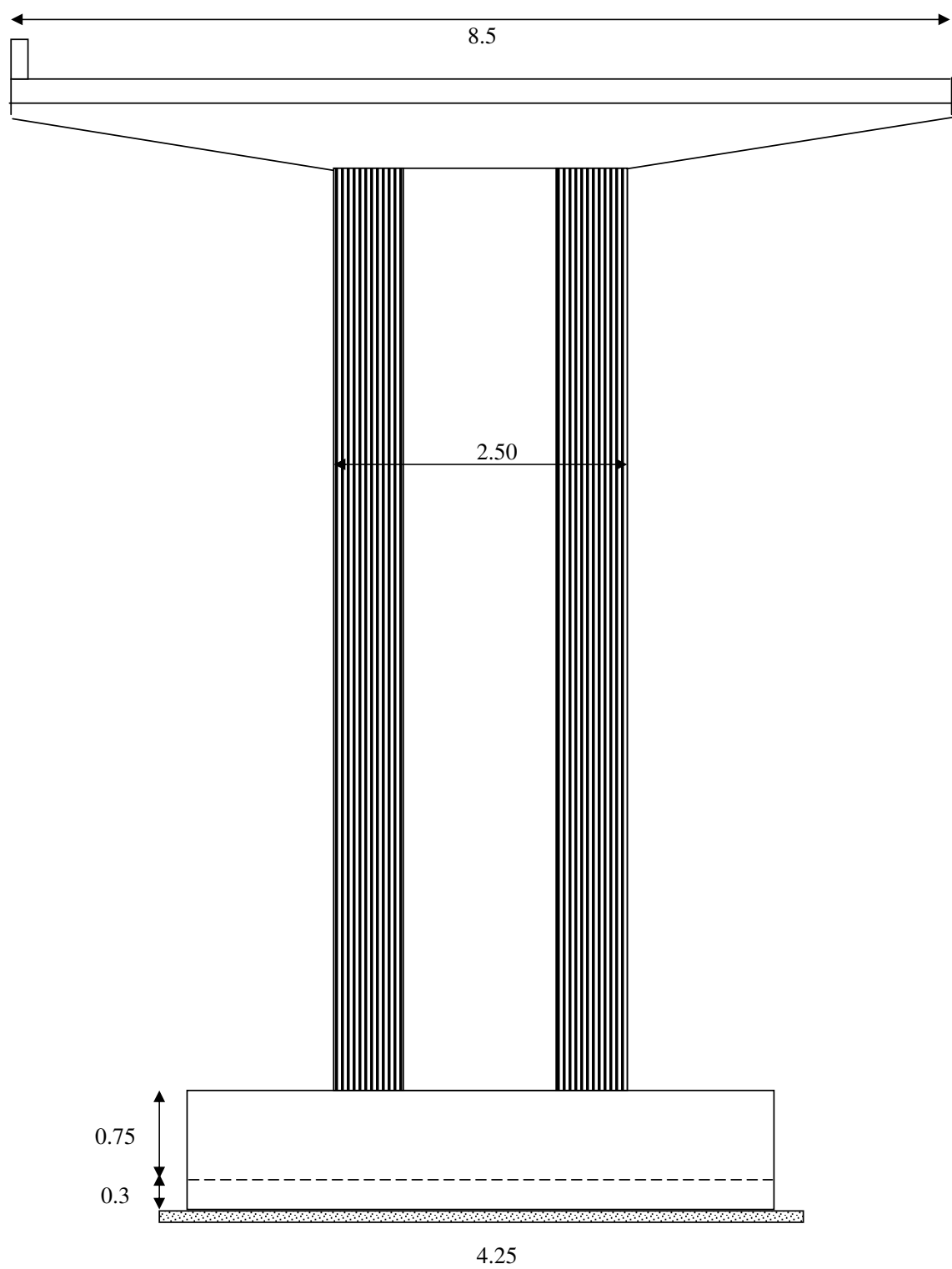
56. FINISH

BRIDGE AT CH:29+400

DESIGN OF SUBSTRUCTURE (ABUTMENT - PIER)







Design Data :

For design purposes, following parameters have been considered.

Grade of concrete	=	M - 25	
	Abutment Cap	=	M - 25
Grade of reinforcement steel	=	Fe - 415	
Centre to Centre distance of A / Expansion joints	=	9.200	m
Centre to Centre distance of Bearing	=	8.800	m
Depth of superstructure	=	670	mm
Thickness of wearing coat	=	56.00	mm
Formation level along C of carriage way	=	216.189	m
Soffit level	=	215.463	
Pedestal top level	=	215.463	
Height of bearing and Pedestal	=	0.000	m
L.W.L./Bed level	=	209.907	m
H.F.L	=	214.172	m
M.S.L	=	202.700	m
Founding Level	=	204.975	m
Abutment cap top level	=	215.463	m
Gross safe bearing capacity	=	29.400	t/m ²
Live Load	(a) Class A two Lane		
	(b) Class 70R wheeled		
Bearing neoprene but during raising Tar paper bearing may be kept.			
Seismic zone	=	II	

The following codes are used for the design of substructure:

- 1 IRC : 6 - 2000
- 2 IRC : 21 - 2000
- 3 IRC : 78 - 2000

As per clause 214.2 of IRC:6, horizontal braking force F_h , for each span is:

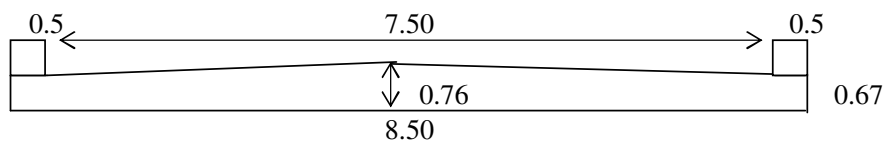
For Class A 2 lane : $F_h = 0.2 \times 49.5 = 9.896 \text{ t}$

For class 70R wheeled : $F_h = 0.2 \times 47.72 = 9.544 \text{ t}$

Summary of Longitudinal Forces :

Load Case	Longitudinal horizontal force (t)
Class A 2 lane	4.95
70R	4.77

Dead load



Dead load of slab = 14.561 t/m

Wearing coat = 0.924 t/m

Crashbarrier = 1.000 t/m

Dead load reaction = 66.978 t

Sidl reaction = 13.45 t

Dry Condition with L.L							
<i>a) Vertical load and their moments about C/L of Foundation base.</i>							
I							
1 D.L Reaction	P		e_L	M_L		e_T	M_T
a Left span	66.98		0.15	10.047		0	0
2 S.I.D.L							
a Left span	13.45		0.15	2.0176		0	0
	80.429			12.064			0
4 L.L							
a Left span							
70R Wheeled	47.72		0.15	7.158		1.16	55.355
Class A 2 Lane	49.48		0.15	7.422		0.7	34.636
	128.15			19.222			55.355

II Substructure	V		ρ	P		e_L	M_L		e_T		M_T
1 Pedestal											
a Left span	0		2.4	0		0.15	0		0		0
2 Abut cap R	2.1465		2.4	5.1516		0	0		0		0
Abut cap Tr	4.779		2.4	11.47		0	0		0		0
3 Abut shaft											
up to G.L	10.334		2.4	24.801		0	0		0		0
below G.L	9.8903		2.4	23.737		0	0		0		0
4 Footing	23.348		2.4	56.036		0	0		0		0
5 Earth above footing	118.73		1.80	213.71		0	0		0		0
6											
7 Earth wt on heel side	66.079		1.8	118.942		-2.213	-263.22				
				334.91			-263				0

<i>b) Horizontal Forces and Moments with respect to Base</i>											
1 Longitudinal Forces at bearing level											
	H_L	H_T		e_L	M_L	e_T		M_T			
	4.77	0		10.488	50.049	10.488		0			
2 Earth pressure					462.11						
	4.77	0			512.16			0			

Summary

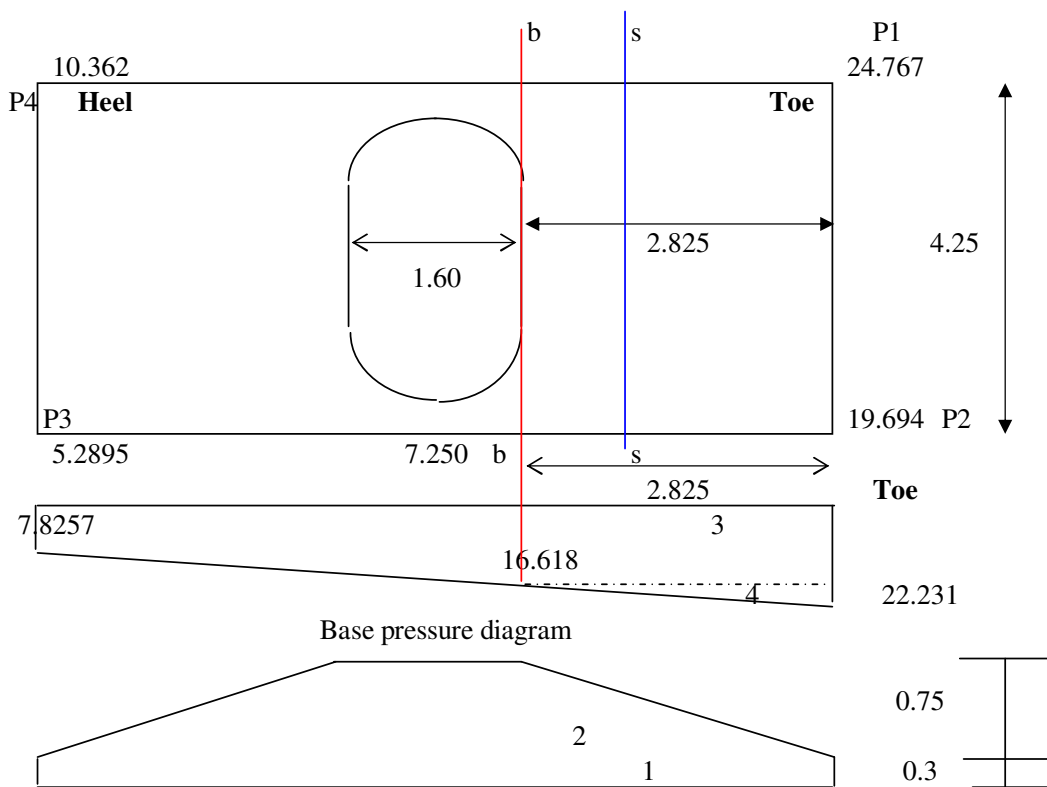
$$\begin{aligned}
 \mathbf{P} &= 463.05 \text{ t} \\
 \mathbf{M}_L &= 268 \text{ t-m} \\
 \mathbf{M}_T &= 55.355 \text{ t-m}
 \end{aligned}$$

A	=	30.813
Z _L	=	37.232
Z _T	=	21.826

Check for Maximum Allowable Base Pressure:

$$P_{\max} = \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} = \frac{463.05}{30.813} + \frac{268.16}{37.232} + \frac{55.355}{21.826} = 24.767 \text{ t/m}^2$$

$$P_{\min} = \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} = \frac{463.05}{30.813} - \frac{268.16}{37.232} - \frac{55.355}{21.826} = 5.2895 \text{ t/m}^2$$



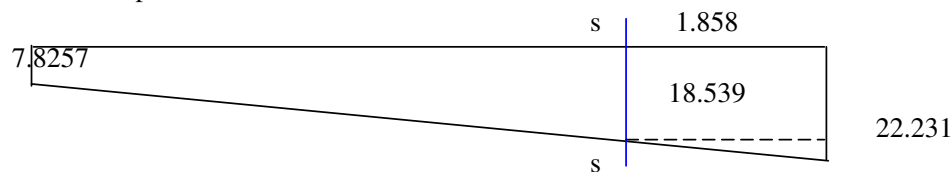
Design of Toe slab

Loadings	Element		Area factor		Force		L.A		Moment
Downward loads	1		1		2.034		1.4125		2.873
	2		0.5		2.5425		0.9417		2.3942
Upward base pressure									
	3		1		-16.618		1.4125		-23.472
	4		0.5		-7.9283		0.9417		-7.4658

Net bending moment at face of stem	=	25.671 t-m/m
Effective depth required	=	0.4772 m
Effective depth Provided at face of stem	=	0.965 m
Area of reinforcement required	=	1445.8 mm ²
Minimum steel req	=	1447.5 mm ²
Provide 16 ϕ 120 mm c/c	=	1675.5 mm ²

Shear

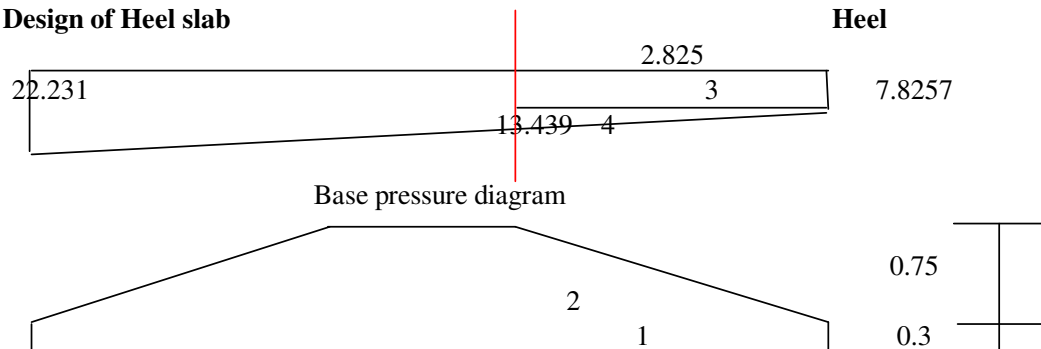
Effective depth d of footing	=	0.967 m
Total depth of section at distance d from Abutment	=	0.7933 m
Effective depth at distance d from face of Abutment	=	0.7023 m



width b = 4.25

Loadings	Element	Area factor	Force	L.A	Moment
Downward loads	1	1	1.3378	0.929	1.2428
	2	0.5	1.6722	0.6193	1.0356
Upward base pressure					
	3	1	-18.539	0.929	-17.223
	4	0.5	-3.4295	0.6193	-2.124
			18.96		17.07

Effective depth at a distance of d eff	=	0.7023 m
Shear at critical section	=	18.96 t
Bending moment at critical section	=	17.07 t-m
$\tan(\beta) = 0.404$		
Net shear force	=	9.15 t
Shear stress	=	13.026 t/m ²
% of reinforcement	=	0.2386
Permissible shear stress	=	26.89 t/m ²
NO SHEAR REINFORCEMENT REQ		

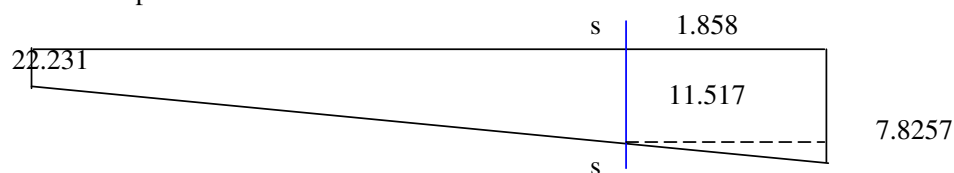
Design of Heel slab

Loadings	Element		Area factor	Force	L.A	Moment
Downward loads	1		1	2.034	1.4125	2.873
	2		0.5	2.5425	0.9417	2.3942
	earth			55.498	1.4125	78.39
Upward base pressure						
	3		1	-7.8257	1.4125	-11.054
	4		0.5	-7.9283	0.9417	-7.4658

Net bending moment at face of stem	=	65.138 t-m/m
Effective depth required	=	0.7601 m
Effective depth Provided at face of stem	=	0.9975 m
Area of reinforcement required	=	3549 mm ²
Minimum steel req	=	1496.3 mm ²
Provide 25 ϕ 125 mm c/c	=	3927 mm ²

Shear

Effective depth d of footing	=	0.9625 m
Total depth of section at distance d from Abutment	=	0.7945 m
Effective depth at distance d from face of Abutment	=	0.6945 m



width b = 4.25

Loadings	Element		Area factor	Force	L.A	Moment
Downward loads	1		1	1.3378	0.929	1.2428
	2		0.5	1.6722	0.6193	1.0356
	earth			36.501	0.929	33.909
Upward base pressure						
	3		1	-7.8257	0.929	-7.2701
	4		0.5	-3.4295	0.6193	-2.124
				28.26		26.79

Effective depth at a distance of d eff	=	0.6945 m
Shear at critical section	=	28.26 t
Bending moment at critical section	=	26.79 t-m
$\tan(\beta) = 0.404$		
Net shear force	=	12.68 t
Shear stress	=	18.261 t/m ²
% of reinforcement	=	0.5655
Permissible shear stress	=	30.478 t/m ²
NO SHEAR REINFORCEMENT REQ		

Dry Condition with L.L									
<i>a) Vertical load and their moments about Abutment Shaft bottom</i>									
II Substructure	V		ρ	P		e_L	M_L	e_T	M_T
1 Pedestal									
a Left span	0		2.4	0		0.15	0	0	0
2 Abut cap R	1.6099		2.4	3.8637		0	0	0	0
Abut cap Tr	4.779		2.4	11.47		0	0	0	0
3 Abutment shaft									
up to G.L	10.334		2.4	24.801		0	0	0	0
below G.L	9.8903		2.4	23.737		0	0	0	0
4 Earth pressure							351		
				63.871			351		0

<i>b) Horizontal Forces and Moments with respect to Abutment Shaft bottom</i>									
1 Longitudinal Forces at bearing level									
	H_L		H_T		e_L	M_L	e_T		M_T
	4.77		0		9.438	45.038	9.438		0
	4.77		0			45.038			0

Summary for design of Abutment

$$\begin{aligned}
 P &= 192.02 \text{ t} \\
 M_L &= 414.81 \text{ t-m} \\
 M_T &= 55.355 \text{ t-m}
 \end{aligned}$$

H.F.L Condition with L.L								
<i>a) Vertical load and their moments about C/L of Foundation base.</i>								
I								
1 D.L Reaction	P		e_L		M_L		e_T	M_T
a Left span	66.978		0.150		10.047		0.000	0.000
2 S.I.D.L								
a Left span	13.450		0.150		2.018		0.000	0.000
	80.429				12.064			0.000
3 L.L								
a Left span								
70R Wheeled	47.720		0.150		7.158		1.160	55.355
Class A 2 Lane	49.480		0.150		7.422		0.700	34.636
	128.149				19.222			55.355

II Substructure	V	ρ	P	e_L	M_L	e_T	M_T
1 Pedestal							
a Left span	0.000	2.400	0.000	0.150	0.000	0.000	0.000
2 Abut cap R	2.147	2.400	5.152	0.000	0.000	0.000	0.000
Abut cap Tr	4.779	2.400	11.470	0.000	0.000	0.000	0.000
3 Abut shaft up to H.F.L	0.000	2.400	0.000	0.000	0.000	0.000	0.000
below H.F.L	20.224	1.400	28.313	0.000	0.000	0.000	0.000
4 Footing	23.348	1.400	32.688	0.000	0.000	0.000	0.000
5 Earth above footing	118.729	1.000	118.729	0.000	0.000	0.000	0.000
6 Earth Pressure					282.871		
7 Earth wt on heel side	66.079	1.000	66.079	-2.213	-146.23		
			196.351		136.639		0.000

<i>b) Horizontal Forces and Moments with respect to Base</i>						
1 Longitudinal Forces at bearing level						
	H_L	H_T	e_L	M_L	e_T	M_T
	4.772	0.000	10.488	50.049	10.488	0.000
	4.772	0.000		50.049		0.000

Summary

$$\begin{aligned}
 \mathbf{P} &= 324.500 \text{ t} \\
 \mathbf{M}_L &= 205.910 \text{ t-m} \\
 \mathbf{M}_T &= 55.355 \text{ t-m}
 \end{aligned}$$

Check for Maximum Allowable Base Pressure:

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{324.500}{30.813} + \frac{205.910}{37.232} + \frac{55.355}{21.826} = 18.598 \text{ t/m}^2
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{324.500}{30.813} - \frac{205.910}{37.232} - \frac{55.355}{21.826} = 2.465 \text{ t/m}^2
 \end{aligned}$$

H.F.L Condition with L.L

a) Vertical load and their moments about Abutment Shaft bottom

II Substructure	V	ρ	P	e_L	M_L	e_T	M_T
1 Pedestal							
a Left span	0.000	2.400	0.000	0.150	0.000	0.000	0.000
2 Abut cap R	1.610	2.400	3.864	0.000	0.000	0.000	0.000
Abut cap Tr	4.779	2.400	11.470	0.000	0.000	0.000	0.000
3 Abut shaft up to H.F.L	0.000	2.400	0.000	0.000	0.000	0.000	0.000
below H.F.L	20.224	1.400	28.313	0.000	0.000	0.000	0.000
			43.647		0.000		0.000

b) Horizontal Forces and Moments with respect to Abutment Shaft bottom

1 Longitudinal Forces at bearing level

	H_L	H_T	e_L	M_L	e_T	M_T
	4.772	0.000	9.438	45.038	9.438	0.000
Earth pressure				219.644		
	4.772	0.000		264.682		0.000

Summary for design of Abutment shaft

P	=	171.795	t
M_L	=	283.904	t-m
M_T	=	55.355	t-m

Summary of Loads at Abutment Shaft bottom :

1 DRY condition	P		M_L		M_T
With L.L	192.02		414.81		55.36
2 H.F.L					
With L.L	171.80		283.90		55.36

Dimensions of Substructure & Foundation

1 Pedestal

Length	=	0.7	
Width	=	0.55	Volume = 0
Height	=	0	

2 Pier cap

a Top uniform portion

Width	=	0.90	
Depth	=	0.225	Volume = 1.60988 m ³
Length	=	7.95	

b Top uniform portion

Width	=	0.90	
Depth	=	0.075	Volume = 0.53663 m ³
Length	=	7.95	

c Bottom trapezoidal portion

	Width	=	0.90	
	Depth	=	1.2	Volume = 4.779 m ³
	Length	=	7.95	
Area at level	215.163 m	=	7.95 x 0.9	= 7.155 m ²
Area at level	213.963 m	=	0.9 x 0.9	= 0.81 m ²
				= 6.9255 m ³

H.F.L

Pier cap	=	1.60988 m ³
	=	0.53663 m ³
	=	4.779 m ³

3 Abutment shaft

Area at abutment shaft bottom	=	3.45062 m ²	
Area at abutment shaft top	=	1.64485 m ²	
Average area	=	2.54773 m ²	
Height of Abutment shaft	=	7.94	
Height above Ground level	=	4.056 m	Volume = 10.3336
Height below Ground level	=	3.882 m	Volume = 9.8903
			= 20.2239 m ³

Height above H.F.L	=	0.000 m	Volume = 0
Height below H.F.L	=	7.94 m	Volume = 20.2239
			= 20.2239 m ³

4 Pedestal at footing top

Width	=	1.6	
Length	=	2.50	Volume = 0 m ³
Height	=	0	

5 Footing

at foundation level

Width	=	7.250	m
Length	=	4.25	m
Thickness at Root	=	1.05	m
Thickness at Tip	=	0.3	m

$$= 23.3484 \text{ m}^3$$

Volume of Overburdden earth below ground level

$$\text{Total volume } 7.250 \times 4.250 \times 4.932 = 151.967 \text{ m}^3$$

$$\text{Net volume below Ground level} = 118.729 \text{ m}^3$$

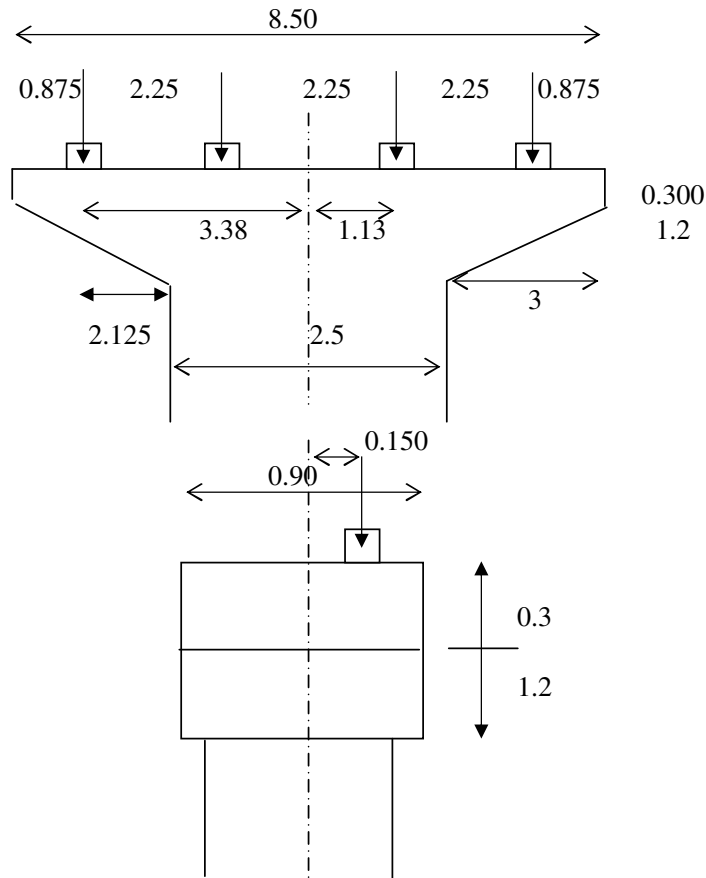
$$\text{Wt of earth on Heel side above ground level} = 66.0788 \text{ t}$$

Sectional Properties of Footing

$$A = 7.250 \times 4.250 = 30.813 \text{ m}^2$$

$$Z_L = 4.250 \times 8.76042 = 37.232 \text{ m}^3$$

$$Z_T = 7.250 \times 3.01042 = 21.826 \text{ m}^3$$

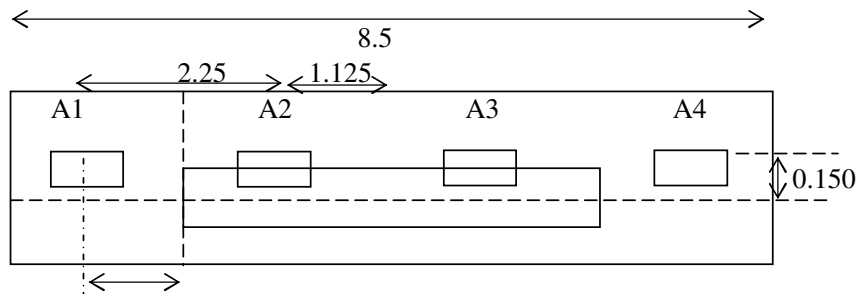
DESIGN OF ABUTMENT CAP:

For Outer bearing $a = 2.125$
 $D = 1.50$

Available effective depth
 using 25 mm dia of bars $d = 1.5 - 0.05 - 0.025$
 $= 1.425 \text{ m}$

$$\frac{a}{d} = \frac{2.125}{1.425} = 1.4912 > 1$$

= Pier cap designed as Cantilever



Bearings A1 & A4 are effective.

A1		
DL	16.745	
SIDL	3.3626	
LL		
70RW	11.93	

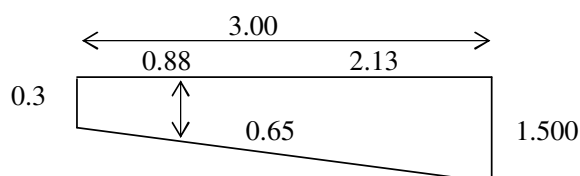
$$\text{due to Transverse moment} \quad A1 = 47.72 \times 1.16 = 55.355$$

$$A1 = \frac{55.355 \times 3.38}{25.31} = 7.3807 \text{ t}$$

Summary of loads from superstructure:

Loads on Outer bearings

A1	
DL	16.745
SIDL	3.3626
LL	7.3807
	11.93
39.418	



Selfweight of piercap upto section through outerbearing:

$$= \frac{0.3 + 1.50}{2.00} \times 3.00 \times 0.9 \times 2.4 = 5.832 \text{ t}$$

$$\text{Distance of c.g from section} = 1.1667 \text{ m}$$

Calculation of Cantilevermoment at bearing section

Moment at the face due to load from outerbearing

$$= 39.42 \times 2.13 = 83.76297 \text{ t-m}$$

$$\text{Due to selfweight of Abutment cap} = 5.832 \times 1.1667 = 6.804 \text{ t-m}$$

$$\text{Total moment at the face of support} = \mathbf{90.567 \text{ t-m}}$$

Torsion at outerbearing section:

$$= 39.418$$

$$\text{Eccentricity} = 0.15$$

$$\text{Moment} = 5.9127 \text{ t-m}$$

Longitudinal Reinforcement:

$$\begin{aligned}
 M &= 90.567 &= 90.567 \text{ t-m} \\
 \text{For, } M &- 25 \quad \& \quad Fe - 415 \\
 \sigma_{cbc} &= 8.33 \text{ N/mm}^2 \\
 m &= 10 \\
 \sigma_{st} &= 200 \text{ N/mm}^2 \\
 K &= 0.294 \\
 j &= 0.902 \\
 R &= 1.105 \\
 \text{Effective depth required} &= \frac{90.567 \times 10^7}{1.105 \times 900} \\
 &= 954.15 < 1425 \text{ O.K} \\
 A_{st} \text{ required} &= \frac{90.567}{200 \times 0.902 \times 1425} \\
 &= 3523.2002 \text{ mm}^2
 \end{aligned}$$

Provide 6 nos 20 mm dia bars in 2 layers 3769.9 mm²

This reinforcement will provided in full length of Abutment cap.

Check for Shear:

At bearing section

$$\begin{aligned}
 \text{Available Effective depth at root} &= 1425 \text{ mm} \\
 \text{Downward Load from Superstructure} &= 39.418 \\
 &= 39.418 \text{ t} \\
 \text{Downward Load due to self wt of Abutment cap} &= 5.832 \text{ t} \\
 \text{Total downward Load} &= 45.25 \text{ t}
 \end{aligned}$$

$$\begin{aligned}
 \text{After shear correction, S.F} &= V - \frac{M \tan \beta}{d} \\
 &= 45.25 - \frac{90.567 \times 0.4}{1.425} \\
 &= 19.827561 \text{ t}
 \end{aligned}$$

Equivalent shear IRC:21-2000,cl:304.2.3.1

$$b = \frac{0.9 + 0.9}{2} = 0.9 \text{ m}$$

$$V_e = V + 1.6 \times \frac{T}{b} = 30.339 \text{ t}$$

$$\text{Shear stress} = \frac{30.339 \times 10000}{900 \times 1425} = 0.2366 \text{ N/mm}^2$$

$$\text{Area of tension reinforcement} = 0.294 \%$$

$$\tau_c = 0.2711 \text{ N/mm}^2$$

Provide minimum shear

EARTH PRESSURE CALCULATION

Formation level	=	216.189 m
Founding level	=	204.975 m
Low Water Level	=	209.907 m
Highest flood level	=	214.172 m

CALCULATION OF ACTIVE EARTH PRESSURE

From Coulomb's theory of active earth pressure

$$K_a = \frac{\sin^2(\alpha + \phi)}{\sin^2 \alpha \cdot \sin(\alpha - \delta) \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - i)}{\sin(\alpha - \delta) \cdot \sin(\alpha + i)} \right]^2}$$

Here Angle of internal friction,	ϕ	=	30°
Angle of friction between soil and concrete,	δ	=	20°
Surcharge angle	i	=	0°
Angle of wall face with horizontal	α	=	90°
Bulk density of earth	γ	=	1.8 t/m ³
Submerged density of earth	γ_{sub}	=	1.0 t/m ³
Width of abutment		=	2.50 m

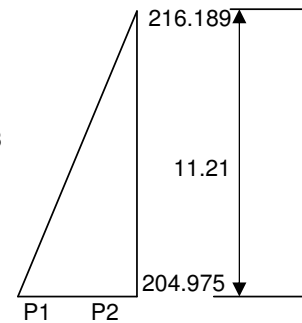
$$K_a = \frac{\sin^2 2.09}{\sin^2 1.57 \times \sin 1.22 \times \left[\sqrt{1 + \frac{\sin 0.87 \times \sin 0.52}{\sin 1.22 \times \sin 1.57}} \right]^2}$$

* (value of angles in radian)

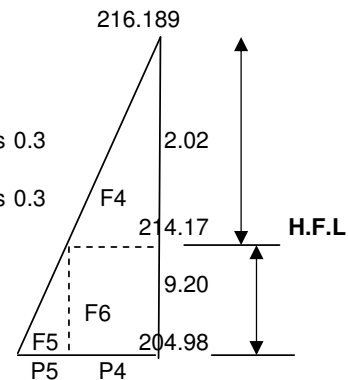
$$= \frac{0.750}{2.523} = 0.2973$$

CALCULATION OF EARTH PRESSURE IN DRY CONDITION

P1=	0.2973	x	1.8	x	11.21	=	6 t/m ²
P2=	0.2973	x	1.0	x	0.00	=	0 t/m ²
F1=	0.5	x	6.001	x	11.21	x	2.5 x cos 0.3
=	79.051 t		say	80 t			
M =	79.051	x	0.42	x	11.21		
=	372 t-m						

**CALCULATION OF EARTH PRESSURE IN FULL SUPPLY LEVEL CONDITION**

P4=	0.2973	x	1.8	x	2.02	=	1.08 t/m ²		
P5=	0.2973	x	1.0	x	9.20	=	2.73 t/m ²		
F4=	0.5	x	1.079	x	2.02	x	2.5	x	cos 0.3
=	2.5574 t								
F5=	0.5	x	2.734	x	9.20	x	2.5	x	cos 0.3
=	29.54 t								
F6=	1.08	x	9.20	x	2.5	x	cos 0.3		
=	23.32 t								
Total force, F =	2.5574	+		29.54	+	23.32			
	=	55	t						
M =	2.5574	x	(0.42	x	2.02	+	9.20)		
	+ 29.54	x	0.33	x	9.20	+	23.3	x	$\frac{9.20}{2}$
=	223 t-m								

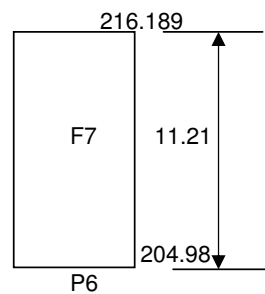


CALCULATION OF LIVE LOAD SURCHARGE**Dry**

$$\begin{aligned}
 P6 &= 0.2973 \times 1.2 \times 1.8 = 0.64 \text{ t/m}^2 \\
 F7 &= 0.64 \times 11.21 \times 3 \times \cos 0.3 \\
 &= 17 \text{ t} \\
 M &= 17 \times \frac{10.61}{2} = 90 \text{ t-m}
 \end{aligned}$$

H.F.L

$$\begin{aligned}
 P6 &= 0.2973 \times 1.2 \times 1.0 = 0.36 \text{ t/m}^2 \\
 F7 &= 0.6422 \times 2.02 \times 3 \times \cos 0.3 = 3.043011 \text{ t} \\
 &= 0.3568 \times 9.20 \times 3 \times \cos 0.3 = 7.708525 \text{ t} \\
 &= 10.75154 \\
 M &= 3.043 + 7.708524503 \times 5.607 = 60.28386 \text{ tm}
 \end{aligned}$$



EARTH PRESSURE CALCULATION

Formation level	=	216.189 m
Abutment shaft bottom level	=	206.025 m
Low Water Level	=	209.907 m
Highest flood level	=	214.172 m

CALCULATION OF ACTIVE EARTH PRESSURE

From Coulomb's theory of active earth pressure

$$K_a = \frac{\sin^2(\alpha + \phi)}{\sin^2 \alpha \cdot \sin(\alpha - \delta) \left[1 + \frac{\sin(\phi + \delta) \cdot \sin(\phi - i)}{\sin(\alpha - \delta) \cdot \sin(\alpha + i)} \right]^2}$$

Here Angle of internal friction,	ϕ	=	30°
Angle of friction between soil and concrete,	δ	=	20°
Surcharge angle	i	=	0°
Angle of wall face with horizontal	α	=	90°
Bulk density of earth	γ	=	1.8 t/m ³
Submerged density of earth	γ_{sub}	=	1.0 t/m ³
Width of abutment		=	2.50 m

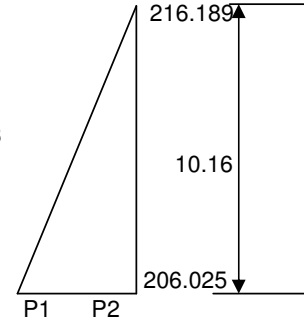
$$K_a = \frac{\sin^2 2.09}{\sin^2 1.57 \times \sin 1.22 \times \left[1 + \frac{\sin 0.87 \times \sin 0.52}{\sin 1.22 \times \sin 1.57} \right]^2}$$

* (value of angles in radian)

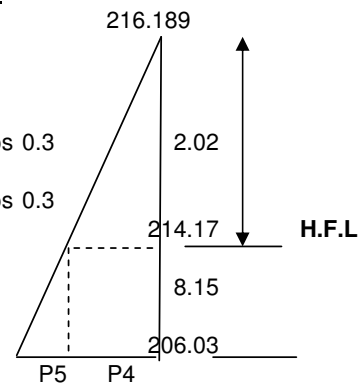
$$= \frac{0.750}{2.523} = 0.2973$$

CALCULATION OF EARTH PRESSURE IN DRY CONDITION

$$\begin{aligned} P1 &= 0.2973 \times 1.8 \times 10.16 = 5.44 \text{ t/m}^2 \\ P2 &= 0.2973 \times 1.0 \times 0.00 = 0 \text{ t/m}^2 \\ F1 &= 0.5 \times 5.439 \times 10.16 \times 2.5 \times \cos 0.3 \\ &= 64.941 \text{ t say } 65 \text{ t} \\ M &= 64.941 \times 0.42 \times 10.16 \\ &= 277 \text{ t-m} \end{aligned}$$

**CALCULATION OF EARTH PRESSURE IN FULL SUPPLY LEVEL CONDITION**

$$\begin{aligned} P4 &= 0.2973 \times 1.8 \times 2.02 = 1.08 \text{ t/m}^2 \\ P5 &= 0.2973 \times 1.0 \times 8.15 = 2.42 \text{ t/m}^2 \\ F4 &= 0.5 \times 1.079 \times 2.02 \times 2.5 \times \cos 0.3 \\ &= 2.5574 \text{ t} \\ F5 &= 0.5 \times 2.422 \times 8.15 \times 3 \times \cos 0.3 \\ &= 23.18 \text{ t} \\ F6 &= 1.08 \times 8.15 \times 2.5 \times \cos 0.3 \\ &= 20.66 \text{ t} \\ \text{Total force, } F &= 2.5574 + 23.18 + 20.66 \\ &= 46 \text{ t} \\ M &= 2.5574 \times (0.42 \times 2.02 + 8.15) \\ &\quad + 23.18 \times 0.33 \times 8.15 + 20.7 \times \frac{8.15}{2} \\ &= 169 \text{ t-m} \end{aligned}$$



CALCULATION OF LIVE LOAD SURCHARGE**Dry**

$$P6 = 0.2973 \times 1.2 \times 1.8 = 0.64 \text{ t/m}^2$$

$$F7 = 0.64 \times 10.16 \times 3 \times \cos 0.3$$

$$= 15 \text{ t}$$

$$M = 15 \times \frac{9.56}{2} = 73 \text{ t-m}$$

H.F.L

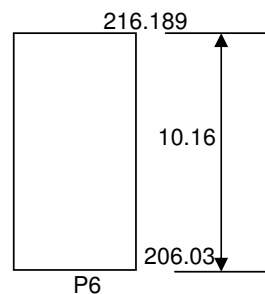
$$P6 = 0.2973 \times 1.2 \times 1.0 = 0.36 \text{ t/m}^2$$

$$F7 = 0.6422 \times 2.02 \times 3 \times \cos 0.3 = 3.043011 \text{ t}$$

$$= 0.3568 \times 8.15 \times 3 \times \cos 0.3 = 6.82846 \text{ t}$$

$$= 9.871471$$

$$M = 3.043 + 6.828460272 \times 5.082 = 50.16682 \text{ tm}$$



ABUT SHAFT .case 1 L.W.L

Depth of Section = 1.600 m
 Width of Section = 2.500 m

along width-compression face- no of bar: 18 tension face- no of bar: 18
 Dia (mm) 20 32
 Cover (cm) 7.50 7.5
 along depth-compression face- no of bar: 6 tension face- no of bar: 6
 Dia (mm) 16 16
 Cover (cm) 7.50 7.5

Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 85.00 Kg/cm²
 Allowable Steel Stress = 2000.00 Kg/cm²

Axial Load = 192.020 T
 Mxx = 414.810 Tm
 Myy = 55.360 Tm

Intercept of Neutral axis : X axis : = 9.879 m
 : y axis : = .543 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 72.81 Kg/cm²
 Stress in Steel due to Loads = 1496.34 Kg/cm²
 Percentage of Steel = .56 %

ABUT SHAFT .case 2 H.F.L

Depth of Section = 1.600 m
 Width of Section = 2.500 m

Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 85.00 Kg/cm²
 Allowable Steel Stress = 2000.00 Kg/cm²

Axial Load = 171.800 T
 Mxx = 284.270 Tm
 Myy = 55.360 Tm

Intercept of Neutral axis : X axis : = 7.574 m
 : y axis : = .614 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 52.35 Kg/cm²
 Stress in Steel due to Loads = 944.22 Kg/cm²
 Percentage of Steel = .56 %

INPUT FILE: CLASS A.STD

```

1. STAAD SPACE
2. INPUT WIDTH 72
3. UNIT METER MTON
4. PAGE LENGTH 1000
5. UNIT METER MTON
6. JOINT COORDINATES
7. 1 0.0 0 0;2 0.4 0 0;3 8.8 0 0;4 9.2 0 0
8. MEMBER INCIDENCES
9. 1 1 2 3
10. MEMBER PROPERTY CANADIAN
11. 1 TO 3 PRI YD 1.0 ZD 1.0
12. CONSTANT
13. E CONCRETE ALL
14. DENSITY CONCRETE ALL
15. POISSON CONCRETE ALL
16. SUPPORT
17. 2 3 PINNED
18. DEFINE MOVING LOAD
19. TYPE 1 LOAD 2*2.7 2*11.4 4*6.8 DIS 1.1 3.2 1.2 4.3 3 3 3
20. LOAD GENERATION 100
21. TYPE 1 -18.8 0. 0. XINC .2
22. PERFORM ANALYSIS
23. LOAD LIST 74
24. PRINT SUPPORT REACTION
    SUPPORT REACTION

```

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = SPACE

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	74	0.00	24.74	0.00	0.00	0.00	0.00
3	74	0.00	11.66	0.00	0.00	0.00	0.00

***** END OF LATEST ANALYSIS RESULT *****

25. FINISH

INPUT FILE: 70RW.STD

```

1. STAAD SPACE
2. INPUT WIDTH 72
3. UNIT METER MTON
4. PAGE LENGTH 1000
5. UNIT METER MTON
6. JOINT COORDINATES
7. 1 0.0 0 0;2 0.4 0 0;3 8.8 0 0;4 9.2 0 0
8. MEMBER INCIDENCES
9. 1 1 2 3
10. MEMBER PROPERTY CANADIAN
11. 1 TO 3 PRI YD 1.0 ZD 1.0
12. CONSTANT
13. E CONCRETE ALL
14. DENSITY CONCRETE ALL
15. POISSON CONCRETE ALL
16. SUPPORT
17. 2 3 PINNED
18. DEFINE MOVING LOAD
19. TYPE 1 LOAD 8.0 2*12 4*17.0 DIS 3.96 1.52 2.13 1.37 3.05 1.37
20. LOAD GENERATION 175
21. TYPE 1 -13.4 0. 0. XINC .2
22. PERFORM ANALYSIS
23. LOAD LIST 30
24. PRINT SUPPORT REACTION
    SUPPORT REACTION

```

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = SPACE

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
□							
	2 30	0.00	47.72	0.00	0.00	0.00	0.00
	3 30	0.00	20.28	0.00	0.00	0.00	0.00

***** END OF LATEST ANALYSIS RESULT *****

25. FINISH

INPUT FILE: 9.2 M SPAN SIDL.STD

```
1. STAAD FLOOR
2. START JOB INFORMATION
3. ENGINEER DATE 09-JUN-06
4. END JOB INFORMATION
5. INPUT WIDTH 79
6. UNIT METER MTON
7. JOINT COORDINATES
8. 1 0.0 0.0 0.0;2 0.02 0.0 0.0;3 0.4 0.0 0.0 10 8.4 0.0 0.0;11 8.8 0.0 0.0
9. 12 9.18 0.0 0.0;13 9.22 0.0 0.0;14 9.6 0.0 0.0 22180.00.0;2318.380.0 0.0
10. 24 18.4 0.0 0.0
11. REPEAT ALL 1 0.0 0.0 1.0
12. REPEAT 3 0.0 0.0 2.0
13. REPEAT 1 0.0 0.0 1.0
14. MEMBER INCIDENCES
15. 1 1 2 23 1 1
16. REPEAT 5 23 24
17. 139 1 25 143 1 24
18. REPEAT 23 5 1
19. CONSTANTS
20. E 2.7386E+006
21. POISSON 0.15
22. DENSITY 2.4 MEMB 1 TO 138
23. DENSITY 0.0001 MEMB 139 TO 258
24. MEMBER PROPERTY INDIAN
25. 2 TO 11 13 TO 22 117 TO 126 128 TO 137 PRIS AX 0.330 IX 0.024 IZ 0.012
26. 25 TO 34 36 TO 45 94 TO 103 105 TO 114 PRIS AX 0.990 IX 0.072 IZ 0.036
27. 48 TO 57 59 TO 68 71 TO 80 82 TO 91 PRIS AX 1.320 IX 0.096 IZ 0.048
28. 1 12 23 24 35 46 47 58 69 70 81 92 93 104 115 -
29. 116 127 138 PRIS AX 0.0001 IX 0.0002 IZ 0.0001
30. 139 TO 258 PRIS AX 0.0001 IX 0.0002 IZ 0.0001
31. SUPPORTS
32. 27 51 75 99 ENFORCED BUT FX FZ MX MY MZ
33. 38 62 86 110 ENFORCED BUT FX FZ MX MY MZ
34. 35 59 83 107 PINNED
35. 46 70 94 118 PINNED
36. MEMBER RELEASE
37. 1 24 47 93 116 END MZ
38. 23 46 92 115 138 START MZ
39. 12 35 58 81 104 127 START MZ
40. 12 35 58 81 104 127 END MZ
41. LOAD 1 SIDL
42. *** CRASH BARRIER
43. MEMBER LOAD
44. 25 TO 45 UNI GY -1.0
45. 94 TO 114 UNI GY -1.0
46. 25 TO 45 UMOM GX -1.0
47. 94 TO 114 UMOM GX 1.0
48. LOAD 2 WEARINGCOAT
49. MEMBER LOAD
50. 25 TO 114 UNI GY -0.2464
51. PERFORM ANALYSIS
```

□

52. PRINT SUPPORT REACTION LIST 27 51 75 99 38 62 86 110 35 59 83 107 46 70
94 118

□ SUPPORT REACTION LIST 27 □

STAAD FLOOR

-- PAGE NO. 3

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = FLOOR

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
27	1	0.00	7.42	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
51	1	0.00	-2.84	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
75	1	0.00	-2.84	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
99	1	0.00	7.42	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
38	1	0.00	6.97	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
62	1	0.00	-2.37	0.00	0.00	0.00	0.00
	2	0.00	1.14	0.00	0.00	0.00	0.00
86	1	0.00	-2.37	0.00	0.00	0.00	0.00
	2	0.00	1.14	0.00	0.00	0.00	0.00
110	1	0.00	6.97	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
35	1	0.00	7.19	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
59	1	0.00	-2.59	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
83	1	0.00	-2.59	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
107	1	0.00	7.19	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
46	1	0.00	7.52	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
70	1	0.00	-2.94	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
94	1	0.00	-2.94	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00
118	1	0.00	7.52	0.00	0.00	0.00	0.00
	2	0.00	1.13	0.00	0.00	0.00	0.00

***** END OF LATEST ANALYSIS RESULT *****

53. FINISH

INPUT FILE: 9.2 M SPAN DL.STD

```
1. STAAD FLOOR
2. START JOB INFORMATION
3. ENGINEER DATE 09-JUN-06
4. END JOB INFORMATION
5. INPUT WIDTH 79
6. UNIT METER MTON
7. JOINT COORDINATES
8. 1 0.0 0.0 0.0;2 0.02 0.0 0.0;3 0.4 0.0 0.0 10 8.4 0.0 0.0;11 8.8 0.0 0.0
9. 12 9.18 0.0 0.0;139.22 0.0 0.0;14 9.6 0.00.0 22 18 0.00.0;2318.380.0 0.0
10. 24 18.4 0.0 0.0
11. REPEAT ALL 1 0.0 0.0 1.0
12. REPEAT 3 0.0 0.0 2.0
13. REPEAT 1 0.0 0.0 1.0
14. MEMBER INCIDENCES
15. 1 1 2 23 1 1
16. REPEAT 5 23 24
17. 139 1 25 143 1 24
18. REPEAT 23 5 1
19. CONSTANTS
20. E 2.7386E+006
21. POISSON 0.15
22. DENSITY 2.4 MEMB 1 TO 138
23. DENSITY 0.0001 MEMB 139 TO 258
24. MEMBER PROPERTY INDIAN
25. 2 TO 11 13 TO 22 117 TO 126 128 TO 137 PRIS AX 0.330 IX 0.024 IZ 0.012
26. 25 TO 34 36 TO 45 94 TO 103 105 TO 114 PRIS AX 0.990 IX 0.072 IZ 0.036
27. 48 TO 57 59 TO 68 71 TO 80 82 TO 91 PRIS AX 1.320 IX 0.096 IZ 0.048
28. 1 12 23 24 35 46 47 58 69 70 81 92 93 104 115 -
29. 116 127 138 PRIS AX 0.0001 IX 0.0002 IZ 0.0001
30. 139 TO 258 PRIS AX 0.0001 IX 0.0002 IZ 0.0001
31. SUPPORTS
32. 27 51 75 99 ENFORCED BUT FX FZ MX MY MZ
33. 38 62 86 110 ENFORCED BUT FX FZ MX MY MZ
34. 35 59 83 107 PINNED
35. 46 70 94 118 PINNED
36. MEMBER RELEASE
37. 1 24 47 93 116 END MZ
38. 23 46 92 115 138 START MZ
39. 12 35 58 81 104 127 START MZ
40. 12 35 58 81 104 127 END MZ

41. LOAD 1 SELFWEIGHT
42. SELF Y -1
43. PERFORM ANALYSIS
44. PRINT SUPPORT REACTION LIST 27 51 75 99 38 62 86 110 35 59 83 107 46 70
94 118
```

□ SUPPORT REACTION LIST 27 □

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = FLOOR

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
27	1	0.00	16.77	0.00	0.00	0.00	0.00
51	1	0.00	12.24	0.00	0.00	0.00	0.00
75	1	0.00	12.24	0.00	0.00	0.00	0.00
99	1	0.00	16.77	0.00	0.00	0.00	0.00
38	1	0.00	16.42	0.00	0.00	0.00	0.00
62	1	0.00	12.60	0.00	0.00	0.00	0.00
86	1	0.00	12.60	0.00	0.00	0.00	0.00
110	1	0.00	16.42	0.00	0.00	0.00	0.00
35	1	0.00	16.58	0.00	0.00	0.00	0.00
59	1	0.00	12.44	0.00	0.00	0.00	0.00
83	1	0.00	12.44	0.00	0.00	0.00	0.00
107	1	0.00	16.58	0.00	0.00	0.00	0.00
46	1	0.00	16.86	0.00	0.00	0.00	0.00
70	1	0.00	12.16	0.00	0.00	0.00	0.00
94	1	0.00	12.16	0.00	0.00	0.00	0.00
118	1	0.00	16.86	0.00	0.00	0.00	0.00

***** END OF LATEST ANALYSIS RESULT *****

45. FINISH

DESIGN OF SUBSTRUCTURE (PIER)

Design Data :

For design purposes, following parameters have been considered.

Grade of concrete		= M - 25
	Pier Cap	= M - 25
Grade of reinforcement steel		= Fe - 415
Centre to Centre distance between Expansion joints		= 9.200 m
Centre to Centre distance of Bearing		= 8.800 m
Depth of superstructure		= 670 mm
Thickness of wearing coat		= 56.00 mm
Formation level along $\bar{C}$ of carriage way		= 216.189 m
Soffit level		= 215.438
Pedestal top level		= 215.463
Height of bearing and Pedestal		= 0.025 m
L.W.L./Bed level		= 209.300 m
H.F.L		= 214.172 m
M.S.L		= 205.452 m
Founding Level		= 204.800 m
Pier cap top level		= 215.438 m
Gross safe bearing capacity		= 29.715 t/m^2
Live Load	(a) Class A two Lane	
	(b) Class 70R wheeled	
Bearing : neoprene but during raising Tar paper bearing may be kept.		
Seismic zone		= II

The following codes are used for the design of substructure:

- 1 IRC : 6 - 2000
- 2 IRC : 21 - 2000
- 3 IRC : 78 - 2000

As per clause 214.2 of IRC:6, horizontal braking force F_h , for each span is:

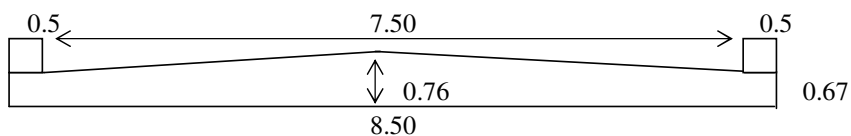
For Class A 2 lane : $F_h = [0.2 \times 59.2]$ = 11.836 t

For class 70R wheeled : $F_h = [0.2 \times 66.1]$ = 13.210 t

Summary of Longitudinal Forces :

Load Case	Longitudinal horizontal force (t)
Class A 2 lane	5.92
70R	6.61
Span dislodged condition	0.00

Dead load



Dead load of slab	=	14.561	t/m
Wearing coat	=	0.924	t/m
Crashbarrier	=	1	t/m
Dead load reaction	=	66.978	t
Sidl reaction	=	13.45	t

H.F.L Condition with L.L							
<i>a) Vertical load and their moments about C/L of Foundation base.</i>							
I							
1 D.L Reaction	P		e_L	M_L		e_T	M_T
a Left span	66.978		-0.400	-26.791		0.000	0.000
b Right span	66.978		0.400	26.791		0.000	0.000
2 S.I.D.L							
a Left span	13.450		-0.400	-5.380		0.000	0.000
b Right span	13.450		0.400	5.380		0.000	0.000
	160.857			0.000			0.000
3 L.L Max Reaction case							
a Left span							
70R Wheeled	36.000		-0.400	-14.400		1.160	41.760
Class A 2 Lane	33.600		-0.400	-13.440		0.700	23.520
b Right span							
70R Wheeled	30.050		0.400	12.020		1.160	34.858
Class A 2 Lane	25.580		0.400	10.232		0.700	17.906
4 L.L Max Long.Moment case							
a Left span							
70R Wheeled	0.000		-0.400	0.000		1.160	0.000
Class A 2 Lane	6.880		-0.400	-2.752		0.700	4.816
b Right span							
70R Wheeled	47.150		0.400	18.860		1.160	54.694
Class A 2 Lane	47.740		0.400	19.096		0.700	33.418

Max Reaction case: 226.907 1.420 76.618
Max Long. moment case: 208.007 18.860 54.694

II Substructure	V	ρ	P	e_L	M_L	e_T	M_T
1 Pedestal							
a Left span	0.000	2.400	0.000	-0.400	0.000	0.000	0.000
b Right span	0.000	2.400	0.000	0.400	0.000	0.000	0.000
2 Pier cap R	2.550	2.400	6.120	0.000	0.000	0.000	0.000
Pier cap Tr	5.700	2.400	13.680	0.000	0.000	0.000	0.000
3 Pier shaft up to H.F.L	0.000	2.400	0.000	0.000	0.000	0.000	0.000
below H.F.L	15.413	1.400	21.579	0.000	0.000	0.000	0.000
4 Footing	23.224	1.400	32.513	0.000	0.000	0.000	0.000
5 Earth above footing	113.752	1.000	113.752	0.000	0.000	0.000	0.000
6 Water current			0.000	0.000	17.615	0.000	7.040
			187.643		17.615		7.040

<i>b) Horizontal Forces and Moments with respect to Base</i>						
1 Longitudinal Forces at bearing level						
	H_L	H_T	e_L	M_L	e_T	M_T
	6.605	0.000	10.663	70.429	10.638	0.000
	6.605	0.000		70.429		0.000

Summary

	Max Reaction case	Max Long.moment case
P	= 414.551 t	395.651
M_L	= 89.464 t-m	106.904
M_T	= 83.658 t-m	61.734

Check for Maximum Allowable Base Pressure:

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{414.551}{31.900} + \frac{89.464}{30.837} + \frac{83.658}{29.242} = 18.757 \text{ t/m}^2
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{414.551}{31.900} - \frac{89.464}{30.837} - \frac{83.658}{29.242} = 7.233 \text{ t/m}^2
 \end{aligned}$$

Max Long

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{395.651}{31.900} + \frac{106.904}{30.837} + \frac{61.734}{29.242} = 17.981 \text{ t/m}^2
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{395.651}{31.900} - \frac{106.904}{30.837} - \frac{61.734}{29.242} = 6.825 \text{ t/m}^2
 \end{aligned}$$

H.F.L Condition with L.L*a) Vertical load and their moments about Pier Shaft bottom*

II Substructure	V	ρ	P	e_L	M_L	e_T	M_T
1 Pedestal							
a Left span	0.000	2.400	0.000	-0.400	0.000	0.000	0.000
b Right span	0.000	2.400	0.000	0.400	0.000	0.000	0.000
2 Pier cap R	2.550	2.400	6.120	0.000	0.000	0.000	0.000
Pier cap Tr	5.700	2.400	13.680	0.000	0.000	0.000	0.000
3 Pier shaft up to H.F.L	0.000	1.400	0.000	0.000	0.000	0.000	0.000
below H.F.L	15.413	1.400	21.579	0.000	0.000	0.000	0.000
4 Water current					17.593		6.976
			41.379		17.593		6.976

*b) Horizontal Forces and Moments with respect to Pier Shaft bottom***1 Longitudinal Forces at bearing level**

	H_L	H_T	e_L	M_L	e_T	M_T
	6.605	0.000	9.613	63.494	9.588	0.000
	6.605	0.000		63.494		0.000

Gross Pressure Diagram

Summary for design of Pier		Max Reaction case	
P	=	268.286	t
M_L	=	82.507	t-m
M_T	=	83.594	t-m

Max Long.moment case

249.386	t
99.947	t-m
61.670	t-m

H.F.L Condition One.Span dislodged

a) Vertical load and their moments about C/L of Foundation base.

II Substructure	V	ρ	P	e_L	M _L	e_T	M _T
1 Pedestal							
a Left span	0.000	2.400	0.000	-0.400	0.000	0.000	0.000
b Right span	0.000	2.400	0.000	0.400	0.000	0.000	0.000
2 Pier cap R	2.550	2.400	6.120	0.000	0.000	0.000	0.000
Pier cap Tr	5.700	2.400	13.680	0.000	0.000	0.000	0.000
3 Pier shaft							
up to H.F.L	0.000	2.400	0.000	0.000	0.000	0.000	0.000
below H.F.L	15.413	1.400	21.579	0.000	0.000	0.000	0.000
4 Footing	23.224	1.400	32.513	0.000	0.000	0.000	0.000
5 Earth above footing	113.752	1.000	113.752	0.000	0.000	0.000	0.000
6 Water current			0.000	0.000	17.615	0.000	7.040
			187.643			17.615	7.040

Summary			
P	=	348.501	t
M_L	=	44.407	t-m
M_T	=	7.040	t-m

Check for Maximum Allowable Base Pressure:

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{348.501}{31.900} + \frac{44.407}{30.837} + \frac{7.040}{29.242} = 12.606 \text{ t/m}^2
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{348.501}{31.900} - \frac{44.407}{30.837} - \frac{7.040}{29.242} = 9.244 \text{ t/m}^2
 \end{aligned}$$

H.F.L Condition One.Span dislodged
<i>a) Vertical load and their moments about Abutment Shaft bottom.</i>

II Substructure	V	ρ	P	e_L	M_L	e_T	M_T
1 Pedestal							
a Left span	0.000	2.400	0.000	-0.400	0.000	0.000	0.000
b Right span	0.000	2.400	0.000	0.400	0.000	0.000	0.000
2 Pier cap R	2.550	2.400	6.120	0.000	0.000	0.000	0.000
Pier cap Tr	5.700	2.400	13.680	0.000	0.000	0.000	0.000
3 Pier shaft							
up to H.F.L	0.000	2.400	0.000	0.000	0.000	0.000	0.000
below H.F.L	15.413	1.400	21.579	0.000	0.000	0.000	0.000
4 Water current					17.593		6.976
			41.379		17.593		6.976

<i>Summary for design of Pier</i>			
P	=	202.236	t
M_L	=	44.384	t-m
M_T	=	6.976	t-m

Dry Condition with L.L							
<i>a) Vertical load and their moments about C/L of Foundation base.</i>							
I							
1 D.L Reaction	P		e_L	M_L		e_T	M_T
a Left span	66.98		-0.4	-26.791		0	0
b Right span	66.98		0.4	26.791		0	0
2 S.I.D.L							
a Left span	13.45		-0.4	-5.3802		0	0
b Right span	13.45		0.4	5.3802		0	0
	160.86			0			0
4 L.L Max Reaction case							
a Left span							
70R Wheeled + Class A	36		-0.4	-14.4		1.16	41.76
Class A 3 Lane	33.6		-0.4	-13.44		0.7	23.52
b Right span							
70R Wheeled + Class A	30.05		0.4	12.02		1.16	34.858
Class A 3 Lane	25.58		0.4	10.232		0.7	17.906
4 L.L Max Longitudinal Moment case							
a Left span							
70R Wheeled + Class A	0		-0.4	0		1.16	0
Class A 3 Lane	6.88		-0.4	-2.752		0.7	4.816
b Right span							
70R Wheeled + Class A	47.15		0.4	18.86		1.16	54.694
Class A 3 Lane	47.74		0.4	19.096		0.7	33.418
Max Reaction case	226.91			1.42			76.618
Max Longitudinal Moment	208.01			18.86			54.694

II Substructure	V	ρ	P	e_L	M_L	e_T	M_T
1 Pedestal							
a Left span	0	2.4	0	-0.4	0	0	0
b Right span	0	2.4	0	0.4	0	0	0
2 Pier cap R	2.55	2.4	6.12	0	0	0	0
Pier cap Tr	5.7	2.4	13.68	0	0	0	0
3 Pier shaft							
up to G.L	8.8386446	2.4	21.213	0	0	0	0
below G.L	6.574671	2.4	15.779	0	0	0	0
4 Footing	23.22375	2.4	55.737	0	0	0	0
5 Earth above footing	113.75158	2	227.5	0	0	0	0
			340.03		0		0

b) Horizontal Forces and Moments with respect to Base										
1 Longitudinal Forces at bearing level										
	H_L		H_T		e_L		M_L		e_T	M_T
	6.61		0		10.663		70.429		10.638	0
	6.61		0				70.429			0

Summary

	Max Reaction	Max Longitudinal
P	= 566.94 t	548.04
M_L	= 71.849 t-m	89.289
M_T	= 76.618 t-m	54.694

A	=	31.9
Z _L	=	30.837
Z _T	=	29.242

Max reaction case**Check for Maximum Allowable Base Pressure:**

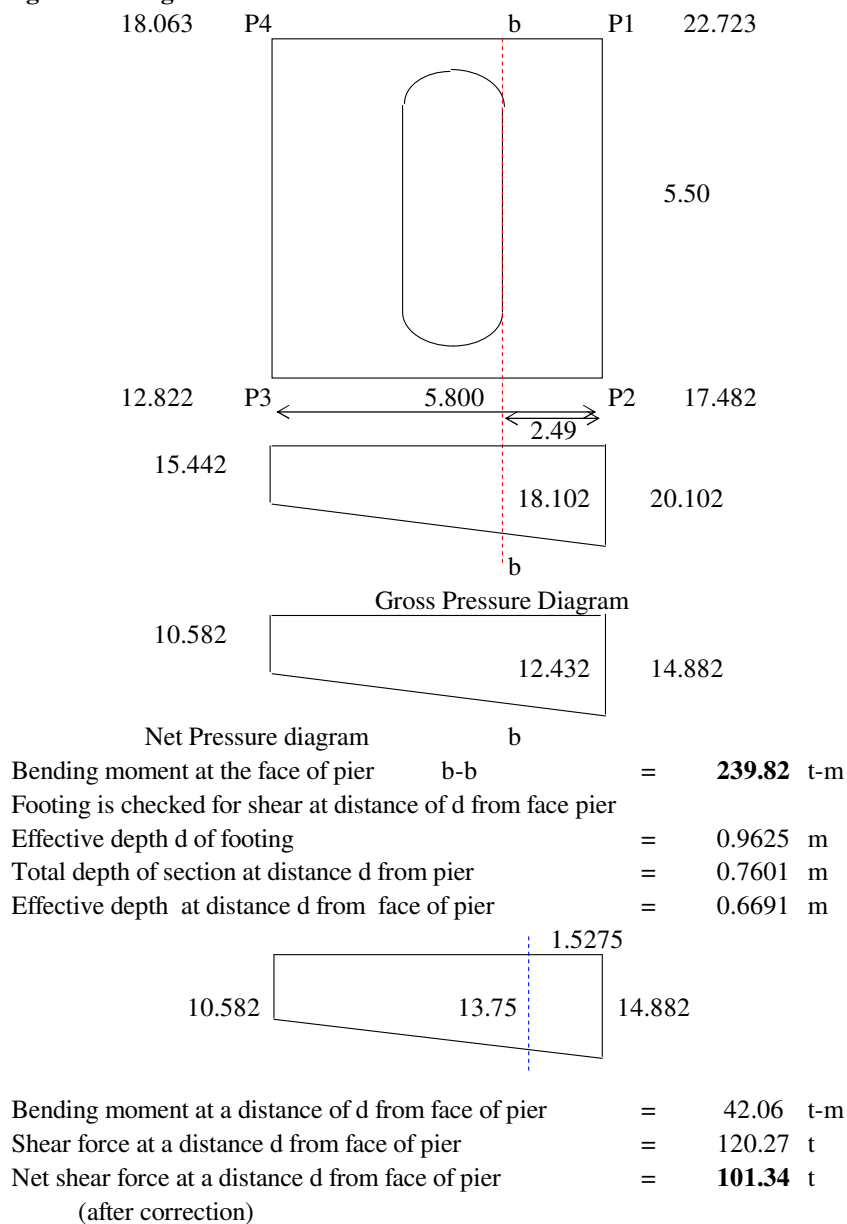
$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{566.93952}{31.9} + \frac{71.849}{30.837} + \frac{76.618}{29.242} = 22.723 \text{ t/m}^2
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{566.93952}{31.9} - \frac{71.849}{30.837} - \frac{76.618}{29.242} = 12.822 \text{ t/m}^2
 \end{aligned}$$

Max Longitudinal moment case

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{548.03952}{31.9} + \frac{89.289}{30.837} + \frac{54.694}{29.242} = 21.946 \text{ t/m}^2
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{548.03952}{31.9} - \frac{89.289}{30.837} - \frac{54.694}{29.242} = 12.414 \text{ t/m}^2
 \end{aligned}$$

Design of Footing in Transverse direction**Design for Flexure:**

	M	=	25	Fe	=	415
Permissible compressive stress	σ_{cbc}	=	8.33	N/mm ²		
Permissible tensile stress	σ_{st}	=	200	N/mm ²		
	m	=	10			
	k	=	0.29			
	j	=	0.9			
	Q	=	1.1053			

$$\text{width } b = 5.50$$

$$\text{Effective depth required } d = 628.08 \text{ mm}$$

$$\text{Effective depth provided} = 962.5 \text{ mm}$$

$$A_{st} \text{ Required} = 2511.3 \text{ mm}^2$$

Provide 6 nos 25 dia bars /m width

Check for shear

$$\text{Shear stress at effective depth from pier} = 27.538 \text{ t/m}^2$$

$$\% \text{ of steel provided} = 0.2392$$

$$\text{Permissible shear stress} = 23.46 \text{ t/m}^2$$

Minimum Shear Reinforcement :

$$\frac{A_{sw}}{b \times s} = \frac{0.4}{0.87 \times f_y}$$

$$\frac{A_{sw}}{s} = \frac{0.4 \times b}{0.87 \times f_y}$$

$$= 6.0933 \text{ cm}^2/\text{m}$$

$$\text{Provide 2 Legged } 10 @ 200 = 7.854 \text{ cm}^2/\text{m}$$

Dry Condition with L.L										
a) Vertical load and their moments about Pier Shaft bottom										
II Substructure	V		ρ	P		e _L	M _L		e _T	M _T
1 Pedestal										
a Left span	0		2.4	0		-0.4	0		0	0
b Right span	0		2.4	0		0.4	0		0	0
2 Pier cap R	2.55		2.4	6.12		0	0		0	0
Pier cap Tr	5.7		2.4	13.68		0	0		0	0
3 Pier shaft										
up to G.L	8.8386446		2.4	21.213		0	0		0	0
below G.L	6.574671		2.4	15.779		0	0		0	0
				56.792			0			0

b) Horizontal Forces and Moments with respect to Pier Shaft bottom									
1 Longitudinal Forces at bearing level									
	H_L		H_T		e_L		M_L	e_T	M_T
	6.61		0		9.613		63.494	9.588	0
	6.61		0				63.494		0

<i>Summary for design of Pier</i>		Max Reaction case	Max Longitudinal moment
P	=	283.7 t	264.8
M_L	=	64.914 t-m	82.354
M_T	=	76.618 t-m	54.694

Dry Condition One.Span dislodged							
<i>a) Vertical load and their moments about C/L of Foundation base.</i>							

1 Longitudinal Forces at bearing level									
	H_L		H_T		e_L		M_L	e_T	M_T
	0.00		0		10.663		0	10.638	0
	0.00		0				0		0

<i>Summary</i>				
P	=	500.89	t	
M_L	=	26.791	t-m	
M_T	=	0	t-m	

Check for Maximum Allowable Base Pressure:

$$P_{\max} = \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T}$$

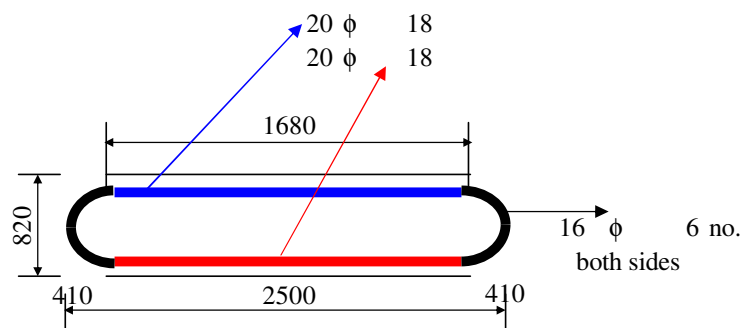
$$= \frac{500.88952}{31.9} + \frac{26.791}{30.837} + \frac{0}{29.242} = 16.571 \text{ t/m}^2$$

$$P_{\min} = \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T}$$

$$= \frac{500.88952}{31.9} - \frac{26.791}{30.837} - \frac{0}{29.242} = 14.833 \text{ t/m}^2$$

Dry Condition One.Span dislodged									
a) Vertical load and their moments about Abutment Shaft bottom.									
1 Longitudinal Forces at bearing level									
	H_L		H_T		e_L		M_L	e_T	M_T
	0.00		0		9.613		0	9.588	0

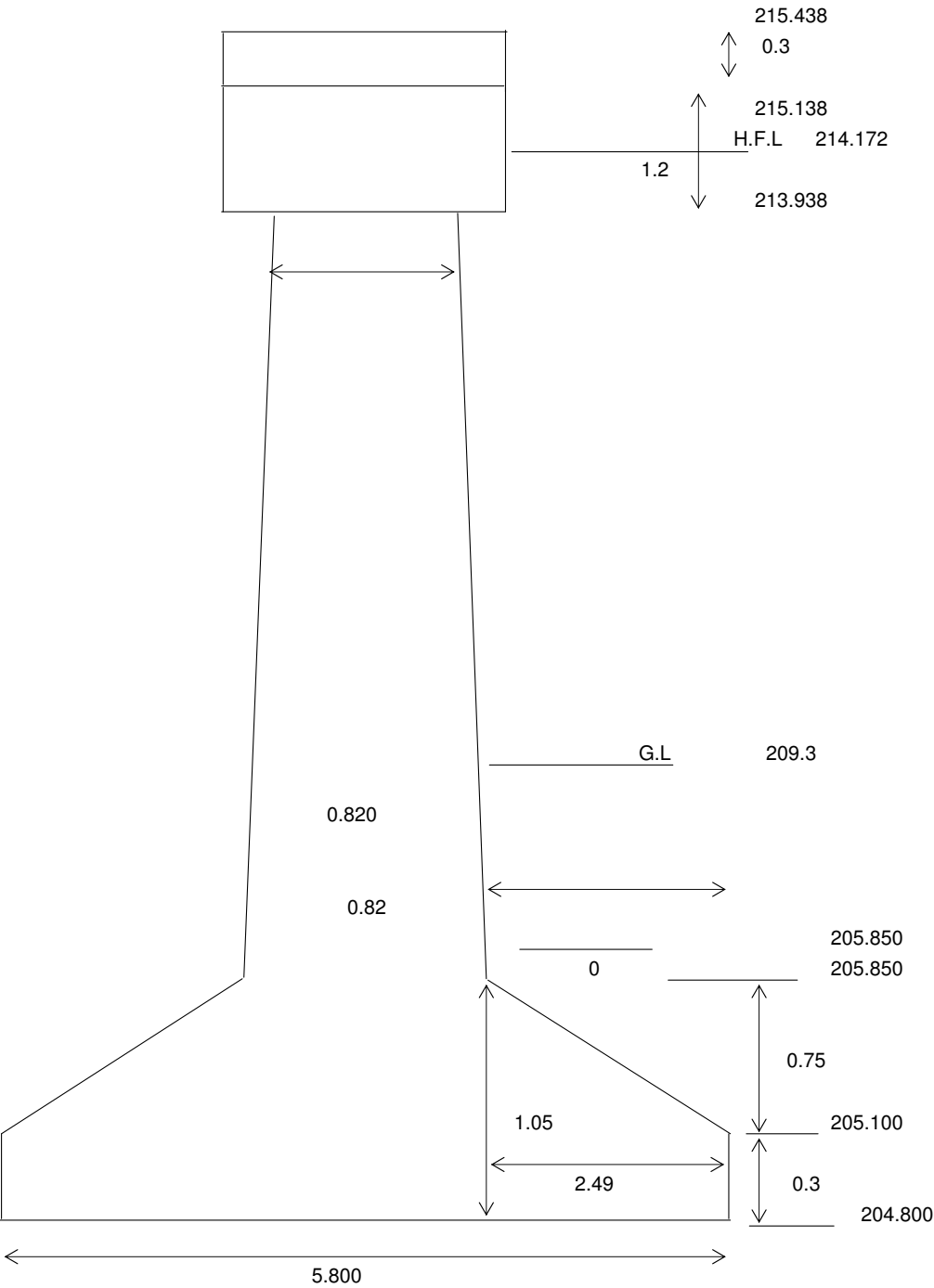
<i>Summary for design of Pier</i>				
P	=	217.65	t	
M_L	=	26.791	t-m	
M_T	=	0	t-m	

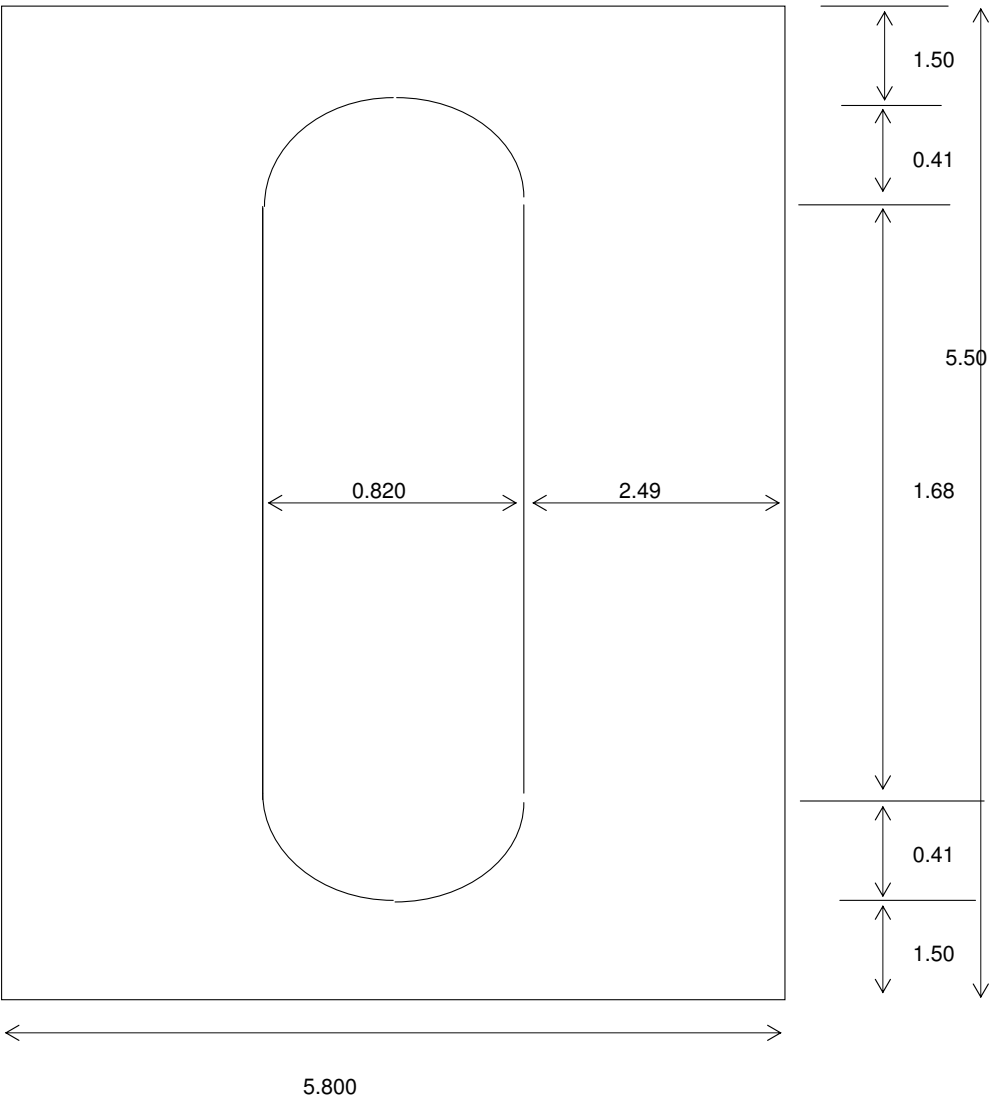


PLAN : PIER SHAFT

Summary of Loads at Pier Shaft bottom :

1 DRY condition	P	M_L	M_T
With L.L	283.70	64.91	76.62
Span dislodged	217.65	26.79	0.00
2 H.F.L			
With L.L	268.29	82.51	83.59
Span dislodged	202.24	44.38	6.98





Dimensions of Substructure & Foundation

1 Pedestal									
					Length	=	0.7		
					Width	=	0.55	Volume	= 0
					Height	=	0		
2 Pier cap									
a Top uniform portion									
					Width	=	1.00		
					Depth	=	0.3	Volume	= 2.55 m ³
					Length	=	8.5		
b Bottom trapezoidal portion									
					Width	=	1		
					Depth	=	1.2	Volume	= 5.7 m ³
					Length	=	8.5		
Area at level	215.138 m	=	8.5	x	1	=	8.5 m ²		
Area at level	213.938 m	=	1	x	1	=	1 m ²	=	8.25 m ³

3 Pier shaft

Dimension of pier shaft in longitudinal direction		=	0.82				
Dimension of pier shaft in Transverse direction	R	=	1.68	Area	=	1.91	m ²
	C	=	0.41				
Height of pier shaft		=	8.09				
Height above Ground level		=	4.638 m	Volume	=	8.83864	
Height below Ground level		=	3.450 m	Volume	=	6.57467	
					=	15.4133	m ³
Height above H.F.L		=	0.000 m	Volume	=	0	
Height below H.F.L		=	8.09 m	Volume	=	15.4133	
					=	15.4133	m ³

4 Pedestal at footing top

Width	=	0.82					
Length	=	5.50	Volume	=	0	m ³	
Height	=	0					

5 Footing

at foundation level

Width	=	5.800 m					
Length	=	5.50 m					
Thickness at Root	=	1.05 m					
Thickr Gross Pressure Diagram	=	0.3 m					
			Volume	=	23.2238	m ³	

Net Pressure diagram

Volume of Overburdden earth below ground level

$$\text{Total volume} = 5.800 \times 5.500 \times 4.500 = 143.55 \text{ m}^3$$

$$\text{Net volume below Ground level} = 113.752 \text{ m}^3$$

Sectional Properties of Footing

$$A = 5.800 \times 5.500 = 31.900 \text{ m}^2$$

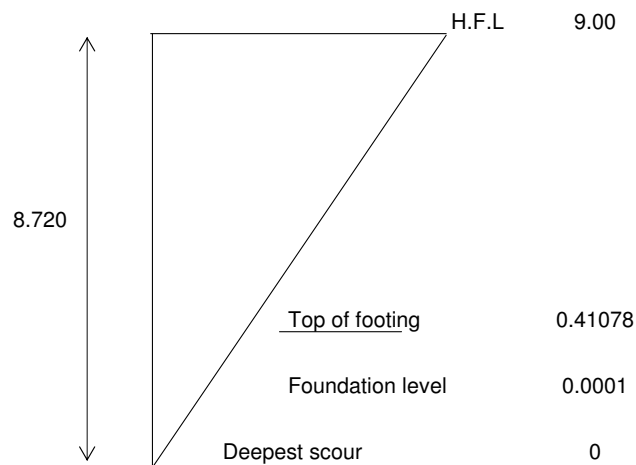
$$Z_L = 5.500 \times 5.60667 = 30.837 \text{ m}^3$$

$$Z_T = 5.800 \times 5.04167 = 29.242 \text{ m}^3$$

Forces and Moments due to Watercurrent Force

$$\text{Intensity of water current pressure} = 52 \text{ k V}^2 \text{ kg/m}^2$$

Assuming 20 degree variation in water current direction



Water current Pressure in Transverse direction

	R.L	k	Pressure = $52 \text{ k V}^2 \text{ COS } 20$
H.F.L	214.172	0.66	290.252257
Pier Shaft bottom	205.850	0.66	13.2477521
Top of footing	205.850	1.5	30.1085275
Bottom of footing	204.800	1.5	0.0073296

Water current Force in Transverse direction

Component	Length m	Height m	Force t	HT of force	Moment
Pier	0.82	8.322	1.03555	6.73646	6.97593 t-m
Top of footing	5.800	1.050	0.0917	0.69991	0.06418 t-m

Water Current Pressure in Longitudinal direction

	R.L	k	Pressure = $52 k V^2 \sin 20$
H.F.L	214.172	1.5	240.098141
Pier Shaft bottom	205.850	1.5	10.9586078
Top of footing	205.850	1.5	10.9586078
Bottom of footing	204.800	1.5	0.00266776

Water current Force in Longitudinal direction

Component	Length m	Height m	Force t	HT of force	Moment
Pier	2.50	8.322	2.61162	6.73646	17.5931 t-m
Top of footing	5.500	1.050	0.03165	0.69991	0.02215 t-m

Summary	at Pier Shaft bottom level	F	M
	Transverse direction	1.03555	6.97592582 t-m
	Longitudinal direction	2.61162	17.5930526 t-m

PIER SHAFT .case 1 L.W.L (MAX REACTION CASE)

Depth of Section = .820 m
 Width of Section = 2.500 m

along width-compression face- no of bar: 18 tension face- no of bar: 18
 Dia (mm) 20 20
 Cover (cm) 5.00 5.0
 along depth-compression face- no of bar: 6 tension face- no of bar: 6
 Dia (mm) 16 16
 Cover (cm) 5.00 5.0

Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 85.00 Kg/cm²
 Allowable Steel Stress = 2000.00 Kg/cm²

Axial Load = 283.700 T
 Mxx = 64.914 Tm
 Myy = 76.618 Tm

Intercept of Neutral axis : X axis : = 5.253 m
 : y axis : = .757 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 47.85 Kg/cm²
 Stress in Steel due to Loads = 231.46 Kg/cm²
 Percentage of Steel = .67 %

PIER SHAFT .case 2 H.F.L (MAX REACTION CASE)

Depth of Section = .820 m
 Width of Section = 2.500 m

Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 85.00 Kg/cm²
 Allowable Steel Stress = 2000.00 Kg/cm²

Axial Load = 268.286 T
 Mxx = 82.507 Tm
 Myy = 83.594 Tm

Intercept of Neutral axis : X axis : = 4.959 m
 : y axis : = .594 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 61.64 Kg/cm²
 Stress in Steel due to Loads = 486.49 Kg/cm²
 Percentage of Steel = .67 %

PIER SHAFT .case 3 L.W.L (SPAN DISLODGED)

Depth of Section = .820 m
 Width of Section = 2.500 m

 Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 85.00 Kg/cm²
 Allowable Steel Stress = 2000.00 Kg/cm²

 Axial Load = 217.650 T
 Mxx = 26.791 Tm
 Myy = .010 Tm

Intercept of Neutral axis : X axis : = ***** m
 : y axis : = .891 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 18.55 Kg/cm²
 Stress in Steel due to Loads = -25.21 Kg/cm²
 Percentage of Steel = .67 %

PIER SHAFT .case 4 H.F.L (SPAN DISLODGED)

Depth of Section = .820 m
 Width of Section = 2.500 m

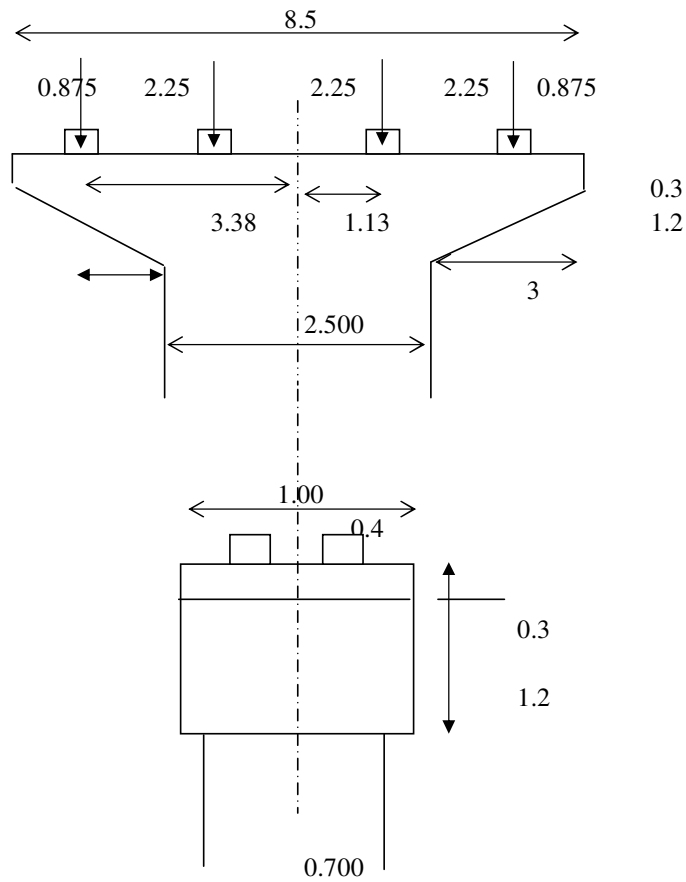
 Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 85.00 Kg/cm²
 Allowable Steel Stress = 2000.00 Kg/cm²

 Axial Load = 202.236 T
 Mxx = 44.384 Tm
 Myy = 6.976 Tm

Intercept of Neutral axis : X axis : = 33.465 m
 : y axis : = .655 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 25.31 Kg/cm²
 Stress in Steel due to Loads = 63.11 Kg/cm²
 Percentage of Steel = .67 %



For Outer bearing $a = 2.125$

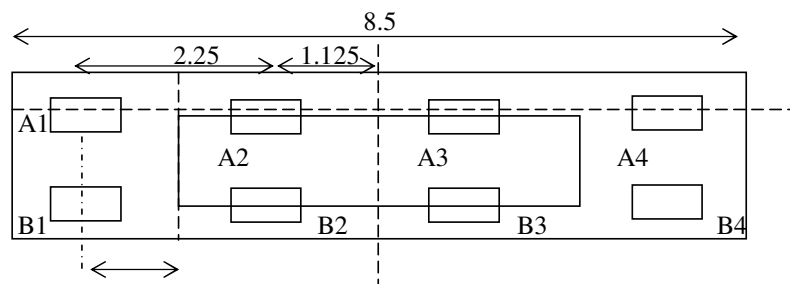
$D = 1.5$

Available effective depth

using 25 mm dia of bars $d = 1.5 - 0.05 - 0.025$
 $= 1.425 \text{ m}$

$$\frac{a}{d} = \frac{2.125}{1.425} = 1.4912 > 1$$

= Pier cap designed as Cantilever



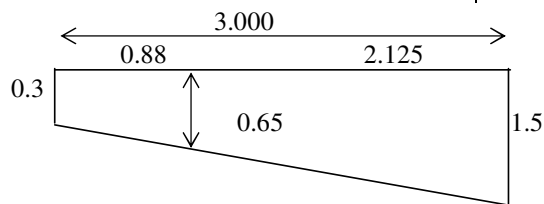
Loads on bearing

Bearings A1 & B1 are effective.

	A1	B1
DL	16.745	16.745
SIDL	3.3625	3.3625
LL		
70RW	7.5125	9
due to Transverse moment	A1 = 30.05 x 1.16 = 34.858	B1 = 36 x 1.16 = 41.76
A1	$= \frac{34.858 \times 3.38}{25.31} = 4.6477 \text{ t}$	
B1	$= \frac{41.76 \times 3.38}{25.31} = 5.568 \text{ t}$	

Summary of loads from superstructure:

Loads on Outer bearings						
			Left span		Right span	
			B1		A1	
DL			16.745		16.745	
SIDL			3.3625		3.3625	
LL			5.568		4.6477	
			9		7.5125	
			34.675		32.267	



Selfweight of piercap upto section through outerbearing:

$$= \frac{0.3 + 1.50}{2.00} \times 3.00 \times 1 \times 2.4 = 6.48 \text{ t}$$

$$\text{Distance of c.g from section} = 1.1667 \text{ m}$$

Calculation of Cantilevermoment at bearing section

Moment at the face due to load from outerbearing

$$= 66.942 \times 2.125 = 142.25225 \text{ t-m}$$

$$\text{Due to selfweight of pier cap} = 6.48 \times 1.1667 = 7.56 \text{ t-m}$$

$$\text{Total moment at the face of support} = 149.81 \text{ t-m}$$

Torsion at outerbearing section:

$$= 34.675 - 32.267 = 2.4078$$

$$\text{Eccentricity} = 0.4$$

$$\text{Moment} = 0.9631 \text{ t-m}$$

Longitudinal Reinforcement:

$$\begin{aligned}
 M &= 149.81 &= 149.81 \text{ t-m} \\
 \text{For, } M - 25 &\text{ \& Fe - 415} \\
 \sigma_{cbc} &= 8.33 \text{ N/mm}^2 \\
 m &= 10 \\
 \sigma_{st} &= 200 \text{ N/mm}^2 \\
 K &= 0.294 \\
 j &= 0.902 \\
 R &= 1.105 \\
 \text{Effective depth required} &= \frac{149.81 \times 10^7}{1.105 \times 1000} \\
 &= 1164.2 < 1425 \text{ O.K}
 \end{aligned}$$

$$\begin{aligned}
 A_{st} \text{ required} &= \frac{149.81}{200 \times 0.902 \times 1425} \\
 &= 5827.9363 \text{ mm}^2
 \end{aligned}$$

Provide 7 nos 25 mm dia bars in 2 layers 6872.2 mm²

This reinforcement will provided in full length of pier cap.

Check for Shear:

At bearing section

$$\begin{aligned}
 \text{Available Effective depth at root} &= 1425 \text{ mm} \\
 \text{Downward Load from Superstructure} &= 34.675 + 32.267 \\
 &= 66.942 \text{ t} \\
 \text{Downward Load due to self wt of pier cap} &= 6.48 \text{ t} \\
 \text{Total downward Load} &= 73.422 \text{ t}
 \end{aligned}$$

$$\text{After shear correction, S.F} = V + \frac{M \tan \beta}{d}$$

$$\begin{aligned}
 &= 73.422 + \frac{149.81 \times 0.4}{1.425} \\
 &= 31.369673 \text{ t}
 \end{aligned}$$

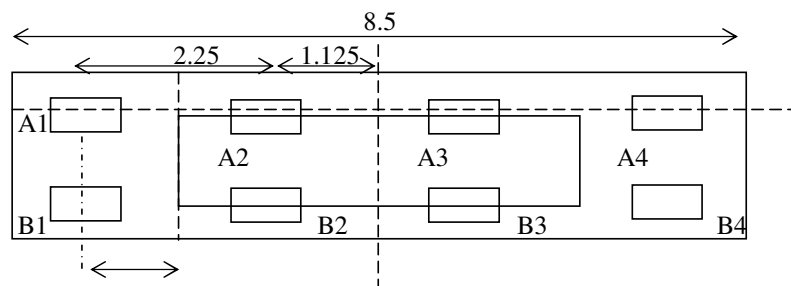
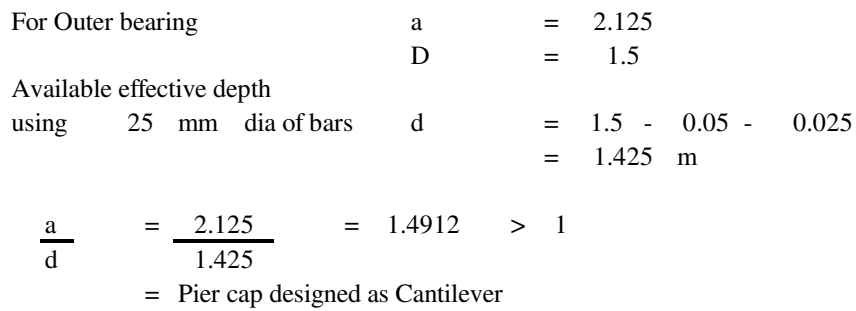
Equivalent shear IRC:21-2000,cl:304.2.3.1

$$\begin{aligned}
 b &= \frac{1 + 1}{2} = 1 \text{ m} \\
 V &= 31.37 \text{ t}
 \end{aligned}$$

$$\text{Shear stress} = \frac{31.37 \times 10000}{1000 \times 1425} = 0.2201 \text{ N/mm}^2$$

$$\begin{aligned}
 \text{Area of tension reinforcement} &= 0.4823 \% \\
 \tau_c &= 0.2966 \text{ N/mm}^2
 \end{aligned}$$

Provide minimum shear



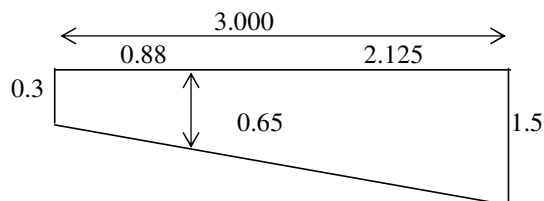
Loads on bearing

Bearings A1 & B1 are effective.

	A1	B1
DL	16.745	16.745
SIDL	3.3625	3.3625
LL		
70RW	0	11.93
due to Transverse moment	A1 = 0 x 1.16 = 0	B1 = 47.72 x 1.16 = 55.355
	A1 = $\frac{0 \times 3.38}{25.31} = 0$ t	
	B1 = $\frac{55.355 \times 3.38}{25.31} = 7.3807$ t	

Summary of loads from superstructure:

Loads on Outer bearings						
			Left span		Right span	
			B1		A1	
DL			16.745		16.745	
SIDL			3.3625		3.3625	
LL			7.3807		0	
			11.93		0	
			39.418		20.107	



Selfweight of piercap upto section through outerbearing:

$$= \frac{0.3 + 1.50}{2.00} \times 3.00 \times 1 \times 2.4 = 6.48 \text{ t}$$

Distance of c.g from section

$$= 1.1667 \text{ m}$$

Calculation of Cantilevermoment at bearing section

Moment at the face due to load from outerbearing

$$= 59.525 \times 2.125 = 126.48997 \text{ t-m}$$

$$\text{Due to selfweight of pier cap} = 6.48 \times 1.1667 = 7.56 \text{ t-m}$$

$$\text{Total moment at the face of support} = 134.05 \text{ t-m}$$

Torsion at outerbearing section:

$$= 39.418 - 20.107$$

$$= 19.311$$

Eccentricity

$$= 0.4$$

Moment

$$= 7.7243 \text{ t-m}$$

Longitudinal Reinforcement:

$$M_e = M + M_t$$

$$M_t = T \times \frac{1 + D/b}{1.7}$$

$$= 6.8155 \text{ t-m}$$

$$M_e = 134.05 + 6.8155 = 140.87 \text{ t-m}$$

For, $M - 25$ & $Fe - 415$

$$\sigma_{cbc} = 8.33 \text{ N/mm}^2$$

$$m = 10$$

$$\sigma_{st} = 200 \text{ N/mm}^2$$

$$K = 0.294$$

$$j = 0.902$$

$$R = 1.105$$

Effective depth required

$$= \frac{140.87 \times 10^7}{1.105 \times 1000}$$

$$= 1128.9 < 1425 \text{ O.K}$$

$$A_{st} \text{ required} = \frac{140.87}{200 \times 0.902 \times 1425}$$

$$= 5479.8941 \text{ mm}^2$$

Provide 7 nos 25 mm dia bars in 2 layers 6872.2 mm^2

This reinforcement will provided in full length of pier cap.

Check for Shear:

At bearing section

Available Effective depth at root = 1425 mm

Downward Load from Superstructure = $39.418 + 20.107$

$$= 59.525 \text{ t}$$

Downward Load due to self wt of pier cap = 6.48 t

Total downward Load = 66.005 t

After shear correction, S.F = $V + \frac{M \tan \beta}{d}$

$$= 66.005 + \frac{134.05 \times 0.4}{1.425}$$

$$= 28.376631 \text{ t}$$

Equivalent shear IRC:21-2000,cl:304.2.3.1

$$b = \frac{1 + 1}{2} = 1 \text{ m}$$

$$V_e = V + 1.6 \times \frac{T}{b} = 40.735 \text{ t}$$

Shear stress = $\frac{40.735 \times 10000}{1000 \times 1425} = 0.2859 \text{ N/mm}^2$

Area of tension reinforcement = 0.4823 %

$$\tau_c = 0.2966 \text{ N/mm}^2$$

INPUT FILE: 9.2 M SPAN CLASSA 70R.STD

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3. ENGINEER DATE 09-JUN-06
4. END JOB INFORMATION
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9. 1 0.0 0.0 0.0;2 0.02 0.0 0.0;30.4 0.0 0.0 10 8.4 0.0 0.0; 11 8.8 0.0 0.0
10. 12 9.18 0.0 0.0;13 9.22 0.0 0.0;14 9.6 0.0 0.0 22 18 0.0 0.0; 23 18.38
0.0 0.0
11. 24 18.4 0.0 0.0
12. MEMBER INCIDENCES
13. 1 1 2 23 1 1
14. CONSTANTS
15. E 2.7386E+006
16. POISSON 0.15
17. DENSITY 2.4 ALL
18. MEMBER PROPERTY INDIAN
19. 1 TO 23 PRIS YD 1 ZD 1
20. SUPPORTS
21. 3 22 FIXED BUT FX MZ
22. 11 14 PINNED
23. MEMBER RELEASE
24. 1 START FX FY MZ
25. 12 START FX FY MZ
26. 23 END FX FY MZ
27. DEFINE MOVING LOAD
28. TYPE 1 LOAD 8 12 12 17 17 17 17
29. DIST 3.96 1.52 2.13 1.37 3.05 1.37
30. ** CLASS 70 RW
31. LOAD GENERATION 82
32. TYPE 1 -13.4 0 0 XINC 0.5
33. PERFORM ANALYSIS
34. **MAX REA
35. LOAD LIST 29
36. PRINT SUPPORT REACTION

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SUPPORT REACTION

□

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
3	29	0.00	18.95	0.00	0.00	0.00	0.00
22	29	0.00	15.00	0.00	0.00	0.00	0.00
11	29	0.00	30.05	0.00	0.00	0.00	0.00
14	29	0.00	36.00	0.00	0.00	0.00	0.00
37. ** MAX MOMENT							
38. LOAD LIST 19							
39. PRINT SUPPORT REACTION							
3	19	0.00	32.85	0.00	0.00	0.00	0.00
22	19	0.00	0.00	0.00	0.00	0.00	0.00
11	19	0.00	47.15	0.00	0.00	0.00	0.00
14	19	0.00	0.00	0.00	0.00	0.00	0.00
40. FINISH							

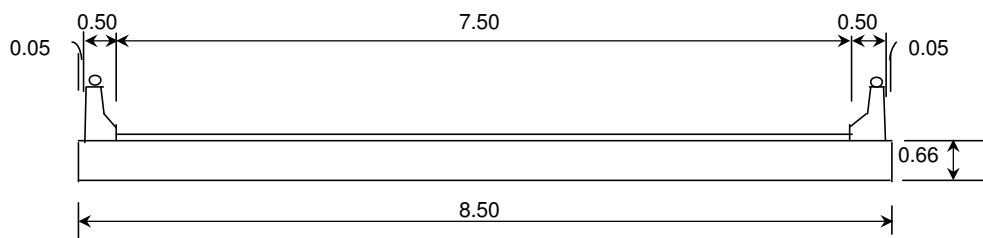
DESIGN OF SUPERSTRUCTURE

DESIGN OF SOLID SLAB SUPERSTRUCTUE

DESIGN DATA

Span (c/c of exp. joint)	=	9.20	m
Eff. Span (c/c brgs.)	=	8.800	m
Overall Width of deck slab	=	8.50	m
Width of carriageway	=	7.50	m
Width of crash barrier	=	0.50	m
Thickness of deck slab	=	0.66	m
Thickness of wearing coat	=	0.056	m
Unit wt of concrete	=	2.40	t/m ³
Grade of Concrete	-	M 25	25
Grade of Reinforcement	-	Fe 415	(HYSD)
Live Load	-	One Lane of 70R Wheeled/ Tracked & One Lane of Class A	
Permissible Compressive stress in Concrete	-	850	t/m ²
Permissible Tensile stress in Steel	-	20400	t/m ²
Modular ratio, m	-	10	
Lever arm factor, j	-	0.902	
Moment of resistance coefficient, Q	-	112.75	t/m ²

CALCULATION OF BENDING MOMENTS AT MID SPAN:



CROSS SECTION

DUE TO DEAD LOAD (Per metre width):

Deck slab	=	0.660	x	2.40	=	1.584	t/m
BM at mid span	=	1.584	x	$8.80^2 / 8$	=	15.333	tm/m

DUE TO SUPERIMPOSED DEAD LOAD (Per metre width):

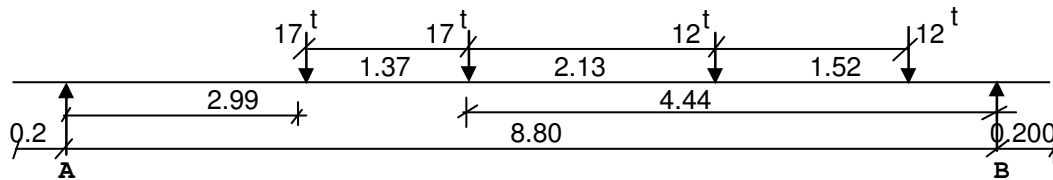
Wearing coat (@ 0.2t/m^2)	=		=	0.200	t/m
Crash barrier (@ 0.9 t/m on each side)	=	2	x	0.90	/ 8.50 = 0.212 t/m
				Total	= 0.412 t/m
BM at mid span	=	0.412	x	8.80	² / 8 = 3.986 tm/m
Total BM (Due to DL & SIDL)	=	15.333	+	3.986	= 19.32 tm/m

DUE TO LIVE LOAD:

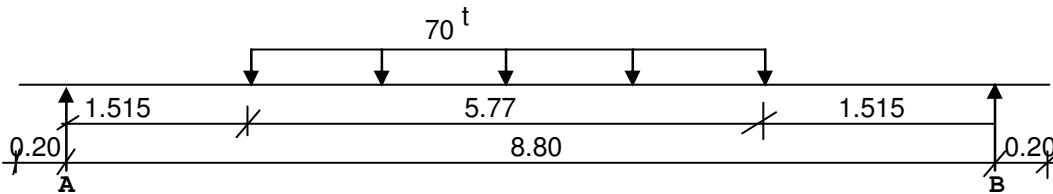
The Superstructure has been analysed for Live load-Class 70R wheeled, class 70R tracked and Class A loading. Load positions for maximum bending moments are evaluated at (i) mid span (L/2) and (ii) at the section 1.5m from support.

CALCULATION OF BENDING MOMENT AT MID SPAN (L/2) :**Due to Class 70R Wheeled**

Impact factor = 1.25

**Due to Class 70R Tracked**

Impact factor = 1.108



Since bending moment due to Class A is having lesser value as compared to Class 70R loadings. Hence the superstructure is checked for Class 70R wheeled and Class 70R tracked loading.

EFFECTIVE WIDTH OF SLAB

According to IRC: 21-2000 cl. 305.16.2 (iii) if the effective width of slab for a load overlaps with effective width of slab for an adjacent load, the resultant effective width for two loads equals to sum of respective effective width for each load minus the width of overlap.

Firstly effective width as per IRC:21 is evaluated then actual available width is compared with that value and corresponding load intensity per metre width is evaluated for each axle.

$$\text{Effective width} = b_{\text{eff}} = \alpha \cdot a \cdot (1 - a/l_0) + b_1$$

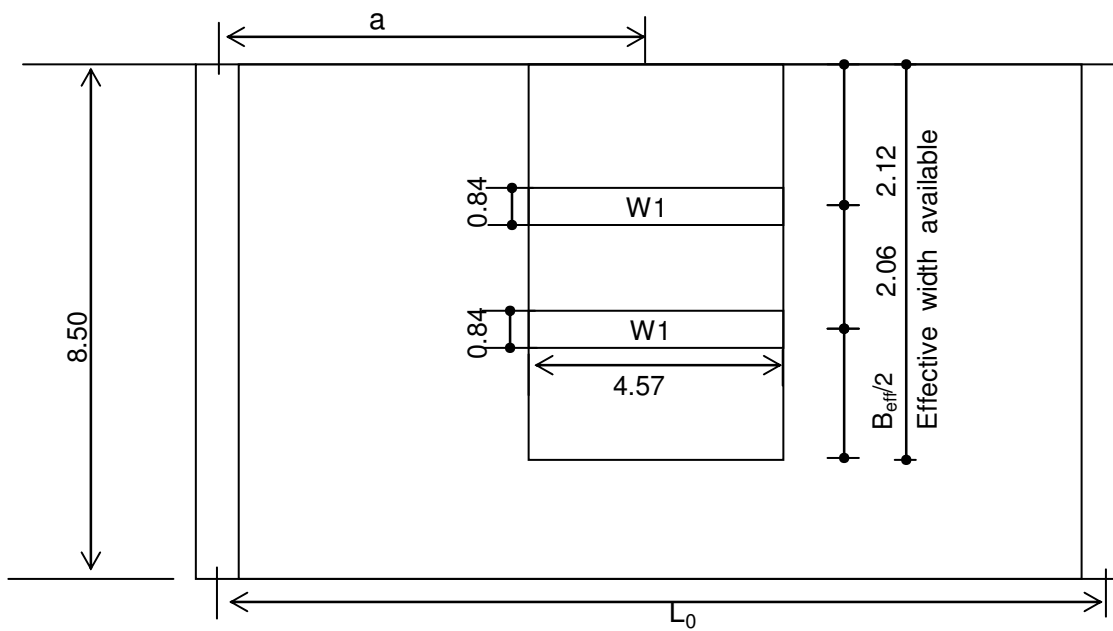
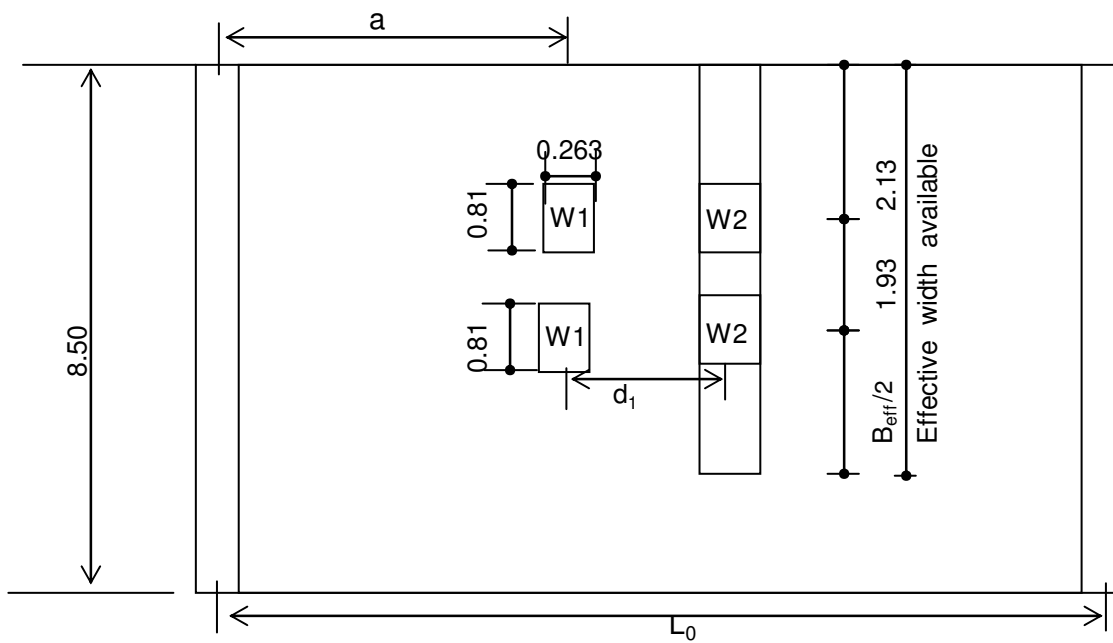
Where L_0 = the effective span
 a = the distance of centre of gravity of the concentrated load from the nearer support
 α = A constant depending upon the ratio b/l_0 , where b is the width of the slab

$$b/l_0 = 0.966 \quad \text{Hence as per cl. 305.16.2 of IRC:21, } \alpha = 2.439$$

b_1 = the breadth of concentrated load over the deck slab after 45° dispersion through wearing coat
 $0.81 + 2 \times 0.065 = 0.922 \text{ m (for all axles of class 70R)}$
 $0.84 + 2 \times 0.065 = 0.952 \text{ m (for class 70R Tracked)}$

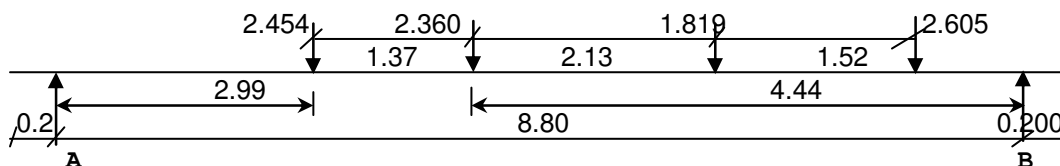
CALCULATION OF EFFECTIVE WIDTH AND LOAD INTENSITY

LIVE LOAD	a (m)	b1 (m)	α	b_{eff} (m)	$b_{\text{eff}}/2$ (m)	Max. available width (m)	Load intensity (t/m)
FOR MAXIMUM BM AT MID SPAN							
Class 70R Wheeled							
17	2.990	0.922	2.439	5.737	2.869	6.929	2.454
17	4.360	0.922	2.439	6.288	3.144	7.204	2.360
12	2.310	0.922	2.439	5.077	2.539	6.599	1.819
12	0.790	0.922	2.439	2.676	1.338	4.606	2.605
Class 70R Tracked							
70	4.400	0.952	2.439	6.318	3.159	7.339	9.538



CALCULATION OF LIVE LOAD MOMENTS (Per metre width)**Class 70R (Wheeled)**

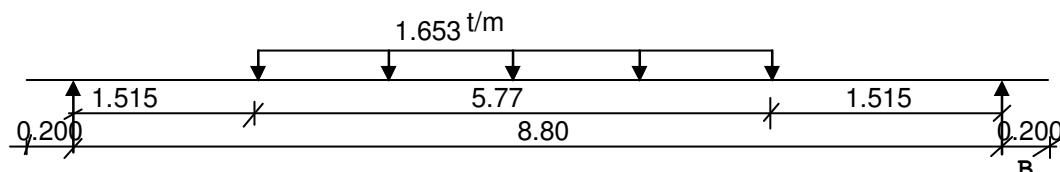
Impact factor = 1.25



Reaction (R_A) = 3.52 t
 BM at mid span = 12.04 tm/m
 BM at mid span (with impact factor) = 15.05 tm/m

Class 70R (Tracked)

Impact factor = 1.108



Reaction (R_A) = 4.77 t
 BM at mid span = 14.10 tm/m
 BM at mid span (with impact factor) = 15.62 tm/m, Say **15.62** tm/m

Here 70R Tracked load governs the design**Total Design BM (Due to DL, SIDL & LL)**

= 19.32 + 15.62 = 34.94 tm/m

Moment of Resistance (M_R)

lever arm factor, j = 0.902
 moment of resistance coeff., Q = 113 t/m²
 effective cover = 50 mm

Eff. available depth = 600 mm
 M_R = 40.59 tm/m > 34.94 tm/m
Hence O.K.

Design Reinforcement:

Ast. Reqd. = 31.65 cm²/m

Hence, Provide 25 130 c/c, Ast.= 37.76 cm²/m

CALCULATION OF BM AT Dist.X = 1.50 m FROM THE SUPPORT

BM AT DISTANCE X, $(BM)_x = w \cdot L \cdot x / 2 \cdot (1 - x/L)$

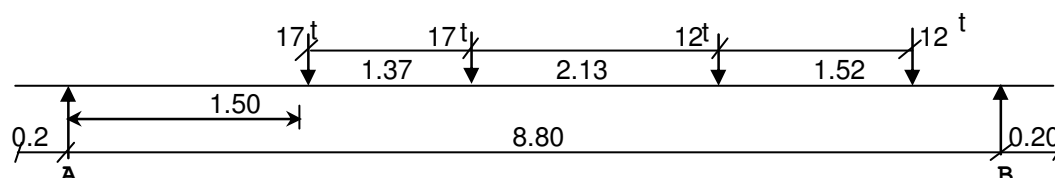
DUE TO DL, $(BM)_x = 1.584 \times 5.475 = 8.67 \text{ tm/m}$

DUE TO SIDL, $(BM)_x = 0.412 \times 5.475 = 2.25 \text{ tm/m}$

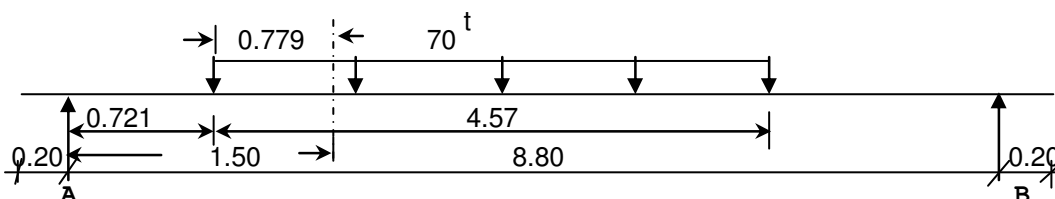
TOTAL BM $= 8.67 + 2.25 = 10.93 \text{ tm/m}$

DUE TO LIVE LOAD**Class 70R (Wheeled)**

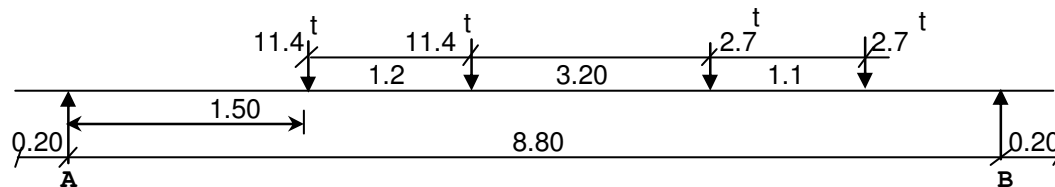
Impact factor = 1.25

**Class 70R (Tracked)**

Impact factor = 1.108

**Class A**

Impact factor = 1.304



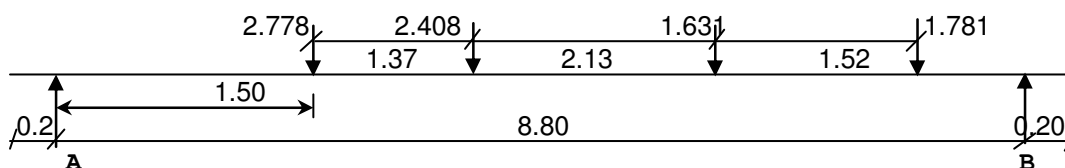
Since bending moment due to Class A is having lesser value as compared to Class 70R loadings. Hence the superstructure is checked for Class 70R wheeled and Class 70R tracked loading.

CALCULATION OF EFFECTIVE WIDTH AND LOAD INTENSITY

LIVE LOAD	a (m)	b1 (m)	α	b_{eff} (m)	$b_{eff}/2$ (m)	Max. available width (m)	Load intensity (t/m)
Class 70R Wheeled							
17	1.500	0.922	2.626	4.190	2.095	6.120	2.778
17	2.870	0.922	2.626	6.001	3.001	7.061	2.408
12	3.800	0.922	2.626	6.593	3.296	7.356	1.631
12	2.280	0.922	2.626	5.359	2.679	6.739	1.781
Class 70R Tracked							
70	3.006	0.952	2.626	6.150	3.075	7.255	9.648

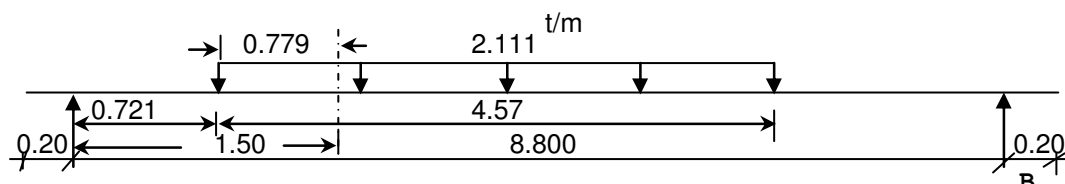
CALCULATION OF LIVE LOAD MOMENTS (Per metre width)

Class 70R (Wheeled) Impact factor = 1.25



Reaction (R_A) = 5.09 t
 BM at the section = 7.64 tm/m
 BM at the section (with impact factor) = 9.55 tm/m

Class 70R (Tracked) Impact factor = 1.108



Reaction (R_A) = 6.35 t
 BM at the section = 8.89 tm
 BM at the section (with impact factor) = 9.84 tm/m, Say **10.00** tm/m

Here 70R Tracked load governs the design

Total Design BM (Due to DL, SIDL & LL)

= 10.93 + 10.00 = 20.93 tm/m

Design Reinforcement:

Ast. Reqd. = 18.64 cm²/m

Hence, Provide ϕ 20 @ 130 c/c, Ast.= 24.15 cm²/m

BRIDGE AT CH:54+600

DESIGN OF SUBSTRUCTURE (ABUTMENT)

DESIGN DATA

Formation Level	=	241.909 m
Ground Level	=	236.941 m
Lowest Water Level	=	232.000 m
Highest Flood Level	=	240.009 m
Founding Level	=	232.000 m
Thickness of bearing & pedestal	=	0.000 m
Width of abutment	=	12.000 m
Bouyancy factor	=	1.0
Safe Bearing Capacity	=	37.600 t/sqm
Dry density of earth	=	1.800 t/cum
Submerged density of earth	=	1.0 t/cum
Saturated density of earth	=	2.000 t/cum
Coefficient of base friction	=	0.55
Span (c/c of exp. joint)	=	10.800 m
Overall Width of deck slab	=	12.000 m
Width of carriageway	=	11.000 m
Width of crash barrier	=	0.500 m
Depth of Superstructure at mid	=	0.925 m
Depth of Superstructure at end	=	0.775 m
Thickness of wearing coat	=	0.056 m
Unit wt of concrete	=	2.400 t/m ³
Grade of Concrete	-	M 25 25
Grade of Reinforcement	-	415 (HYSD)
Live Load	-	One Lane of 70R Wheeled + Class A
	-	3 lanes of Class A
Permissible Compressive stress in Concrete	-	850 t/m ²
Permissible Tensile stress in Steel	-	20400 t/m ²
Modular ratio, m	-	10
factor, k	-	0.294
Lever arm factor, j	-	0.902
Moment of Resistance	-	113 t/m ²
Thickness of returnwall		0.5 m

COEFFICIENT OF ACTIVE EARTH PRESSURE

AS PER COULOMB'S THEORY, COEFFICIENT OF ACTIVE EARTH PRESSURE IS

$$K_a = \frac{\sin^2(\alpha + \phi)}{\sin^2 \alpha \cdot \sin(\alpha - \delta)} \left[1 + \sqrt{\frac{\sin(\alpha + \phi) \cdot \sin(\phi - \iota)}{\sin(\alpha - \delta) \cdot \sin(\phi + \iota)}} \right]^2$$

WHERE

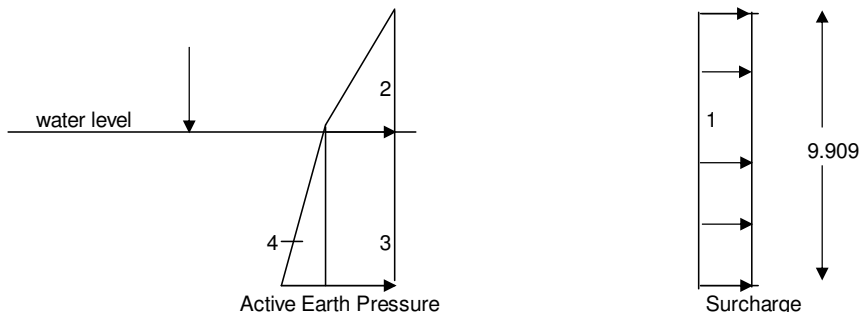
 ϕ = ANGLE OF INTERNAL FRICTION OF EARTH α = ANGLE OF INCLINATION OF BACK OF WALL δ = ANGLE OF INTERNAL FRICTION BETWEEN WALL & EARTH ι = ANGLE OF INCLINATION OF BACKFILL

HERE	ϕ =	30 °	=	0.524 Radian
	α =	90 °	=	1.571 Radian
	δ =	20 °	=	0.349 Radian
	ι =	0 °	=	0 Radian
			K_a =	0.2973

Therefore, Horizontal coefficient of Active earth pressure = $K_a \cos \phi = K_{ha} = 0.2794$

HEIGHT OF ABUTMENT

Total height of abutment = Formation Level - Founding Level = 9.909 m
 For DESIGN purpose, the height of abutment is considered as, say, = **9.910 m**

CALCULATION OF ACTIVE EARTH PRESSURE**DRY. condition****a) Service Condition**

Element No.	Component	Area factor	Height (m)	Pressure (t/m ²)	Force (t)	C.G. from base (m)	Moment (tm)
1	LL Surcharge	1.0	1.200	0.67	79.73	4.955	395.02
2	Dry Earth	0.5	9.909	4.98	296.27	4.162	1233.00
3		1.0	0.000	4.98	0.00	0.000	0.00
4	SubmgEarth	0.5	0.000	0.00	0.00	0.000	0.00
TOTAL					376.00		1628.02

b) Span Dislodge Condition

Net force = 376.00 - 79.73 = **296.27 t**
 Net moment = 1628.02 - 395.02 = **1233.00 tm**

H.F.L. condition**a) Service Condition**

Element no.	Component	Area factor	Height (m)	Pressure (t/m ²)	Force (t)	C.G. from base (m)	Moment (tm)
1	LL Surcharge	1.0	1.200	0.67	79.73	4.955	395.02
2	Dry Earth	0.5	1.900	1.06	12.10	8.807	106.59
3		1.0	8.009	1.06	102.03	4.004	408.59
4	SubmgEarth	0.5	8.009	2.24	107.52	2.670	287.06
TOTAL					301.39		1197.26

b) Span Dislodge Condition

Net force = 301.39 - 79.73 = **221.66 t**
 Net moment = 1197.26 - 395.02 = **802.24 tm**

Forces & moments due to Abutment (Concrete) components**DRY Case :**

Element No.	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m³)	Weight (t)	C.G.from toe (m)	Moment about toe
1	Toe Slab	1.0	2.000	12.00	0.500	2.40	28.80	1.000	28.80
2		0.5	2.000	12.00	0.700	2.40	20.16	1.333	26.88
3	Heel Slab	1.0	3.500	12.00	0.500	2.40	50.40	4.450	224.28
4		0.5	3.500	12.00	0.700	2.40	35.28	3.867	136.42
5	Stem Wall	1.0	0.700	12.00	8.628	2.40	173.94	2.850	495.73
6		0.5	0.500	12.00	8.628	2.40	62.12	2.333	144.95
7	stem rect	1.0	1.200	12.00	1.200	2.40	41.47	2.600	107.83
10	Cap	1.0	0.700	12.00	0.300	2.40	6.05	2.850	17.24
11	Dirt Wall	1.0	0.300	12.00	0.631	2.40	5.45	3.050	16.63
8	Retutnwall	0.5	3.500	1.00	0.700	2.40	2.94	5.533	16.27
8a		1.0	3.500	1.00	9.409	2.40	79.04	4.950	391.23
TOTAL							505.65		1606.24

H.F.L. Case :

Element No.	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m ³)	Weight (t)	C.G.from toe (m)	Moment ,@ Toe
1	Toe Slab	1.0	2.000	12.00	0.500	1.40	16.80	1.000	16.80
2		0.5	2.000	12.00	0.700	1.40	11.76	1.333	15.68
3	Heel Slab	1.0	3.500	12.00	0.500	1.40	29.40	4.450	130.83
4		0.5	3.500	12.00	0.700	1.40	20.58	3.867	79.58
5	Stem Wall	1.0	0.700	12.00	6.809	1.40	80.07	2.850	228.21
6		0.5	0.500	12.00	6.809	1.40	28.60	2.333	66.73
5	Stem Wall	1.0	0.700	12.00	0.619	2.40	12.48	2.850	35.57
6		0.5	0.500	12.00	0.619	2.40	4.46	2.333	10.40
7	stem rect	1.0	1.200	12.00	1.200	1.40	24.19	2.600	62.90
10	Cap	1.0	0.700	12.00	0.30	2.40	6.05	2.850	17.24
11	Dirt Wall	1.0	0.300	12.00	0.63	2.40	5.45	3.050	16.63
8	Returnwall	0.5	3.500	1.00	0.70	1.40	1.72	5.533	9.49
8c		1.0	3.500	1.00	6.81	1.40	33.36	4.950	165.15
8d		1.0	3.500	1.00	1.90	2.40	15.96	4.950	79.00
TOTAL							290.88		934.20

Forces & moments due to Earth and LL surcharge**DRY Case :** Self weight of Earth

Element No	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m³)	Weight (t)	C.G.from toe (m)	Moment @ Toe
8	DRY EARTH	0.5	3.500	11.00	0.700	1.8	24.26	5.533	134.21
8a		1.0	3.500	11.00	8.709	1.800	603.53	4.950	2987.49
TOTAL							627.79		3121.70

H.F.L Case :

Element No	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m ³)	Weight (t)	C.G.from toe (m)	Moment @ Toe
8	SATURATED SOIL	0.5	3.500	11.000	0.7	1.000	13.48	5.533	74.56
8c		1.0	3.500	11.000	6.809	1.000	262.15	4.95	1297.63
8d	DRY	1.0	3.500	11.000	1.9	1.800	131.67	4.950	651.77
TOTAL							407.29		2023.95

L.L.SURCHARGE

Element No	Component	Area Factor	Length	Width	Height	Density	Weight	C.G.from toe	Moment @ Toe
12	DRY EARTH	0.00	3.500	11.00	1.20	1.80	0.00	4.950	0.00

SUMMARY OF FORCES AND MOMENTS:

LOAD CASE	Case. L.W.L.		Case. H.F.L.	
	Service Cond.	Span dislodged	Service Cond.	Span dislodged
Vertical load from superstructure including LL	232.07	0.00	232.07	0.00
Vertical load from substructure (b)	1133.44	1133.44	698.17	698.17
Total Vertical Load $V = (a) + (b)$	1365.51	1133.44	930.24	698.17
Total Horizontal Force $H =$	383.51	296.27	308.91	221.66
Moment @ toe due to (a)	661.40	0.00	661.40	0.00
Moment @ toe due to (b)	4727.95	4727.95	2958.15	2958.15
Total Moment @ toe (M)	5389.35	4727.95	3619.55	2958.15
Dist. of C.G. of V from toe $Z = M/V$	3.947	4.17	3.89	4.24
eccentricity $(e = Z - b/2)$	0.597	0.821	0.541	0.887
Relieving Moment @ c/l base (M1)	814.89	930.93	503.25	619.28
overturning moment due to				
Horz. braking force	69.73	0.00	69.73	0.00
Earth Pressure	1628.02	1233.00	1197.26	802.24
Total overturning Moment (M2)	1697.75	1233.00	1266.99	802.24
Net moment $(M2-M1) = M_L$	882.86	302.07	763.75	182.96
Factor of Safety				
Against overturning $(M / M2)$	3.17	3.83	2.86	3.69
Against sliding $(\mu \times V / H)$	1.958	2.104	1.656	1.732

Safe against overturning

Safe against sliding

I.R.C 78-2000:cl

706.3.4

$$\text{Area of base (A)} = 6.700 \times 12.00 = 74.40 \text{ m}^2$$

$$Z_L = 89.78 \text{ m}^3$$

$$Z_T = 160.80 \text{ m}^3$$

CHECK FOR BASE PRESSURE:

Base Pressure		LWL CASE		HFL CASE	
		Service Cond.	Span dislodged	Service Cond.	Span dislodged
P/A		18.35	15.23	12.50	9.38
M_L/Z_L		9.83	3.36	8.51	2.04
M_T/Z_T		0.86	0.00	0.86	0.00
(A)	$(P/A + M_L/Z_L + M_T/Z_T)$	29.04	18.60	21.87	11.42
(B)	$(P/A + M_L/Z_L - M_T/Z_T)$	27.33	18.60	20.15	11.42
(C)	$(P/A - M_L/Z_L + M_T/Z_T)$	9.38	11.87	4.85	7.35
(D)	$(P/A - M_L/Z_L - M_T/Z_T)$	7.662	11.87	3.14	7.35

STEM WALL

(C) (A)

Earth Face Other Face

HEEL TOE

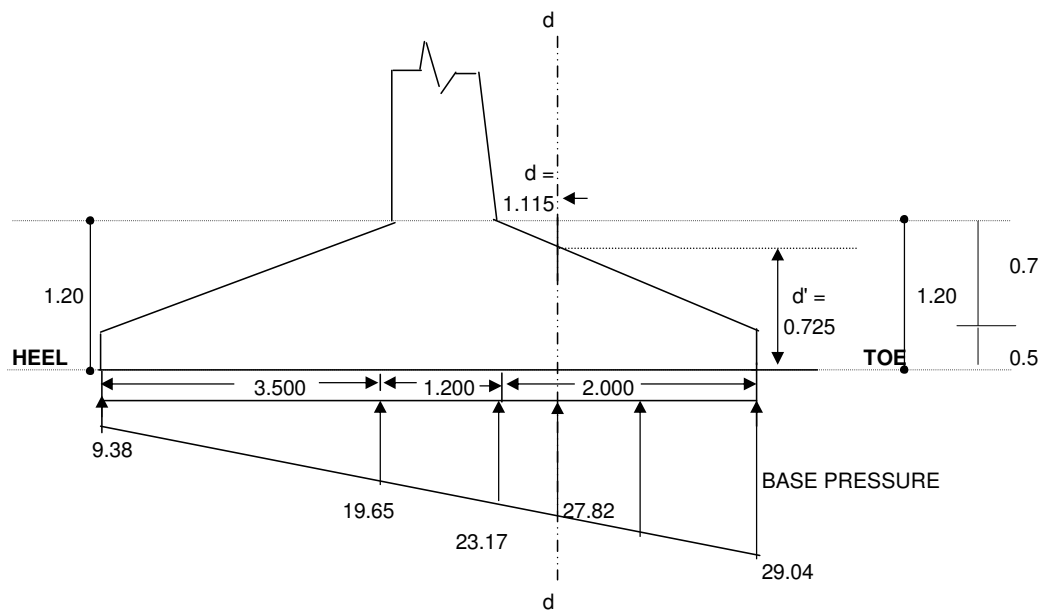
(D) (B)

BASE SLAB

Max.Base Pressure = 29.04 t/m² < 37.60 Hence O.K.

Min. Base Pressure = 3.14 t/m² > 0 Hence O.K.

DESIGN OF TOE SLAB



BENDING MOMENT AT FACE OF STEM

Loadings	Element	Area fact.	force	L.A.	Moment
Downward Loads	1	1.0	2.400	1.000	2.400
	2	0.5	1.680	0.667	1.120
Upward Base pressure	Rect.	1.0	-46.348	1.000	-46.348
	Trian.	0.5	-5.871	1.333	-7.828
TOTAL			-48.139		-50.656

Bending Moment at face of stem 50.656 tm/m

Effective depth required 0.670 m

Effective depth provided at face of stem 1.115 m

Area of Reinforcement required 2469 mm²

Minimum steel required 0.15% 1673 mm² I.R.C 78-2000 Clause:707.2.7

Distribution steel 617 mm²/m

mainsteel 2469 mm² 12 ϕ , @ 150 C/C 753.9822

Hence provide , 25 ϕ , @ 175 C/C
0 ϕ , @ 175 C/C

There is no tension below foundation, hence foundation will not have negative moment at top. However in reference to clause 707.2.8 of IRC: 78-2000, the requirement of reinforcement at top is follows.

Minimum steel reinforcement as per above clause 669 mm²/m
provide 12 ϕ , @ 150 C/C 753.982

Check for Shear**SHEAR FORCE AT "d" FROM FACE OF STEM**

Loadings	Element	Area fact.	force	L.A.	Moment
Downward loads	1	1.0	1.062	0.443	0.470
	2	0.5	0.743	0.295	0.219
Upward base pressure	Rect.	1.0	-24.624	0.443	-10.896
	Trian.	0.5	-0.540	0.590	-0.319
TOTAL			-23.359		-10.526

Effective depth (d') at distance d 0.725 m

Shear force at critical section 23.4 t

Bending Moment at critical section 10.53 tm

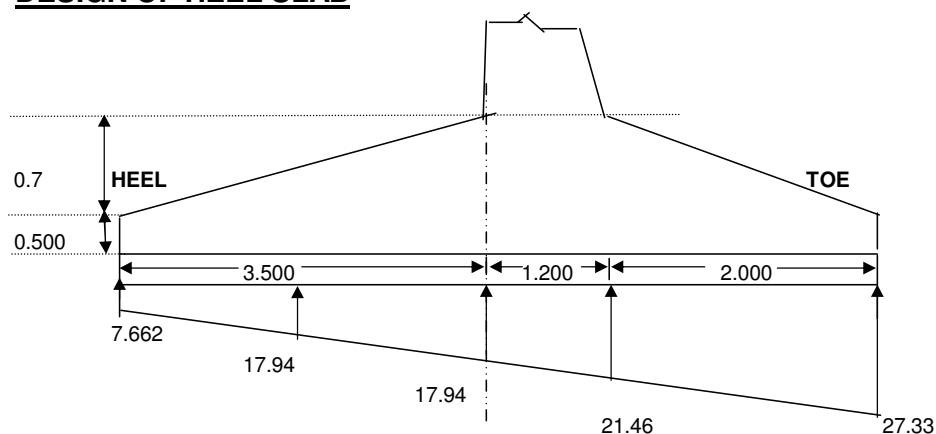
$\tan \beta = 0.36$

Net shear force $S-M*\tan\beta/d'$ 18.10 t

Hence, Shear stress 24.97 t/m²

% of reinforcement 0.39

Permissible shear stress 27.92 t/m² Hence O.K.

DESIGN OF HEEL SLAB**BENDING MOMENT AND SHEAR FORCE AT FACE OF STEM**

Loadings	Element	Area fact.	force	L.A.	moment
Downward Loads.	3	1	4.200	1.750	7.350
	4	0.5	2.940	1.167	3.430
	8	0.5	4.410	2.333	10.290
	8a	1	54.867	1.750	96.017
		0.5	4.410	2.333	5.145
		1	6.831	1.750	11.955
Upward base pressure	Rect.	1	-26.819	1.750	-46.932
	Trian.	0.5	-17.979	1.167	-20.976
TOTAL			32.860		66.278

Bending Moment at face of stem **66.278 tm**

Effective depth required 0.767 m

Effective depth provided at face of stem 1.115 m

Area of Reinforcement required 3232.56 mm²

Minimum steel 0.15% 1672.50 mm² I.R.C 78-2000 Clause:707.2.7

Distribution steel 808.14 mm²/m

mainsteel 3232.56 mm²

Hence provide , 25 ϕ , @ 150 C/C 12 ϕ , @ 150 C/C
0 ϕ , @ 150 C/C 753.9822

There is no tension below foundation, hence foundation will not have negative moment at top. However in reference to clause 707.2.8 of IRC: 78-2000, the requirement of reinforcement at top is follows.

Minimum steel reinforcement as per above clause

provide 16 ϕ , @ 150 C/C
1340.41

836 mm²/m

Check for Shear

(Critical section at face of stem)

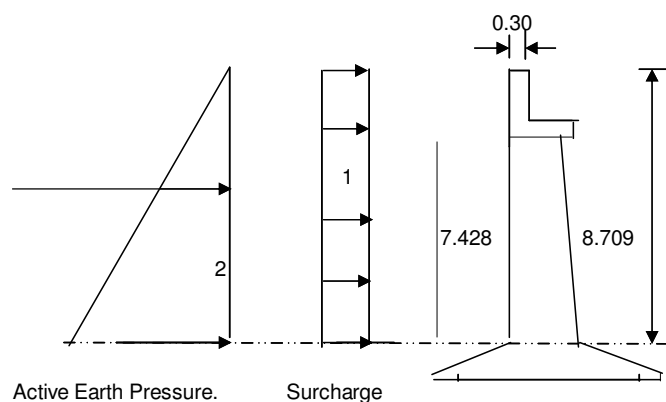
Shear force at face of stem 32.86 t

 $\tan \beta = 0.200$

Bending moment at face of stem 66.278 tm

Net shear force $S - M \cdot \tan \beta / d$ 20.97 tHence, Shear stress 18.81 t/m²

% of reinforcement 0.29

Permissible shear stress 24.75 t/m² **Hence O.K.****DESIGN OF STEM WALL****SUMMARY OF FORCES AND MOMENTS IN ABUTMENT SHAFT**

R.L. OF SECTION = 233.200 m

DRY Condition**a) Service Condition**

Element No.	Area factor	Height of E.P. diagram	Earth Pressure	Force	L.A.	Moment tm
1	1	8.359	0.603	60.5	4.180	253.00
2	0.5	8.359	4.204	210.8	3.511	740.18
HORIZONTAL FORCE				7.52	7.728	58.08
TOTAL				278.88		1051.256

Total Vertical Load = Stem + dirt wall + cap + Load from superstructure
 = 256.712 + 5.45 + 6.05 + 232.07
 = 500.282 t
 Longitudinal Moment = 1051.256 t-m
 Transverse Moment = 137.896 t-m

b) Span Dislodged Condition

$$\begin{aligned}
 \text{Total Vertical Load} &= \text{Stem + dirt wall + cap + Load from superstructure} \\
 &= 256.712 + 5.45 + 6.05 + 0.00 \\
 &= 268.212 \text{ t} \\
 \text{Longitudinal Moment} &= 993.176 \text{ t-m} \\
 \text{Transverse Moment} &= 0.000 \text{ t-m}
 \end{aligned}$$

H.F.L. condition**a) Service Condition**

Element no.	Component	Area factor	Height (m)	Pressure (t/m ²)	Force (t)	C.G. from base (m)	Moment (tm)
1	LL Surcharge	1.0	1.200	0.603	60.53	4.180	253.00
2	Dry Earth	0.5	1.494	0.83	7.48	7.307	54.68
3		1.0	6.809	0.83	68.21	3.405	232.22
4	SubmgEarth	0.5	6.809	1.90	77.72	2.270	176.39
TOTAL					213.94		716.289

$$\begin{aligned}
 \text{Total Vertical Load} &= \text{Stem + dirt wall + cap + Load from superstructure} \\
 &= 121.151 + 5.45 + 6.05 + 232.07 \\
 &= 364.721 \text{ t} \\
 \text{Longitudinal Moment} &= 774.368 \text{ t-m} \\
 \text{Transverse Moment} &= 137.896 \text{ t-m}
 \end{aligned}$$

b) Span Dislodged Condition

$$\begin{aligned}
 \text{Total Vertical Load} &= \text{Stem + dirt wall + cap + Load from superstructure} \\
 &= 121.151 + 5.45 + 6.05 + 0.00 \\
 &= 132.651 \text{ t} \\
 \text{Longitudinal Moment} &= 716.289 \text{ t-m} \\
 \text{Transverse Moment} &= 0.000 \text{ t-m}
 \end{aligned}$$

Cross Sectional area 0.95 m² 2375.000

For horizontal reinforcement area of steel required for the stem at the section/metre = 185.4639 mm²

Providing 12 ,@ 47.62 c/c say, 150 C/C as horizontal reinforcement

As per clause 214.2 of IRC:6, horizontal braking force F_h , for each span is:

For Class A Single lane : $F_h = [0.2 \times 26.6] = 5.320 \text{ t}$

For class 70R Wheeled : $F_h = [0.2 \times 55.2] = 11.032 \text{ t}$

For class A 3 lane $F_h = 0.2 \times 26.6 + 0.05 \times 26.6 = 6.65 \text{ t}$

For class 70R W +class A 1 lane
 $F_h = 0.2 \times 55.2 + 0.05 \times 26.6 = 12.362 \text{ t}$

$$\begin{aligned} \mu R_g &= 7.5155 \text{ t} \\ F_h/2 &= 6.181 \end{aligned}$$

Summary of Longitudinal Forces :

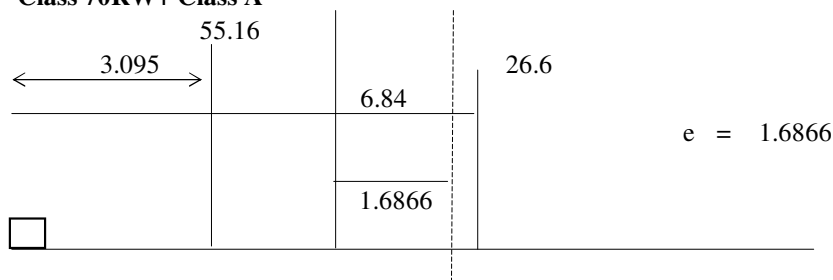
Load Case	Longitudinal horizontal force (t)
70RT+class A 1lane	7.52

Dead Load

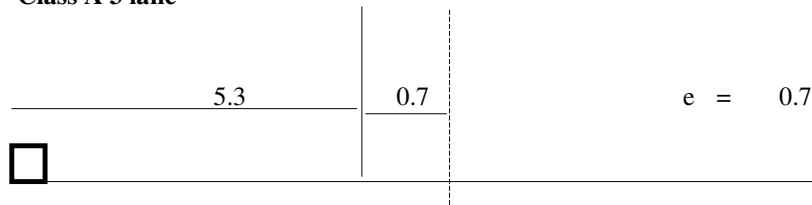
dead load of slab	=	24.48 t/m	
Total reaction	=	132.19	= 132.19 t
wearing coat	=	1.36 t/m	= 7.3181 t
crashbarrier	=	1.00 t/m	= 10.8 t

Transverse eccentricity

Class 70RW+ Class A

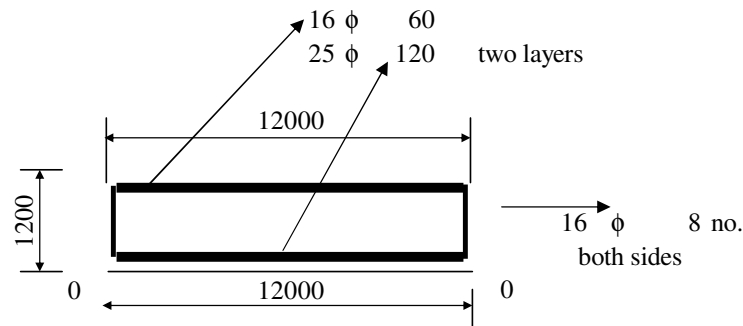


Class A 3 lane



Summary of Dead load & Live loads from Superstructure. (STAAD Pro)

	P		M _L	M _T
Dead Load Reaction:				
	132.19	t		
SIDL	18.12	t		
LL Max Reaction Case				
70RT + Class A	81.76	t		137.90
Class A 3 Lane	79.8	t		55.86
	232.07			137.90



PLAN : ABUTMENT SHAFT

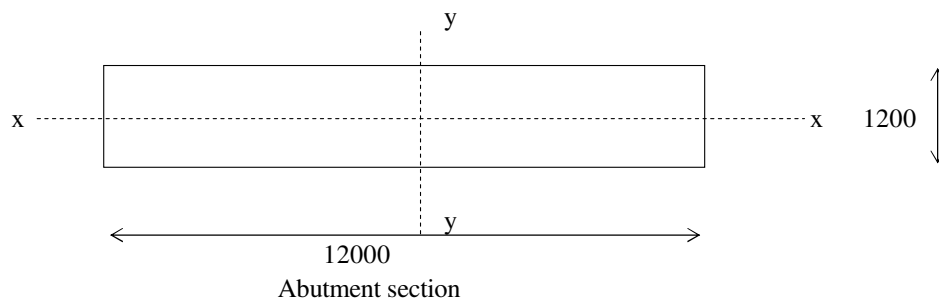
Reinforcement provided = 74185.569 mm²

Summary of Loads at Abutment Shaft bottom :

1 DRY condition	P	M _L	M _T
With L.L	500.28	1051.26	137.90

Check for Cracked/Un-cracked Section

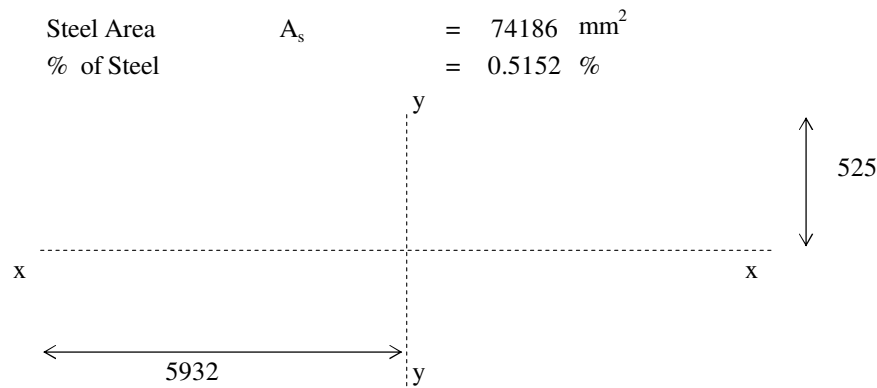
Length of section	=	12000	mm
Width of section	=	1200	mm
Gross Area of section	A _g	=	14400000 mm ²
Gross M.O.I of section	I _{gxx}	=	1.728E+12 mm ⁴
Gross M.O.I of section	I _{gyy}	=	1.728E+14 mm ⁴



Transformed sectional properties of section:

Adopting

Modular ratio	m	=	10
Cover		=	72.5
			68
Dia of Bars		=	25
No of bars in tension face (longer)		=	120
No of bars in compression face		=	60
No of bars in shorter direction		=	8
Total bars in section		=	196



$$\begin{aligned}
 A_{sx} &= 58905 \text{ mm}^2 \\
 A_{sy} &= 1608.5 \text{ mm}^2 \\
 \text{Area of concrete } A_c &= A_g - A_s = 14325814 \text{ mm}^2 \\
 \text{C.G of Steel placed on longer face} &= 527.5 \text{ mm} \\
 \text{C.G of Steel placed on shorter face} &= 5932 \text{ mm} \\
 \text{Transformed Area of Section } A_{tfm} &= 15067670 \text{ mm}^2 \\
 \text{Transformed M.I}_{txx} &= I_{gxx} + 2 \left[m - 1 \right] A_{st} a x^2 \\
 &= 2.02303E+12 \text{ mm}^4 \\
 Z_{xx} &= \frac{M.I_{txx}}{d/2} = 3.372E+09 \text{ mm}^3 \\
 \text{Transformed M.I}_{tyy} &= I_{gyy} + 2 \left[m - 1 \right] A_{st} a y^2 \\
 &= 1.73819E+14 \text{ mm}^4 \\
 Z_{yy} &= \frac{M.I_{tyy}}{d/2} = 2.897E+10 \text{ mm}^3
 \end{aligned}$$

Permissible stresses

$$\begin{aligned}
 \text{Minimum Gross Moment of inertia } I_{min} &= 1.728E+12 \text{ mm}^4 \\
 \text{Area of section} &= 14400000 \text{ mm}^2 \\
 r &= 346.41016 \text{ mm}
 \end{aligned}$$

Effective length of Abutment shaft (IRC:21-2000 cl: 306.2.1)

$$\begin{aligned}
 \text{Abutment shaft height } L &= 9.426 \text{ m} \\
 \text{Effective length } L_{eff} &= 11.311 \text{ m} \\
 \text{Slenderness ratio} &= 32.653 < 50 \\
 \text{Type of member} &= 1
 \end{aligned}$$

Stress reduction coefficient (IRC:21-2000 cl: 306.4.2,3)

$$\beta = 1$$

Permissible stresses : concrete

$$\sigma_{cbc} = 8.3333 \text{ N/mm}^2$$

$$\sigma_{co} = 6.25 \text{ N/mm}^2$$

$$\text{Tensile stress} = 0.61 \text{ N/mm}^2$$

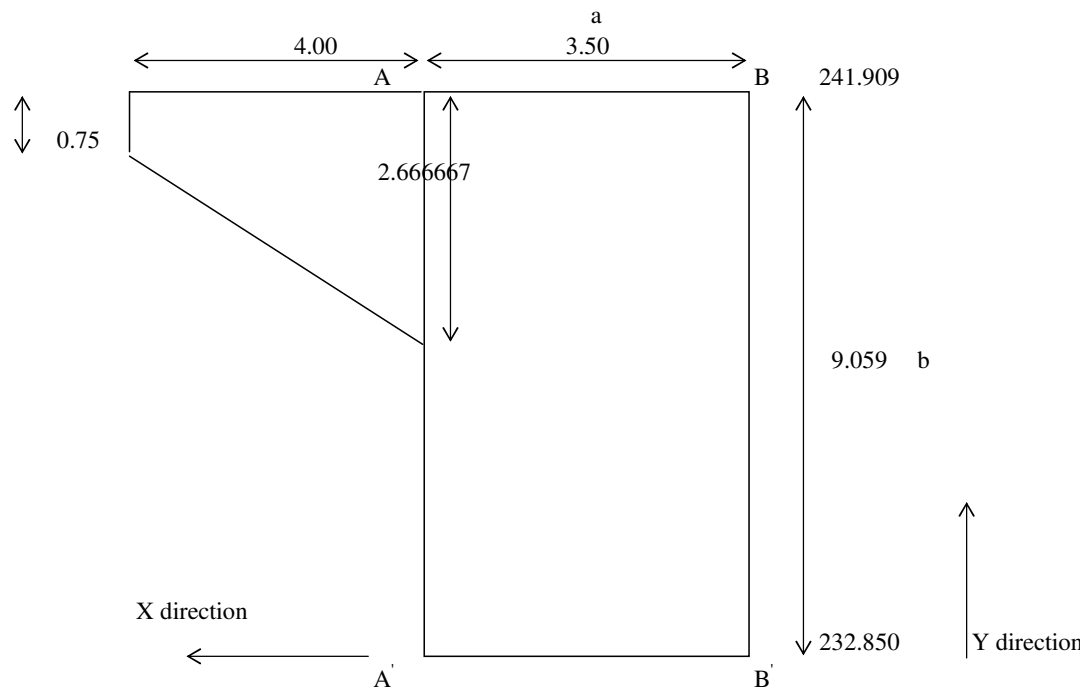
Permissible stresses : Steel

$$\sigma_{st} = 200 \text{ N/mm}^2$$

1 Short Column

2 Long Column

S.No	Item	DRY Case
	Loads and Moments	With L.L
1	P	500.28 t
2	M _L	1051.26 t-m
3	M _T	137.90 t-m
<i>Actual(calculated) Stresses</i>		
4	$\sigma_{co,cal}$ P/A _{tfin}	0.332023197
5	$\sigma_{cbc,cal}$ M _L /Z _{xx}	3.117862579
6	$\sigma_{cbc,cal}$ M _T /Z _{yy}	0.047599842
7	$\sigma_{cbc,cal} = 5 + 6$	3.165462421
<i>Permissible Stresses</i>		
8	σ_{cbc}	8.3333333
9	σ_{co}	6.25
<i>Check for Minimum steel area mm²</i>		
10	Conc.Area Required for directstress	
	(1)/(9)	800450.56
11	0.8% of area required	6403.6045
12	0.3% of A _g	43200
13	Governing steel mm ²	43200
14	Provided Steel area mm ²	74185.569
<i>Check for safety of section</i>		
	$\frac{\sigma_{co,cal}}{\sigma_{co}} + \frac{\sigma_{cbc,cal}}{\sigma_{cbc}}$	0.4329792 < 1
<i>Check for Cracked /Uncracked section</i>		
	$\sigma_{co,cal} - \sigma_{cbc,cal}$	-2.833439
	Permissible Basic tensile stress in concrete	-0.61
	Section to be designed as	Cracked



Width of Solid return wall (a)	=	3.50
Width of Cantilever return wall	=	4.00
Avg Height of Solid return wall (b)	=	9.059
Height of Cantilever return at Tip	=	0.75
Height of Cantilever return at Root	=	2.666667
Thickness of Solid Return at farther end	=	0.5
Thickness of Solid Return at Root	=	0.5
Thickness of Solid Return at bottom	=	0.5
Thickness of Solid Return at top	=	0.5
Thickness of Cantilever return	=	0.5
Unit wt of Soil	=	1.8 t/m ³
Grade of concrete	=	M 30
σ_{cbc}	=	1020 t/m ²
m	=	10
σ_{st}	=	20400 t/m ²
k	=	0.333333
j	=	0.888889
R	=	151.1111 t/m ²

Case (1) For uniformly distributed load over entire plate

a/b	=	0.3863561	For a/b	=	0.375	β_1	=	0.353	β_2	=	0.398
			For a/b	=	0.5	β_1	=	0.631	β_2	=	0.632
a/b	=	0.3863561	β_1	=	0.378256						
			β_2	=	0.419259						

Live Load Surcharge:

$$q = 0.2794 \times 1.8 \times 1.2 = 0.603504 \text{ t/m}^2$$

$$\sigma_{b\max} = \frac{\beta_1 \times q \times b^2}{t^2}$$

$$\sigma_{a\max} = \frac{\beta_2 \times q \times b^2}{t^2}$$

$$\sigma_{b\max} = \frac{0.378256 \times 0.603504 \times 82.07}{0.25} = 74.9353 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3 = 0.041667 \text{ m}^3$$

Hence Moment /m width along Y direction

$$M_Y \text{ /m width} = 74.935304 \times 0.041667 = 3.122304 \text{ t-m/m}$$

$$\sigma_{a\max} = \frac{0.4192586 \times 0.603504 \times 82.07}{0.25} = 83.05823 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3 = 0.041667 \text{ m}^3$$

Hence Moment /m width along X direction

$$M_X \text{ /m width} = 83.058232 \times 0.041667 = 3.46076 \text{ t-m/m}$$

Case (2) For Triangular loading due to earth pressure

$$\begin{aligned} a/b &= 0.3863561 & \text{For } a/b &= 0.375 & \beta_1 &= 0.212 & \beta_2 &= 0.148 \\ & & \text{For } a/b &= 0.5 & \beta_1 &= 0.328 & \beta_2 &= 0.200 \end{aligned}$$

$$\begin{aligned} a/b &= 0.3863561 & \beta_1 &= 0.222538 \\ & & \beta_2 &= 0.152724 \end{aligned}$$

Earth pressure:

$$q = 0.2794 \times 1.8 \times 9.059 = 4.555952 \text{ t/m}^2$$

$$\sigma_{b\max} = \frac{\beta_1 \times q \times b^2}{t^2}$$

$$\sigma_{a\max} = \frac{\beta_2 \times q \times b^2}{t^2}$$

$$\sigma_{b\max} = \frac{0.2225385 \times 4.555952 \times 82.07}{0.25} = 332.8164 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3 = 0.041667 \text{ m}^3$$

Hence Moment /m width along Y direction

$$M_Y \text{ /m width} = 332.81644 \times 0.041667 = \mathbf{13.86735 \text{ t-m/m}}$$

$$\sigma_{\text{amax}} = \frac{0.1527241 \times 4.555952 \times 82.07}{0.25} = 228.4059 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3$$

$$= 0.041667 \text{ m}^3$$

Hence Moment /m width along X direction

$$M_X \text{ /m width} = 228.40593 \times 0.041667 = \mathbf{9.516914 \text{ t-m/m}}$$

$$\text{Total Moment in Solid Return /m height} = \mathbf{12.97767 \text{ t-m/m}}$$

Along X-direction

$$\text{Total Moment in Solid Return /m width} = \mathbf{16.98966 \text{ t-m/m}}$$

Along Y-direction

Moment due to Cantilever Return:

Moment due to earth pressure at face A - A'

$$M = 0.2794 \times 1.2 \times 1.8 \times 0.75 \times 4.00 \times 2.00$$

$$+ 0.5 \times 0.2794 \times 1.8 \times 0.5625 \times 4.00 \times 2.00$$

$$+ 0.5 \times 0.2794 \times 1.8 \times 0.444444 \times X^2 \times dx \times \left[4.00 - X \right]$$

$$+ 0.2794 \times 1.8 \times 1.95 \times 0.666667 \times X \times dx \times \left[4.00 - X \right]$$

$$= 3.621024 + 1.13157 + 0.11176 \times 21.33333 + 0.653796 \times 10.66667$$

$$= \mathbf{14.11063 \text{ t-m}}$$

Design of cantilever Return:

Assuming 50 mm cover and 12 mm dia bars.

$$\text{Effective depth available} = 500 - 50 - 20 - 6 = 424 \text{ mm}$$

$$M = R \times b \times d^2$$

$$= 151.1111 \times 2.666667 \times 0.179776 = 72.44307 \text{ t-m}$$

$$A_{st} = \frac{14.11063 \times 10^6}{20400 \times 0.888889 \times 0.424} = 1835.283 \text{ mm}^2$$

$$A_{st}/m = 688.231 \text{ mm}^2/m$$

Provide 12 mm dia @ 150 mm c/c providing 753.9822 mm² on earth face.

Provide 10 mm dia @ 150 mm c/c providing 523.5988 mm² on other face.

Along Horizontal direction.

Design of Solid Return:**Moment due to Cantilever Return:***Moment due to Earth pressure at face B-B'*

$$\begin{aligned}
 M &= 0.2794 \times 1.2 \times 1.8 \times 0.75 \times 4.00 \times 5.50 \\
 &+ 0.5 \times 0.2794 \times 1.8 \times 0.5625 \times 4.00 \times 5.50 \\
 &+ 0.5 \times 0.2794 \times 1.8 \times 0.444444 \times X^2 \times dx \times \left[7.50 - X \right] \\
 &+ 0.2794 \times 1.8 \times 1.95 \times 0.666667 \times X \times dx \times \left[7.50 - X \right] \\
 \\
 &= 9.957816 + 3.1118175 + 0.11176 \times 96 + 0.653796 \times 38.66667 \\
 \\
 &= \mathbf{49.07871 \text{ t-m}}
 \end{aligned}$$

$$\text{Moment in Solid Return /m height} = 12.97767 + \frac{49.07871}{9.059} = 18.39535 \text{ t-m/m}$$

$$\text{Moment in Solid Return /m width} = 16.98966 \text{ t-m/m}$$

Design of face B-B'

$$\text{Moment in Solid Return /m height} = \mathbf{18.39535 \text{ t-m/m}}$$

Assuming 50 mm cover and 25 mm dia bars.

$$\text{Effective depth available} = 500 - 50 - 20 - 13 = 418 \text{ mm}$$

$$\begin{aligned}
 M &= R \times b \times d^2 \\
 &= 151.1111 \times 1 \times 0.174306 = 26.33961 \text{ t-m}
 \end{aligned}$$

$$A_{st} = \frac{18.39535 \times 10^6}{20400 \times 0.888889 \times 0.4175} = 2429.819 \text{ mm}^2$$

$$A_{st}/m = 2429.819 \text{ mm}^2/m$$

Provide 20 mm dia @ 125 mm c/c providing 2513.274 mm² on earth face.Provide 12 mm dia @ 125 mm c/c providing 904.7787 mm² on other face.**Along Horizontal direction.****Design of face A'-B'**

$$\text{Moment in Solid Return /m width} = \mathbf{16.98966 \text{ t-m/m}}$$

Assuming 50 mm cover and 25 mm dia bars.

$$\text{Effective depth available} = 500 - 50 - 0 - 13 = 438 \text{ mm}$$

$$\begin{aligned}
 M &= R \times b \times d^2 \\
 &= 151.1111 \times 1 \times 0.191406 = 28.92361 \text{ t-m}
 \end{aligned}$$

$$A_{st} = \frac{16.98966 \times 10^6}{20400 \times 0.888889 \times 0.4375} = 2141.553 \text{ mm}^2$$

$$A_{st}/m = 2141.553 \text{ mm}^2/m$$

Provide 20 mm dia @ 125 mm c/c providing 2513.274 mm² on earth face.Provide 12 mm dia @ 125 mm c/c providing 904.7787 mm² on other face.**Along Vertical direction.**

1. DESIGN FOR FORCES IN LONGITUDINAL DIRECTION

Active earth pressure	K_a	=	0.279384
FOR NORMAL CASE, FA		=	1.0
unit wt of soil	γ	=	1.8
	δ	=	20
clear span between return wall		=	11.000 m
width of return wall		=	0.5
Avg. cover to reinforcement. (FOR 2-3 LAYERS)		=	0.150 m
H (From formation level)	=	8.709 m	

DESIGN FOR BENDING MOMENT

S.NO.	UNITS	1
H (FROM TOP)	m	8.709
WIDTH OF RETURN AT THIS LEVEL	m	3.500
FORCE DUE TO EARTH PRESSURE	t	107.527
MOMENT DUE TO EARTH PRESSURE	tm	393.310
FORCE DUE TO L.L. SURCHARGE	t	29.632
MOMENT DUE TO L.L. SURCHARGE	tm	129.032
TOTAL MOMENT	tm	522.342
DESIGN MOMENT	tm	522.342
REQUIRED EFFECTIVE DEPTH	m	2.940
EFF. DEPTH AVAILABLE	m	3.350
AREA OF STEEL REQUIRED	cm ²	85.976
DIAMETER OF BAR PROVIDED	mm	32
TOTAL NO. OF BARS	no.	12
AREA OF STEEL PROVIDED	cm ²	96.51
		O.K.
		12.3

CHECK FOR SHEAR STRESS

SHEAR FORCE	t	142.159
SHEAR STRESS	t/m ²	84.871
$A_{st}/bd \times 100$	%	0.513
PERMISSIBLE SHEAR STRESS	MPa	0.31
PERMISSIBLE SHEAR STRESS	t/m ²	31.95
A_{sv}/sv	cm ² /m	7.744

Design of Abutment Cap:

As the cap is fully supported on the abutment. Minimum thickness of the cap required as per cl: 710.8.2 of IRC:78-2000 is 200 mm.

However the thickness of abutment cap is	=	300	mm
Assuming a cap thickness of	=	300	mm
Volume of Abutment cap	=	0.3 x 0.70 x 12	
	=	2.52	m ³
Quantity of steel	=	1 % of volume	
	=	$\frac{1}{100} \times 2.52$	
	=	0.0252	m ³
Quantity of steel to be provided at top	=	0.0126	m ³
Quantity of steel to be provided at bottom	=	0.0126	m ³

Top & bottom face:

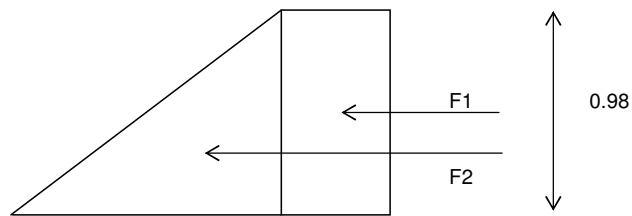
Quantity of steel to be provided in Longitudinal dir	=	0.0063	m ³
Assuming a clear cover of	=	50	mm
Length of bar 12.00 - 0.100	=	11.9	m
Area of steel required in Longitudinal direction	=	$\frac{0.0063}{11.9}$	529.412 mm ²
Provide 8 nos of bars 12 mm dia at top & bottom face.	=		904.779 mm ²

Transverse steel:

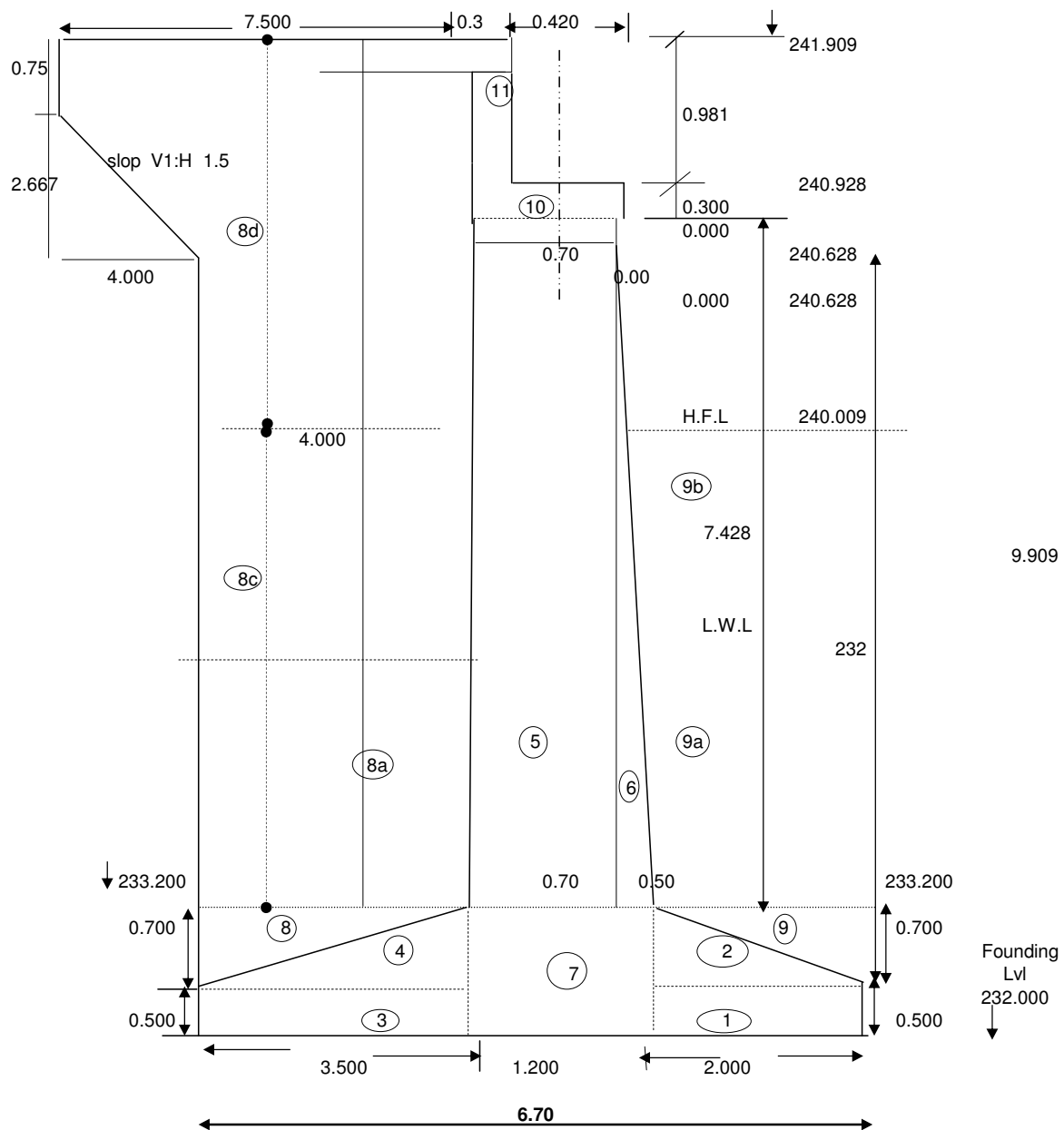
Quantity of steel to be provided in Longitudinal dir	=	0.0063	m ³
Assuming a clear cover of	=	50	mm
Assuming a dia of bar	=	12	mm
Length of bar 0.70 - 0.100	=	0.6	m
Volume of each stirrup	=	6.8E-05	m ³
no of stirrups required for m/length	=	8	nos
Required Spacing	=	$\frac{1000}{8}$	
	=	125	mm
Provide 12 mm dia bar 125 mm c/c stirrups through in length of abutment cap.			904.779 mm ²

Design of Dirt wall:

Dirt wall designed as a vertical cantilever.



Intensity for rectangular portion	=	0.2794	x	2.00	x	1.2	=	0.67056	t/m ²
F1	=	0.67056	x	12.00	x	0.98	=	7.893832	t
Intensity for triangular portion	=	0.2794	x	2.00	x	0.98	=	0.548183	t/m ²
F2	=	0.548183	x	12.00	x	0.98	=	3.226604	t
M1	=	7.893832	x	0.49			=	3.871925	t-m
M2	=	3.226604	x	0.41202			=	1.329425	t-m
M1+ M2	=						=	5.20135	t-m
Total moment at base of dirt wall /m length	=						=	0.433446	t-m/m
Thickness of dirtwall	=						=	0.3	m
Assuming a clear cover on either face	=						=	50	mm
Vertical steel on earth face:									
dia of steel bar	=						=	12	mm
Available effective depth	=	300	-	50	-	6	=	244	mm
effective depth req	=						=		
				0.433446					
				1.51	x	1000			
Ast req	=						=		
				0.433446					
				200	x	0.889	x	244	
							=	99.91099	mm ² /m
Minimum steel	=						=		
				0.12	x	300	x	1000	
				100			=	360	mm ² /m
Provide	12	mm dia bar		200	mm c/c as vertical steel at earth face.				
								565.4867	mm ² /m
Distribution steel on earth face:									
dia of steel bar	=						=	12	mm
Available effective depth	=	300	-	50	-	12	=	238	mm
0.3M	=						=		
						0.3	x	0.433446	
Ast req	=						=		
				0.130034			=	0.130034	t-m/m
				200	x	0.889	x	238	
							=	30.72893	mm ² /m
Minimum steel as per IRC:21-200 cl:305.10	=						=	250	mm ² /m
Governing steel at earth face	=						=	250	mm ² /m
Provide	10	mm dia bar		200	mm c/c as vertical steel at earth face.				
								392.6991	mm ² /m
Vertical steel on earth face									
As per IRC:21-200 cl:305.10	All faces provide minimum steel of						=	250	mm ² /m
Provide	10	mm dia bar		200	mm c/c as vertical steel at earth face.				
								392.6991	mm ² /m
Distribution steel:									
As per IRC:21-200 cl:305.10	All faces provide minimum steel of						=	250	mm ² /m
Provide	10	mm dia bar		200	mm c/c as vertical steel at earth face.				
								392.6991	mm ² /m




```

INPUT FILE: 70r.STD
  3. STAAD PLANE
  4. INPUT WIDTH 72
  5. UNIT METER MTON
  6. PAGE LENGTH 1000
  7. UNIT METER MTON
  8. JOINT COORDINATES
  9. 1 0.00 0 0;2 0.4 0 0;3 10.4 0 0;4 10.8 0 0
10. MEMBER INCIDENCES
11. 1 1 2 3
12. MEMBER PROPERTY CANADIAN
13. 1 TO 3 PRI YD 1.0 ZD 1.0
14. CONSTANT
15. E CONCRETE ALL
16. DENSITY CONCRETE ALL
17. POISSON CONCRETE ALL
18. SUPPORT
19. 2 3 PINNED
20. DEFINE MOVING LOAD
21. TYPE 1 LOAD 8.0 2*12 4*17.0 DIS 3.96 1.52 2.13 1.37 3.05 1.37
22. LOAD GENERATION 175
23. TYPE 1 -13.4 0. 0. XINC .2
24. PERFORM ANALYSIS
25. LOAD LIST 55
26. PRINT SUPPORT REACTION
SUPPORT REACTIONS -UNIT MTON METE      STRUCTURE TYPE = PLANE
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JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	55	0.00	36.84	0.00	0.00	0.00	0.00
3	55	0.00	55.16	0.00	0.00	0.00	0.00

***** END OF LATEST ANALYSIS RESULT *****

27. FINISH

INPUT FILE: CLAAS A.STD

```

3. STAAD PLANE
4. INPUT WIDTH 72
5. UNIT METER MTON
6. PAGE LENGTH 1000
7. UNIT METER MTON
8. JOINT COORDINATES
9. 1 0.00 0 0;2 0.4 0 0;3 10.4 0 0;4 10.8 0 0
10. MEMBER INCIDENCES
11. 1 1 2 3
12. MEMBER PROPERTY CANADIAN
13. 1 TO 3 PRI YD 1.0 ZD 1.0
14. CONSTANT
15. E CONCRETE ALL
16. DENSITY CONCRETE ALL
17. POISSON CONCRETE ALL
18. SUPPORT
19. 2 3 PINNED
20. DEFINE MOVING LOAD
21. TYPE 1 LOAD 2*2.7 2*11.4 4*6.8 DIS 1.1 3.2 1.2 4.3 3 3 3
22. LOAD GENERATION 202
23. TYPE 1 -18.8 0. 0. XINC .2
24. PERFORM ANALYSIS
25. LOAD LIST 74
26. PRINT SUPPORT REACTION
    SUPPORT REACTION
    SUPPORT REACTIONS -UNIT MTON METE    STRUCTURE TYPE = PLANE
-----

```

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	74	0.00	26.60	0.00	0.00	0.00	0.00
3	74	0.00	9.80	0.00	0.00	0.00	0.00

***** END OF LATEST ANALYSIS RESULT *****

27. FINISH

Abutment SHAFT ..DRY NORMAL

Depth of Section = 1.200 m
 Width of Section = 12.000 m

along width-compression face- no of bar:	70	tension face- no of bar:	140
Dia (mm)	16		25
Cover (cm)	7.5		10.5
along depth-compression face- no of bar:	8	tension face- no of bar:	8
Dia (mm)	16		16
Cover (cm)	7.50		7.5

Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 85.00 Kg/cm²
 Allowable Steel Stress = 2040.00 Kg/cm²

Axial Load = 500.282 T
 Mxx = 1051.256 Tm
 Myy = 137.896 Tm

Intercept of Neutral axis : X axis : = 273.656 m
 : y axis : = .369 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 60.05 Kg/cm²
 Stress in Steel due to Loads = 1206.23 Kg/cm²
 Percentage of Steel = .60 %

Abutment SHAFT ..DRY SPAN DISLODGED

Depth of Section = 1.200 m
 Width of Section = 12.000 m

Modular Ratio : Compression = 10.0
 Modular Ratio : Tension = 10.0
 Allowable Concrete Stress = 85.00 Kg/cm²
 Allowable Steel Stress = 2040.00 Kg/cm²

Axial Load = 268.212 T
 Mxx = 993.176 Tm
 Myy = .010 Tm

Intercept of Neutral axis : X axis : = ***** m
 : y axis : = .332 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 54.70 Kg/cm²
 Stress in Steel due to Loads = 1255.23 Kg/cm²

Percentage of Steel = .60 %

Abutment SHAFT ..HFL NORMAL

Depth of Section = 1.200 m

Width of Section = 12.000 m

Modular Ratio : Compression = 10.0

Modular Ratio : Tension = 10.0

Allowable Concrete Stress = 85.00 Kg/cm²

Allowable Steel Stress = 2040.00 Kg/cm²

Axial Load = 364.721 T

Mxx = 774.368 Tm

Myy = 137.896 Tm

Intercept of Neutral axis : X axis : = 202.764 m

: y axis : = .371 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 44.57 Kg/cm²

Stress in Steel due to Loads = 894.35 Kg/cm²

Percentage of Steel = .60 %

Abutment SHAFT ..HFL SPAN DISLODGED

Depth of Section = 1.200 m

Width of Section = 12.000 m

Modular Ratio : Compression = 10.0

Modular Ratio : Tension = 10.0

Allowable Concrete Stress = 85.00 Kg/cm²

Allowable Steel Stress = 2040.00 Kg/cm²

Axial Load = 132.289 T

Mxx = 716.289 Tm

Myy = .010 Tm

Intercept of Neutral axis : X axis : = ***** m

: y axis : = .321 m

Steel Stress Governs Design

Stress in Concrete due to Loads = 39.20 Kg/cm²

Stress in Steel due to Loads = 945.83 Kg/cm²

Percentage of Steel = .60 %

DESIGN OF SUBSTRUCTURE (PIER)

Design Data :

For design purposes, following parameters have been considered.

Grade of concrete		= M - 25
	Pier Cap	= M - 25
Grade of reinforcement steel		= Fe - 415
Centre to Centre distance of A / Expansion joints		= 10.800 m
Centre to Centre distance of Bearing		= 10.400 m
Depth of superstructure		= 925 mm
Thickness of wearing coat		= 56.00 mm
Formation level along C of carriage way		= 241.909 m
Soffit level		= 240.928
Pedestal top level		= 240.928
Height of bearing and Pedestal		= 0.000 m
L.W.L./Bed level		= 236.941 m
H.F.L		= 240.009 m
M.S.L		= 234.384 m
Founding Level		= 233.441 m
Pier cap top level		= 240.928 m
S.B.C of Soil		= 37.600 t/m ²
Live Load	(a) Class A three Lane	
	(b) Class 70R wheeled/Tracked + Class A	

Maximum surface velocity of water = 2 x 1.200 m/sec = 1.7 m/sec
 Say, 1.70 m/sec

The following codes are used for the design of substructure:

- 1 IRC : 6 - 2000
- 2 IRC : 21 - 2000
- 3 IRC : 78 - 2000

Dead Load

dead load of slab	=	24.28	t/m		
Total reaction	=	262.22		=	262.22 t
wearing coat	=	1.36	t/m	=	14.636 t
crashbarrier	=	1.00	t/m	=	21.6 t

As per clause 214.2 of IRC:6, horizontal braking force F_h , for each span is:

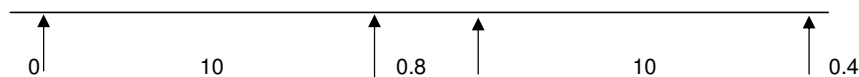
For Class A 3 lane : $F_h = 0.2 \times 31.5 + 0.05 \times 31.5 = 7.883 \text{ t}$

class 70R wheeled + A : $F_h = 0.2 \times 71.5 + 0.05 \times 31.5 = 15.883 \text{ t}$

$$\begin{aligned} \mu R_g &= 7.4615 \text{ t} \\ F_h/2 &= 7.9413 \end{aligned}$$

Summary of Longitudinal Forces :

Load Case	Longitudinal horizontal force (t)
class 70R + A	7.94
Span dislodged	0.00

**SUMMARY sheet** 54-600

		R_B	R_C	M_L	R	M_T
70RW	max rea	32.11	39.42	2.924	71.53	208
	max long	53.32	0	21.328	53.32	155
70RT	max rea	32.7	32.1	0.24	64.8	184
	max long	0	58.19	23.276	58.19	165
CLASS A	max rea	25	6.53	7.388	31.53	132
	max long	3.64	26.6	9.184	30.24	127
CLASS3A	max rea	75	19.59	22.164	85.131	59.6
	max long	10.92	79.8	27.552	90.72	63.5

H.F.L Condition with L.L							
<i>a) Vertical load and their moments about C/L of Foundation base.</i>							
I							
1 D.L Reaction	P		e_L	M_L		e_T	M_T
a Left span	132.19		-0.4	-52.876		0	0
b Right span	132.19		0.4	52.876		0	0
2 S.I.D.L							
a Left span	18.12		-0.4	-7.248		0	0
b Right span	18.12		0.4	7.248		0	0
	300.62			0			0
4 L.L Max Reaction case							
a Left span							
70R Wheeled + class A	57.978		-0.4	-23.191		1.76	102.04
Class A 3 Lane	67.5		-0.4	-27		0.7	47.25
b Right span							
70R Wheeled + class A	35.307		0.4	14.123		1.76	62.14
Class A 3 Lane	17.631		0.4	7.0524		0.7	12.342
4 L.L Max Long.Moment case							
a Left span							
70R Wheeled + class A	71.928		-0.4	-28.771		1.76	126.59
Class A 3 Lane	9.828		-0.4	-3.9312		0.7	6.8796
b Right span							
70R Wheeled + class A	3.276		0.4	1.3104		1.76	5.7658
Class A 3 Lane	71.82		0.4	28.728		0.7	50.274

Max Reaction case: **385.75** **19.948** **164.18**
 Max Long. moment case: **375.82** **27.461** **132.36**

II Substructure	V	ρ	P	e _L	M _L	e _T	M _T
1 Pedestal							
a Left span	0	2.4	0	-0.4	0	0	0
b Right span	0	2.4	0	0.4	0	0	0
2 Pier cap R	3.69	2.4	8.856	0	0	0	0
Pier cap Tr	0	2.4	0	0	0	0	0
3 Pier shaft up to H.F.L	0	2.4	0	0	0	0	0
below H.F.L	52.688	1.4	73.763	0	0	0	0
4 Footing	35.67	1.4	49.938	0	0	0	0
5 Earth above footing	91.348	1	91.348	0	0	0	0
6 Water current			0	0	7.0012	0	19.236
			223.91		7.0012		19.236

<i>b) Horizontal Forces and Moments with respect to Base</i>						
1 Longitudinal Forces at bearing level						
	H_L	H_T	e_L	M_L	e_T	M_T
	7.94	0	7.487	59.456	7.487	0
	7.94	0		59.456		0

Summary

	Max Reaction case	Max Long.moment case
P	= 609.66 t	599.73
M_L	= 86.405 t-m	93.918
M_T	= 183.42 t-m	151.59

Check for Maximum Allowable Base Pressure:

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{609.66}{43.05} + \frac{86.405}{88.253} + \frac{183.42}{25.113} = 22.444 \text{ t/m}^2 \\
 &< 37.6 \text{ t/m}^2 \\
 &\text{O.K}
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{609.66}{43.05} - \frac{86.405}{88.253} - \frac{183.42}{25.113} = 5.8787 \text{ t/m}^2 \\
 &> 0.00 \\
 &\text{O.K.NO.Tension}
 \end{aligned}$$

Max Long

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{599.73}{43.05} + \frac{93.918}{88.253} + \frac{151.59}{25.113} = 21.032 \text{ t/m}^2 \\
 &< 37.6 \text{ t/m}^2 \\
 &\text{O.K}
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{599.73}{43.05} - \frac{93.918}{88.253} - \frac{151.59}{25.113} = 6.8302 \text{ t/m}^2 \\
 &> 0.00 \\
 &\text{O.K.NO.Tension}
 \end{aligned}$$

H.F.L Condition with L.L
<i>a) Vertical load and their moments about Pier Shaft bottom</i>

II Substructure	V	ρ	P	e _L	M _L	e _T	M _T
1 Pedestal							
a Left span	0	2.4	0	-0.4	0	0	0
b Right span	0	2.4	0	0.4	0	0	0
2 Pier cap R	3.69	2.4	8.856	0	0	0	0
Pier cap Tr	0	2.4	0	0	0	0	0
3 Pier shaft							
up to H.F.L	0	1.4	0	0	0	0	0
below H.F.L	52.688	1.4	73.763	0	0	0	0
4 Water current					19.223		6.9967
			82.619		19.223		6.9967

b) Horizontal Forces and Moments with respect to Pier Shaft bottom											
1 Longitudinal Forces at bearing level											
	H _L		H _T		e _L		M _L		e _T		M _T
	7.94		0		6.487		51.515		6.487		0
	7.94		0				51.515				0
Summary for design of Pier											
Max Reaction case											
Max Long.moment case											
P	=	468.37	t					458.44	t		
M _L	=	90.686	t-m					98.199	t-m		
M _T	=	171.18	t-m					139.36	t-m		

H.F.L Condition One.Span dislodged
<i>a) Vertical load and their moments about C/L of Foundation base.</i>

II Substructure	V	ρ	P	e _L	M _L	e _T	M _T
1 Pedestal							
a Left span	0	2.4	0	-0.4	0	0	0
b Right span	0	2.4	0	0.4	0	0	0
2 Pier cap R	3.69	2.4	8.856	0	0	0	0
Pier cap Tr	0	2.4	0	0	0	0	0
3 Pier shaft							
up to H.F.L	0	2.4	0	0	0	0	0
below H.F.L	52.688	1.4	73.763	0	0	0	0
4 Footing	35.67	1.4	49.938	0	0	0	0
5 Earth above footing	91.348	1	91.348	0	0	0	0
6 Water current			0	0	7.0012	0	19.236
			223.91		7.0012		19.236

<i>Summary</i>				
	P	=	524.53	t
	M_L	=	7.0012	t-m
	M_T	=	19.236	t-m

Check for Maximum Allowable Base Pressure:

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{524.53}{43.05} + \frac{7.0012}{88.253} + \frac{19.236}{25.113} = 13.029 \text{ t/m}^2 \\
 &< \mathbf{37.6 \text{ t/m}^2} \\
 &\quad \mathbf{O.K}
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{524.53}{43.05} - \frac{7.0012}{88.253} - \frac{19.236}{25.113} = 11.339 \text{ t/m}^2 \\
 &> \mathbf{0.00} \\
 &\quad \mathbf{O.K.NO.Tension}
 \end{aligned}$$

H.F.L Condition One.Span dislodged

a) Vertical load and their moments about Abutment Shaft bottom.

II Substructure	V		ρ	P	e _L	M _L	e _T	M _T
1 Pedestal								
a Left span	0		2.4	0	-0.4	0	0	0
b Right span	0		2.4	0	0.4	0	0	0
2 Pier cap R	3.69		2.4	8.856	0	0	0	0
Pier cap Tr	0		2.4	0	0	0	0	0
3 Pier shaft								
up to H.F.L	0		2.4	0	0	0	0	0
below H.F.L	52.688		1.4	73.763	0	0	0	0
4 Water current						19.223		6.9967
				82.619		19.223		6.9967

Summary for design of Pier

	P	=	383.24	t
	M_L	=	19.223	t-m
	M_T	=	6.9967	t-m

Dry Condition with L.L									
a) Vertical load and their moments about C/L of Foundation base.									
I									
1 D.L Reaction	P		e _L		M _L		e _T		M _T
a Left span	132.19		-0.4		-52.876		0		0
b Right span	132.19		0.4		52.876		0		0
2 S.I.D.L									
a Left span	18.12		-0.4		-7.248		0		0
b Right span	18.12		0.4		7.248		0		0
	300.62				0				0
4 L.L Max Reaction case									
a Left span									
70R Wheeled + Class A	57.978		-0.4		-23.191		1.76		102.04
Class A 3 Lane	67.5		-0.4		-27		0.7		47.25
b Right span									
70R Wheeled + Class A	35.307		0.4		14.123		1.76		62.14
Class A 3 Lane	17.631		0.4		7.0524		0.7		12.342
4 L.L Max Longitudinal Moment case									
a Left span									
70R Wheeled + Class A	71.928		-0.4		-28.771		1.76		126.59
Class A 3 Lane	9.828		-0.4		-3.9312		0.7		6.8796
b Right span									
70R Wheeled + Class A	3.276		0.4		1.3104		1.76		5.7658
Class A 3 Lane	71.82		0.4		28.728		0.7		50.274
Max Reaction case	385.75				19.948				164.18
Max Longitudinal Moment	375.82				27.461				132.36

II Substructure	V		ρ	P		e _L	M _L		e _T		M _T
1 Pedestal											
a Left span	0		2.4	0		-0.4	0		0		0
b Right span	0		2.4	0		0.4	0		0		0
2 Pier cap R	3.69		2.4	8.856		0	0		0		0
Pier cap Tr	0		2.4	0		0	0		0		0
3 Pier shaft											
up to G.L	34.888808		2.4	83.733		0	0		0		0
below G.L	23.656637		2.4	56.776		0	0		0		0
4 Footing	35.67		2.4	85.608		0	0		0		0
5 Earth above footing	91.348363		1.8	164.43		0	0		0		0
				399.4			0				0

b) Horizontal Forces and Moments with respect to Base											
1 Longitudinal Forces at bearing level											
	H_L		H_T		e_L		M_L		e_T		M_T
	7.94		0		7.487		59.456		7.487		0
	7.94		0				59.456				0

Summary

P	=	785.15 t	Max Reaction	775.22	Max Longitudinal
M_L	=	79.404 t-m		86.917	
M_T	=	164.18 t-m		132.36	

A	=	43.05
Z_L	=	88.253
Z_T	=	25.113

Max reaction case:**Check for Maximum Allowable Base Pressure:**

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{785.15112}{43.05} + \frac{79.404}{88.253} + \frac{164.18}{25.113} = 25.676 \text{ t/m}^2 \\
 &< 37.6 \text{ t/m}^2 \\
 &\quad \text{O.K}
 \end{aligned}$$

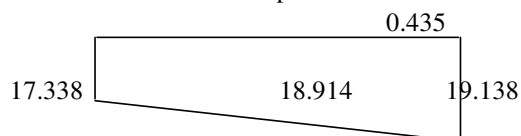
$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{785.15112}{43.05} - \frac{79.404}{88.253} - \frac{164.18}{25.113} = 10.801 \text{ t/m}^2 \\
 &> 0.00 \\
 &\quad \text{O.K.NO.Tension}
 \end{aligned}$$

Max Longmoment case:

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{775.22412}{43.05} + \frac{86.917}{88.253} + \frac{132.36}{25.113} = 24.263 \text{ t/m}^2 \\
 &< 37.6 \text{ t/m}^2 \\
 &\quad \text{O.K}
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{775.22412}{43.05} - \frac{86.917}{88.253} - \frac{132.36}{25.113} = 11.752 \text{ t/m}^2 \\
 &> 0.00 \\
 &\quad \text{O.K.NO.Tension}
 \end{aligned}$$

Effective depth at distance d from face of pier = 0.5701 m



(after correction)

$$M = 30 \quad Fe = 415$$

$$Q = 1.4815$$

width b = 12.30

$$A_{st} \text{ Required} = 1059.1 \text{ mm}^2/\text{m}$$

Provide	4	nos	20	dia bars /m width
---------	---	-----	----	-------------------

Check for shear

Shear stress at effective depth from pier	=	14.124	t/m ²	0.1385
% of steel provided	=	0.13		
Permissible shear stress	=	19.38	t/m ²	

Dry Condition with L.L										
<i>a) Vertical load and their moments about Pier Shaft bottom</i>										
II Substructure	V		ρ	P		e _L	M _L		e _T	M _T
1 Pedestal										
a Left span	0		2.4	0		-0.4	0		0	0
b Right span	0		2.4	0		0.4	0		0	0
2 Pier cap R	3.69		2.4	8.856		0	0		0	0
Pier cap Tr	0		2.4	0		0	0		0	0
3 Pier shaft										
up to G.L	34.888808		2.4	83.733		0	0		0	0
below G.L	23.656637		2.4	56.776		0	0		0	0
				149.37			0			0

<i>b) Horizontal Forces and Moments with respect to Pier Shaft bottom</i>										
1 Longitudinal Forces at bearing level										
	H _L		H _T		e _L		M _L		e _T	M _T
	7.94		0		6.487		51.515		6.487	0
	7.94		0				51.515			0

Summary for design of Pier Max Reaction case Max Longitudinal moment

P	=	535.12	t	525.19
M_L	=	71.462	t-m	78.976
M_T	=	164.18	t-m	132.36

Dry Condition One.Span dislodged
<i>a) Vertical load and their moments about C/L of Foundation base.</i>

1 Longitudinal Forces at bearing level							
	H_L		H_T		e_L		M_T
	0.00		0		7.487		0
	0.00		0		0		0
<i>Summary</i>							
	P	=	700.02	t			
	M_L	=	0	t-m			
	M_T	=	0	t-m			

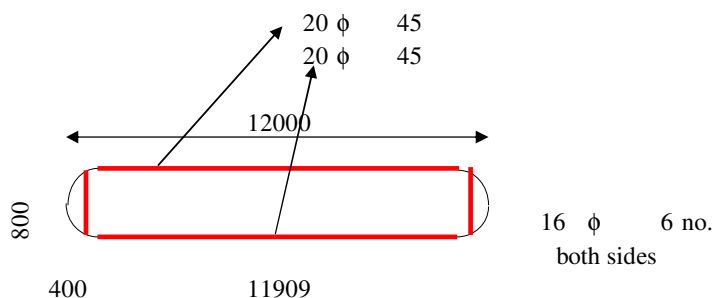
Check for Maximum Allowable Base Pressure:

$$\begin{aligned}
 P_{\max} &= \frac{P}{A} + \frac{M_L}{Z_L} + \frac{M_T}{Z_T} \\
 &= \frac{700.02012}{43.05} + \frac{0}{88.253} + \frac{0}{25.113} = 16.261 \text{ t/m}^2 \\
 &< \mathbf{37.6 \text{ t/m}^2} \\
 &\quad \mathbf{O.K}
 \end{aligned}$$

$$\begin{aligned}
 P_{\min} &= \frac{P}{A} - \frac{M_L}{Z_L} - \frac{M_T}{Z_T} \\
 &= \frac{700.02012}{43.05} - \frac{0}{88.253} - \frac{0}{25.113} = 16.261 \text{ t/m}^2 \\
 &> \mathbf{0.00} \\
 &\quad \mathbf{O.K.NO.Tension}
 \end{aligned}$$

Dry Condition One.Span dislodged											
a) Vertical load and their moments about Abutment Shaft bottom.											
1 Longitudinal Forces at bearing level											
	H_L		H_T		e_L		M_L		e_T		M_T
	0.00		0		6.487		0		6.487		0
	0.00		0				0				0

Summary for design of Pier				
	P	=	449.99	t
	M_L	=	0	t-m
	M_T	=	0	t-m



PLAN : PIER SHAFT

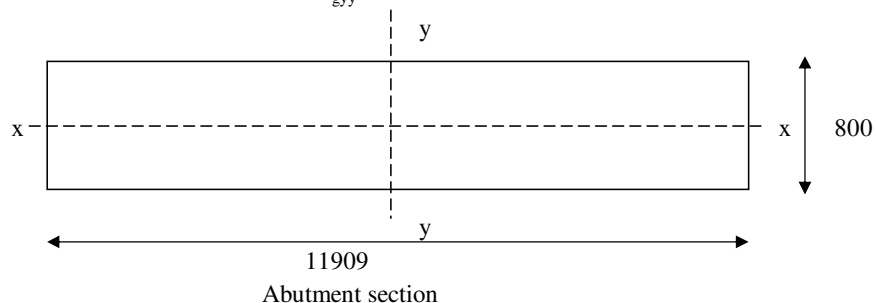
Reinforcement provided = 30687.077 mm²

Summary of Loads at Pier Shaft bottom :

1 DRY condition	P		M _L		M _T
Max Reaction					
With L.L	535.12		71.46		164.18
Span dislodged	449.99		0.00		0.00
Max Long					
With L.L	525.19		78.98		132.36
Span dislodged	449.99		0.00		0.00
2 H.F.L					
Max Reaction					
With L.L	468.37		90.69		171.18
Span dislodged	383.24		19.22		7.00
Max Long					
With L.L	458.44		98.20		139.36
Span dislodged	383.24		19.22		7.00

Check for Cracked/Uncracked Section

Length of section = 11908.982 mm
 Width of section = 800 mm
 Gross Area of section A_g = 9527185.2 mm²
 Gross M.O.I of section I_{gxx} = 5.081E+11 mm⁴
 Gross M.O.I of section I_{gyy} = 1.126E+14 mm⁴



Transformed sectional properties of section:

Adopting

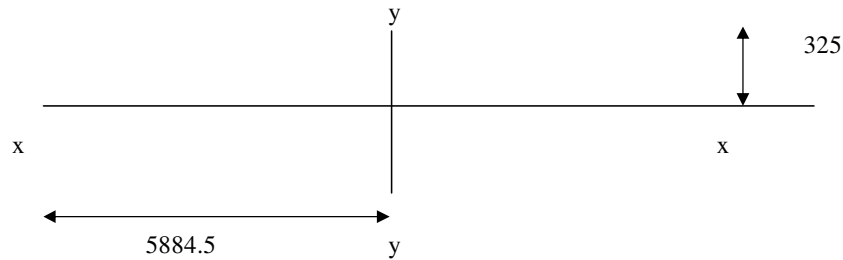
Modular ratio m = 10
 Cover = 70
 Dia of Bars = 20
 No of bars in tension face (longer) = 45
 No of bars in compression face = 45

$$\text{No of bars in shorter direction} = 6$$

$$\text{Total bars in section} = 102$$

$$\text{Steel Area } A_s = 30687 \text{ mm}^2$$

$$\% \text{ of Steel} = 0.3221 \%$$



$$A_{sx} = 14137 \text{ mm}^2$$

$$A_{sy} = 1885 \text{ mm}^2$$

$$\text{Area of concrete } A_c = A_g - A_s = 9496498.2 \text{ mm}^2$$

$$\text{C.G of Steel placed on longer face} = 330 \text{ mm}$$

$$\text{C.G of Steel placed on shorter face} = 5884.5 \text{ mm}$$

$$\text{Transformed Area of Section } A_{tfm} = 9803368.9 \text{ mm}^2$$

$$\begin{aligned} \text{Transformed M.I}_{txx} &= I_{gxx} + 2 m - 1 A_{sx} ax^2 \\ &= 5.35828E+11 \text{ mm}^4 \end{aligned}$$

$$Z_{xx} = \frac{M.I_{txx}}{d/2} = 1.34E+09 \text{ mm}^3$$

$$\begin{aligned} \text{Transformed M.I}_{tyy} &= I_{gyy} + 2 m - 1 A_{sy} ay^2 \\ &= 1.13773E+14 \text{ mm}^4 \end{aligned}$$

$$Z_{yy} = \frac{M.I_{tyy}}{d/2} = 1.911E+10 \text{ mm}^3$$

Permissible stresses

$$\text{Minimum Gross Moment of inertia } I_{min} = 5.081E+11 \text{ mm}^4$$

$$\text{Area of section} = 9527185.2 \text{ mm}^2$$

$$r = 230.94011 \text{ mm}$$

Effective length of Abutment shaft (IRC:21-2000 cl: 306.2.1)

$$\text{Abutment shaft height } L = 6.187 \text{ m}$$

$$\text{Effective length } L_{eff} = 7.4244 \text{ m}$$

$$\text{Slenderness ratio} = 32.149 < 50$$

$$\text{Type of member} = 1$$

1 Short Column

Stress reduction coefficient (IRC:21-2000 cl: 306.4.2,3)

2 Long Column

$$\beta = 1$$

Permissible stresses : concrete

$$\sigma_{cbc} = 8.3333 \text{ N/mm}^2$$

$$\sigma_{co} = 6.25 \text{ N/mm}^2$$

$$\text{Tensile stress} = 0.61 \text{ N/mm}^2$$

Permissible stresses : Steel

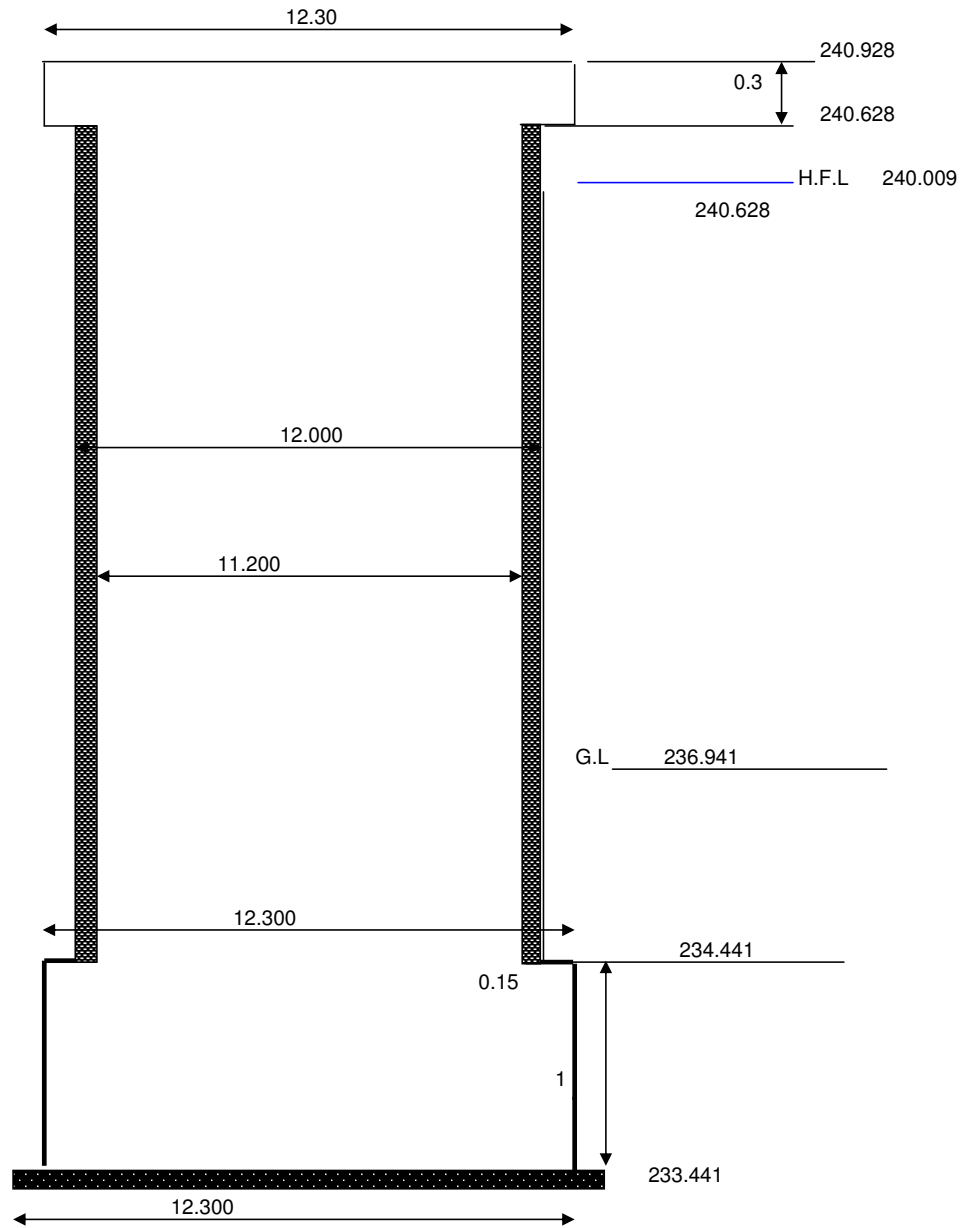
$$\sigma_{st} = 200 \text{ N/mm}^2$$

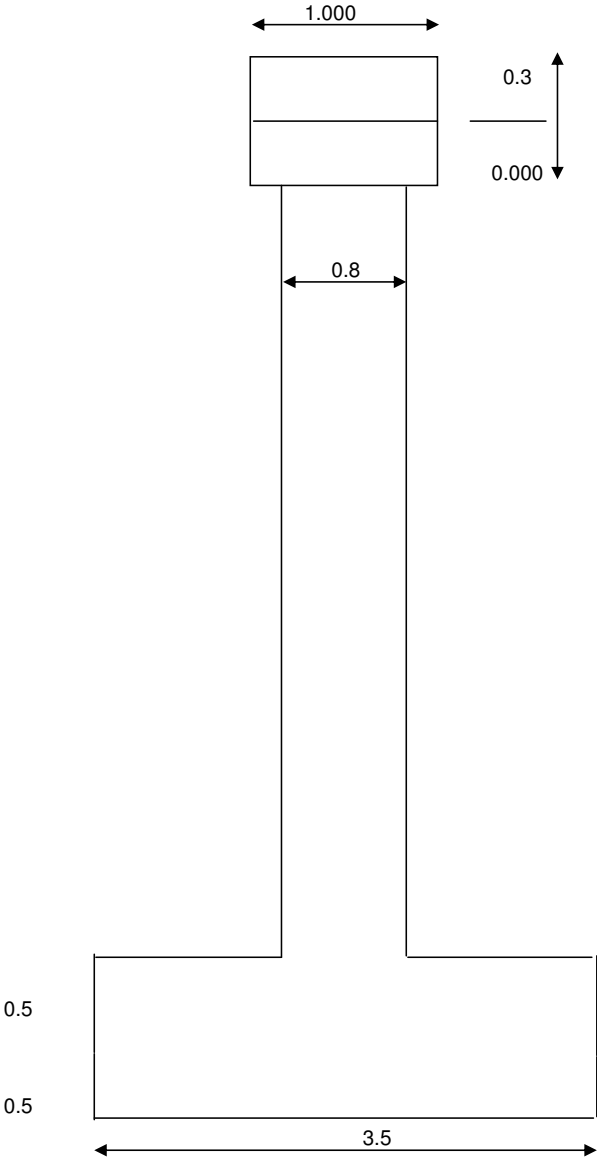
S.No	Item	DRY Case (Max Reaction)	
Loads and Moments		With L.L	Spandislodged
1	P	535.12 t	449.99 t
2	M _L	71.46 t-m	0.00 t-m
3	M _T	164.18 t-m	0.00 t-m
<i>Actual(calculated) Stresses</i>			
4	$\sigma_{co,cal}$ P/A _{tfin}	0.54584916	0.4590106
5	$\sigma_{cbc,cal}$ M _L /Z _{xx}	0.533473125	0
6	$\sigma_{cbc,cal}$ M _T /Z _{yy}	0.085926767	0
7	$\sigma_{cbc,cal} = 5 + 6$	0.619399891	0
<i>Permissible Stresses</i>			
8	σ_{cbc}	8.33333333	8.3333
9	σ_{co}	6.25	6.25
<i>Check for Minimum steel area mm²</i>			
10	Conc.Area Required for directstress (1)/(9)	856185.71	719976
11	0.8% of area required	6849.48568	5759.8
12	0.3% of A _g	28581.5557	28582
13	Governing steel mm ²	28581.5557	28582
14	Provided Steel area mm ²	30687.077	30687
<i>Check for safety of section</i>			
$\frac{\sigma_{co,cal}}{\sigma_{co}} + \frac{\sigma_{cbc,cal}}{\sigma_{cbc}}$		0.16166385 < 1	0.0734 < 1
<i>Check for Cracked /Uncracked section</i>			
$\sigma_{co,cal} - \sigma_{cbc,cal}$		-0.0735507	0.459
Permissible Basic tensile stress in concrete		-0.61	-0.61
Section to be designed as		Uncracked	Uncracked

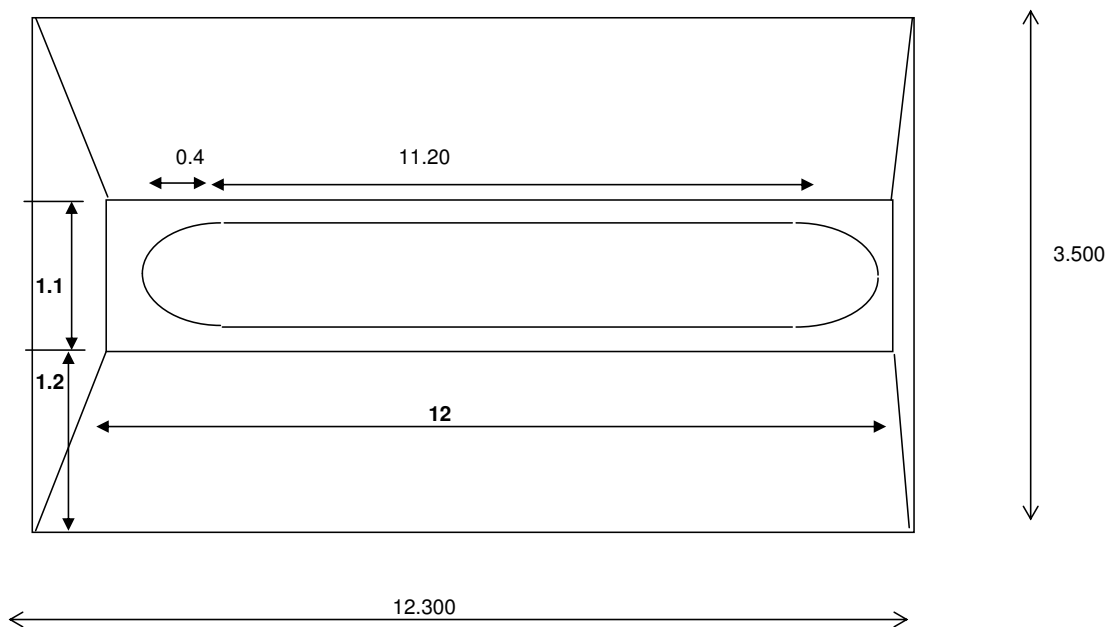
S.No	Item	H.F.L Case (Max Reaction)	
Loads and Moments		With L.L	Span dislodged
1	P	468.37 t	383.24 t
2	M _L	90.69 t-m	19.22 t-m
3	M _T	171.18 t-m	7.00 t-m
<i>Actual(calculated) Stresses</i>			
4	$\sigma_{co,cal}$ P/A _{tfm}	0.477764624	0.3909261
5	$\sigma_{cbc,cal}$ M _L /Z _{xx}	0.676977088	0.143504
6	$\sigma_{cbc,cal}$ M _T /Z _{yy}	0.089588606	0.0036618
7	$\sigma_{cbc,cal} = 5 + 6$	0.766565695	0.1471658
<i>Permissible Stresses</i>			
8	σ_{cbc}	8.33333333	8.3333
9	σ_{co}	6.25	6.25
<i>Check for Minimum steel area mm²</i>			
10	Conc.Area Required for direct stress (1)/(9)	749392.459	613183
11	0.8% of area required	5995.13967	4905.5
12	0.3% of A _g	28581.5557	28582
13	Governing steel mm ²	28581.5557	28582
14	Provided Steel area mm ²	30687.077	30687
<i>Check for safety of section</i>			
$\frac{\sigma_{co,cal}}{\sigma_{co}} + \frac{\sigma_{cbc,cal}}{\sigma_{cbc}}$		0.16843022 < 1	0.0802 < 1
<i>Check for Cracked /Uncracked section</i>			
$\sigma_{co,cal} - \sigma_{cbc,cal}$		-0.2888011	0.2438
Permissible Basic tensile stress in concrete		-0.61	-0.61
Section to be designed as		Uncracked	Uncracked

S.No	Item	DRY Case (Max Longitudinal moment)	
Loads and Moments		With L.L	Span dislodged
1	P	525.19 t	449.99 t
2	M _L	78.98 t-m	0.00 t-m
3	M _T	132.36 t-m	0.00 t-m
<i>Actual(calculated) Stresses</i>			
4	$\sigma_{co,cal}$ P/A _{tfm}	0.535723049	0.459010645
5	$\sigma_{cbc,cal}$ M _L /Z _{xx}	0.589559756	0
6	$\sigma_{cbc,cal}$ M _T /Z _{yy}	0.069271979	0
7	$\sigma_{cbc,cal} = 5 + 6$	0.658831735	0
<i>Permissible Stresses</i>			
8	σ_{cbc}	8.3333333	8.3333333
9	σ_{co}	6.25	6.25
<i>Check for Minimum steel area mm²</i>			
10	Conc.Area Required for direct stress (1)/(9)	840302.51	719976.11
11	0.8% of area required	6722.4201	5759.8089
12	0.3% of A _g	28581.556	28581.556
13	Governing steel mm ²	28581.556	28581.556
14	Provided Steel area mm ²	30687.077	30687.077
<i>Check for safety of section</i>			
$\frac{\sigma_{co,cal}}{\sigma_{co}} + \frac{\sigma_{cbc,cal}}{\sigma_{cbc}}$		0.1647755 < 1	0.0734417 < < 1
<i>Check for Cracked /Uncracked section</i>			
$\sigma_{co,cal} - \sigma_{cbc,cal}$		-0.123109	0.4590106
Permissible Basic tensile stress in concrete		-0.61	-0.61
Section to be designed as		Uncracked	Uncracked

S.No	Item	H.F.L Case (Max Longitudinal)	
Loads and Moments		With L.L	Span dislodged
1	P	458.44 t	383.24 t
2	M_L	98.20 t-m	19.22 t-m
3	M_T	139.36 t-m	7.00 t-m
<i>Actual(calculated) Stresses</i>			
4	$\sigma_{co,cal}$ P/A_{tfm}	0.467638513	0.390926109
5	$\sigma_{cbc,cal}$ M_L/Z_{xx}	0.73306372	0.143503963
6	$\sigma_{cbc,cal}$ M_T/Z_{yy}	0.072933819	0.00366184
7	$\sigma_{cbc,cal} = 5 + 6$	0.805997538	0.147165803
<i>Permissible Stresses</i>			
8	σ_{cbc}	8.3333333	8.3333333
9	σ_{co}	6.25	6.25
<i>Check for Minimum steel area mm^2</i>			
10	Conc.Area Required for direct stress (1)/(9)	733509.26	613182.86
11	0.8% of area required	5868.0741	4905.4629
12	0.3% of A_g	28581.556	28581.556
13	Governing steel mm^2	28581.556	28581.556
14	Provided Steel area mm^2	30687.077	30687.077
<i>Check for safety of section</i>			
$\frac{\sigma_{co,cal}}{\sigma_{co}} + \frac{\sigma_{cbc,cal}}{\sigma_{cbc}}$		0.1715419	0.0802081
		< 1	< 1
<i>Check for Cracked /Uncracked section</i>			
$\sigma_{co,cal} - \sigma_{cbc,cal}$		-0.34	0.2437603
Permissible Basic tensile stress in concrete		-0.61	-0.61
Section to be designed as		Uncracked	Uncracked







Dimensions of Substructure & Foundation

1 Pedestal										
						Length	=	0.7		
						Width	=	0.55	Volume	= 0
						Height	=	0		
2 Pier cap										
a Top uniform portion										
						Width	=	1.00		
						Depth	=	0.3	Volume	= 3.69 m ³
						Length	=	12.30		
b Bottom trapezoidal portion										
						Width	=	1		
						Depth	=	0	Volume	= 0 m ³
						Length	=	12.3		
Area at level	240.628	m	=	12.3	x	1	=	12.3	m ²	
Area at level	240.628	m	=	1	x	12	=	12	m ²	= 3.69 m ³

3 Pier shaft

Dimension of pier shaft in longitudinal direction		=	11.20				
Dimension of pier shaft in Transverse direction	R	=	0.00	Area	=	9.46	m ²
	C	=	0.80				
Height of pier shaft		=	6.19				
Height above Ground level		=	3.687	m	Volume	=	34.8888
Height below Ground level		=	2.500	m	Volume	=	23.6566
						=	58.5454 m ³

H.F.L Case:

Height above H.F.L		=	0.000	m	Volume	=	0
Height below H.F.L		=	5.57	m	Volume	=	52.6881
						=	52.6881 m ³

4 Pedestal at footing top	Width	=	12.3				
---------------------------	-------	---	------	--	--	--	--

	Length	=	12.30	Volume	=	0	m ³
	Height	=	0				
5 Footing							
at foundation level							
	Width	=	12.300 m				
	Length	=	3.50 m			6.765	
	Thickness at Root	=	1 m			21.525	
	Thickness at Tip	=	0.5 m			7.38	
				Volume	=	35.67	m ³

Volume of Overburden earth below ground level

$$\text{Total volume} = 12.300 \times 3.500 \times 3.500 = 150.675 \text{ m}^3$$

$$\text{Net volume below Ground level} = 91.3484 \text{ m}^3$$

Sectional Properties of Footing

$$A = 12.300 \times 3.500 = 43.050 \text{ m}^2$$

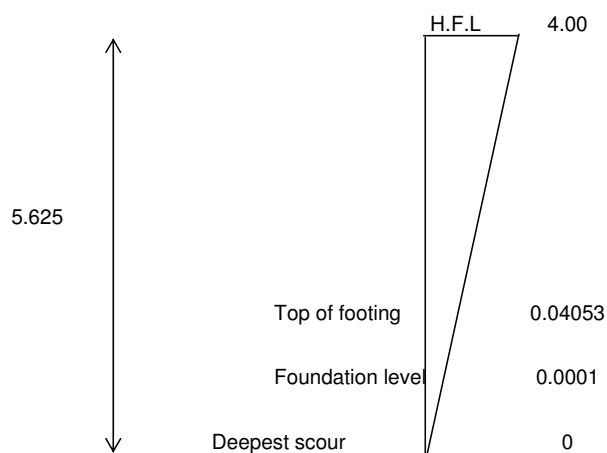
$$Z_L = 3.500 \times 25.215 = 88.253 \text{ m}^3$$

$$Z_T = 12.300 \times 2.04167 = 25.113 \text{ m}^3$$

Forces and Moments due to Watercurrent Force

Intensity of water current pressure = 52 k V² kg/m²

Assuming 20 degree variation in water current direction



Water current Pressure in Transverse direction

	R.L	k	Pressure = 52 k V ² COS 20
H.F.L	240.009	0.66	129.001003
Pier Shaft bottom	234.441	0.66	1.30721016
Top of footing	234.441	1.5	2.97093219
Bottom of footing	233.441	1.5	0.0073296

Water current Force in Transverse direction

Component	Length m	Height m	Force t	HT of force	Moment
Pier	11.20	5.568	4.06311	4.73119	19.2234 t-m
Top of footing	12.300	1.000	0.01832	0.66585	0.0122 t-m

Water Current Pressure in Longitudinal direction

	R.L	k	Pressure = $52 k V^2 \sin 20$
H.F.L	240.009	0.66	46.9525253
Pier Shaft bottom	234.441	0.66	0.47578559
Top of footing	234.441	1.5	1.08133089
Bottom of footing	233.441	1.5	0.00266776

Water current Force in Longitudinal direction

Component	Length m	Height m	Force t	HT of force	Moment
Pier	11.20	5.568	1.47885	4.73119	6.99673 t-m
Top of footing	12.300	1.000	0.00667	0.66585	0.00444 t-m

<i>Summary</i>	at Founding level	F	M
	Longitudinal direction	4.08143	19.2355642 t-m
	Transverse direction	1.48552	7.00117281 t-m

<i>Summary</i>	at PierShaft bottom level	F	M
	Longitudina direction	4.06311	19.2233683 t-m
	Transverse direction	1.47885	6.99673388 t-m

DESIGN OF PIER CAP

The pier cap is supported by pier shaft on all sides. Therefore pier cap has been designed as per clause 716.2.1 ,I.R.C:78-1987

The pier cap shall be reinforced with a total minimum of 1% steel in both directions as per clause 716.2.1 ,I.R.C:78-1987

Length of pier cap	=	12 m
width of pier cap	=	1
Depth of pier cap	=	0.3

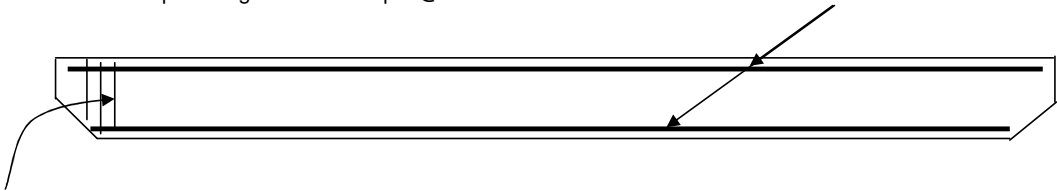
Rein forcement in the direction of length of pier

Area of steel required (mm ²)	=	1500 mm ²	in each face
Providing steel by distributing equally at top& bottom	=	8	16 dia

Area of steel provided (mm ²)	=	1608.495 mm ²
Therefore providing		16dia 8 nos

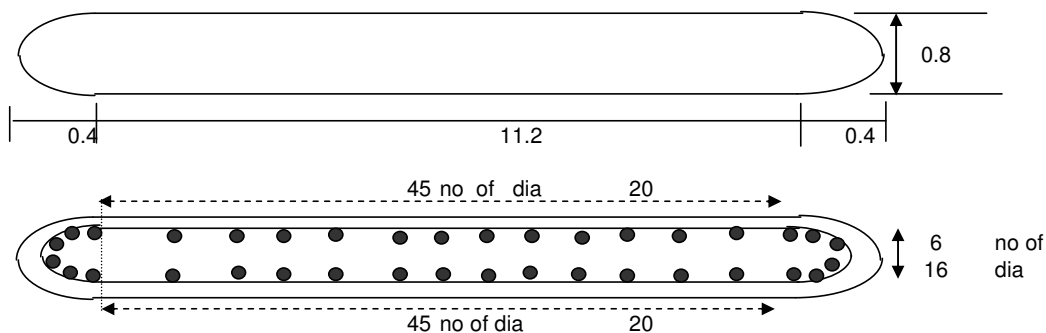
Reinforcement in the direction of width of pier

Therefore providing 12 dia stirrups @ 150mm c/c 8 nos 16 dia



REINFORCEMENT DETAILS OF PIER SHAFT**Design of pier wall**

The pier wall on a conservative side has been analysed as a rectangular section (neglecting the semicircular cut & ease water on both end) subjected to combined axial load and biaxial moments with the help of computer programme. The grade of concrete for pier shall be M30. The section of pier is checked conservatively at top of foundation. The minimum area of steel provided is 0.3% of gross crosssectional area as per IRC:21-2000



Minimum Longitudinal Reinforcement required in pier shaft:

0.3% of the gross cross sectional area of pier shaft	=	28800 mm ²
--	---	-----------------------

Provided reinforcement	=	30687.08 mm ²
------------------------	---	--------------------------

Transverse Reinforcement provided in pier shaft:
(refer clause 306.3 IRC:21-2000)

Thickness of pier (least lateral dimension)	=	800 mm
Dia of largest longitudinal bar	=	20 mm
dia of lateral ties required	=	5
		but >= 8 mm

The pitch of transverse reinforcement shall not exceed the lesser of the following

1 Least lateral dimension of pier	=	800
-----------------------------------	---	-----

2 twelve times dia of smallest longitudinal reinforcement in pier shaft	=	240
---	---	-----

3	=	300
---	---	-----

Therefore allowable pitch of lateral ties	=	240
---	---	-----

Provide transverse reinforcement

8 dia of lateral ties	150 mm c/c
-----------------------	------------

SLENDERNESS EFFECT OF PIER WALL

Calculation of slenderness effect of pierwall:

height of pier shaft = h	=	6.187	
effective length of pier wall under service condition = 1.2 h (refer clause 306.1 IRC:21-2000)	=	7.4244	
Thickness of pier wall	=	0.8	
Radius of gyration = $r = d/\sqrt{12}$	=	0.23094	
Slenderness ratio of pier wall $1.2 \cdot h/r$	=	32.1486	< 50 shortcolumn effect predominant

Since the pier shaft is acting as a short column, The reduction coefficient is 1

i.e $\beta = 1$

Reduced value of permissible stresses for steel and concrete are:

Grade of concrete = M30	30
concrete	= 1020 t/m^2
steel	= 20400 t/m^2

FOR ONE SPAN DISLODGED CONDITION :

Effective length of pier wall under service condition is $1.75 \cdot h$	=	10.82725	
Slenderness ratio	=	46.88337	< 50 shortcolumn effect predominant

Since the pier shaft is acting as a short column, The reduction coefficient is 1

i.e $\beta = 1$

$$\beta = 1.5 - l/100r$$

$$= 1.031166$$

Reduced value of permissible stresses for steel and concrete are:

Grade of concrete = M30	30
concrete	= 1051.79 t/m^2
steel	= 21035.79 t/m^2

INPUT FILE: 70RW.STD

```

1. STAAD SPACE
2. INPUT WIDTH 72
3. UNIT METER MTON
4. PAGE LENGTH 1000
5. UNIT METER MTON
6. JOINT COORDINATES
7. 1 0.02 0 0;2 0.4 0 0;3 10.4 0 0;4 10.78 0 0;5 10.82 0 0
8. 6 11.2 0 0;7 21.2 0 0;8 21.58 0 0
9. MEMBER INCIDENCES
10. 1 1 2 7
11. MEMBER PROPERTY CANADIAN
12. 1 TO 7 PRI YD 1.0 ZD 1.0
13. CONSTANT
14. E CONCRETE ALL
15. DENSITY CONCRETE ALL
16. POISSON CONCRETE ALL
17. SUPPORT
18. 2 3 6 7 PINNED
19. MEMBER RELEASE
20. 4 START FX FY FZ MX MY MZ
21. 4 END FX FY FZ MX MY MZ
22. DEFINE MOVING LOAD
23. TYPE 1 LOAD 8.0 2*12 4*17.0 DIS 3.96 1.52 2.13 1.37 3.05 1.37
24. LOAD GENERATION 175
25. TYPE 1 -13.4 0. 0. XINC .2
26. PERFORM ANALYSIS
27. ***MAX REA
28. LOAD LIST 78
29. PRINT SUPPORT REACTION

```

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = SPACE

```

-----
JOINT  LOAD    FORCE-X    FORCE-Y    FORCE-Z    MOM-X    MOM-Y    MOM Z
      2   78      0.00     16.89      0.00      0.00      0.00      0.00
      3   78      0.00     32.11      0.00      0.00      0.00      0.00
      6   78      0.00     39.42      0.00      0.00      0.00      0.00
      7   78      0.00     11.58      0.00      0.00      0.00      0.00

```

```

30. ***MAX MOM
31. LOAD LIST 54
32. PRINT SUPPORT REACTION

```

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = SPACE

```

-----
JOINT  LOAD    FORCE-X    FORCE-Y    FORCE-Z    MOM-X    MOM-Y    MOM Z
      2   54      0.00     38.68      0.00      0.00      0.00      0.00
      3   54      0.00     53.32      0.00      0.00      0.00      0.00
      6   54      0.00      0.00      0.00      0.00      0.00      0.00
      7   54      0.00      0.00      0.00      0.00      0.00      0.00

```

33. FINISH

INPUT FILE: CLASS A.STD

```

1. STAAD SPACE
2. INPUT WIDTH 72
3. UNIT METER MTON
4. PAGE LENGTH 1000
5. UNIT METER MTON
6. JOINT COORDINATES
7. 1 0.02 0 0;2 0.4 0 0;3 10.4 0 0;4 10.78 0 0;5 10.82 0 0
8. 6 11.2 0 0;7 21.2 0 0;8 21.58 0 0
9. MEMBER INCIDENCES
10. 1 1 2 7
11. MEMBER PROPERTY CANADIAN
12. 1 TO 7 PRI YD 1.0 ZD 1.0
13. CONSTANT
14. E CONCRETE ALL
15. DENSITY CONCRETE ALL
16. POISSON CONCRETE ALL
17. SUPPORT
18. 2 3 6 7 PINNED
19. MEMBER RELEASE
20. 4 START FX FY FZ MX MY MZ
21. 4 END FX FY FZ MX MY MZ
22. DEFINE MOVING LOAD
23. TYPE 1 LOAD 2*2.7 2*11.4 4*6.8 DIS 1.1 3.2 1.2 4.3 3 3 3
24. LOAD GENERATION 202
25. TYPE 1 -18.8 0. 0. XINC .2
26. PERFORM ANALYSIS
27. ***MAX REA
28. LOAD LIST 121
29. PRINT SUPPORT REACTION

```

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = SPACE

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	121	0.00	3.20	0.00	0.00	0.00	0.00
3	121	0.00	25.00	0.00	0.00	0.00	0.00
6	121	0.00	6.53	0.00	0.00	0.00	0.00
7	121	0.00	13.87	0.00	0.00	0.00	0.00

30. ***MAX MOMENT

31. LOAD LIST 128

32. PRINT SUPPORT REACTION

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = SPACE

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	128	0.00	1.75	0.00	0.00	0.00	0.00
3	128	0.00	3.64	0.00	0.00	0.00	0.00
6	128	0.00	26.60	0.00	0.00	0.00	0.00
7	128	0.00	9.80	0.00	0.00	0.00	0.00

33. FINISH

DESIGN OF SUPERSTRUCTURE

For Design of superstructure of solid slab of 10.0 m refer MOST STANDARD Drawing titled “STANDARD PLANS FOR 3.0 m TO 10.0 M SPAN REINFORCED CEMENT CONCRETE (Solid slab superstructure With & without footpaths)) FOR HIGHWAYS” Drg. No. SD/114.

BRIDGE AT CH:58+900

DESIGN OF SUBSTRUCTURE

DESIGN DATA

Formation Level	=	245.451 m
Ground Level	=	239.785 m
Lowest Water Level	=	235.785 m
Highest Flood Level	=	242.295 m
Founding Level	=	235.785 m
Thickness of bearing & pedestal	=	0.300 m
Width of abutment	=	12.000 m
Bouyancy factor	=	1.0
Gross Safe Bearing Capacity	=	32.000 t/sqm
Dry density of earth	=	1.800 t/cum
Submerged density of earth	=	1.0 t/cum
Saturated density of earth	=	2.000 t/cum
Coefficient of base friction	=	0.5
Span (c/c of exp. joint)	=	21.600 m
Overall Width of deck slab	=	12.000 m
Width of carriageway	=	11.000 m
Width of crash barrier	=	0.500 m
Depth of Superstructure	=	2.100 m
Thickness of wearing coat	=	0.056 m
Unit wt of concrete	=	2.400 t/m ³
no. of elastomeric bearing	=	4
size of elastomer brgs.(500 x 250 x 50 mm)	=	
Grade of Concrete	-	M 25 25
Grade of Reinforcement	-	415 (HYSD)
Live Load	-	One Lane of 70R Wheeled + Class A
	-	3 lanes of Class A
Permissible Compressive stress in Concrete	-	850 t/m ²
Permissible Tensile stress in Steel	-	20400 t/m ²
Modular ratio, m	-	10
factor, k	-	0.294
Lever arm factor, j	-	0.902
Moment of Resistance	-	113 t/m ²
Thickness of returnwall	=	0.5 m

COEFFICIENT OF ACTIVE EARTH PRESSURE

AS PER COULOMB'S THEORY, COEFFICIENT OF ACTIVE EARTH PRESSURE IS

$$K_a = \frac{\sin^2(\alpha + \phi)}{\sin^2 \alpha \cdot \sin(\alpha - \delta)} \left[1 + \sqrt{\frac{\sin(\alpha + \phi) \cdot \sin(\phi - \iota)}{\sin(\alpha - \delta) \cdot \sin(\phi + \iota)}} \right]^2$$

WHERE

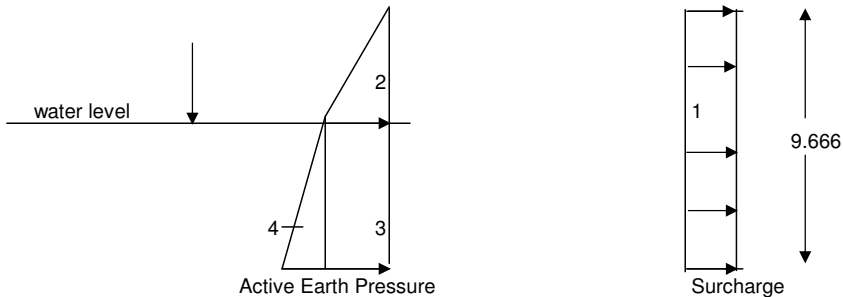
 ϕ = ANGLE OF INTERNAL FRICTION OF EARTH α = ANGLE OF INCLINATION OF BACK OF WALL δ = ANGLE OF INTERNAL FRICTION BETWEEN WALL & EARTH ι = ANGLE OF INCLINATION OF BACKFILL

HERE	ϕ =	30 °	=	0.524 Radian
	α =	90 °	=	1.571 Radian
	δ =	20 °	=	0.349 Radian
	ι =	0 °	=	0 Radian
			K_a =	0.2973

Therefore, Horizontal coefficient of Active earth pressure = $K_a \cos \phi = K_{ha} = 0.2794$

HEIGHT OF ABUTMENT

Total height of abutment = Formation Level - Founding Level = 9.666 m
 For DESIGN purpose, the height of abutment is considered as, say, = **9.670 m**

CALCULATION OF ACTIVE EARTH PRESSURE**DRY. condition****a) Service Condition**

Element No.	Component	Area factor	Height (m)	Pressure (t/m ²)	Force (t)	C.G. from base (m)	Moment (tm)
1	LL Surcharge	1.0	1.200	0.67	77.78	4.833	375.89
2	Dry Earth	0.5	9.666	4.86	281.92	4.060	1144.50
3		1.0	0.000	4.86	0.00	0.000	0.00
4	SubmgEarth	0.5	0.000	0.00	0.00	0.000	0.00
TOTAL					359.69		1520.38

b) Span Dislodge Condition

Net force = 359.69 - 77.78 = **281.92 t**
 Net moment = 1520.38 - 375.89 = **1144.50 tm**

H.F.L. condition**a) Service Condition**

Element no.	Component	Area factor	Height (m)	Pressure (t/m ²)	Force (t)	C.G. from base (m)	Moment (tm)
1	LL Surcharge	1.0	1.200	0.67	77.78	4.833	375.89
2	Dry Earth	0.5	3.156	1.76	33.39	7.836	261.65
3		1.0	6.510	1.76	137.76	3.255	448.42
4	SubmgEarth	0.5	6.510	1.82	71.04	2.170	154.16
TOTAL					319.97		1240.12

b) Span Dislodge Condition

Net force = 319.97 - 77.78 = **242.20 t**
 Net moment = 1240.12 - 375.89 = **864.23 tm**

Forces & moments due to Abutment (Concrete) components**DRY Case :**

Element No.	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m³)	Weight (t)	C.G.from toe (m)	Moment about toe
1	Toe Slab	1.0	2.200	12.00	0.500	2.40	31.68	1.100	34.85
2		0.5	2.200	12.00	0.700	2.40	22.18	1.467	32.52
3	Heel Slab	1.0	3.600	12.00	0.500	2.40	51.84	5.200	269.57
4		0.5	3.600	12.00	0.700	2.40	36.29	4.600	166.92
5	Stem Wall	1.0	1.200	12.00	6.910	2.40	238.81	2.800	668.67
6		0.5	0.000	12.00	6.910	2.40	0.00	2.200	0.00
7	stem rect	1.0	1.200	12.00	1.200	2.40	41.47	2.800	116.12
10	Cap	1.0	1.200	12.00	0.300	2.40	10.37	2.800	29.03
11	Dirt Wall	1.0	0.300	12.00	2.106	2.40	18.20	3.250	59.14
8	Retutnwall	0.5	3.600	1.00	0.700	2.40	3.02	5.800	17.54
8a		1.0	3.600	1.00	9.166	2.40	79.19	5.200	411.81
TOTAL		533.05							1806.17

H.F.L. Case :

Element No.	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m³)	Weight (t)	C.G.from toe (m)	Moment ,@ Toe
1	Toe Slab	1.0	2.200	12.00	0.500	1.40	18.48	1.100	20.33
2		0.5	2.200	12.00	0.700	1.40	12.94	1.467	18.97
3	Heel Slab	1.0	3.600	12.00	0.500	1.40	30.24	5.200	157.25
4		0.5	3.600	12.00	0.700	1.40	21.17	4.600	97.37
5	Stem Wall	1.0	1.200	12.00	5.310	1.40	107.05	2.800	299.74
6		0.5	0.000	12.00	5.310	1.40	0.00	2.200	0.00
5	Stem Wall	1.0	1.200	12.00	0.400	2.40	13.82	2.800	38.71
6		0.5	0.000	12.00	0.400	2.40	0.00	2.200	0.00
7	stem rect	1.0	1.200	12.00	1.200	1.40	24.19	2.800	67.74
10	Cap	1.0	1.200	12.00	0.30	2.40	10.37	2.800	29.03
11	Dirt Wall	1.0	0.300	12.00	2.11	2.40	18.20	3.250	59.14
8	Returnwall	0.5	3.600	1.00	0.70	1.40	1.76	5.800	10.23
8c		1.0	3.600	1.00	5.31	1.40	26.76	5.200	139.16
8d		1.0	3.600	1.00	3.16	2.40	27.27	5.200	141.79
TOTAL							312.25		1079.46

Forces & moments due to Earth and LL surcharge

DRY Case : Self weight of Earth

Element No	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m³)	Weight (t)	C.G.from toe (m)	Moment @ Toe
8	DRY EARTH	0.5	3.600	11.00	0.700	1.8	24.95	5.800	144.70
8a									
		1.0	3.600	11.00	8.466	1.800	603.46	5.200	3137.97
TOTAL							628.40		3282.67

H.F.L Case :

Element No	Component	Area Factor	Length (m)	Width (m)	Height (m)	Density (t/m ³)	Weight (t)	C.G.from toe (m)	Moment @ Toe
8	SATURATED SOIL	0.5	3.600	11.000	0.7	1.000	13.86	5.800	80.39
8c		1.0	3.600	11.000	5.31	1.000	210.28	5.2	1093.44
8d	DRY	1.0	3.600	11.000	3.156	1.800	224.96	5.200	1169.79
TOTAL							449.10		2343.61

L.L.SURCHARGE

Element No	Component	Area Factor	Length	Width	Height	Density	Weight	C.G.from toe	Moment @ Toe
12	DRY EARTH	0.00	3.600	11.00	1.20	1.80	0.00	5.200	0.00

SUMMARY OF FORCES AND MOMENTS:

LOAD CASE	Case. L.W.L.		Case. H.F.L.	
	Service Cond.	Span dislodged	Service Cond.	Span dislodged
Vertical load from superstructure including LL	334.81	0.00	334.81	0.00
Vertical load from substructure (b)	1161.45	1161.45	761.34	761.34
Total Vertical Load V = (a) + (b)	1496.27	1161.45	1096.16	761.34
Total Horizontal Force H =	377.69	281.92	337.97	242.20
Moment @ toe due to (a)	937.48	0.00	937.48	0.00
Moment @ toe due to (b)	5088.84	5088.84	3423.07	3423.07
Total Moment @ toe (M)	6026.32	5088.84	4360.55	3423.07
Dist. of C.G. of V from toe Z = M/V	4.028	4.38	3.98	4.50
eccentricity (e = Z - b/2)	0.528	0.881	0.478	0.996
Relieving Moment @ c/l base (M1)	789.39	1023.76	524.00	758.37
overturning moment due to				
Horz. braking force	141.48	0.00	141.48	0.00
Earth Pressure	1520.38	1144.50	1240.12	864.23
Total overturning Moment (M2)	1661.86	1144.50	1381.60	864.23
Net moment (M2-M1) = M_L	872.47	120.74	857.59	105.86
Factor of Safety				
Against overturning (M / M2)	3.63	4.45	3.16	3.96
Against sliding ($\mu \times V / H$)	1.981	2.060	1.622	1.572

Safe against overturning

Safe against sliding

I.R.C 78-2000:cl

706.3.4

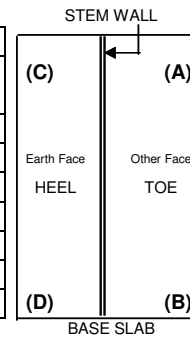
$$\text{Area of base (A)} = 7.000 \times 12.00 = 84.00 \text{ m}^2$$

$$Z_L = 98.00 \text{ m}^3$$

$$Z_T = 168.00 \text{ m}^3$$

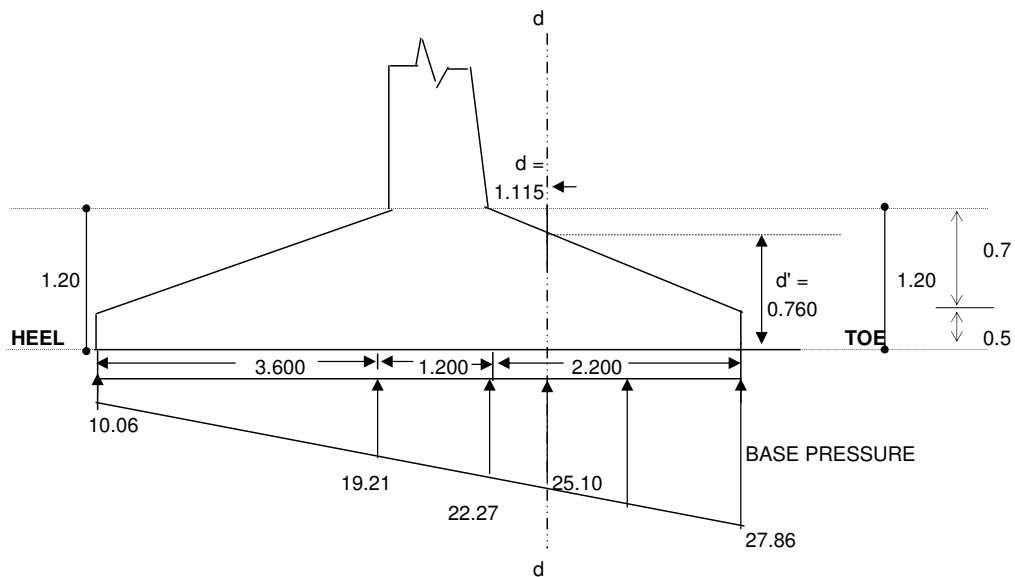
CHECK FOR BASE PRESSURE:

Base Pressure	LWL CASE		HFL CASE	
	Service Cond.	Span dislodged	Service Cond.	Span dislodged
P/A	17.81	13.83	13.05	9.06
M_L/Z_L	8.90	1.23	8.75	1.08
M_T/Z_T	1.15	0.00	1.15	0.00
(A) $(P/A + M_L/Z_L + M_T/Z_T)$	27.86	15.06	22.95	10.14
(B) $(P/A + M_L/Z_L - M_T/Z_T)$	25.57	15.06	20.65	10.14
(C) $(P/A - M_L/Z_L + M_T/Z_T)$	10.06	12.59	5.45	7.98
(D) $(P/A - M_L/Z_L - M_T/Z_T)$	7.762	12.59	3.15	7.98



$$\begin{aligned} \text{Max. Base Pressure} &= 27.86 \text{ t/m}^2 < 32.00 \text{ Hence O.K.} \\ \text{Min. Base Pressure} &= 3.15 \text{ t/m}^2 > 0 \text{ Hence O.K.} \end{aligned}$$

DESIGN OF TOE SLAB



BENDING MOMENT AT FACE OF STEM

Loadings	Element	Area fact.	force	L.A.	Moment
Downward Loads	1	1.0	2.640	1.100	2.904
	2	0.5	1.848	0.733	1.355
Upward Base pressure	Rect.	1.0	-48.988	1.100	-53.886
	Trian.	0.5	-6.156	1.467	-9.028
TOTAL			-50.655		-58.655

Bending Moment at face of stem 58.655 tm/m

Effective depth required 0.721 m

Effective depth provided at face of stem 1.115 m

Area of Reinforcement required 2859 mm²

Minimum steel required 0.15% 1673 mm² I.R.C 78-2000 Clause:707.2.7

Distribution steel 0.06% 669 mm²/m
 mainsteel 2859 mm² 12 ϕ , @ 150 C/C
 753.9822

Hence provide , 25 ϕ , @ 150 C/C
 0 ϕ , @ 150 C/C

There is no tension below foundation, hence foundation will not have negative moment at top. However in reference to clause 707.2.8 of IRC: 78-2000, the requirement of reinforcement at top is follows.

Minimum steel reinforcement as per above clause 250 mm²/m
 provide 12 ϕ , @ 150 C/C
 753.9822

Check for Shear**SHEAR FORCE AT "d" FROM FACE OF STEM**

Loadings	Element	Area fact.	force	L.A.	Moment
Downward loads	1	1.0	1.302	0.543	0.706
	2	0.5	0.911	0.362	0.330
Upward base pressure	Rect.	1.0	-27.237	0.543	-14.776
	Trian.	0.5	-1.497	0.723	-1.083
TOTAL			-26.521		-14.823

Effective depth (d') at distance d 0.760 m

Shear force at critical section 26.5 t

Bending Moment at critical section 14.82 tm

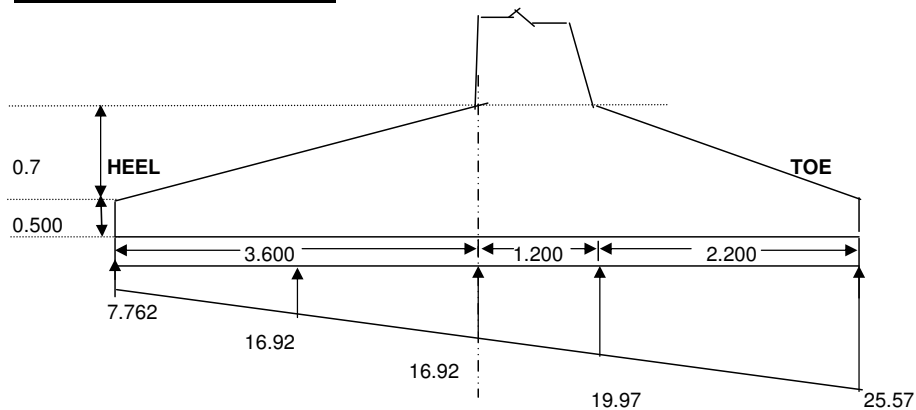
$\tan \beta = 0.35$

Net shear force $S-M*\tan\beta/d'$ 19.78 t

Hence, Shear stress 26.02 t/m²

% of reinforcement 0.43

Permissible shear stress 29.33 t/m² Hence O.K.

DESIGN OF HEEL SLAB**BENDING MOMENT AND SHEAR FORCE AT FACE OF STEM**

Loadings	Element	Area fact.	force	L.A.	moment
Downward Loads.	3	1	4.320	1.800	7.776
	4	0.5	3.024	1.200	3.629
	8	0.5	4.536	2.400	10.886
	8a	1	54.860	1.800	98.747
		0.5	4.536	2.400	5.443
		1	6.852	1.800	12.333
Upward base pressure	Rect.	1	-27.944	1.800	-50.300
	Trian.	0.5	-16.483	1.200	-19.779
TOTAL			33.700		68.736

Bending Moment at face of stem **68.736 tm**

Effective depth required 0.781 m

Effective depth provided at face of stem 1.115 m

Area of Reinforcement required 3352.42 mm²

Minimum steel 0.15% 1672.50 mm² I.R.C 78-2000 Clause:707.2.7

Distribution steel 0.06% 669.00 mm²/m

mainsteel 3352.42 mm²

12 ϕ , @ 150 C/C

Hence provide , 25 ϕ , @ 125 C/C 753.9822

0 ϕ , @ 125 C/C

There is no tension below foundation, hence foundation will not have negative moment at top. However in reference to clause 707.2.8 of IRC: 78-2000, the requirement of reinforcement at top is follows.

Minimum steel reinforcement as per above clause

250 mm²/m

provide 12 ϕ , @ 150 C/C 753.9822

Check for Shear

(Critical section at face of stem)

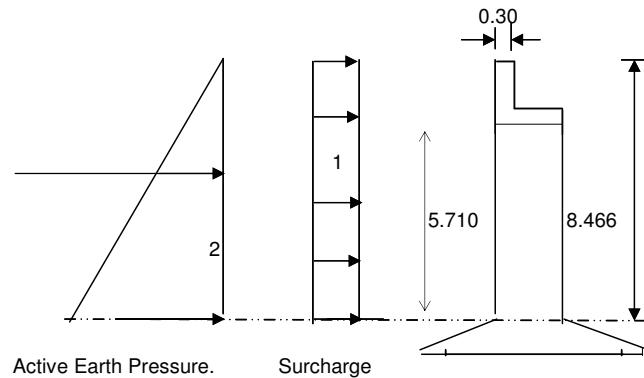
Shear force at face of stem 33.70 t

 $\tan \beta$ 0.194

Bending moment at face of stem 68.736 tm

Net shear force $S - M \cdot \tan \beta / d$ 21.71 tHence, Shear stress 19.47 t/m²

% of reinforcement 0.30

Permissible shear stress 25.10 t/m² **Hence O.K.****DESIGN OF STEM WALL****SUMMARY OF FORCES AND MOMENTS IN ABUTMENT SHAFT**

R.L. OF SECTION = 236.985 m

DRY Condition**a) Service Condition**

Element No.	Area factor	Height of E.P. diagram	Earth Pressure	Force	L.A.	Moment tm
1	1	8.116	0.603	58.8	4.058	238.50
2	0.5	8.116	4.081	198.8	3.409	677.49
HORIZONTAL FORCE				18.00	14.600	262.80
TOTAL				275.52		1178.79

Total Vertical Load = Stem + dirt wall + cap + Load from superstructure
 = 197.338 + 18.20 + 10.37 + 334.81
 = 560.716 t
 Longitudinal Moment = 1178.787 t-m
 Transverse Moment = 192.801 t-m

b) Span Dislodged case

Total Vertical Load = Stem + dirt wall + cap + Load from superstructure
 = 197.338 + 18.20 + 10.37 + 0.00
 = 225.901 t
 Longitudinal Moment = 915.987 t-m
 Transverse Moment = 0.000 t-m

H.F.L. condition**a) Service Condition**

Element no.	Component	Area factor	Height (m)	Pressure (t/m ²)	Force (t)	C.G. from base (m)	Moment (tm)
1	LL Surcharge	1.0	1.200	0.603	61.31	4.058	248.79
2	Dry Earth	0.5	2.750	1.54	25.35	6.227	157.87
3		1.0	5.310	1.54	97.91	2.655	259.96
4	SubmgEarth	0.5	5.310	1.48	47.27	1.770	83.66
TOTAL					231.84		750.275

Total Vertical Load = Stem + dirt wall + cap + Load from superstructure
 = 120.874 + 18.20 + 10.37 + 334.81
 = 484.252 t
 Longitudinal Moment = 1013.075 t-m
 Transverse Moment = 192.801 t-m

b) Span Dislodged case

Total Vertical Load = Stem + dirt wall + cap + Load from superstructure
 = 120.874 + 18.20 + 10.37 + 0.00
 = 149.437 t
 Longitudinal Moment = 750.275 t-m
 Transverse Moment = 0.000 t-m

Cross Sectional area 1.2 m²
 For horizontal reinforcement area of steel required for the stem at the section/metre = 194.6531 mm²

Providing **12** ,@ 581.02 c/c say, **150** C/C as horizontal reinforcement

Movement of Deck:

$$\begin{aligned} \text{Total Length of Bridge} &= 21.6 \text{ m} \\ &= 0.0005 \times 10800 = 5.4 \text{ mm} \end{aligned}$$

Longitudinal Force :

$$\text{Size of bearing} = 500 \times 250 \times 50 \text{ mm}$$

$$\text{Strain in bearing} = \frac{5.400}{50} = 0.108$$

$$\text{Shear modulus} = 1.0 \text{ Mpa}$$

$$\begin{aligned} \text{Shear force per Bearing} &= 0.108 \times 1.0 \times 500 \times 250 = 13500 \text{ N} \\ &= 1.376 \text{ t} \end{aligned}$$

$$\begin{aligned} \text{Total shear force for 4 bearings (with 5 \% increase)} \\ &= 1.376 \times 4 \times 1.05 = 5.780 \text{ t} \end{aligned}$$

Refer IRC : 6 clause 214.5.1.5;

10 % increase for variation in movement of span

$$\text{Total shear force} = 1.1 \times 5.780 = 6.358 \text{ t}$$

As per clause 214.2 of IRC:6, horizontal braking force F_h , for each span is:

$$\text{For Class A Single lane} : F_h = [0.2 \times 55.4] = 11.080 \text{ t}$$

$$\text{For class 70R wheeled} : F_h = [0.2 \times 100] = 20.000 \text{ t}$$

$$\text{For class A 3 lane} \quad F_h = 0.2 \times 55.4 + 0.05 \times 55.4 = 13.85 \text{ t}$$

For class 70R wheeled +class A 1 lane

$$F_h = 0.2 \times 100 + 0.05 \times 55.4 = 22.77 \text{ t}$$

For class A 3 lane

$$\text{Longitudinal horizontal force} : \frac{13.850}{2} + 6.358 = 13.28 \text{ t Say, } 14.0 \text{ t}$$

For class 70R wheeled +class A 1 lane

$$\text{Longitudinal horizontal force} : \frac{22.770}{2} + 6.358 = 17.7 \text{ t Say, } 18.0 \text{ t}$$

Span dislodged condition

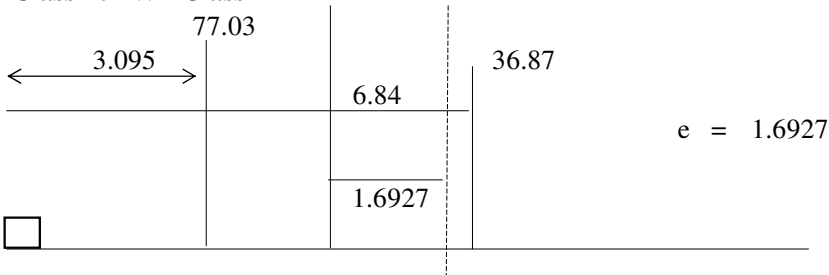
$$\text{Longitudinal horizontal force} : \frac{0.000}{2} + 6.358 = 6.358 \text{ t Say, } 7.0 \text{ t}$$

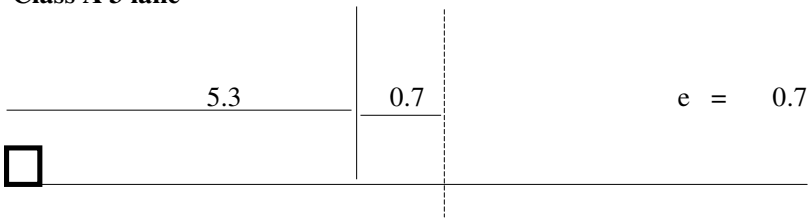
Summary of Longitudinal Forces :

Load Case	Longitudinal horizontal force (t)
Class A 3 lane	14.00
70R+class A 1 lane	18.00
Span dislodged condition	0.00

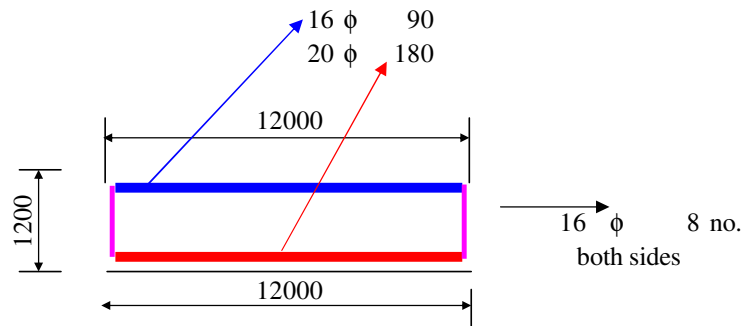
Transverse eccentricity

Class 70RW+ Class A



Class A 3 lane**Summary of Dead load & Live loads from Superstructure. (STAAD Pro)**

	P	M _L	M _T
Dead Load Reaction:			
	184.71	t	
SIDL			
	36.20	t	
L.L Max Reaction Case			
70R + Class A	113.9	t	192.80
Class A 3 Lane	110.61	t	77.43
	334.81		192.80



PLAN : ABUTMENT SHAFT

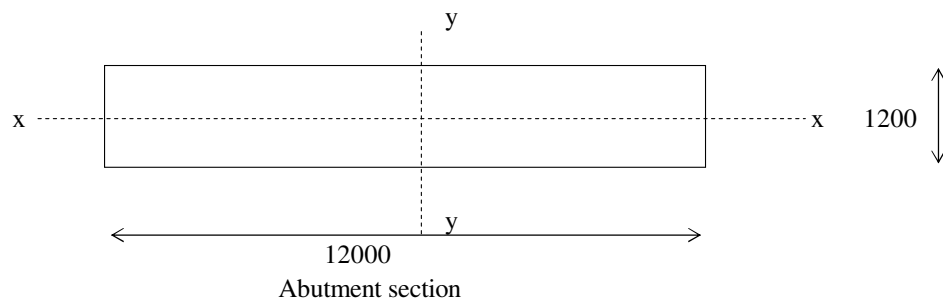
% Reinforcement provided = 77861.232 mm²

Summary of Loads at Abutment Shaft bottom :

1 DRY condition	P	M _L	M _T
With L.L	560.72	1178.79	192.80

Check for Cracked/Uncracked Section

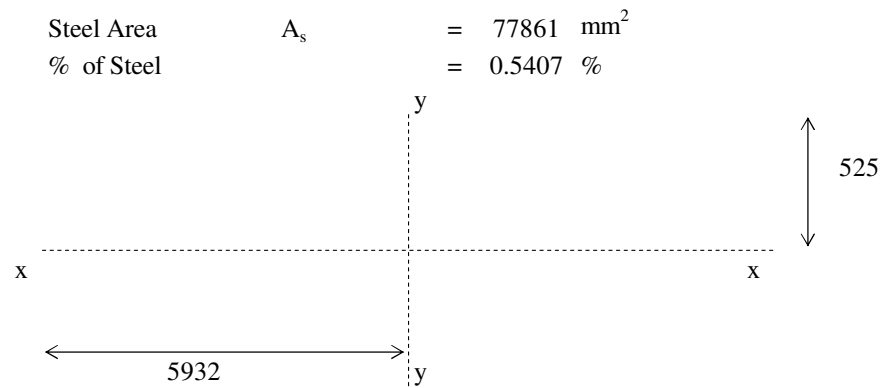
Length of section	=	12000	mm
Width of section	=	1200	mm
Gross Area of section	A _g	=	14400000 mm ²
Gross M.O.I of section	I _{gxx}	=	1.728E+12 mm ⁴
Gross M.O.I of section	I _{gyy}	=	1.728E+14 mm ⁴



Transformed sectional properties of section:

Adopting

Modular ratio	m	=	10
Cover			70
			68
Dia of Bars		=	20
No of bars in tension face (longer)		=	180
No of bars in compression face		=	90
No of bars in shorter direction		=	8
Total bars in section		=	286



$$\begin{aligned}
 A_{sx} &= 56549 \text{ mm}^2 \\
 A_{sy} &= 1608.5 \text{ mm}^2 \\
 \text{Area of concrete } A_c &= A_g - A_s = 14322139 \text{ mm}^2 \\
 \text{C.G of Steel placed on longer face} &= 530 \text{ mm} \\
 \text{C.G of Steel placed on shorter face} &= 5932 \text{ mm} \\
 \text{Transformed Area of Section } A_{tfm} &= 15100751 \text{ mm}^2 \\
 \text{Transformed M.I}_{t_{xx}} &= I_{g_{xx}} + 2 \left[m - 1 \right] A_s a x^2 \\
 &= 2.01392E+12 \text{ mm}^4 \\
 Z_{xx} &= \frac{M.I_{t_{xx}}}{d/2} = 3.357E+09 \text{ mm}^3 \\
 \text{Transformed M.I}_{t_{yy}} &= I_{g_{yy}} + 2 \left[m - 1 \right] A_s a y^2 \\
 &= 1.73819E+14 \text{ mm}^4 \\
 Z_{yy} &= \frac{M.I_{t_{yy}}}{d/2} = 2.897E+10 \text{ mm}^3
 \end{aligned}$$

Permissible stresses

$$\begin{aligned}
 \text{Minimum Gross Moment of inertia } I_{min} &= 1.728E+12 \text{ mm}^4 \\
 \text{Area of section} &= 14400000 \text{ mm}^2 \\
 r &= 346.41016 \text{ mm}
 \end{aligned}$$

Effective length of Abutment shaft (IRC:21-2000 cl: 306.2.1)

$$\begin{aligned}
 \text{Abutment shaft height } L &= 9.426 \text{ m} \\
 \text{Effective length } L_{eff} &= 11.311 \text{ m} \\
 \text{Slenderness ratio} &= 32.653 < 50 \\
 \text{Type of member} &= 1
 \end{aligned}$$

Stress reduction coefficient (IRC:21-2000 cl: 306.4.2,3)

$$\beta = 1$$

1 Short Column
 2 Long Column

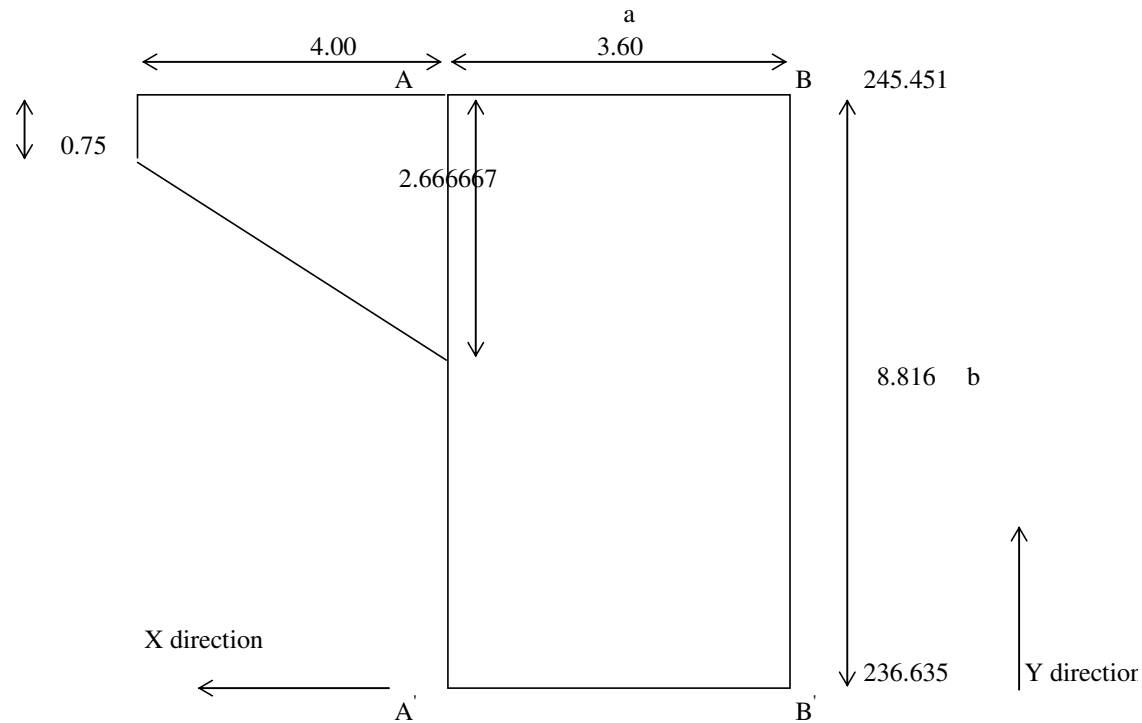
Permissible stresses : concrete

$$\begin{aligned}
 \sigma_{cbc} &= 8.3333 \text{ N/mm}^2 \\
 \sigma_{co} &= 6.25 \text{ N/mm}^2 \\
 \text{Tensile stress} &= 0.67 \text{ N/mm}^2
 \end{aligned}$$

Permissible stresses : Steel

$$\sigma_{st} = 200 \text{ N/mm}^2$$

S.No	Item	DRY Case
	Loads and Moments	With L.L
1	P	560.72 t
2	M _L	1178.79 t-m
3	M _T	192.80 t-m
<i>Actual(calculated) Stresses</i>		
4	$\sigma_{co,cal}$ P/A _{tfm}	0.37131642
5	$\sigma_{cbc,cal}$ M _L /Z _{xx}	3.511914483
6	$\sigma_{cbc,cal}$ M _T /Z _{yy}	0.066552525
7	$\sigma_{cbc,cal} = 5 + 6$	3.578467008
<i>Permissible Stresses</i>		
8	σ_{cbc}	8.3333333
9	σ_{co}	6.25
<i>Check for Minimum steel area mm²</i>		
10	Conc.Area Required for directstress	
	(1)/(9)	897145.09
11	0.8% of area required	7177.1607
12	0.3% of A _g	43200
13	Governing steel mm ²	43200
14	Provided Steel area mm ²	77861.232
<i>Check for safety of section</i>		
	$\frac{\sigma_{co,cal}}{\sigma_{co}} + \frac{\sigma_{cbc,cal}}{\sigma_{cbc}}$	0.4888267 < 1
<i>Check for Cracked /Uncracked section</i>		
	$\sigma_{co,cal} - \sigma_{cbc,cal}$	-3.207151
Permissible Basic tensile stress in concrete		-0.67
Section to be designed as		Cracked



Width of Solid return wall (a)	=	3.60
Width of Cantilever return wall	=	4.00
Avg Height of Solid return wall (b)	=	8.816
Height of Cantilever return at Tip	=	0.75
Height of Cantilever return at Root	=	2.666667
Thickness of Solid Return at farther end	=	0.5
Thickness of Solid Return at Root	=	0.5
Thickness of Solid Return at bottom	=	0.5
Thickness of Solid Return at top	=	0.5
Thickness of Cantilever return	=	0.5
Unit wt of Soil	=	1.8 t/m ³
Grade of concrete	=	M 30
σ_{cbc}	=	1020 t/m ²
m	=	10
σ_{st}	=	20400 t/m ²
k	=	0.333333
j	=	0.888889
R	=	151.1111 t/m ²

Case (1) For uniformly distributed load over entire plate

a/b	=	0.4083485	For a/b	=	0.375	β_1	=	0.353	β_2	=	0.398
			For a/b	=	0.5	β_1	=	0.631	β_2	=	0.632
a/b	=	0.4083485	β_1	=	0.427167						
			β_2	=	0.460428						

Live Load Surcharge:

$$q = 0.2794 \times 1.8 \times 1.2 = 0.603504 \text{ t/m}^2$$

$$\sigma_{bmax} = \frac{\beta_1 \times q \times b^2}{t^2}$$

$$\sigma_{amax} = \frac{\beta_2 \times q \times b^2}{t^2}$$

$$\sigma_{bmax} = \frac{0.427167 \times 0.603504 \times 77.72}{0.25} = 80.14584 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3$$

$$= 0.041667 \text{ m}^3$$

Hence Moment /m width along Y direction

$$M_Y \text{ /m width} = 80.145837 \times 0.041667 = 3.33941 \text{ t-m/m}$$

$$\sigma_{amax} = \frac{0.4604283 \times 0.603504 \times 77.72}{0.25} = 86.38639 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3$$

$$= 0.041667 \text{ m}^3$$

Hence Moment /m width along X direction

$$M_X \text{ /m width} = 86.386391 \times 0.041667 = 3.599433 \text{ t-m/m}$$

Case (2) For Triangular loading due to earth pressure

$$\begin{array}{llll} a/b = 0.4083485 & \text{For } a/b = 0.375 & \beta_1 = 0.212 & \beta_2 = 0.148 \\ & \text{For } a/b = 0.5 & \beta_1 = 0.328 & \beta_2 = 0.200 \end{array}$$

$$\begin{array}{ll} a/b = 0.4083485 & \beta_1 = 0.242947 \\ & \beta_2 = 0.161873 \end{array}$$

Earth pressure:

$$q = 0.2794 \times 1.8 \times 8.816 = 4.433743 \text{ t/m}^2$$

$$\sigma_{bmax} = \frac{\beta_1 \times q \times b^2}{t^2}$$

$$\sigma_{amax} = \frac{\beta_2 \times q \times b^2}{t^2}$$

$$\sigma_{bmax} = \frac{0.2429474 \times 4.433743 \times 77.72}{0.25} = 334.8774 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3$$

$$= 0.041667 \text{ m}^3$$

Hence Moment /m width along Y direction

$$M_Y \text{ /m width} = 334.8774 \times 0.041667 = 13.95323 \text{ t-m/m}$$

$$\sigma_{\text{amax}} = \frac{0.161873 \times 4.433743 \times 77.72}{0.25} = 223.1249 \text{ t/m}^2$$

For 1000 mm of width

$$Z = \frac{1000 \times 250000}{6} = 41666667 \text{ mm}^3$$

$$= 0.041667 \text{ m}^3$$

Hence Moment /m width along X direction

$$M_X \text{ /m width} = 223.12485 \times 0.041667 = 9.296869 \text{ t-m/m}$$

Total Moment in Solid Return /m height = 12.8963 t-m/m
Along X-direction

Total Moment in Solid Return /m width = 17.29263 t-m/m
Along Y-direction

Moment due to Cantilever Return:

Moment due to earth pressure at face A - A'

$$M = 0.2794 \times 1.2 \times 1.8 \times 0.75 \times 4.00 \times 2.00$$

$$+ 0.5 \times 0.2794 \times 1.8 \times 0.5625 \times 4.00 \times 2.00$$

$$+ 0.5 \times 0.2794 \times 1.8 \times 0.444444 \times X^2 \times dx \times \left[4.00 - X \right]$$

$$+ 0.2794 \times 1.8 \times 1.95 \times 0.666667 \times X \times dx \times \left[4.00 - X \right]$$

$$= 3.621024 + 1.13157 + 0.11176 \times 21.33333 + 0.653796 \times 10.66667$$

$$= 14.11063 \text{ t-m}$$

Design of cantilever Return:

Assuming 50 mm cover and 12 mm dia bars.

Effective depth available = 500 - 50 - 20 - 6 = 424 mm

$$M = R \times b \times d^2$$

$$= 151.1111 \times 2.666667 \times 0.179776 = 72.44307 \text{ t-m}$$

$$A_{st} = \frac{14.11063 \times 10^6}{20400 \times 0.888889 \times 0.424} = 1835.283 \text{ mm}^2$$

$$A_{st}/m = 688.231 \text{ mm}^2/m$$

Provide 12 mm dia @ 150 mm c/c providing 753.9822 mm² on earth face.

Provide 12 mm dia @ 180 mm c/c providing 628.3185 mm² on other face.

Along Horizontal direction.

Design of Solid Return:**Moment due to Cantilever Return:***Moment due to Earth pressure at face B-B'*

$$\begin{aligned}
 M &= 0.2794 \times 1.2 \times 1.8 \times 0.75 \times 4.00 \times 5.60 \\
 &+ 0.5 \times 0.2794 \times 1.8 \times 0.5625 \times 4.00 \times 5.60 \\
 &+ 0.5 \times 0.2794 \times 1.8 \times 0.444444 \times X^2 \times dx \times \left[7.60 - X \right] \\
 &+ 0.2794 \times 1.8 \times 1.95 \times 0.666667 \times X \times dx \times \left[7.60 - X \right] \\
 \\
 &= 10.13887 + 3.168396 + 0.11176 \times 98.13333 + 0.653796 \times 39.46667 \\
 \\
 &= \mathbf{50.07779 \text{ t-m}}
 \end{aligned}$$

$$\text{Moment in Solid Return /m height} = 12.8963 + \frac{50.07779}{8.816} = 18.57663 \text{ t-m/m}$$

$$\text{Moment in Solid Return /m width} = 17.29263 \text{ t-m/m}$$

Design of face B-B'

$$\text{Moment in Solid Return /m height} = \mathbf{18.57663 \text{ t-m/m}}$$

Assuming 50 mm cover and 20 mm dia bars.

$$\text{Effective depth available} = 500 - 50 - 20 - 10 = 420 \text{ mm}$$

$$\begin{aligned}
 M &= R \times b \times d^2 \\
 &= 151.1111 \times 1 \times 0.1764 = 26.656 \text{ t-m}
 \end{aligned}$$

$$A_{st} = \frac{18.57663 \times 10^6}{20400 \times 0.888889 \times 0.42} = 2439.159 \text{ mm}^2$$

$$A_{st}/m = 2439.159 \text{ mm}^2/m$$

Provide 20 mm dia @ 120 mm c/c providing 2617.994 mm² on earth face.Provide 12 mm dia @ 120 mm c/c providing 942.4778 mm² on other face.**Along Horizontal direction.****Design of face A'-B'**

$$\text{Moment in Solid Return /m width} = \mathbf{17.29263 \text{ t-m/m}}$$

Assuming 50 mm cover and 20 mm dia bars.

$$\text{Effective depth available} = 500 - 50 - 0 - 10 = 440 \text{ mm}$$

$$\begin{aligned}
 M &= R \times b \times d^2 \\
 &= 151.1111 \times 1 \times 0.1936 = 29.25511 \text{ t-m}
 \end{aligned}$$

$$A_{st} = \frac{17.29263 \times 10^6}{20400 \times 0.888889 \times 0.44} = 2167.359 \text{ mm}^2$$

$$A_{st}/m = 2167.359 \text{ mm}^2/m$$

Provide 20 mm dia @ 130 mm c/c providing 2416.61 mm² on earth face.Provide 12 mm dia @ 130 mm c/c providing 869.9795 mm² on other face.**Along Vertical direction.**

1. DESIGN FOR FORCES IN LONGITUDINAL DIRECTION

Active earth pressure	K_a	=	0.279384
FOR NORMAL CASE, FA		=	1.0
unit wt of soil	γ	=	1.8
	δ	=	20
clear span between return wall		=	11.000 m
width of return wall		=	0.5
Avg. cover to reinforcement. (FOR 2-3 LAYERS)		=	0.150 m
H (From formation level)	=	8.466 m	

DESIGN FOR BENDING MOMENT

S.NO.	UNITS	1
H (FROM TOP)	m	8.466
WIDTH OF RETURN AT THIS LEVEL	m	3.600
FORCE DUE TO EARTH PRESSURE	t	101.610
MOMENT DUE TO EARTH PRESSURE	tm	361.297
FORCE DUE TO L.L. SURCHARGE	t	28.805
MOMENT DUE TO L.L. SURCHARGE	tm	121.932
TOTAL MOMENT	tm	483.229
DESIGN MOMENT	tm	483.229
REQUIRED EFFECTIVE DEPTH	m	2.828
EFF. DEPTH AVAILABLE	m	3.450
AREA OF STEEL REQUIRED	cm ²	77.233
DIAMETER OF BAR PROVIDED	mm	32
TOTAL NO. OF BARS	no.	12
AREA OF STEEL PROVIDED	cm ²	96.51
		O.K.
		25.0
CHECK FOR SHEAR STRESS		
SHEAR FORCE	t	135.415
SHEAR STRESS	t/m ²	78.502
As _t /bd x 100	%	0.448
PERMISSIBLE SHEAR STRESS	MPa	0.29
PERMISSIBLE SHEAR STRESS	t/m ²	29.91
As _v /s _v	cm ² /m	6.904

Design of Abutment Cap:

As the cap is fully supported on the abutment. Minimum thickness of the cap required as per cl: 710.8.2 of IRC:78-2000 is 200 mm.

$$\begin{aligned}
 \text{However the thickness of abutment cap is} &= 300 \text{ mm} \\
 \text{Assuming a cap thickness of} &= 300 \text{ mm} \\
 \text{Volume of Abutment cap} &= 0.3 \times 1.20 \times 12 \\
 &= 4.32 \text{ m}^3 \\
 \text{Quantity of steel} &= 1 \% \text{ of volume} \\
 &= \frac{1}{100} \times 4.32 \\
 &= 0.0432 \text{ m}^3 \\
 \text{Quantity of steel to be provided at top} &= 0.0216 \text{ m}^3 \\
 \text{Quantity of steel to be provided at bottom} &= 0.0216 \text{ m}^3
 \end{aligned}$$

Top & bottom face:

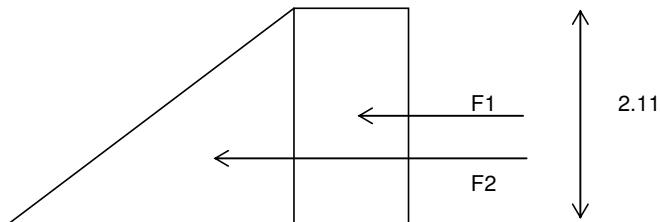
$$\begin{aligned}
 \text{Quantity of steel to be provided in Longitudinal di} &= 0.0108 \text{ m}^3 \\
 \text{Assuming a clear cover of} &= 50 \text{ mm} \\
 \text{Length of bar } 12.00 - 0.100 &= 11.9 \text{ m} \\
 \text{Area of steel required in Longitudinal direction} &= \frac{0.0108}{11.9} = 907.563 \text{ mm}^2 \\
 \text{Provide } 9 \text{ nos of bars } 12 \text{ mm dia at top \& bottom face.} &= 1017.88 \text{ mm}^2
 \end{aligned}$$

Transverse steel:

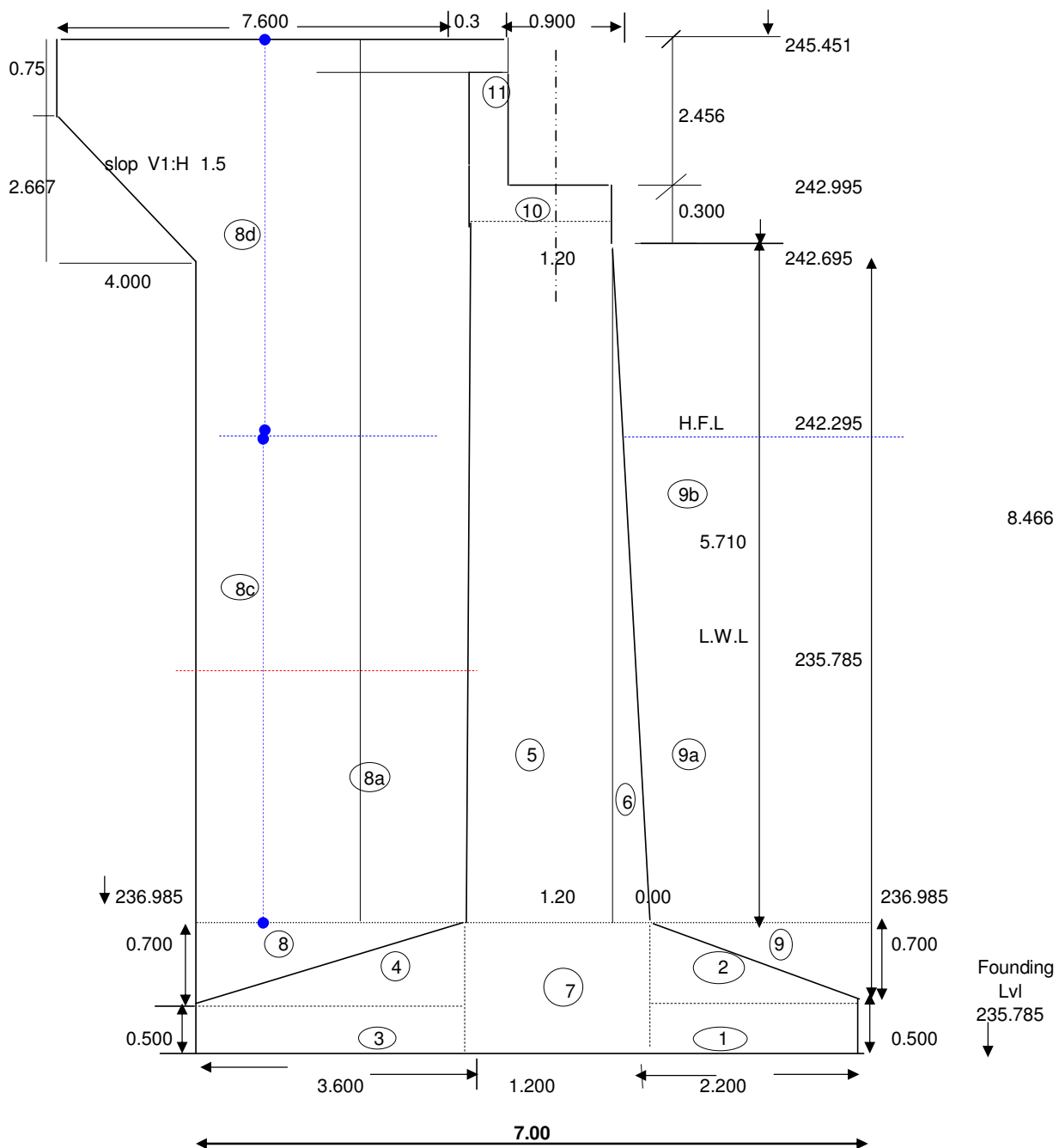
$$\begin{aligned}
 \text{Quantity of steel to be provided in Longitudinal di} &= 0.0108 \text{ m}^3 \\
 \text{Assuming a clear cover of} &= 50 \text{ mm} \\
 \text{Assuming a dia of bar} &= 12 \text{ mm} \\
 \text{Length of bar } 1.20 - 0.100 &= 1.1 \text{ m} \\
 \text{Volume of each stirrup} &= 0.00012 \text{ m}^3 \\
 \text{no of stirrups required for m/length} &= 8 \text{ nos} \\
 \text{Required Spacing} &= \frac{1000}{8} \\
 &= 125 \text{ mm} \\
 \text{Provide } 12 \text{ mm dia bar } 125 \text{ mm c/c stirrups throught in length of abutment cap.} &= 904.779 \text{ mm}^2
 \end{aligned}$$

Design of Dirt wall:

Dirt wall designed as a vertical cantilever.



Intensity for rectangular portion	=	0.2794	x	2.00	x	1.2	=	0.67056	t/m ²
F1	=	0.67056	x	12.00	x	2.11	=	16.94639	t
Intensity for triangular portion	=	0.2794	x	2.00	x	2.11	=	1.176833	t/m ²
F2	=	1.176833	x	12.00	x	2.11	=	14.87046	t
M1	=	16.94639	x	1.05			=	17.84455	t-m
M2	=	14.87046	x	0.88452			=	13.15322	t-m
M1 + M2	=						=	30.99777	t-m
Total moment at base of dirt wall /m length	=						=	2.583147	t-m/m
Thickness of dirtwall	=						=	0.3	m
Assuming a clear cover on either face	=						=	50	mm
Vertical steel on earth face:									
dia of steel bar	=						=	12	mm
Available effective depth	=	300	-	50	-	6	=	244	mm
effective depth req	=						=	130.7935	mm
								$\frac{2.583147}{1.51 \times 1000}$	
Ast req	=						=	595.4258	mm ² /m
								$\frac{2.583147}{200 \times 0.889 \times 244}$	
Minimum steel	=						=	360	mm ² /m
								$\frac{0.12}{100} \times 300 \times 1000$	
Provide	12	mm dia bar	200	mm c/c	as vertical steel at earth face.			565.4867	mm ² /m
Distribution steel on earth face:									
dia of steel bar	=						=	12	mm
Available effective depth	=	300	-	50	-	12	=	238	mm
0.3M	=						=	0.774944	t-m/m
								0.3×2.583147	
Ast req	=						=	183.1309	mm ² /m
								$\frac{0.774944}{200 \times 0.889 \times 238}$	
Minimum steel	as per IRC:21-200 cl:305.10						=	250	mm ² /m
Governing steel at earth face							=	250	mm ² /m
Provide	10	mm dia bar	200	mm c/c	as vertical steel at earth face.			392.6991	mm ² /m
Vertical steel on earth face									
As per IRC:21-200 cl:305.10	All faces provide minimum steel of						=	250	mm ² /m
Provide	10	mm dia bar	200	mm c/c	as vertical steel at earth face.			392.6991	mm ² /m
Distribution steel:									
As per IRC:21-200 cl:305.10	All faces provide minimum steel of						=	250	mm ² /m
Provide	10	mm dia bar	200	mm c/c	as vertical steel at earth face.			392.6991	mm ² /m



INPUT FILE: 70RW.STD

```

1. STAAD SPACE
2. INPUT WIDTH 72
3. UNIT METER MTON
4. PAGE LENGTH 1000
5. UNIT METER MTON
6. JOINT COORDINATES
7. 1 0.00 0 0;2 0.3 0 0;3 21.3 0 0;4 21.6 0 0
8. MEMBER INCIDENCES
9. 1 1 2 3
10. MEMBER PROPERTY CANADIAN
11. 1 TO 3 PRI YD 1.0 ZD 1.0
12. CONSTANT
13. E CONCRETE ALL
14. DENSITY CONCRETE ALL
15. POISSON CONCRETE ALL
16. SUPPORT
17. 2 3 PINNED
18. DEFINE MOVING LOAD
19. TYPE 1 LOAD 8.0 2*12 4*17.0 DIS 3.96 1.52 2.13 1.37 3.05 1.37
20. LOAD GENERATION 175
21. TYPE 1 -13.4 0. 0. XINC .2
22. PERFORM ANALYSIS
23. LOAD LIST 109
24. PRINT SUPPORT REACTION
    SUPPORT REACTION

```

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = SPACE

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	109	0.00	22.97	0.00	0.00	0.00	0.00
3	109	0.00	77.03	0.00	0.00	0.00	0.00

***** END OF LATEST ANALYSIS RESULT *****

25. FINISH

***** END OF THE STAAD.Pro RUN *****

INPUT FILE: CLASS A.STD

```

1. STAAD SPACE
2. INPUT WIDTH 72
3. UNIT METER MTON
4. PAGE LENGTH 1000
5. UNIT METER MTON
6. JOINT COORDINATES
7. 1 0.00 0 0;2 0.3 0 0;3 21.3 0 0;4 21.6 0 0
8. MEMBER INCIDENCES
9. 1 1 2 3
10. MEMBER PROPERTY CANADIAN
11. 1 TO 3 PRI YD 1.0 ZD 1.0
12. CONSTANT
13. E CONCRETE ALL
14. DENSITY CONCRETE ALL
15. POISSON CONCRETE ALL
16. SUPPORT
17. 2 3 PINNED
18. DEFINE MOVING LOAD
19. TYPE 1 LOAD 2*2.7 2*11.4 4*6.8 DIS 1.1 3.2 1.2 4.3 3 3 3
20. TYPE 2 LOAD 4*6.8 2*11.4 2*2.7 DIS 3 3 3 4.3 1.2 3.2 1.1
21. *LOAD GENERATION 202
22. *TYPE 1 -18.8 0. 0. XINC .2
23. LOAD GENERATION 202
24. TYPE 2 -18.8 0. 0. XINC .2
25. PERFORM ANALYSIS
26. LOAD LIST 130
27. PRINT SUPPORT REACTION
    SUPPORT REACTION

```

SUPPORT REACTIONS -UNIT MTON METE STRUCTURE TYPE = SPACE

JOINT	LOAD	FORCE-X	FORCE-Y	FORCE-Z	MOM-X	MOM-Y	MOM Z
2	130	0.00	13.13	0.00	0.00	0.00	0.00
3	130	0.00	36.87	0.00	0.00	0.00	0.00

28. FINISH

Stress in Concrete due to Loads = 53.55 Kg/cm²
Stress in Steel due to Loads = 1404.83 Kg/cm²

Percentage of Steel = .54 %

Abutment SHAFT ..HFL NORMAL

Depth of Section = 1.200 m

Width of Section = 12.000 m

Modular Ratio : Compression = 10.0

Modular Ratio : Tension = 10.0

Allowable Concrete Stress = 85.00 Kg/cm²

Allowable Steel Stress = 2040.00 Kg/cm²

Axial Load = 484.252 T

Mxx = 1013.075 Tm

Myy = 192.801 Tm

Intercept of Neutral axis : X axis : = 185.513 m

: y axis : = .344 m

Concrete Stress Governs Design

Stress in Concrete due to Loads = 61.88 Kg/cm²

Stress in Steel due to Loads = 1388.68 Kg/cm²

Percentage of Steel = .54 %

Abutment SHAFT ..HFL SPAN DISLODGED

Depth of Section = 1.200 m

Width of Section = 12.000 m

Modular Ratio : Compression = 10.0

Modular Ratio : Tension = 10.0

Allowable Concrete Stress = 85.00 Kg/cm²

Allowable Steel Stress = 2040.00 Kg/cm²

Axial Load = 149.437 T

Mxx = 750.275 Tm

Myy = .000 Tm

Intercept of Neutral axis : X axis : = ***** m

: y axis : = .296 m

Steel Stress Governs Design

Stress in Concrete due to Loads = 43.71 Kg/cm²

Stress in Steel due to Loads = 1179.01 Kg/cm²

Percentage of Steel = .54 %

DESIGN OF SUPERSTRUCTURE

For Design of Superstructure of RCC Girder 21.0 m span refer MOST STANDARD Drawing titled “STANDARD PLANS FOR HIGHWAY BRIDGES (R.C.C T-beam and Slab Superstructure)” Drg. No. SD/220 to SD/226.